

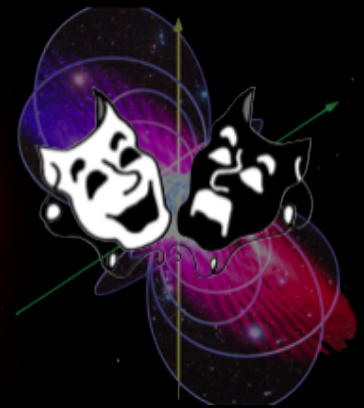
Massive-Star Magnetospheres

Stan Owocki

University of Delaware
Newark, Delaware USA

Collaborators

- Asif ud-Doula
- Rich Townsend
- Jon Sundqvist
- Vero Petit
- MiMeS collaboration

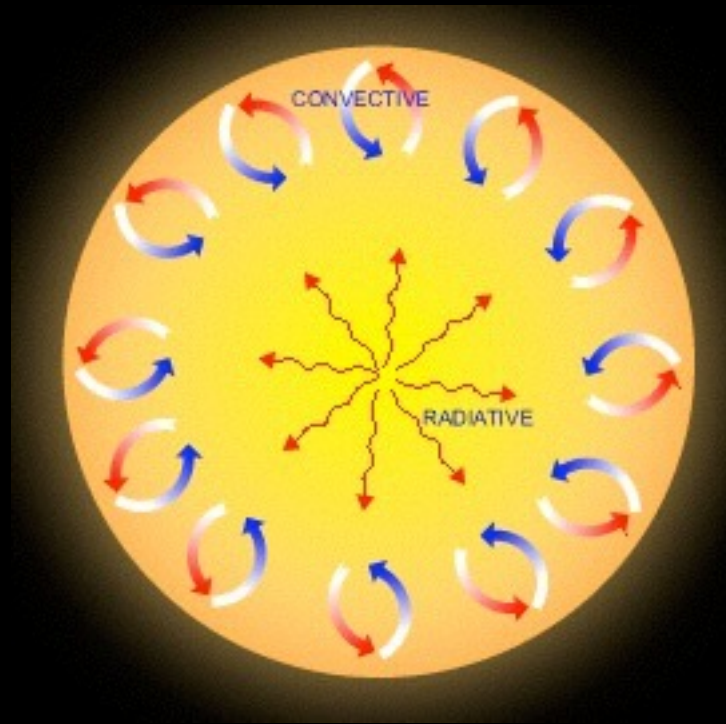


Corona during Solar Eclipse



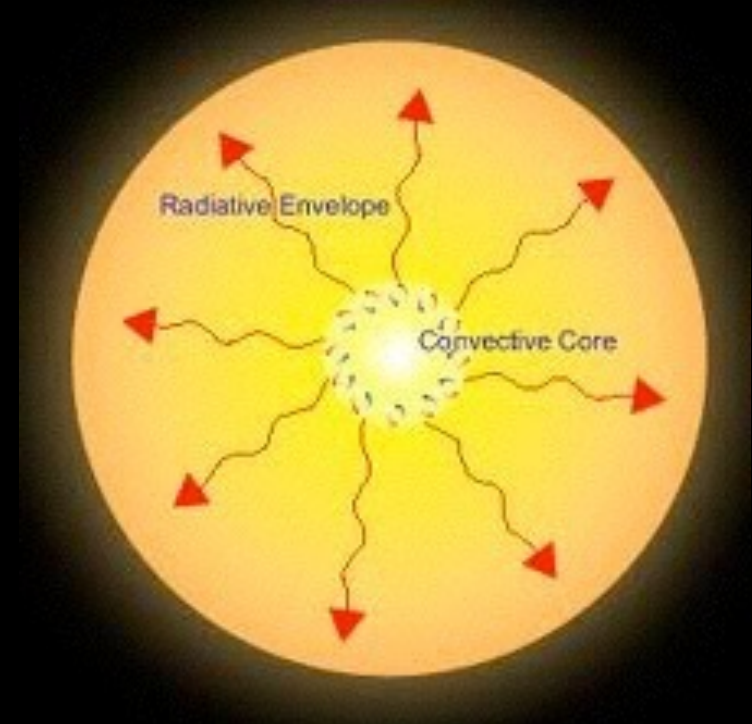
Convective vs. Radiative Envelopes

Solar mass stars

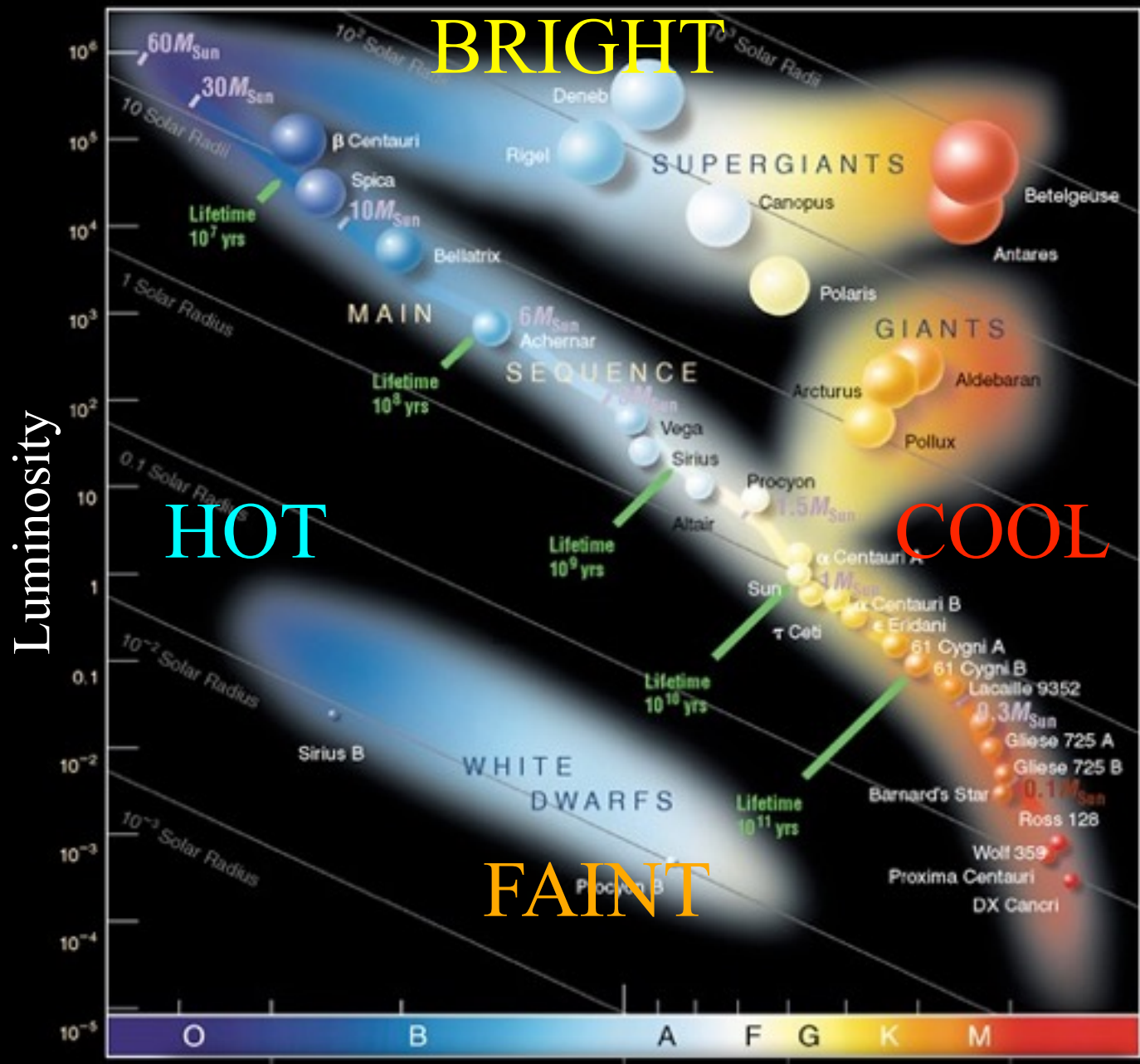


Rotation-Convection Dynamo

High-mass stars



No envelope Dynamo



<---- Temperature

10^6

10^3

Luminosity

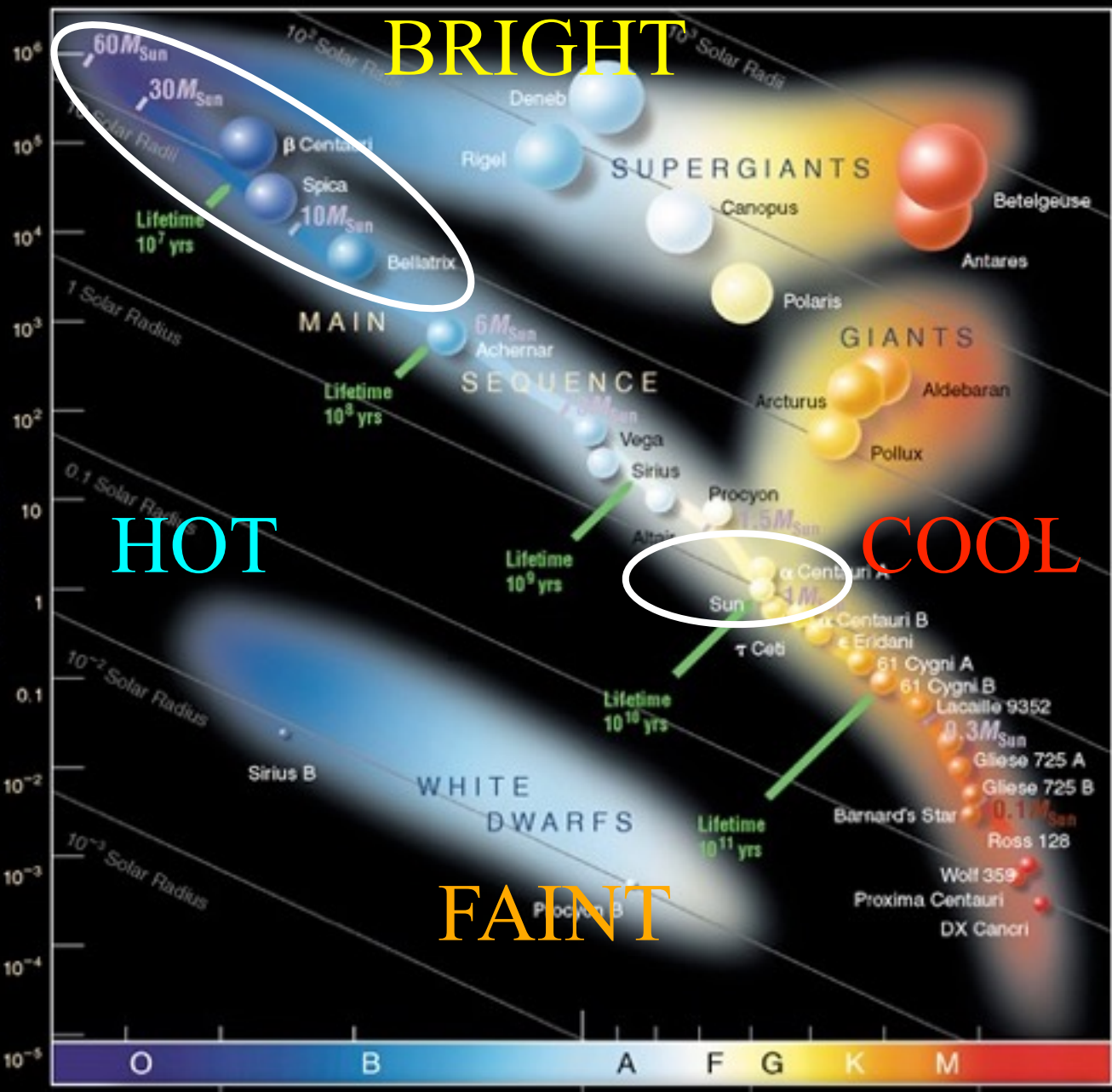
BRIGHT

HOT

COOL

FAINT

<---- Temperature

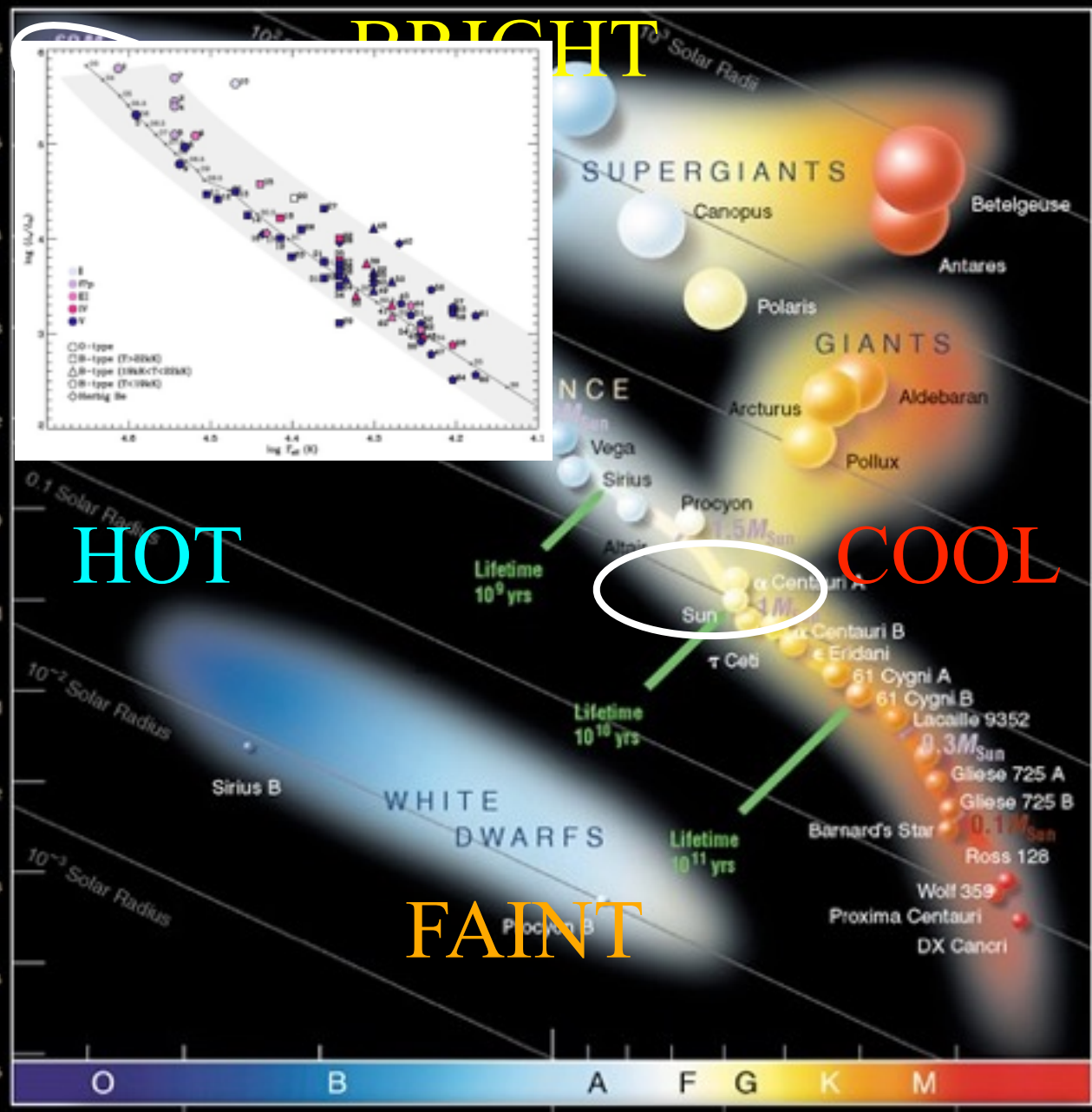


V. Petit+
2013

10^6

10^3

Luminosity



<---- Temperature

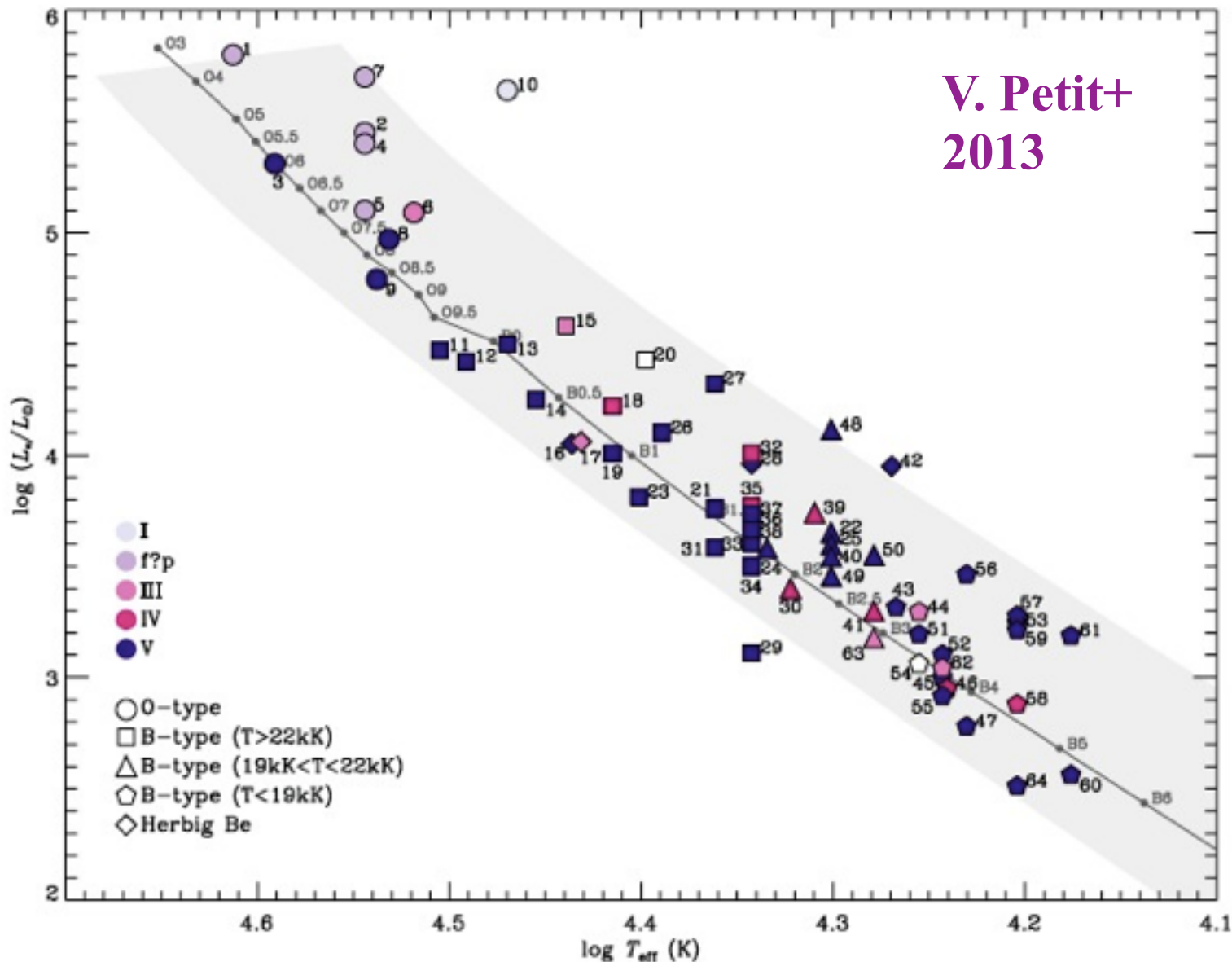
64 Confirmed Magnetic Massive Stars

V. Petit+
2013

Luminosity

10^6

10^3

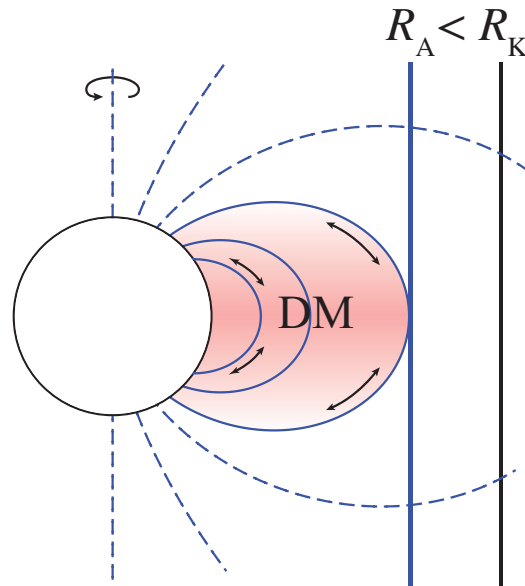


<---- Temperature

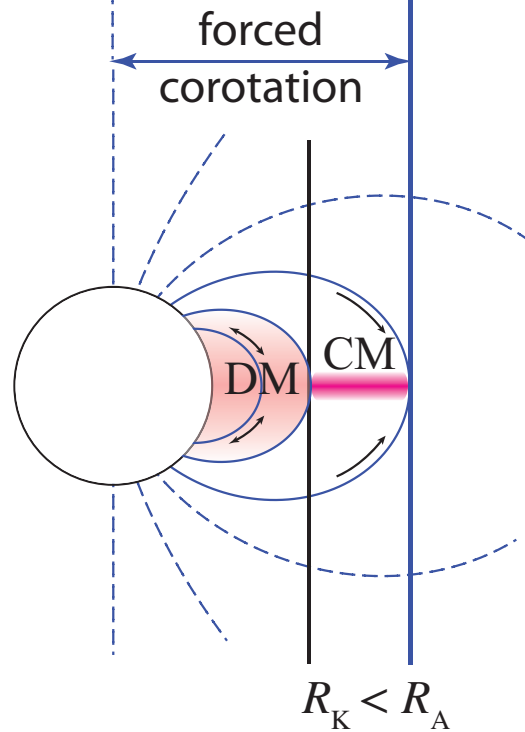
Key differences between hot vs. cool star winds and magnetospheres

- **hot** stars have **cool** winds, $T \sim T_{\text{eff}}$; no hot coronae
 - driven by **radiation** not gas pressure
 - become supersonic near surface R_*
 - closed loops not hydrostatic,
 - supersonic upflow leads to shocks near loop apex
- some hot stars have rapid rotation
 - lead to **centrifugally supported** magnetospheres
- field is large-scale, and stable
 - fossil, not from dynamo activity cycle

