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Gaugino masses

from

string loops

problem:

$$m_{1/2} = 0 \text{ to lowest order}$$

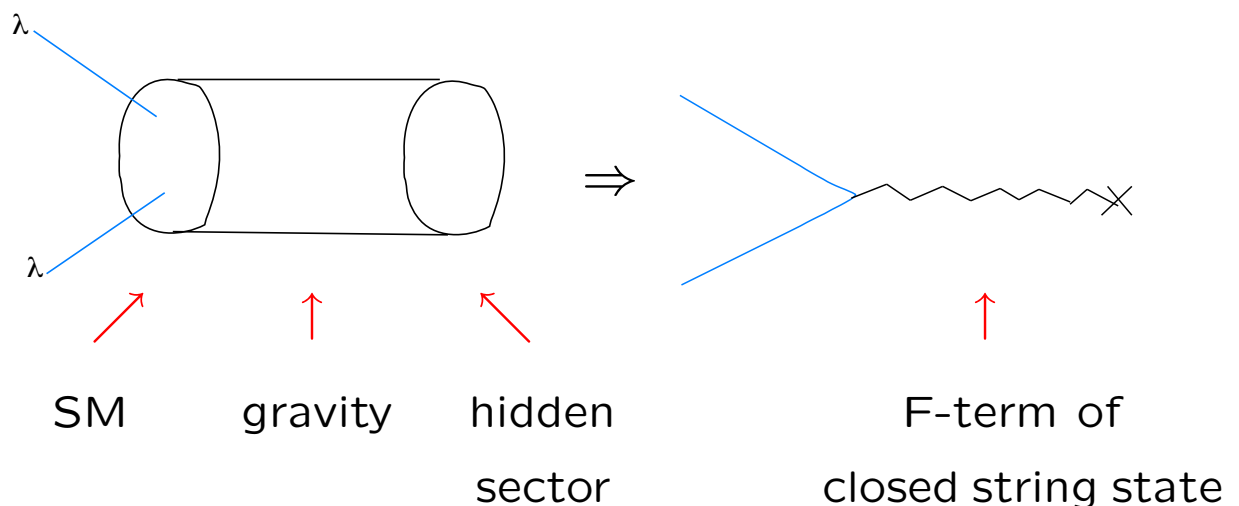
⇒ generated by string loop corrections

Framework: type I string theory

- effective field theory: may be still tree-level

closed string gravity exchange ⇒

SUGRA tree-level



Gaugino masses: protected by R-symmetry

but broken in 4d SUGRA by the gravitino mass

Two possible ways for generating $m_{1/2}$:

(1) via gravity (brane susy) \Rightarrow

generate $m_{1/2}$ from $m_{3/2}$

one gravitational loop: 1 handle + 1 boundary

$$\Rightarrow m_{1/2} \sim g_s^2 \frac{m_{3/2}^3}{M_s^2}$$

I.A.-Taylor '04

(2) keep gravity subdominant \Rightarrow

generate $m_{1/2}$ from brane α' -corrections

two gauge loops: 3 boundaries

$$\Rightarrow m_{1/2} \sim g_s^2 \frac{m_0^4}{M_s^3}$$

I.A.-Narain-Taylor '05

gauginos: open strings

\Rightarrow at least one boundary (brane) $h \geq 1$

$N = 2$ superconformal charge:

$3/2$ units for each (chiral) gaugino

± 1 unit for each 2d supercurrent insertion T_F

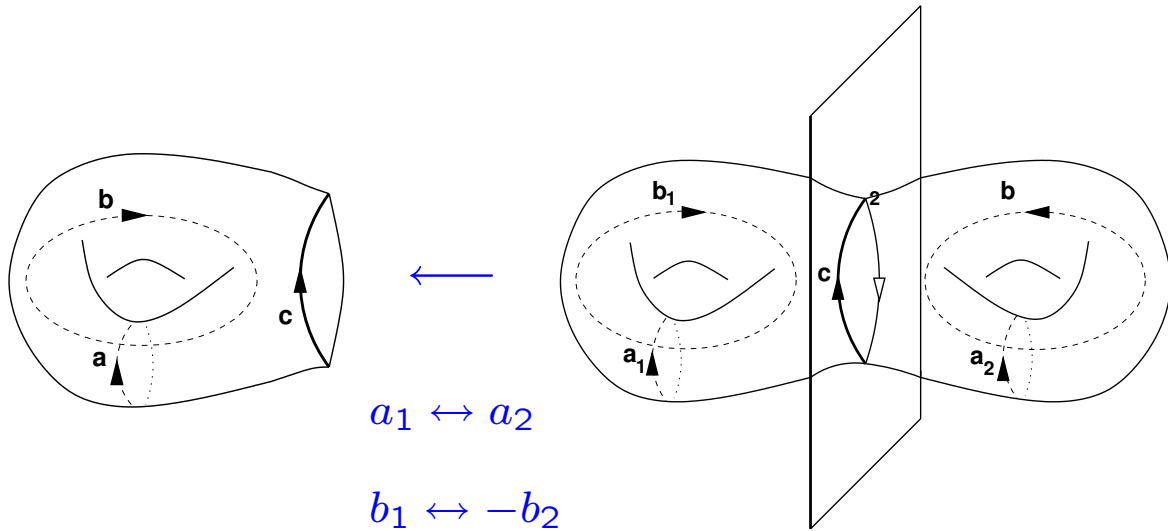
\Rightarrow at least 3 T_F insertions

lowest order (effective genus): $g + h/2 = 3/2$

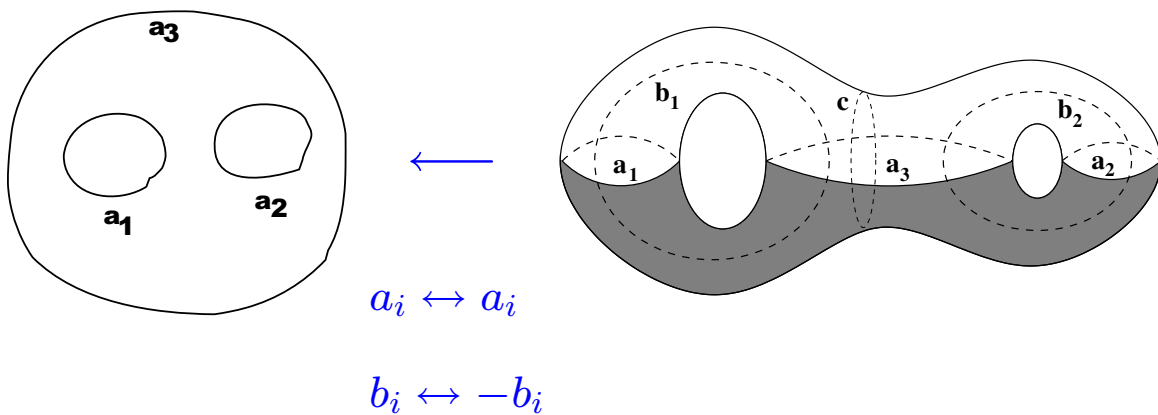
independently of the source of SUSY breaking!