Dynamical
Magnetospheres
 $R_A < R_K$

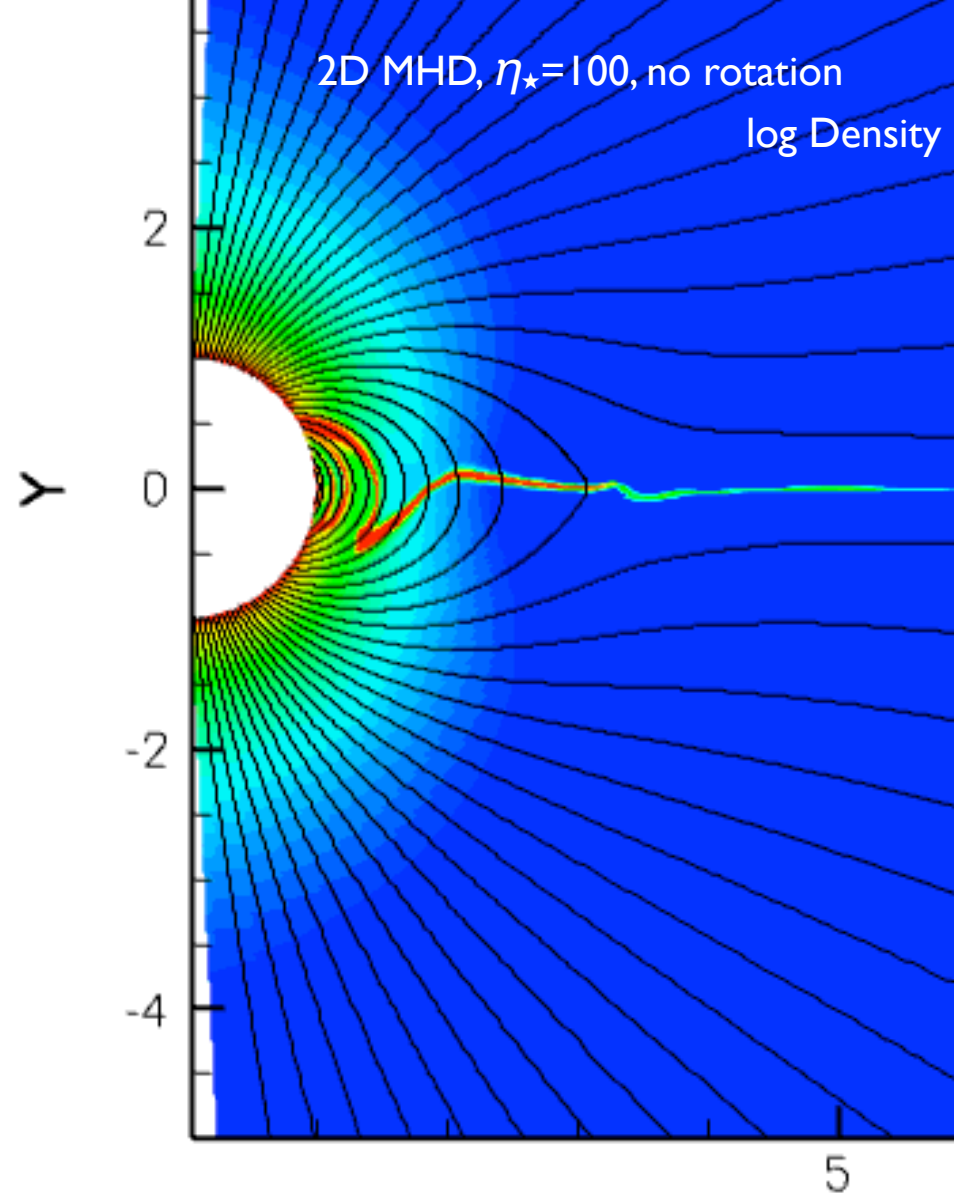


Centrifugal
Magnetospheres
 $R_K < R_A$



Magnetic confinement

$$\eta = \frac{B^2 / 8\pi}{\rho v^2 / 2}$$

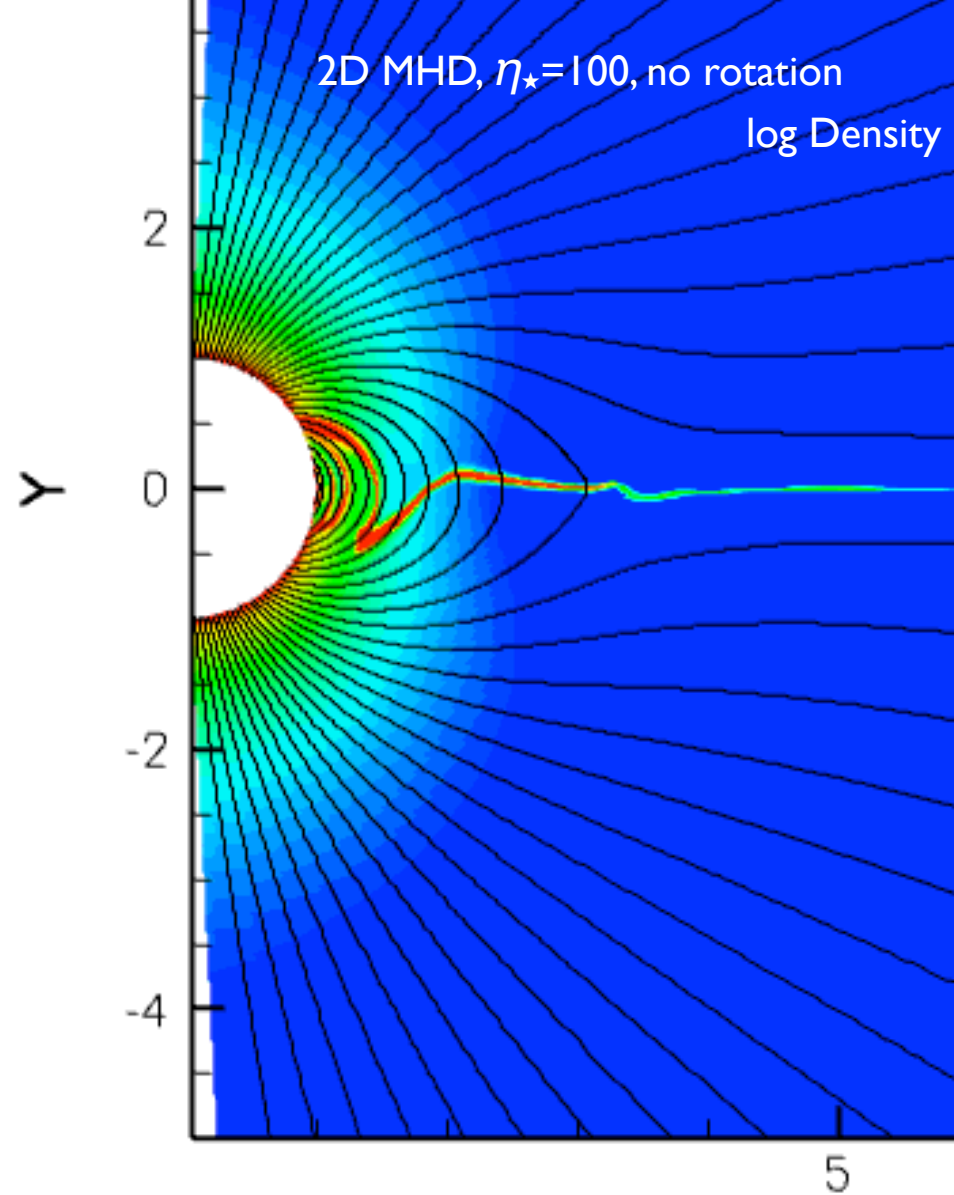


Magnetic confinement

$$\eta = \frac{B^2 / 8\pi}{\rho v^2 / 2}$$

$$\eta(R_A) \equiv 1$$

Alfven radius



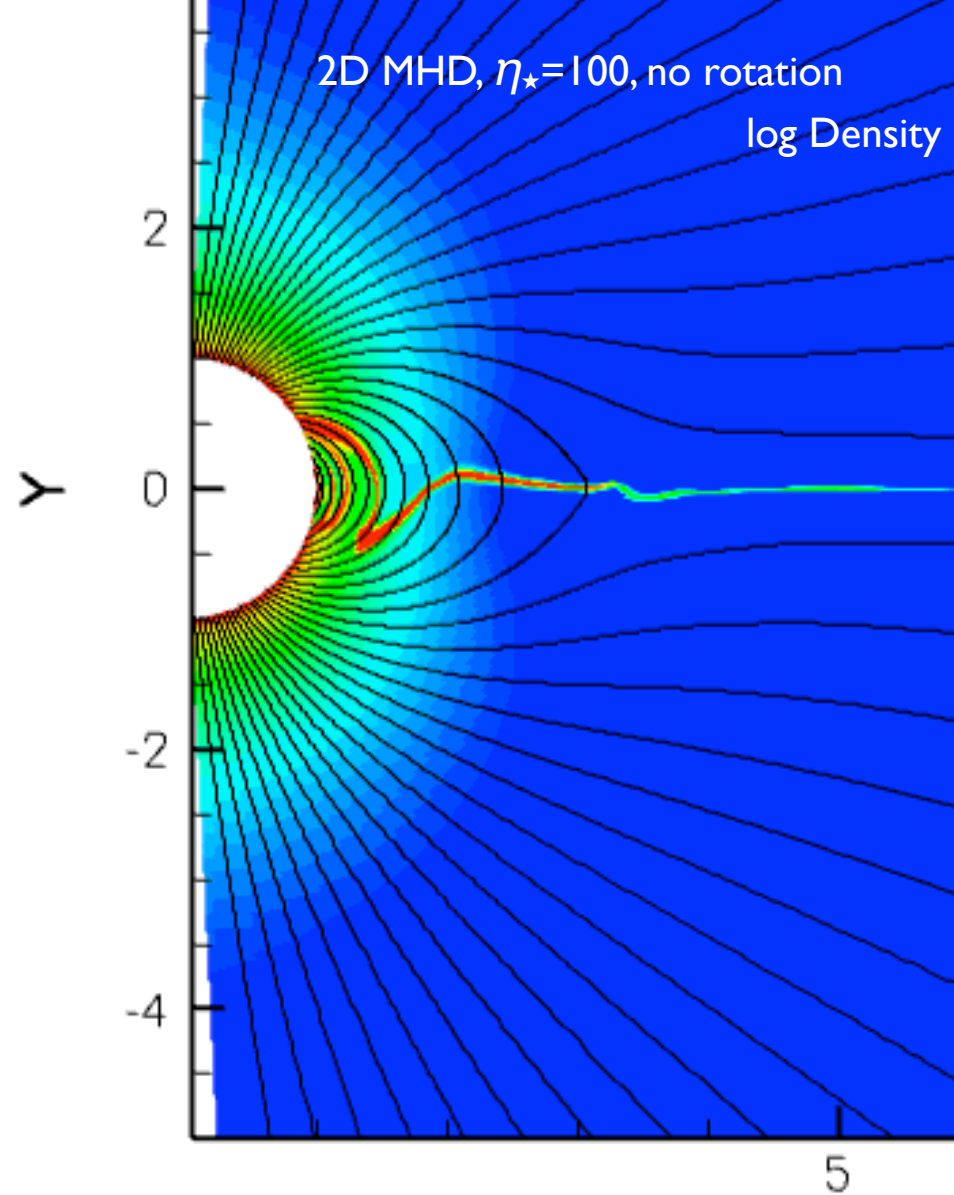
Magnetic confinement

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Alfven radius

$$\eta_{\star} \equiv \frac{B_{\star}^2 R_{\star}^2}{\dot{M} v_{\infty}}$$



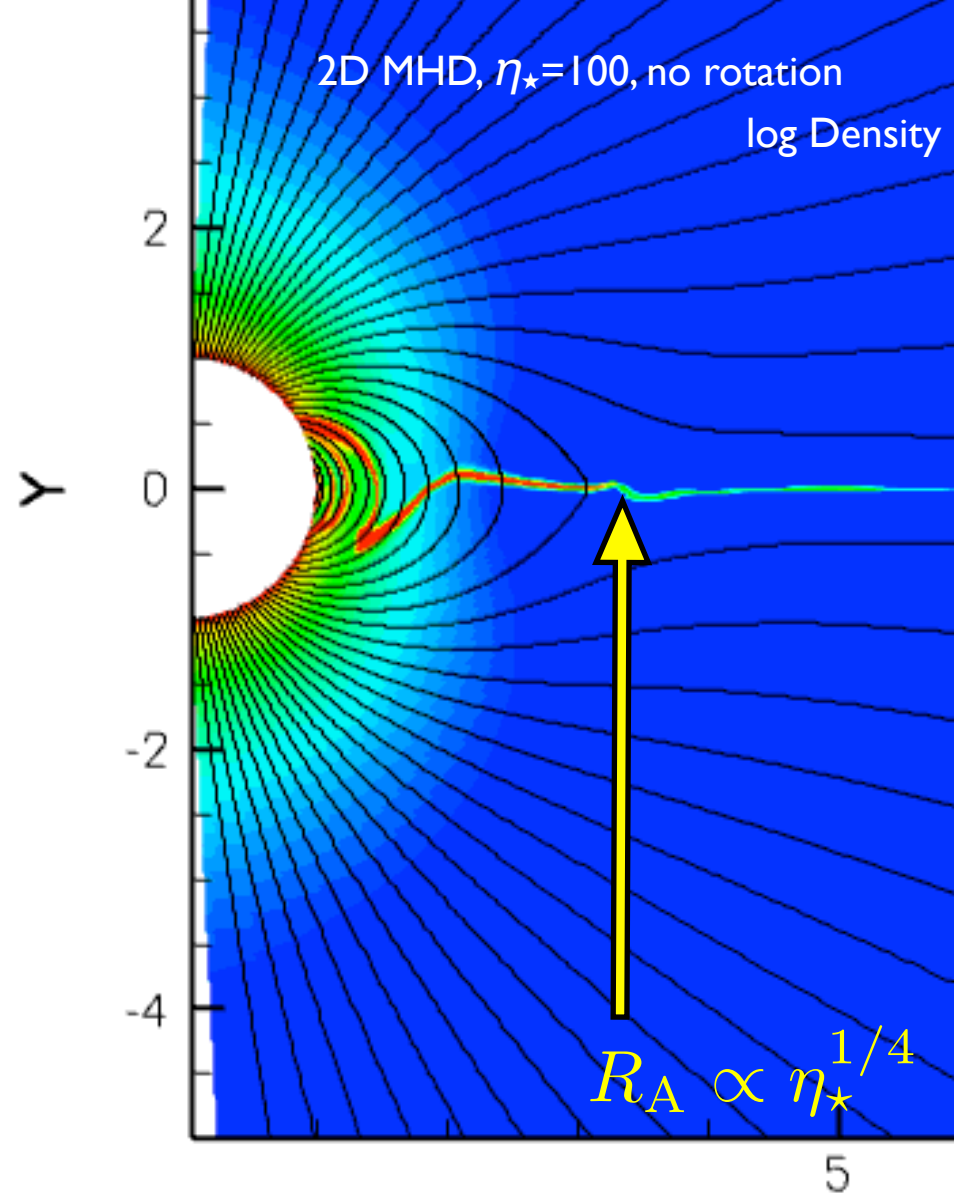
Magnetic confinement

$$\eta = \frac{B^2 / 8\pi}{\rho v^2 / 2}$$

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Alfven radius

$$\eta_\star \equiv \frac{B_\star^2 R_\star^2}{\dot{M} v_\infty}$$



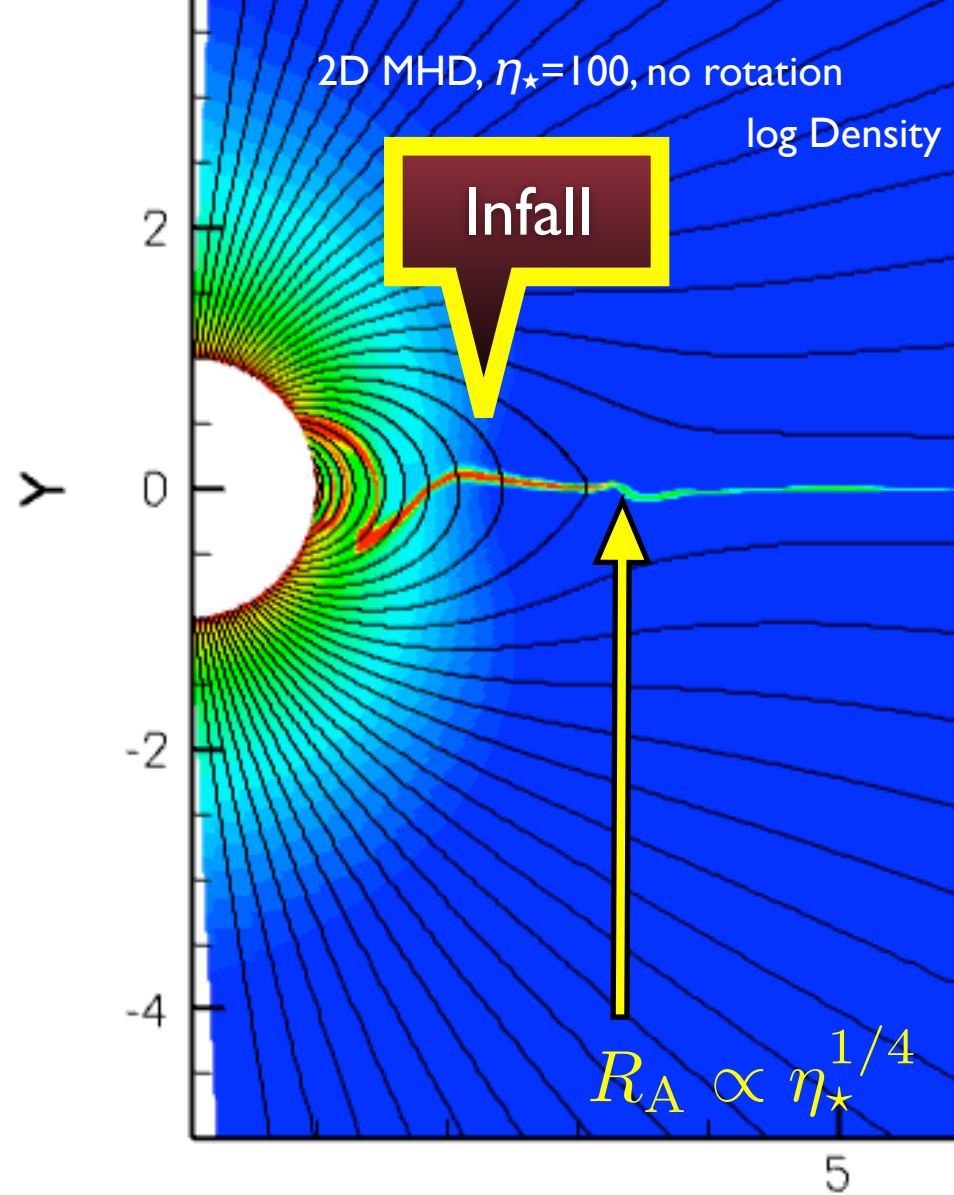
Magnetic confinement

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$$\eta(R_A) \equiv 1$$

Alfven radius

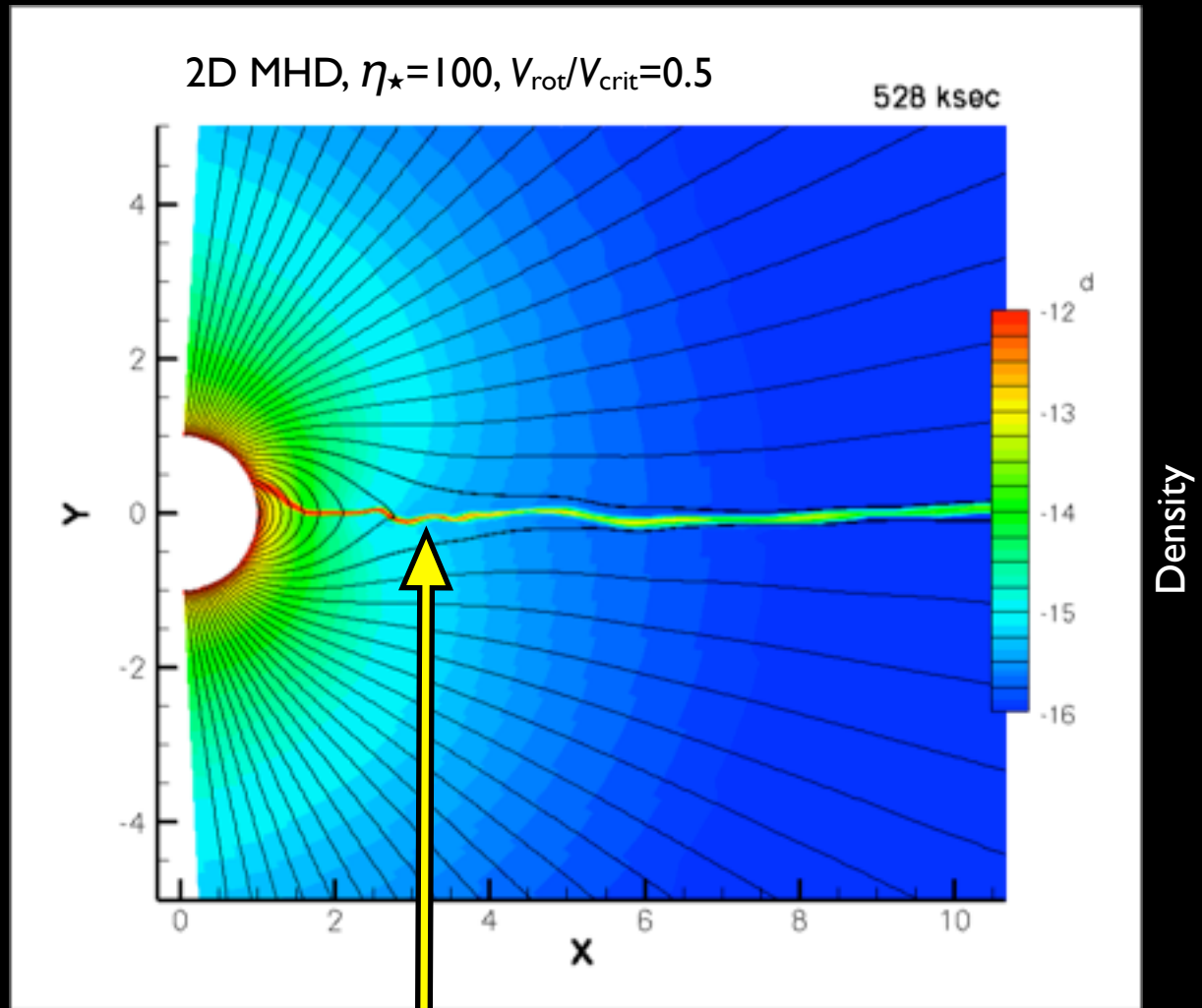
$$\eta_{\star} \equiv \frac{B_{\star}^2 R_{\star}^2}{\dot{M} v_{\infty}}$$