Oriented case

(1) $g = 1 \quad h = 1$ from mirror involution of $g = 2$



(1) $g = 0 \quad h = 3$ from mirror involution of $g = 2$



Topological partition function F_g  genus g
computes $N = 2$ SUSY F-terms

AGNT, BCOV '93

$$F_g \int d^4\theta W_{N=2}^{2g} \rightarrow F_g R^2 T^{2g-2}$$

F_g : moduli dependent function

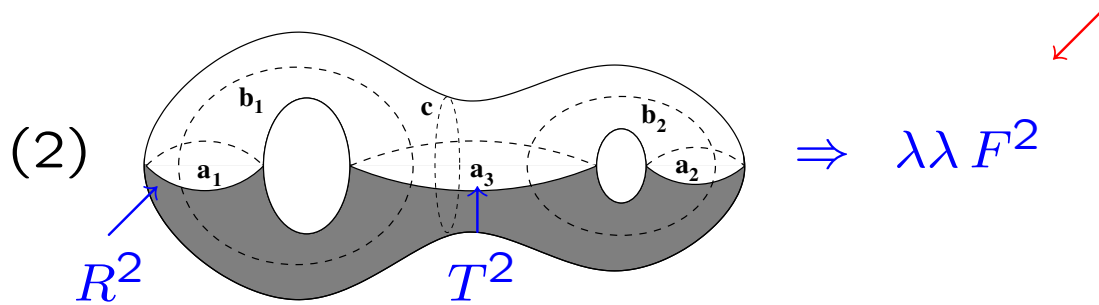
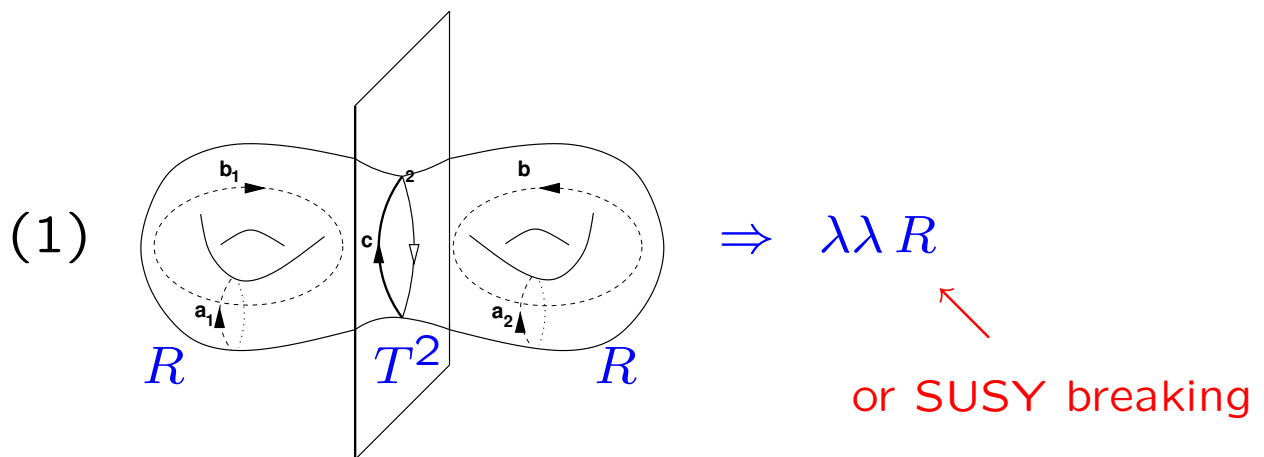
Weyl superfield: $W_{N=2} = T + \theta^2 R + \dots$

T : graviphoton field strength

R : Riemann tensor

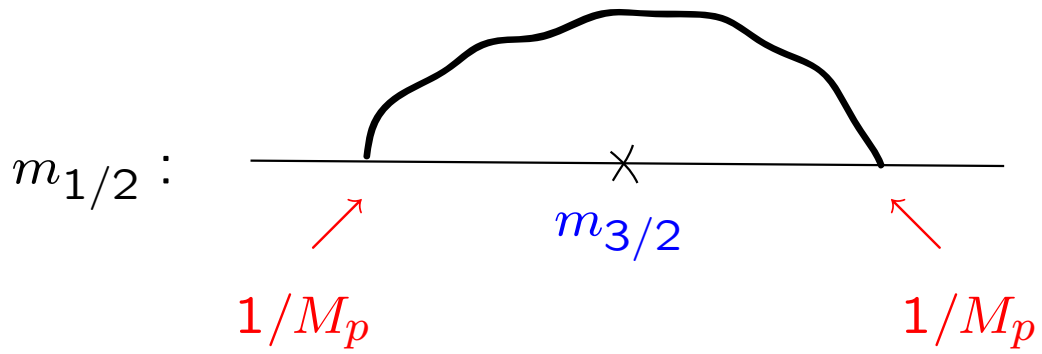
$$F_2 \int d^4\theta W_{N=2}^4 \rightarrow F_2 R^2 T^2$$

- graviphoton vertex $T = (\text{gaugino})^2$
- graviton vertex = (gauge field)²

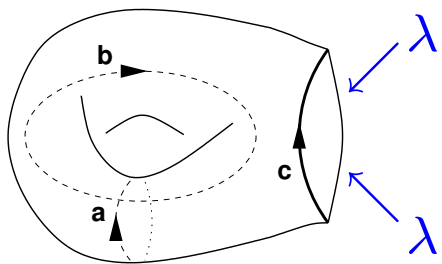


SUSY breaking: $R \rightarrow \langle \text{gravity auxiliary field} \rangle$

$F \rightarrow \langle D \rangle$



$$\sim \frac{m_{3/2}}{M_p^2} \times \begin{cases} \Lambda_{UV}^2 & \text{if quadr. divergent} \\ m_{3/2}^2 & \text{if convergent} \end{cases}$$



$$\sim g_s^2 \frac{m_{3/2}^3}{M_s^2} \quad g_s \sim g^2$$

but it vanishes for orbifolds

I.A.-Taylor '04

- anomaly mediation:

$$m_{1/2} \sim g^2 m_{3/2} \quad g^2 \sim g_s$$

- power of g_s does not match

one loop correction always vanishes

by $N = 2$ superconformal charge

- two loops behave $\sim m_{3/2}^3$

- hierarchy between gaugino and scalar masses

however numerics not very good

unless every loop factor $\sim 10^{-2}$

Sherk-Schwarz along an interval \perp branes

$$\Rightarrow m_{3/2} \sim 1/R$$

$$\text{gravity strength} \Rightarrow R^{-1} = \frac{2}{\alpha_G^2} \frac{M_s^3}{M_p^2} \sim 10^{13} \text{ GeV}$$

$$\text{for } M_s \sim M_{\text{GUT}} \sim 10^{16} \text{ GeV}$$

$$\bullet m_{1/2} \sim g_s^2 \frac{m_{3/2}^3}{M_s^2} \sim 1 \text{ TeV}$$

$$\text{if every loop-factor} \sim 10^{-2}$$

$$\bullet m_0 \gtrsim g_s \frac{m_{3/2}^2}{M_s} \sim 10^8 \text{ GeV}$$

scalar masses induced at one loop

\Rightarrow split supersymmetry framework

heavy scalars, light fermions

Arkani Hamed-Dimopoulos, Giudice-Romanino '04

SUSY breaking by internal magnetic fields
or equivalently branes at angles

Effective QFT description: D-breaking

magnetic field $H \sim \langle D \rangle$ -term of $U(1)$

$$\langle D \rangle \sim m_0^2$$


 $U(N)$ brane stack

R-symmetry broken by string corrections

\Rightarrow higher-dim effective operators:

I.A.-Narain-Taylor '05

$$F_{(0,3)} \int d^2\theta \mathcal{W}^2 \text{Tr} W^2$$

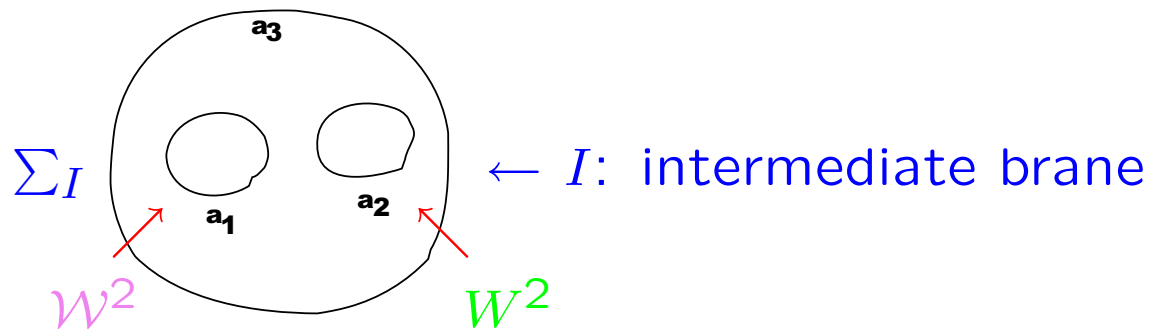
$$\langle \mathcal{W} \rangle = \theta \langle D \rangle$$

$$\Rightarrow m_{1/2} \sim \epsilon^2 \frac{m_0^4}{M_s^3}$$

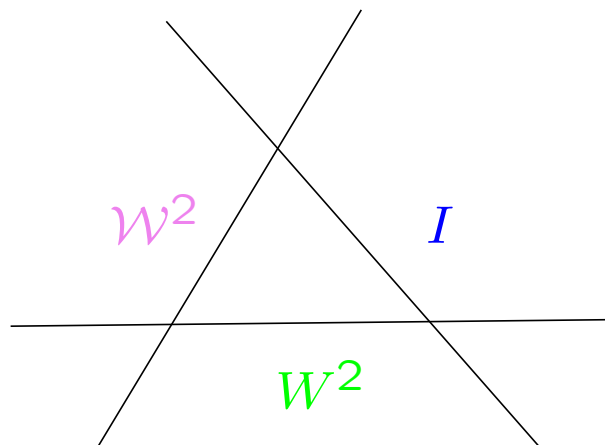
ϵ^2 : 2-loop factor

$$\sim \text{TeV for } m_0 \sim 10^{13} - 10^{14} \text{ GeV}$$

World-sheet with 3 boundaries (2 loops)