Centrifugal support

$$W = \frac{V_{rot}}{V_{crit}}$$

$$\frac{R_K}{R_*} \equiv W^{-2/3}$$



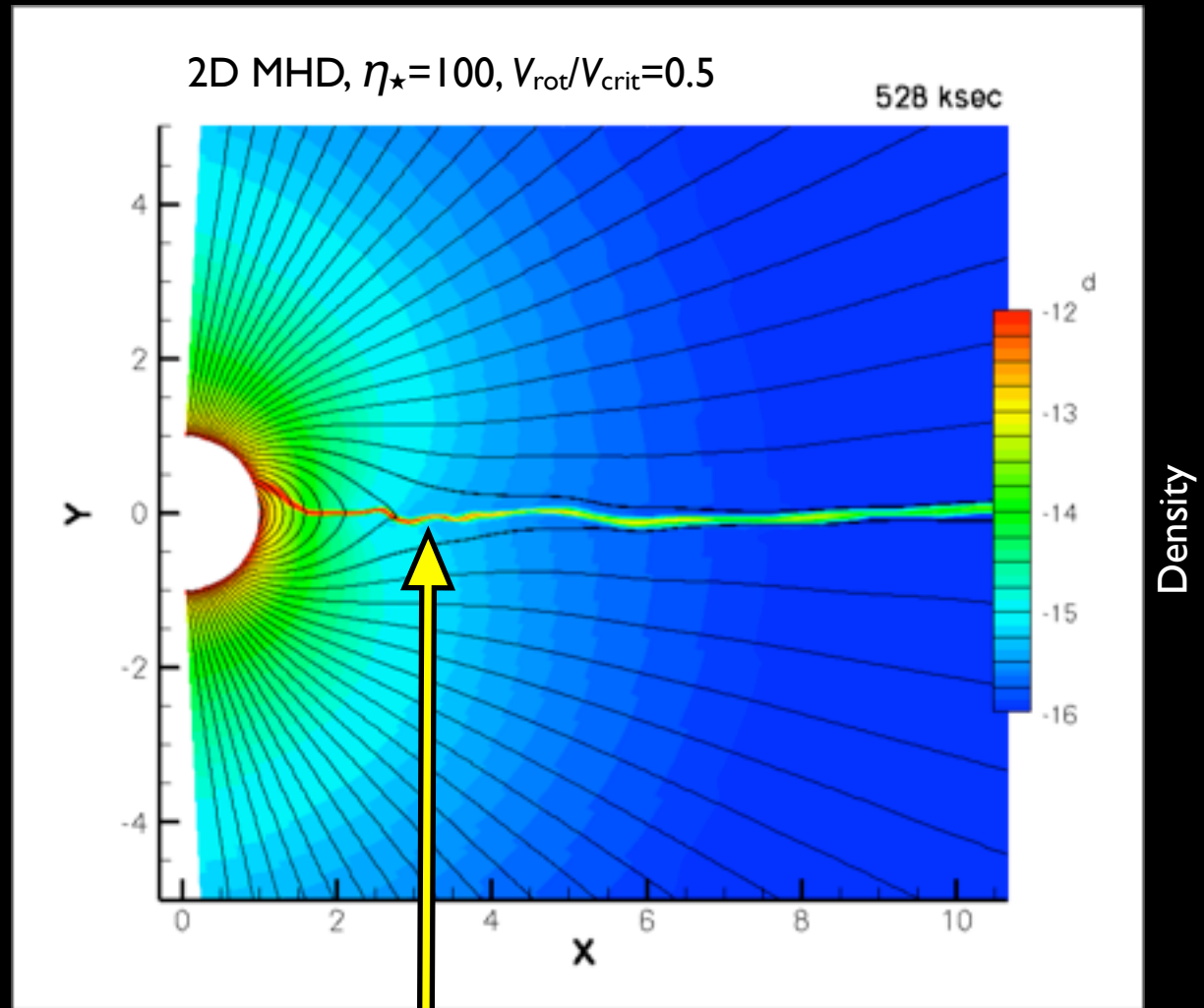
$$R_A \propto \eta_\star^{1/4}$$

Centrifugal support

$$W = \frac{V_{rot}}{V_{crit}}$$

$$\frac{R_K}{R_*} \equiv W^{-2/3}$$

Kepler radius



$$R_A \propto \eta_\star^{1/4}$$

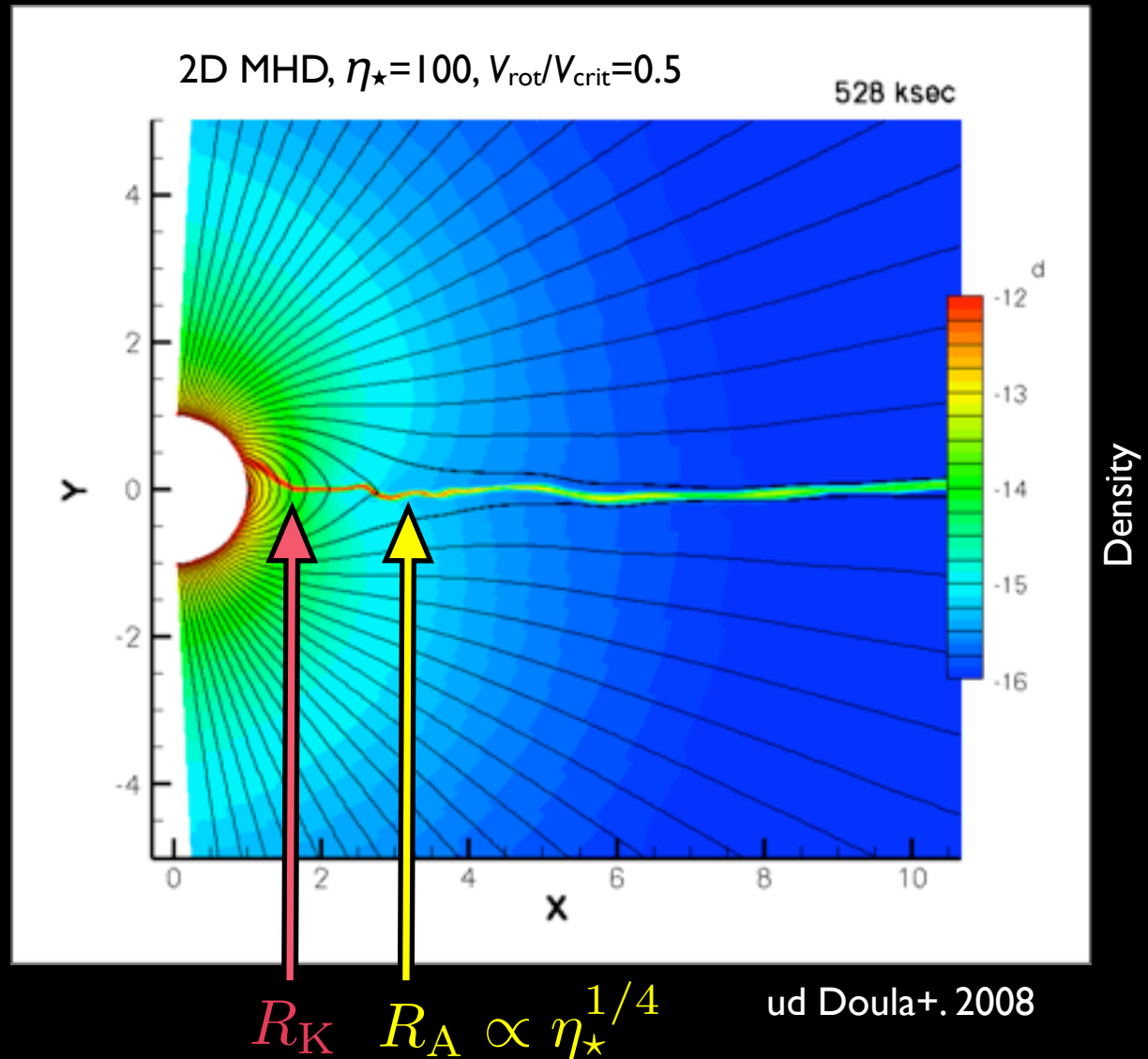
ud Doula+. 2008

Centrifugal support

$$W = \frac{V_{rot}}{V_{crit}}$$

$$\frac{R_K}{R_*} \equiv W^{-2/3}$$

Kepler radius

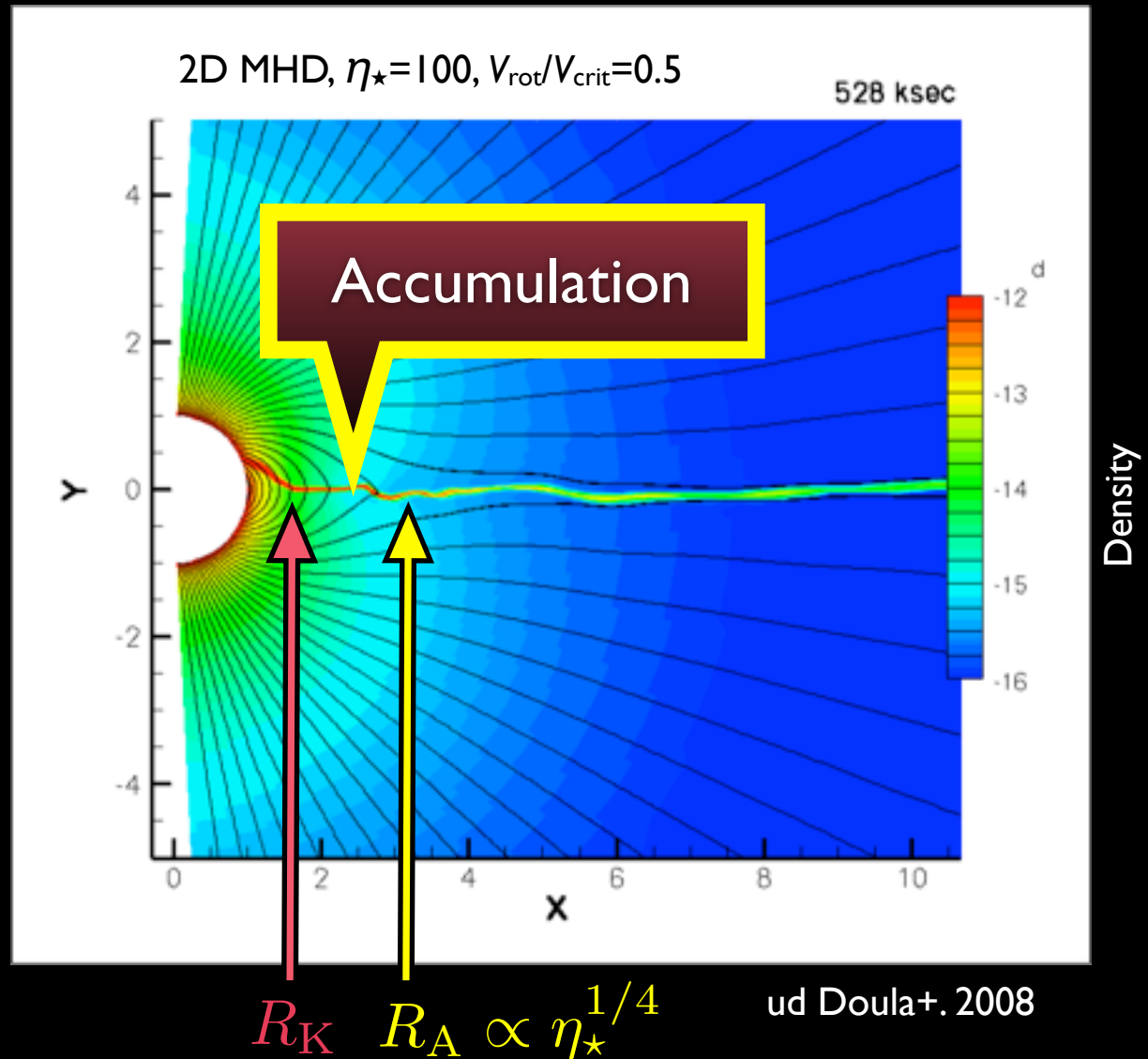


Centrifugal support

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Kepler radius

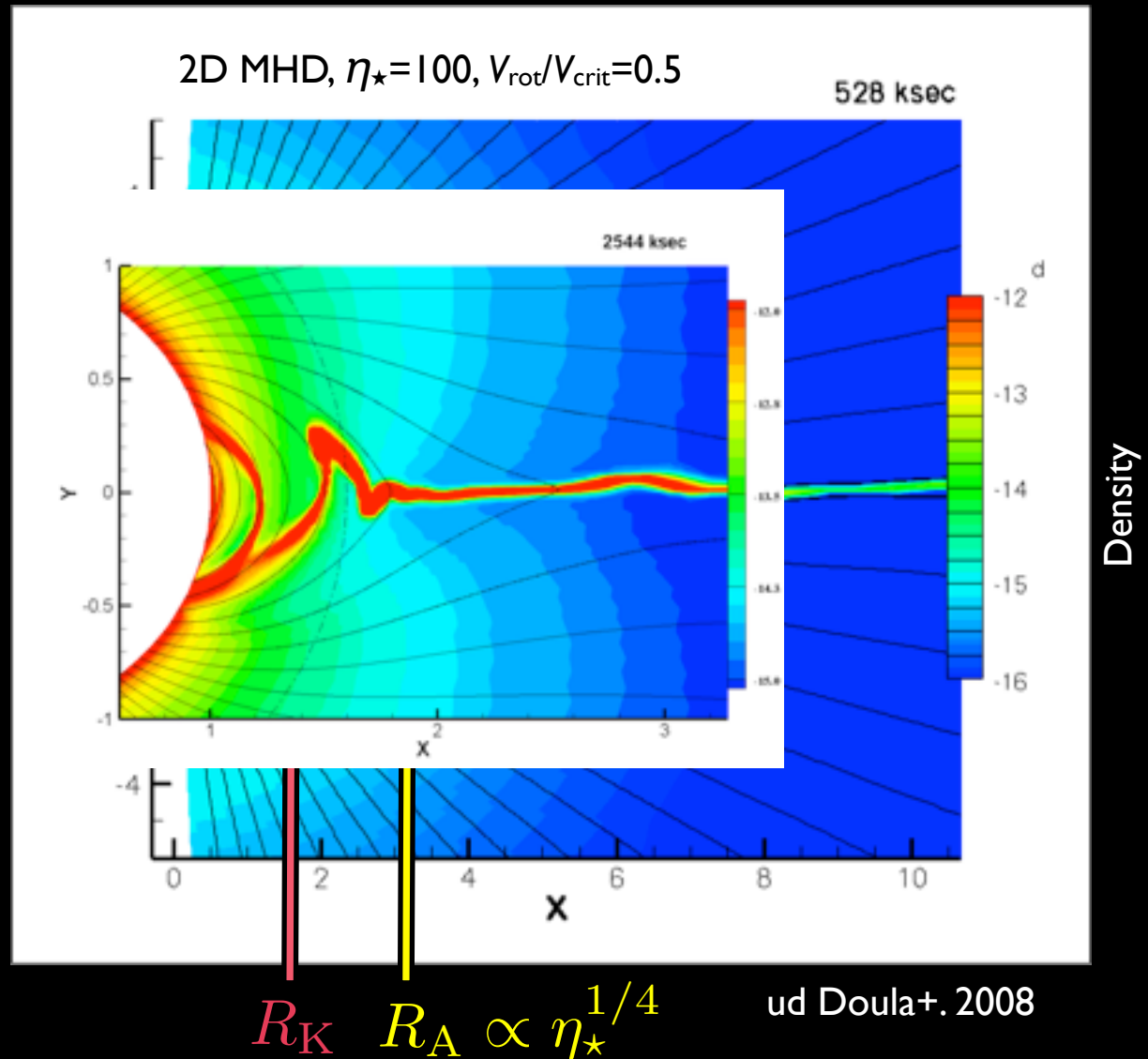


Centrifugal support

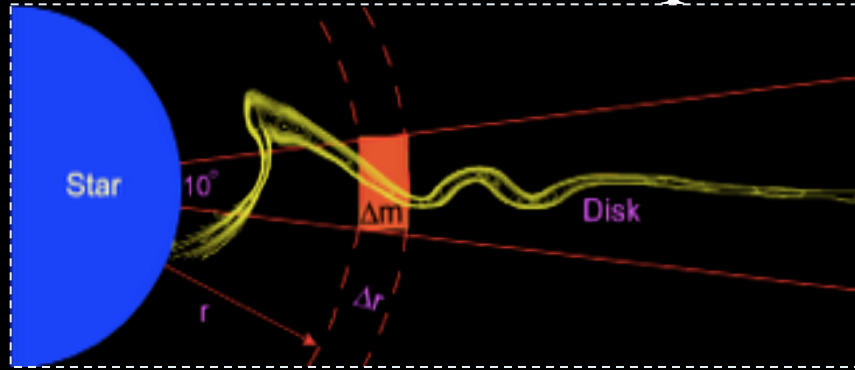
$$W = \frac{V_{rot}}{V_{crit}}$$

$$\frac{R_K}{R_*} \equiv W^{-2/3}$$

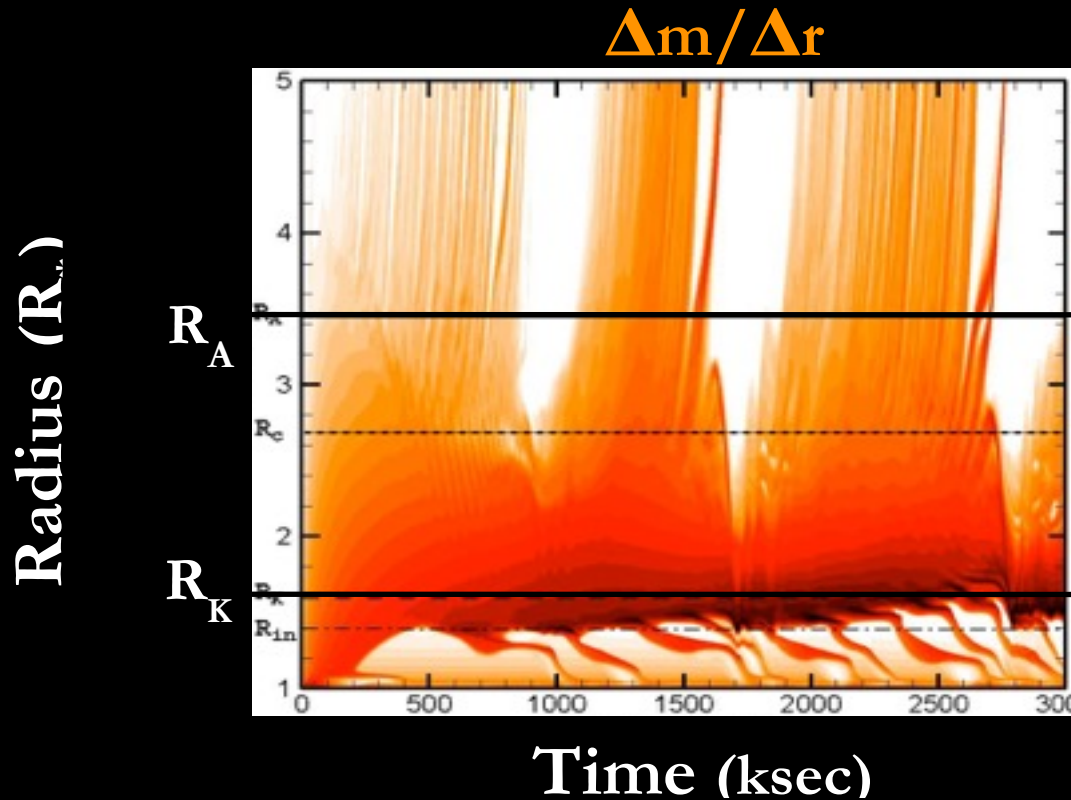
Kepler radius



Radial Distribution of Equatorial Mass

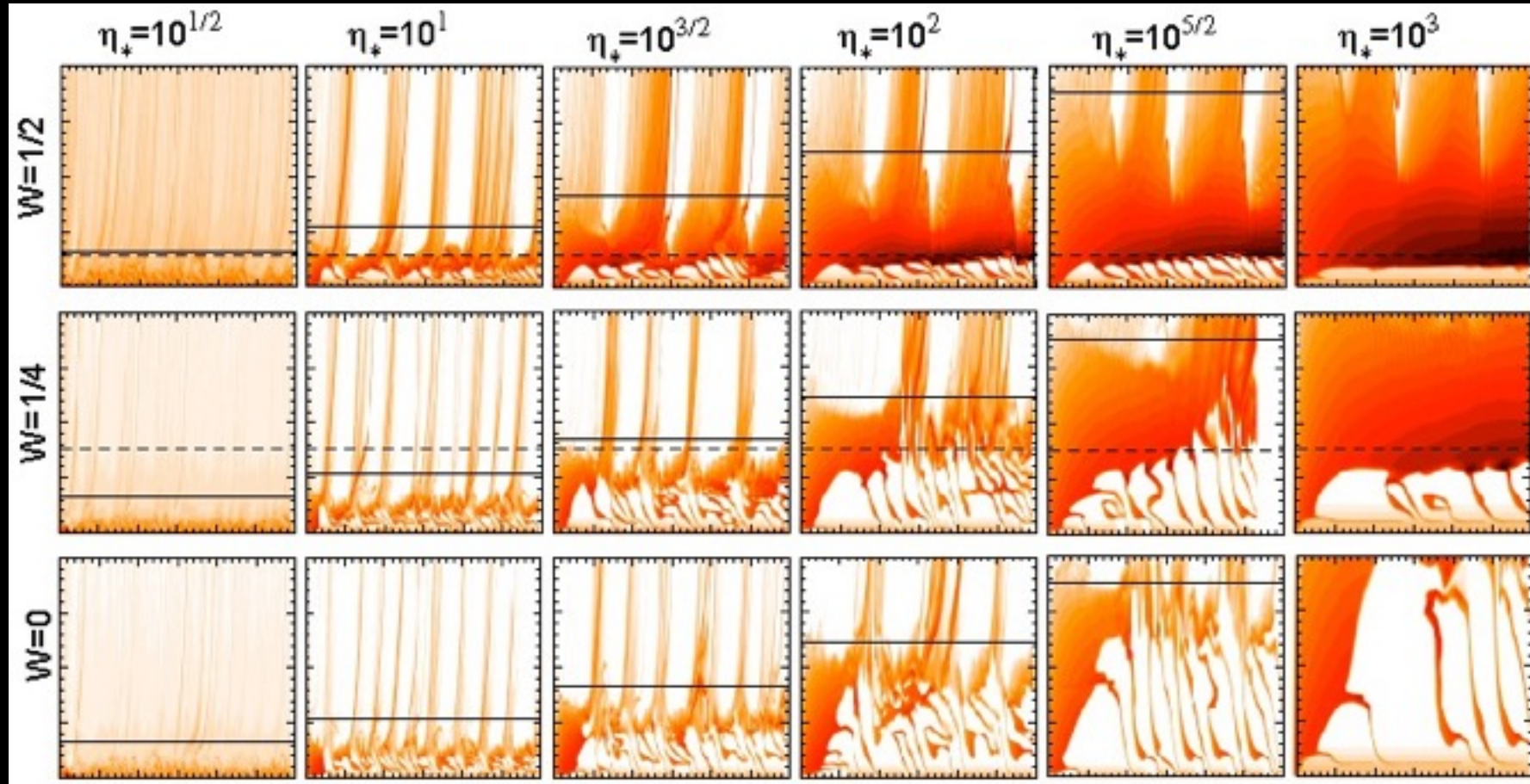


ud-Doula+ 2008

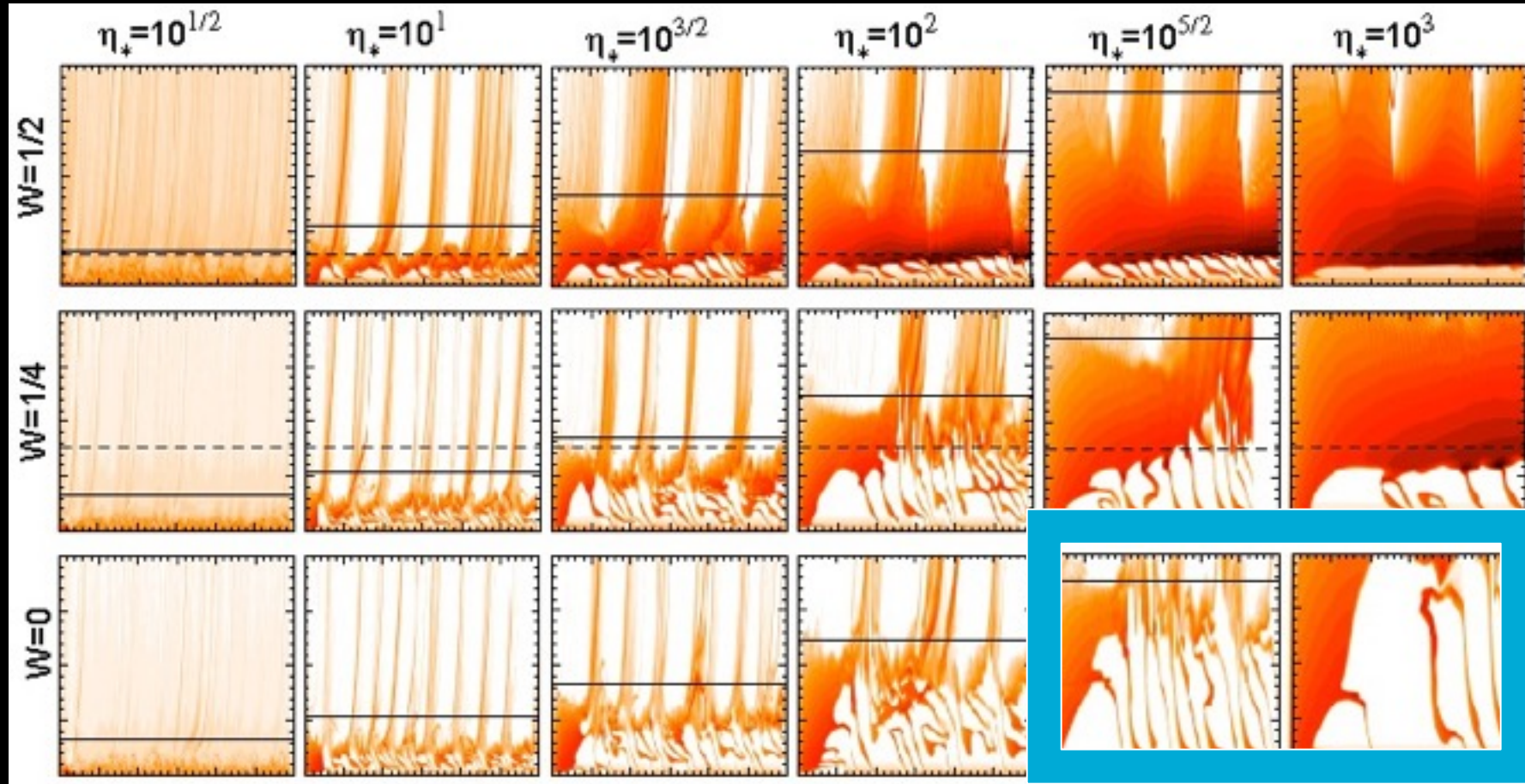


$\eta_* = 100$
 $V_{rot}/V_{crit} = 1/2$

$\Delta m / \Delta r (r, t)$ for various W, η_*

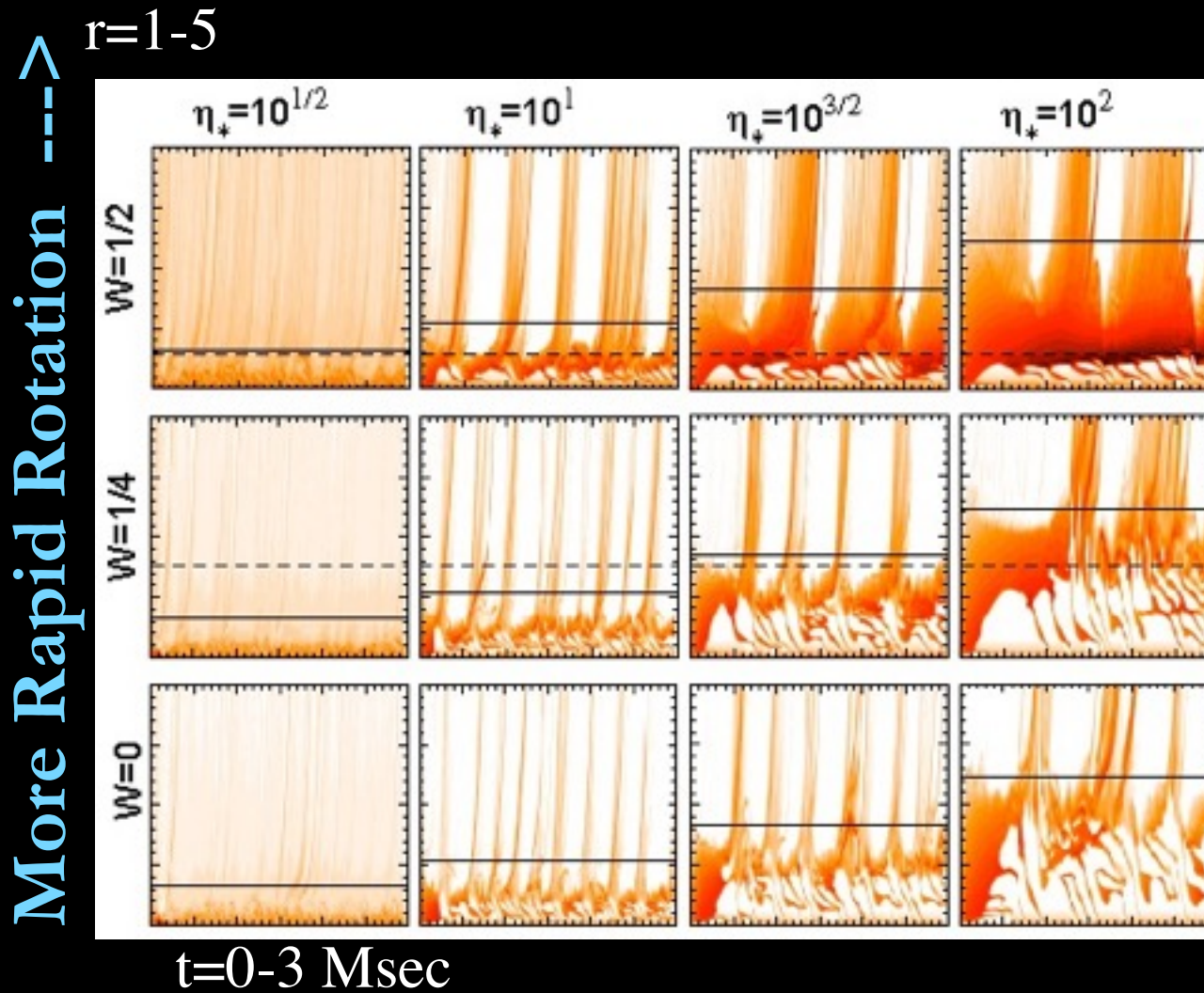
 More Rapid Rotation \dashrightarrow
 $r=1-5$

 $t=0-3$ Msec

 Stronger Magnetic Confinement \dashrightarrow

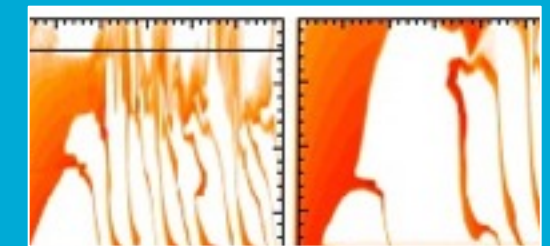
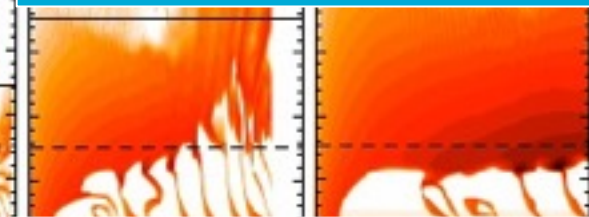
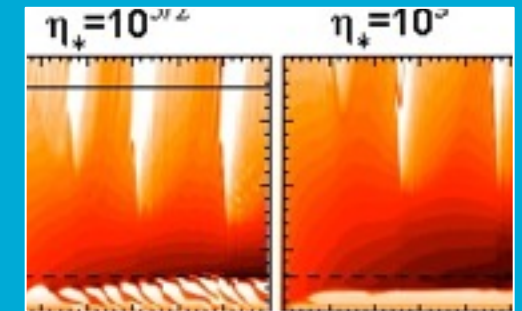
$\Delta m / \Delta r (r,t)$ for various W, η_*
More Rapid Rotation \dashrightarrow $r=1-5$  $t=0-3$ Msec

Dynamical

Stronger Magnetic Confinement \dashrightarrow

$\Delta m / \Delta r (r,t)$ for various W, η_*


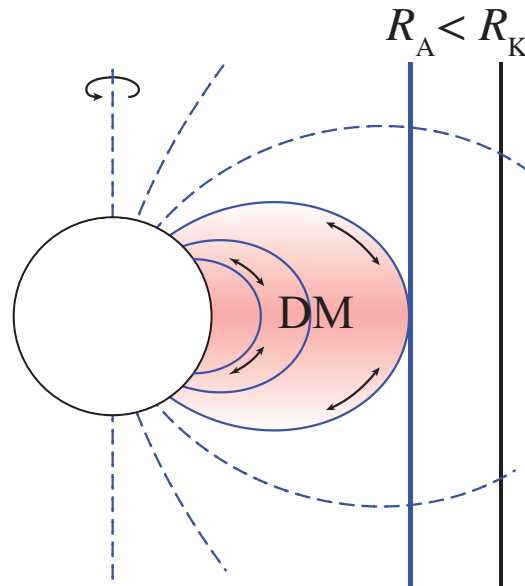
Centrifugal



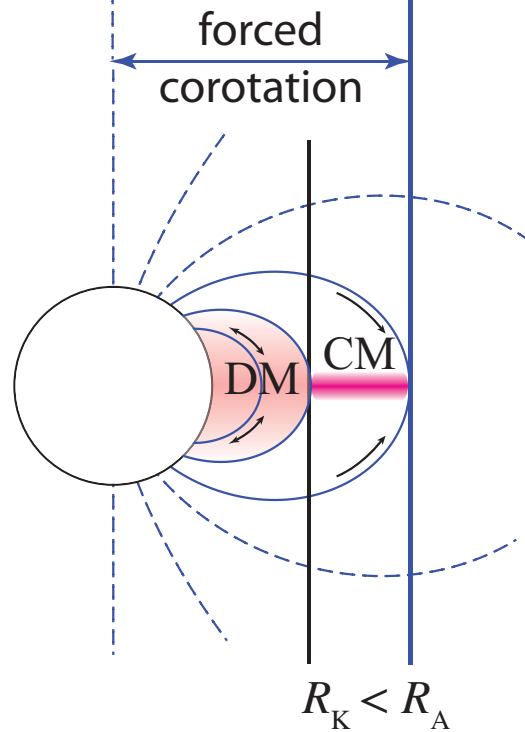
Dynamical

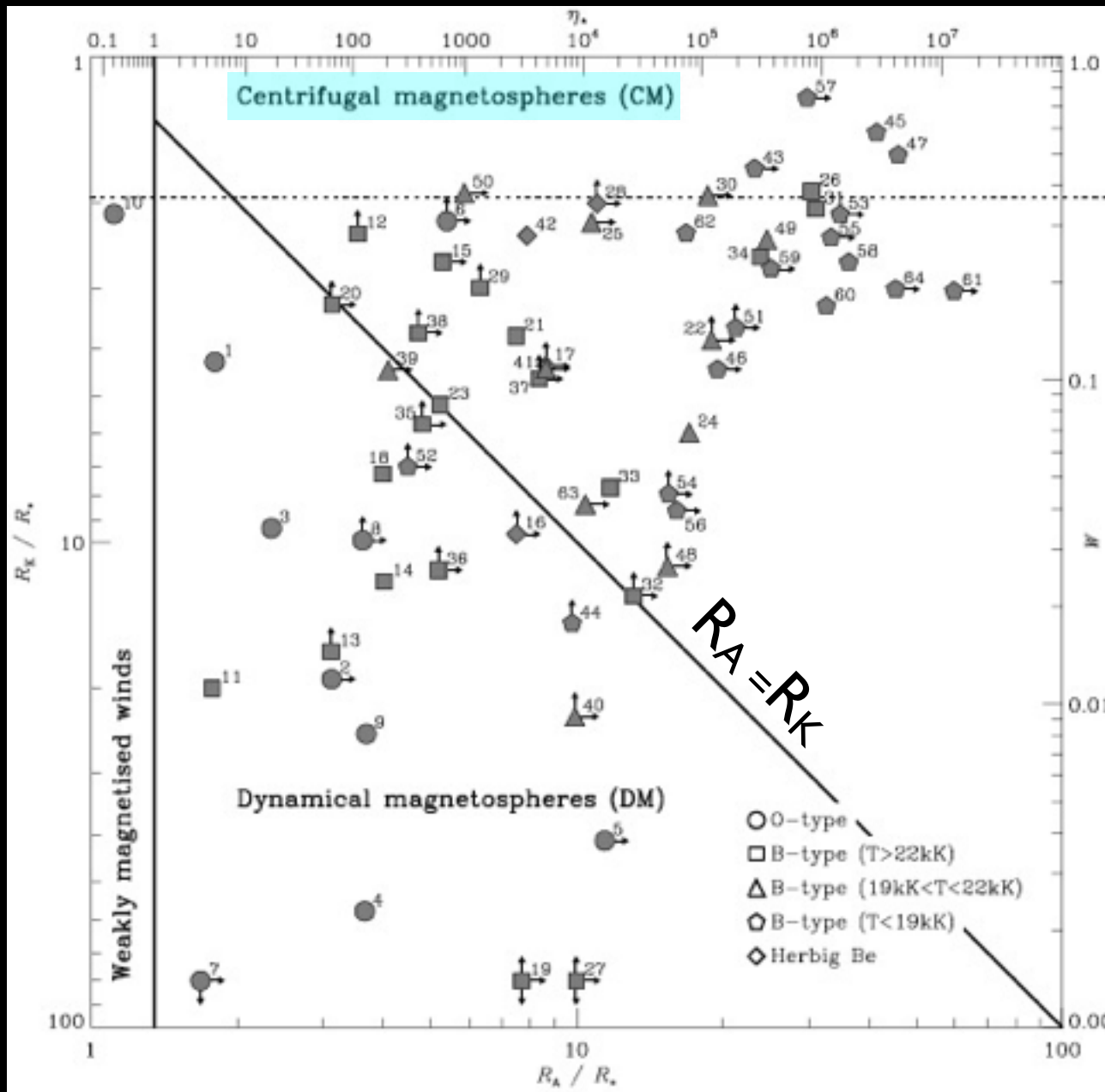
Stronger Magnetic Confinement \dashrightarrow

Dynamical
Magnetospheres
 $R_A < R_K$



Centrifugal
Magnetospheres
 $R_K < R_A$





↑
W

Fast rot.