T-duality \Rightarrow



$\neq 0$: I -brane away from the intersection
of the other two

- as gauge mediation with string scale gaugino masses

- Higgsino mass

$$\int d^2\theta \mathcal{W}^2 \bar{D}^2 \bar{H}_1 \bar{H}_2 \Rightarrow \mu \sim \epsilon \frac{m_0^4}{M_s^3} \lesssim m_{1/2}$$

\nearrow
 $\psi_1 \psi_2$

- Simple toroidal models

gauge multiplets: $N = 4$ (or $N = 2$) SUSY

\Rightarrow Dirac gaugino masses without \mathbb{R}

$$\int d^2\theta \mathcal{W} \text{Tr} W A \Rightarrow m_D \sim \epsilon \frac{m_0^2}{M_s} \quad \text{1-loop factor}$$

$N = 2$ vector = $N = 1$ vector W + chiral A

they can still be consistent with unification

in intermediate energy scales $\sim 10^7 - 10^{13}$ GeV

I.A.-Benakli-Delgado-Quirós-Tuckmantel '05

Evading the hierarchy $m_0 \gg m_D$:

- SM on a SUSY brane
- gauge mediation with Dirac masses

I.A.-Benakli-Delgado-Quirós in preparation

SUSY brane with massive hypermultiplets
in its ($N = 2$) intersection with SM brane

$$(M, D) \longrightarrow \text{SM} \quad \Rightarrow \quad M_s \rightarrow M$$

$$D < M < M_s \quad \Rightarrow \quad m_D^a = \frac{\alpha_a D}{4\pi M}$$

- adjoint SM scalars Σ_a : one loop masses

$$m_{\Sigma_a}^2 = \frac{\alpha_a D^2}{4\pi M^2}$$

- squarks and sleptons Q : two loop masses

$$m_Q^2 = 2 \sum_a C_a(Q) \left(\frac{\alpha_a}{4\pi} \right)^2 \frac{D^2}{M^2}$$

need $\text{Tr}Y_{\text{hyp}} = 0$ to avoid $m_Q^2 \sim D$ from D_Y^2

$$D_Y = D_Y^{\text{SM}} + D_Y^{\text{hyp}}$$

e.g. messengers in complete $SU(5)$ reps

- Higgs sector: $N = 2$ hyper $(H_1, H_2) \Rightarrow$

$$V_H = m_1^2 |H_1|^2 + m_2^2 |H_2|^2 - m_3^2 (H_1 H_2 + h.c.)$$

$$+ \frac{1}{8} (g^2 + g'^2) (|H_1|^2 - |H_2|^2)^2 + \frac{1}{2} (g^2 + g'^2) |H_1 H_2|^2$$

$N = 2$ D-term \Rightarrow $N = 1$ D-term + F-term $\Sigma H_1 H_2$

$$m_h = m_Z, \quad m_H = m_A, \quad m_{H^\pm}^2 = m_A^2 + 2m_W^2$$

\Rightarrow

$$g_{Zhh} = g_{Zhh}^{\text{SM}}, \quad g_{ZHH} = 0$$

h behaves as SM Higgs

\Rightarrow

H plays no role in EWSB

CONCLUSIONS

Gaugino masses from string loops:

High string scale \Rightarrow hierarchy $m_0 \gg m_{1/2}$

1) Majorana masses

- gravity 'mediation' $\Rightarrow m_{1/2}^2 \sim m_0^3/M_s$
- gauge 'mediation' $\Rightarrow m_{1/2} \sim m_0^4/M_s^3$

2) Dirac masses $\Rightarrow m_D \sim m_0^2/M_s$

evading the hierarchy:

$M_s \rightarrow M_{\text{hyp}}, m_0^2 \rightarrow D$ in a SUSY sector

$m_0^{\text{SM}} \sim m_D$ from 2-loops