R_K / R_*

↓

Slow rot.

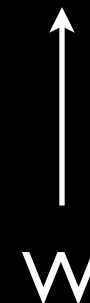
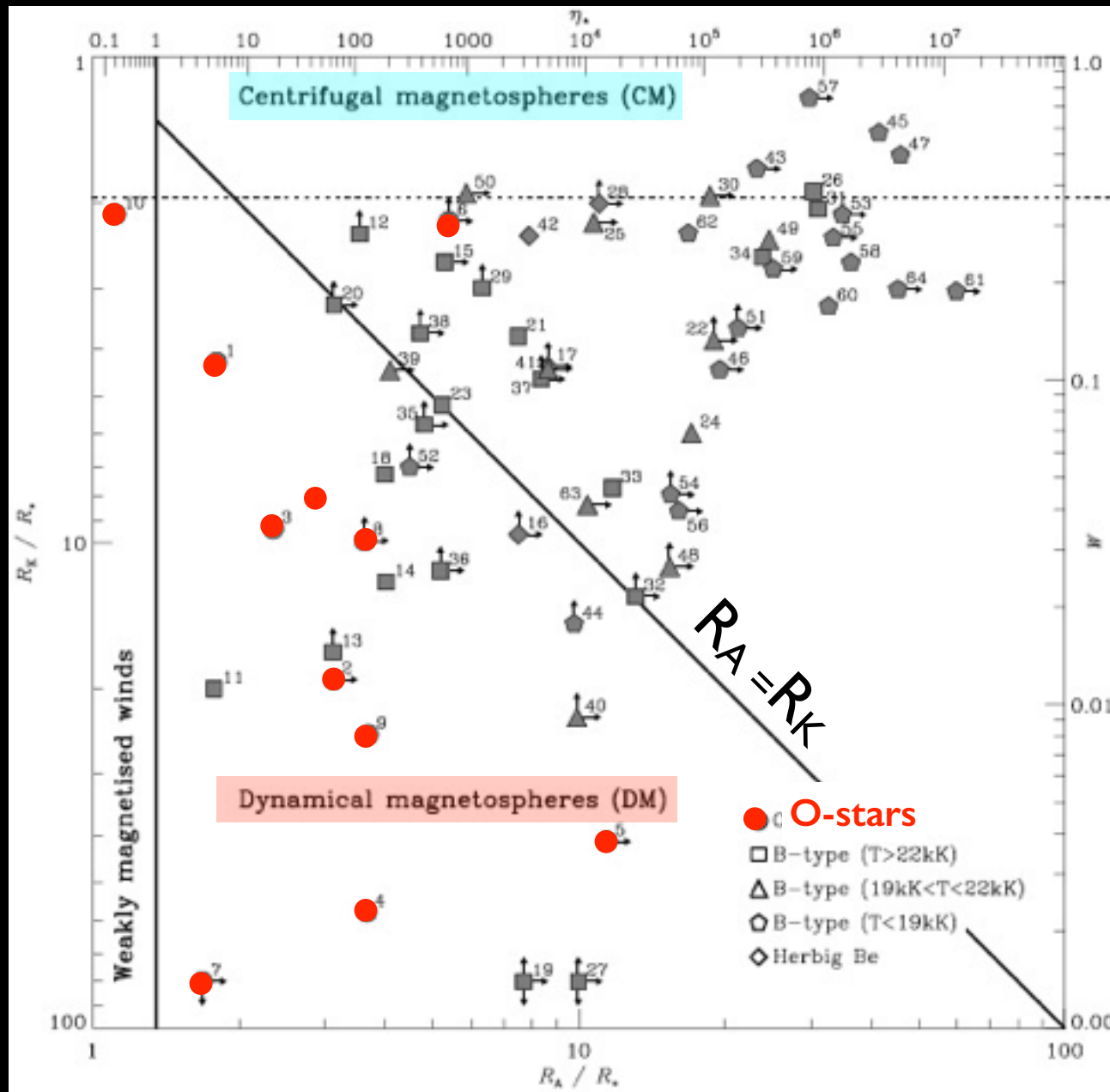
Weak B conf. $R_A / R_* \longrightarrow$ Strong B conf.

Fast rot.

R_K / R_*



Slow rot.

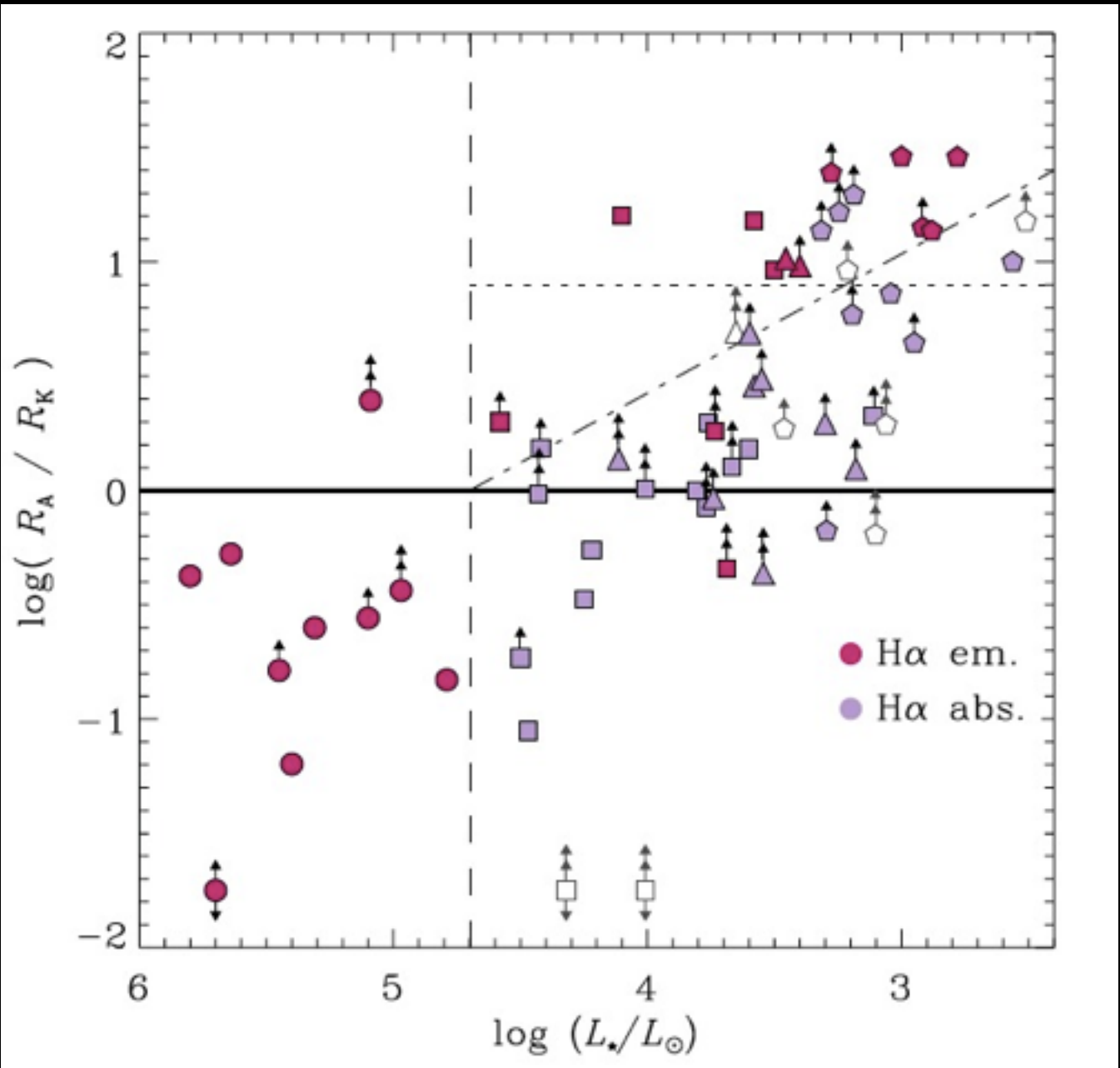


Weak B conf.

R_A / R_*



Strong B conf.



Fast rot.
CM's



R_A / R_K

Slow rot.
DM's

O-stars



Luminosity

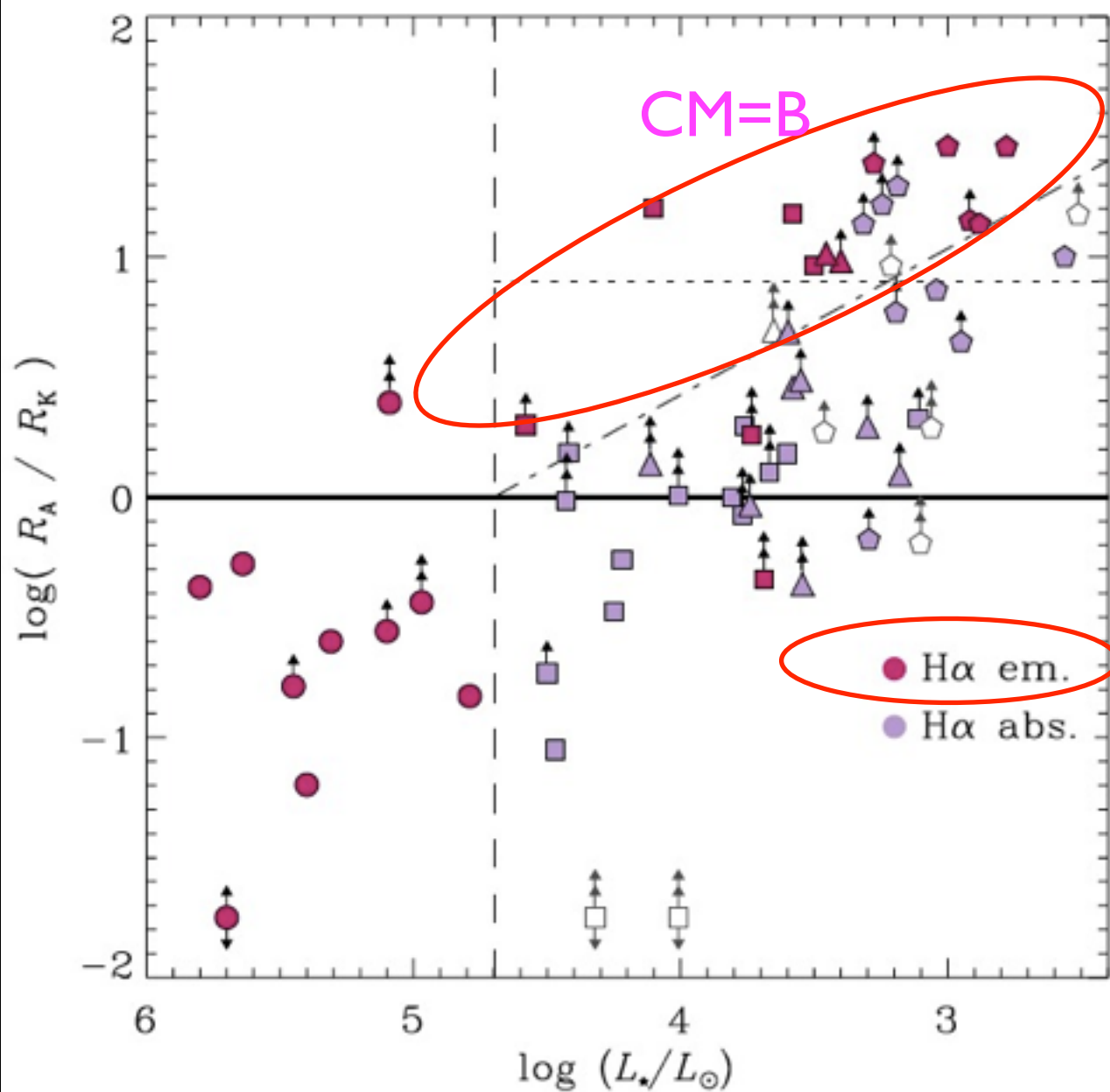
Bstars

Fast rot.
CM's



R_A / R_K

Slow rot.
DM's



O-stars



Luminosity

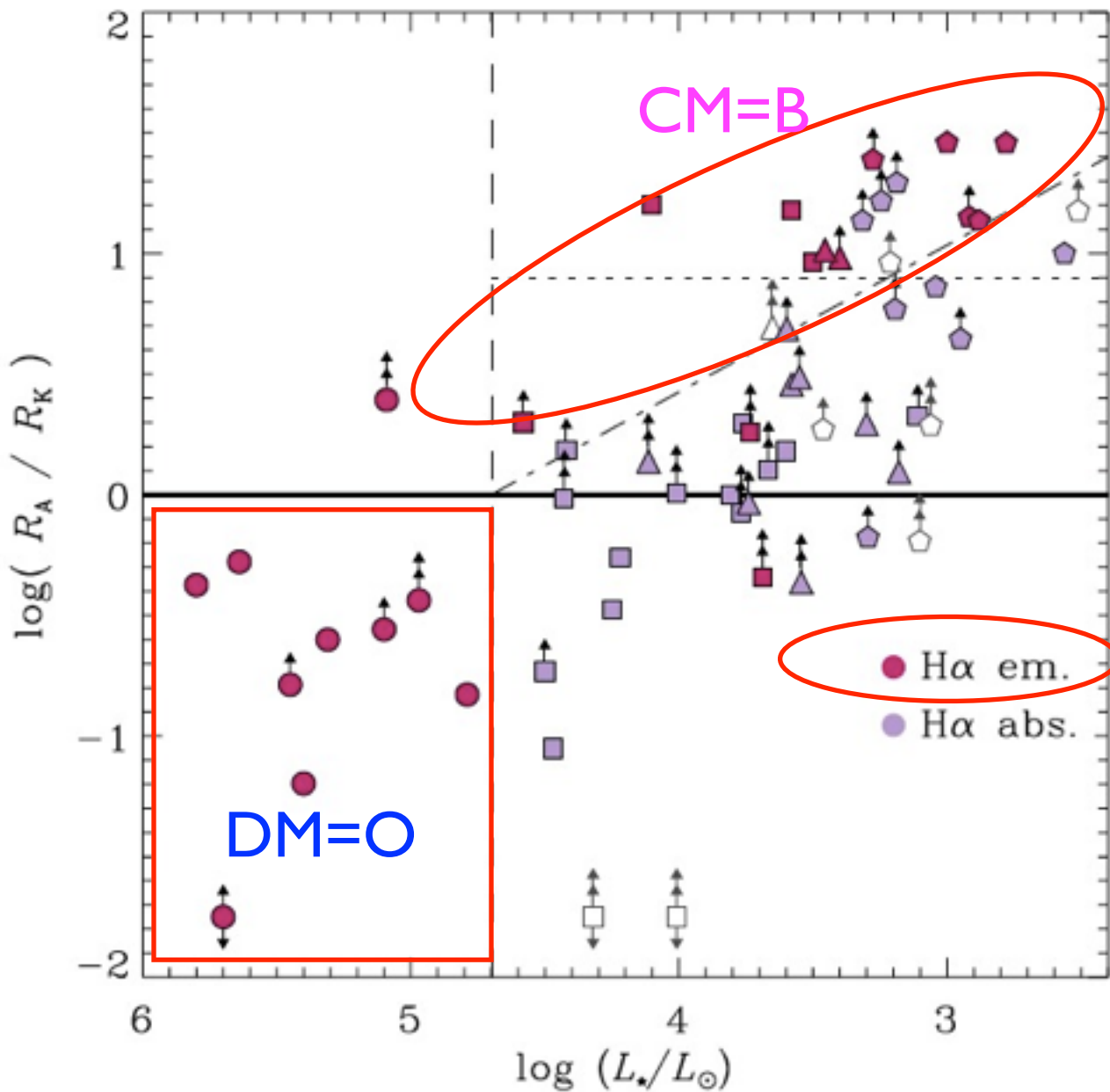
Bstars

Fast rot.
CM's



R_A / R_K

Slow rot.
DM's



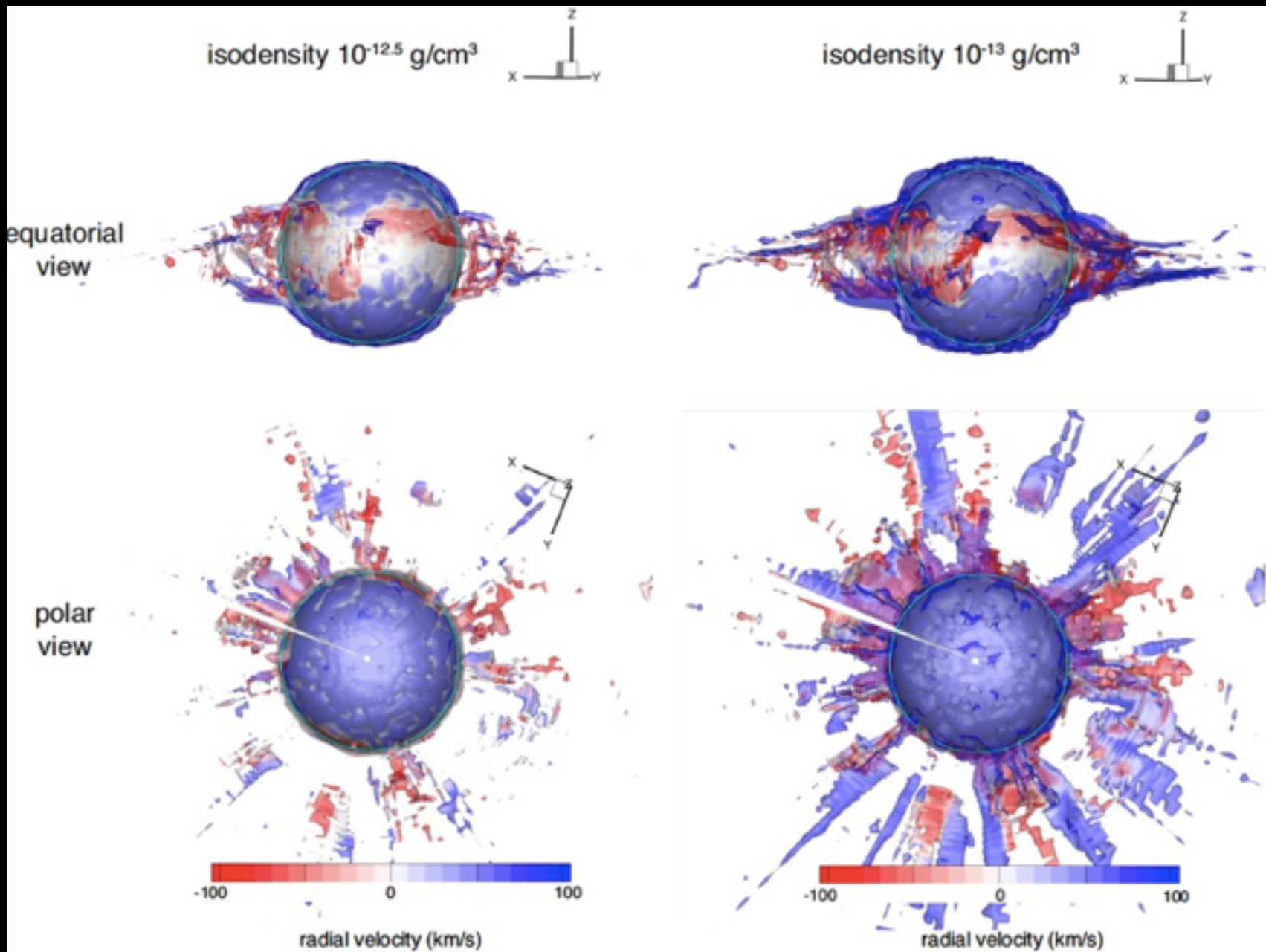
O-stars



Luminosity

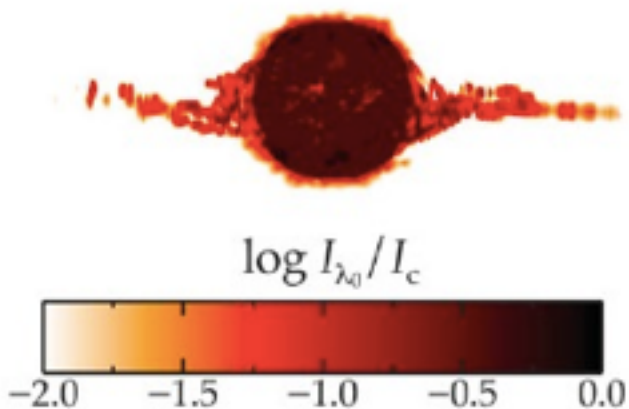
Bstars

3D MHD sim of DM

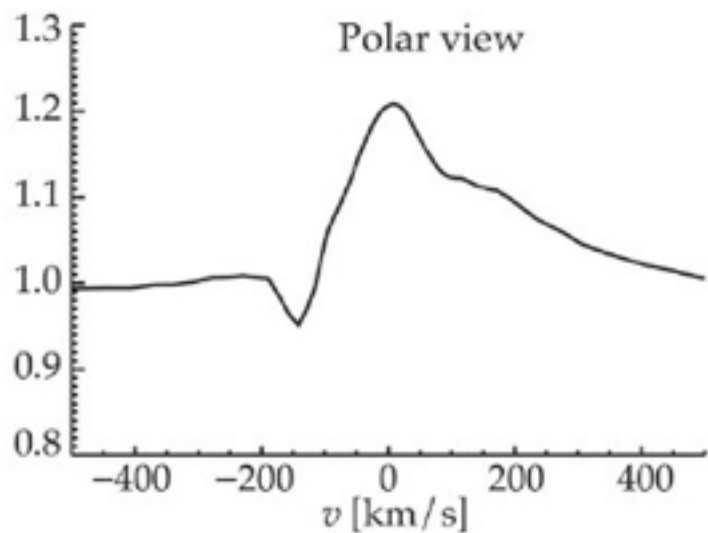
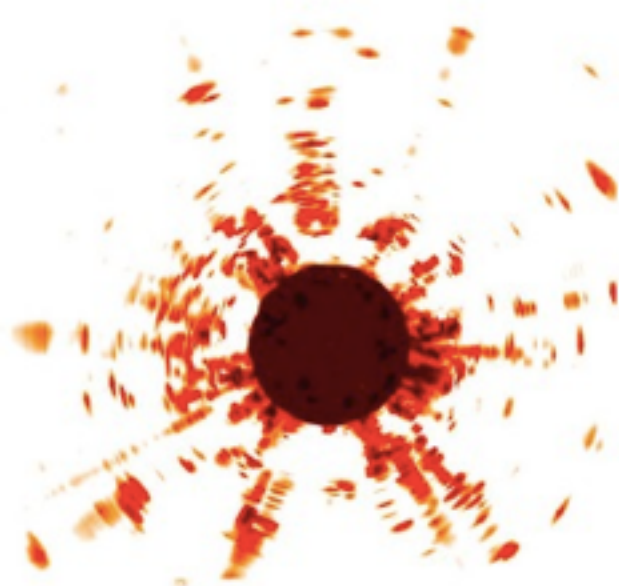
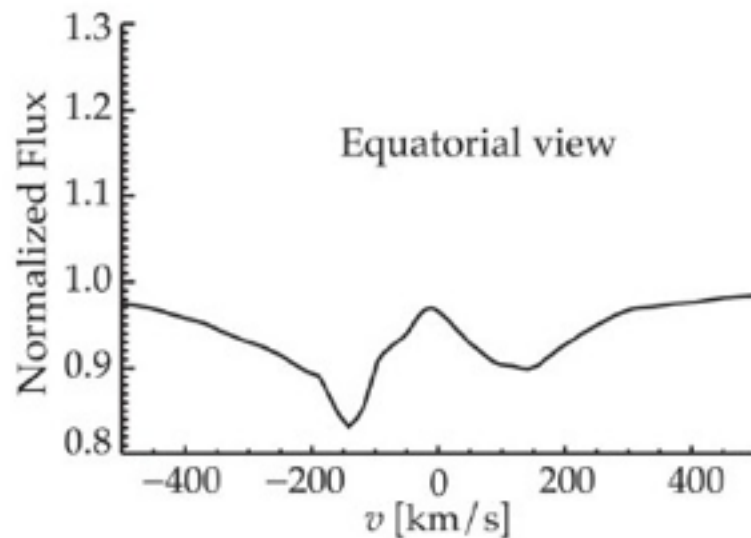


3D sim of DM

H α line-center Surface Brightness



H α Normalized Flux



HD 191612 (Of?p)

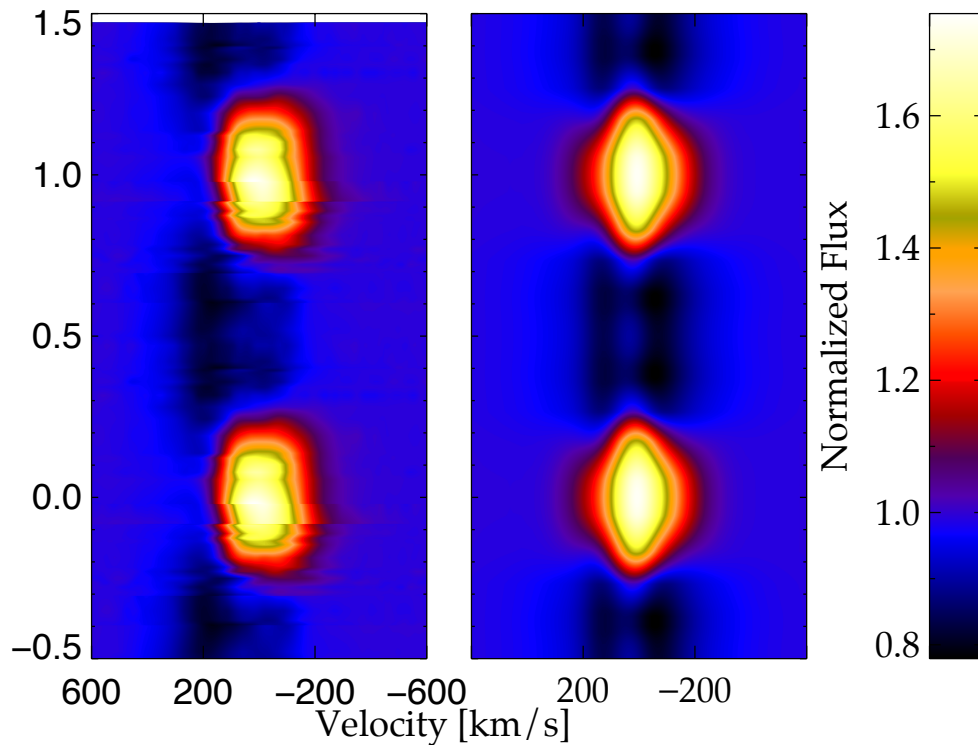
$v \sin i < 45 \text{ km/s}$

$\eta^* \sim 50$

$P_{\text{rot}} \sim 540 \text{ d}$; $R_{\text{Kep}} \sim 50 R^*$

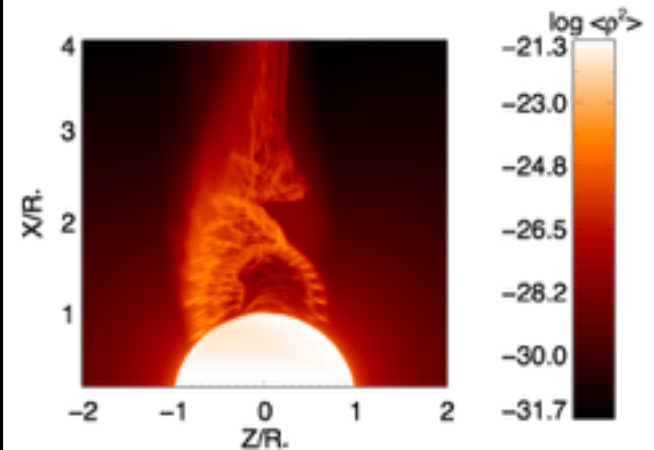
$B_d \sim 2.5 \text{ kG}$; $R_{\text{Alf}} \sim 3 R^*$

“Dynamical”
Magnetosphere



Observations

Simulations



Sundqvist + 2012

RRM model for σ Ori E

$$B_* \sim 10^4 \text{ G}$$

$$\eta_* \sim 10^6$$

$$W \sim 0.5$$

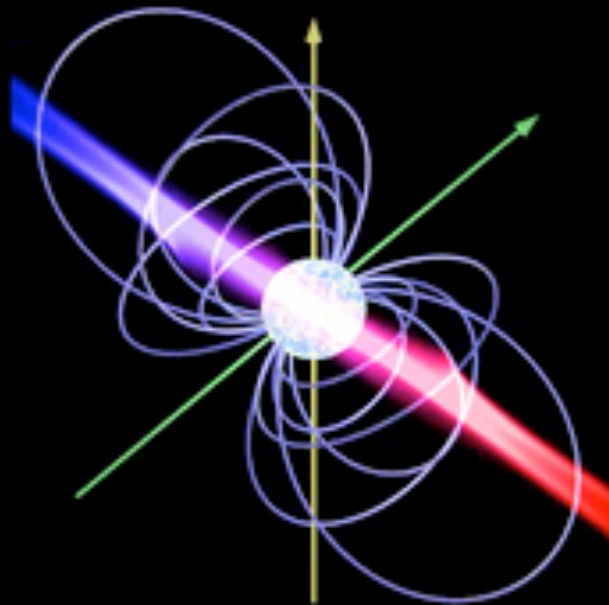
$$R_K \sim 1.7 R_*$$

\ll

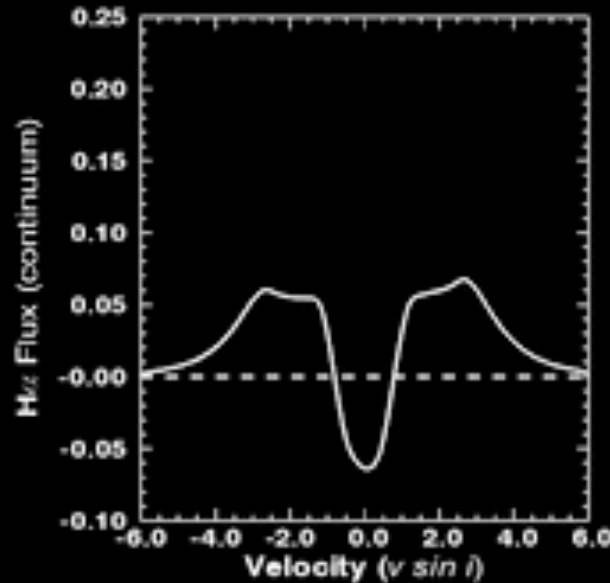
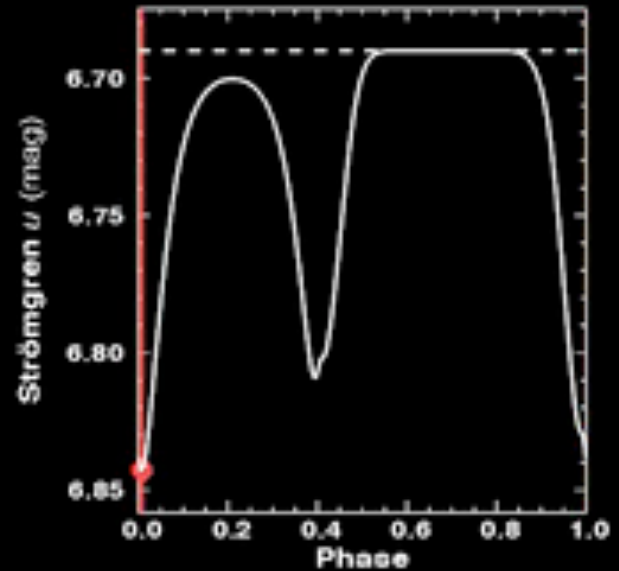
$$R_A \sim 30 R_*$$

tilt $\sim 55^\circ$

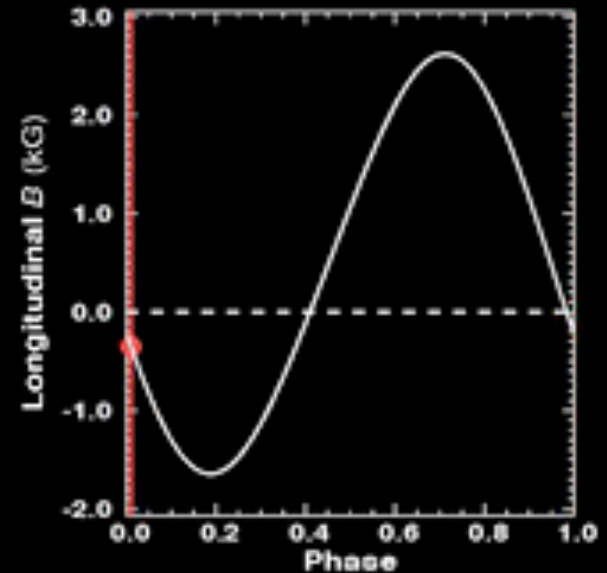
EM +B-field



photometry



$H\alpha$



polarimetry

RRM model for σ Ori E

$$B_* \sim 10^4 \text{ G}$$

$$\eta_* \sim 10^6$$

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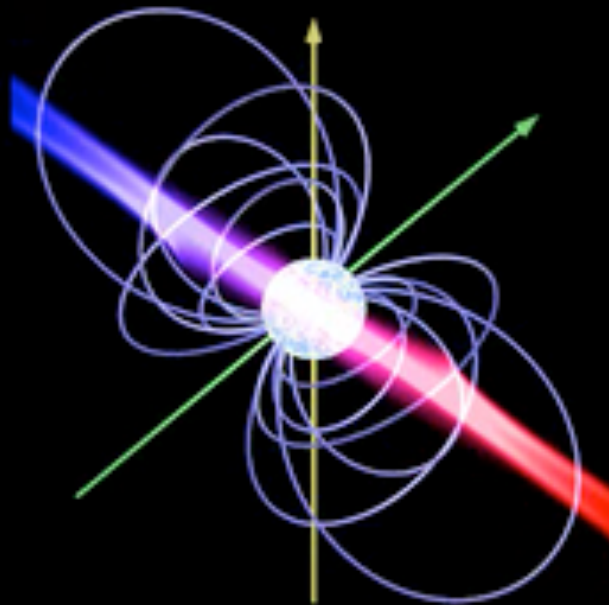
$$R_K \sim 1.7 R_*$$

\ll

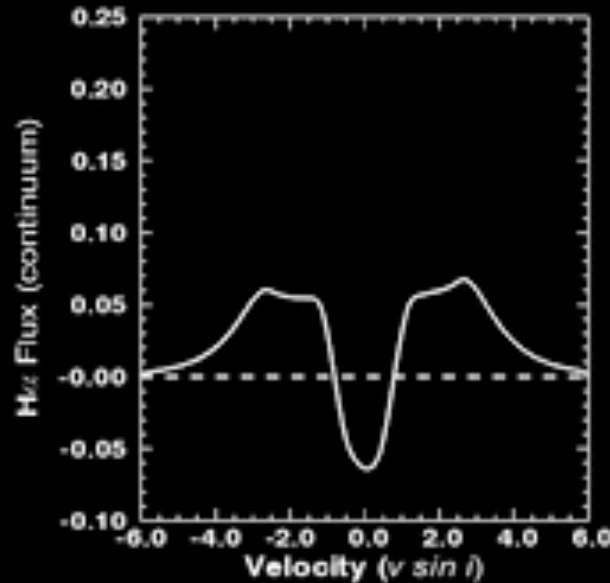
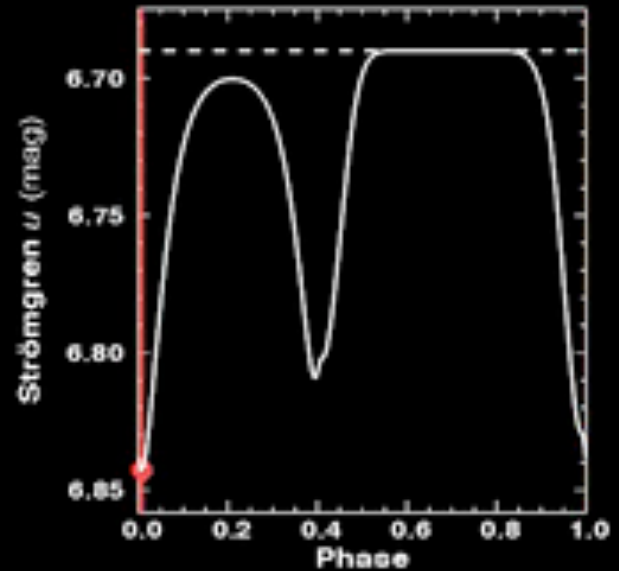
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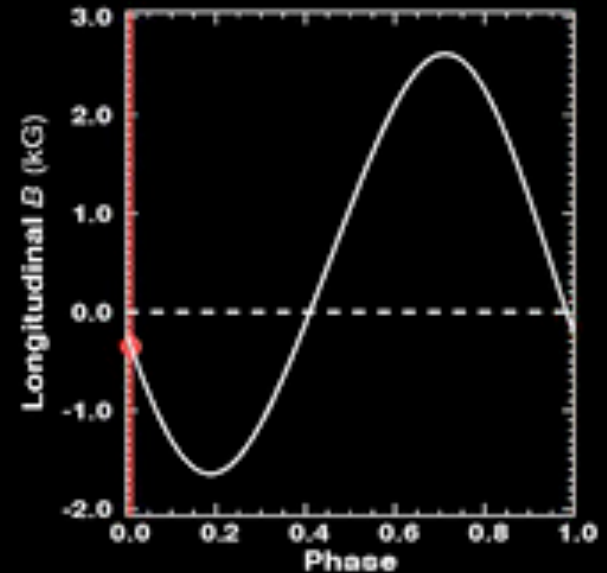
EM +B-field



photometry



$H\alpha$



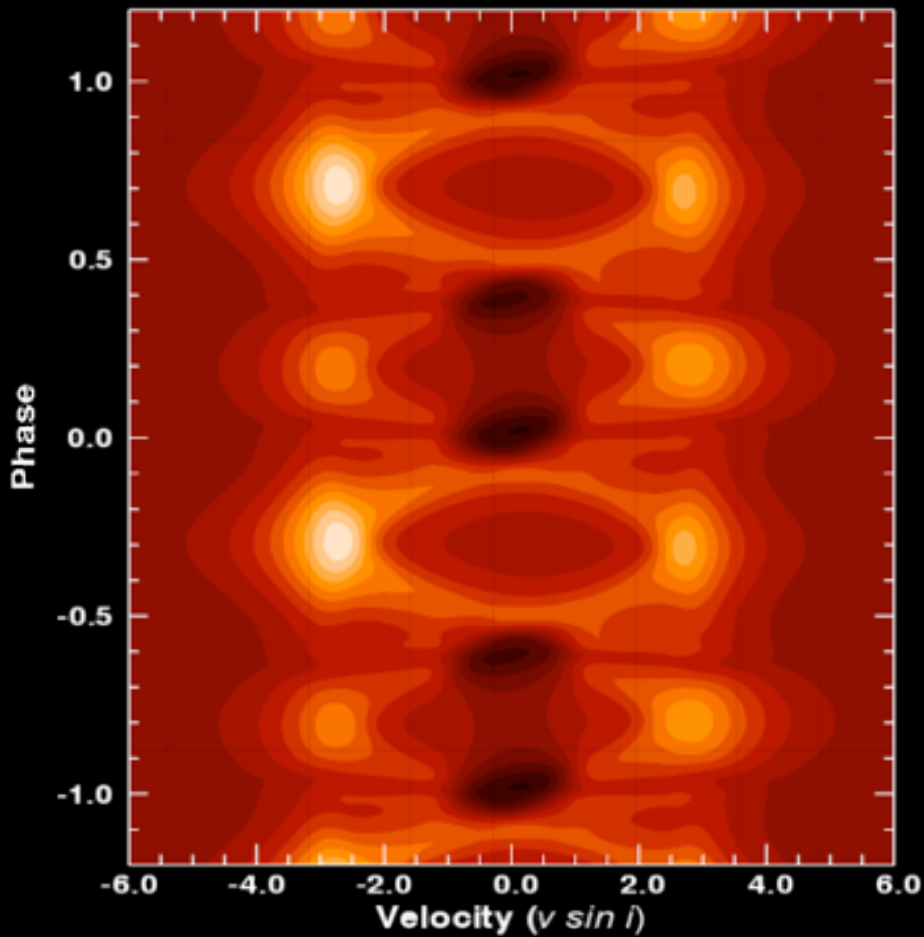
polarimetry

σ Ori E

RRM Model

H α Emission

-0.1  0.15



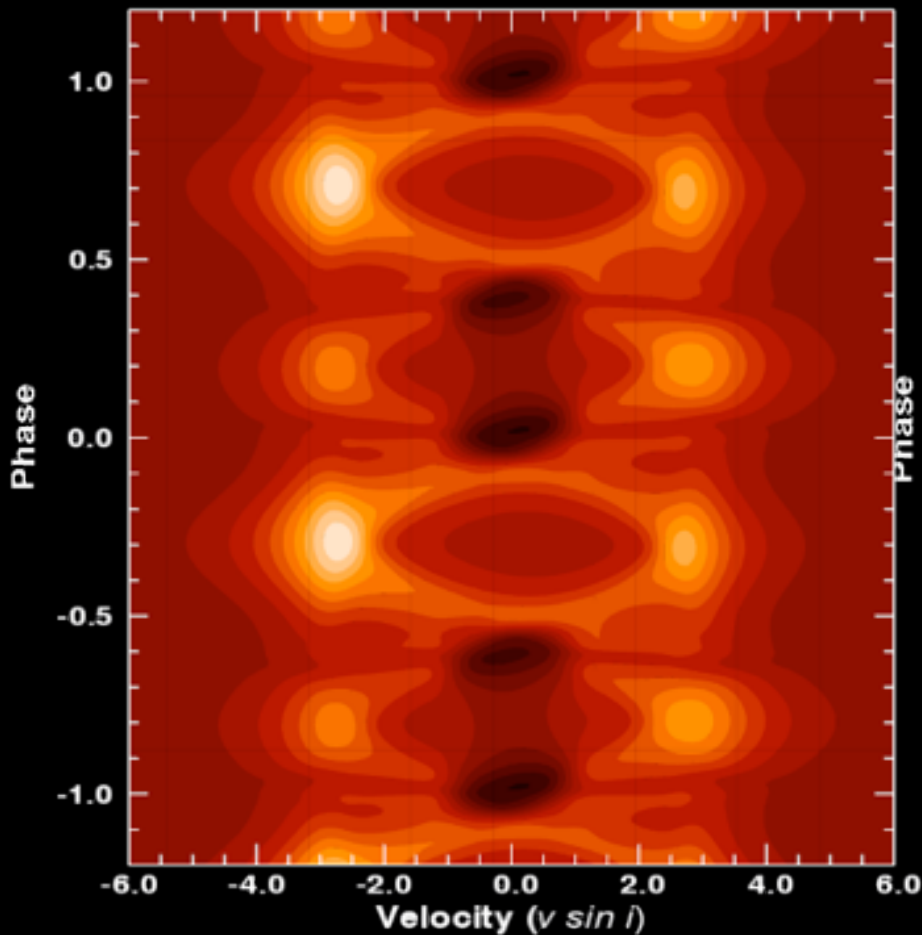
σ Ori E

RRM Model

H α Observations

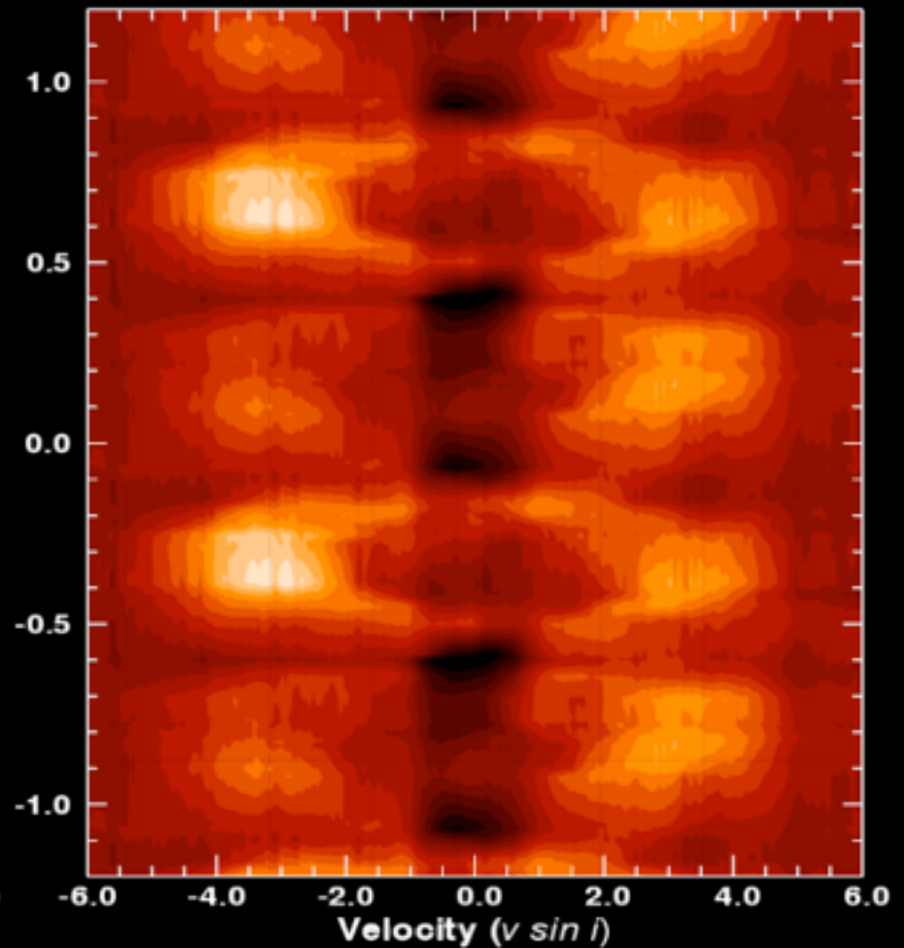
H α Emission

-0.1  0.15



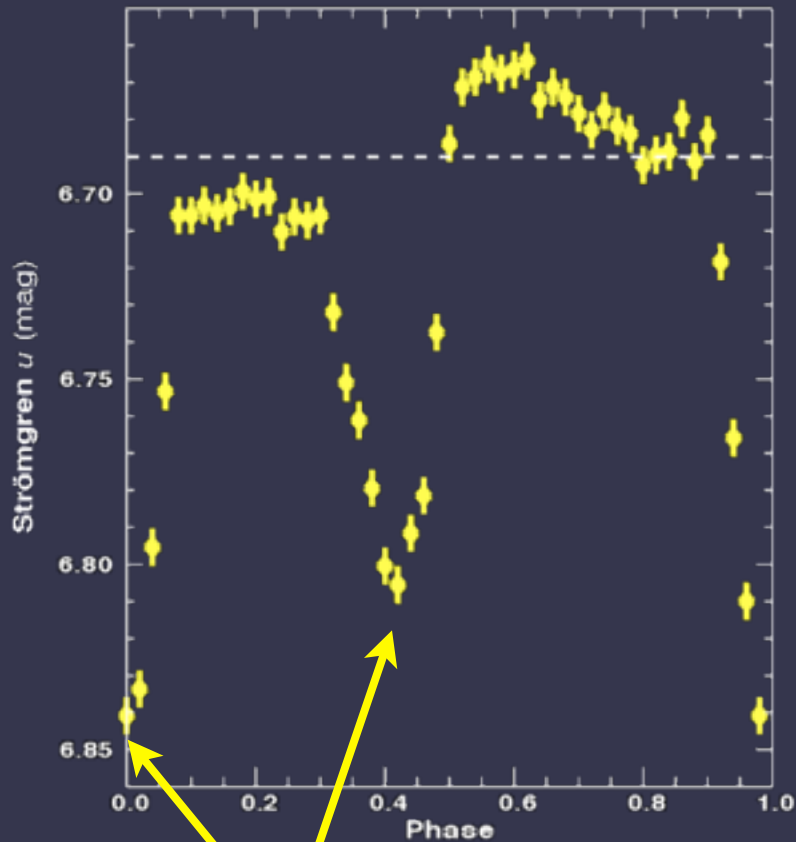
H α Emission

-0.1  0.15

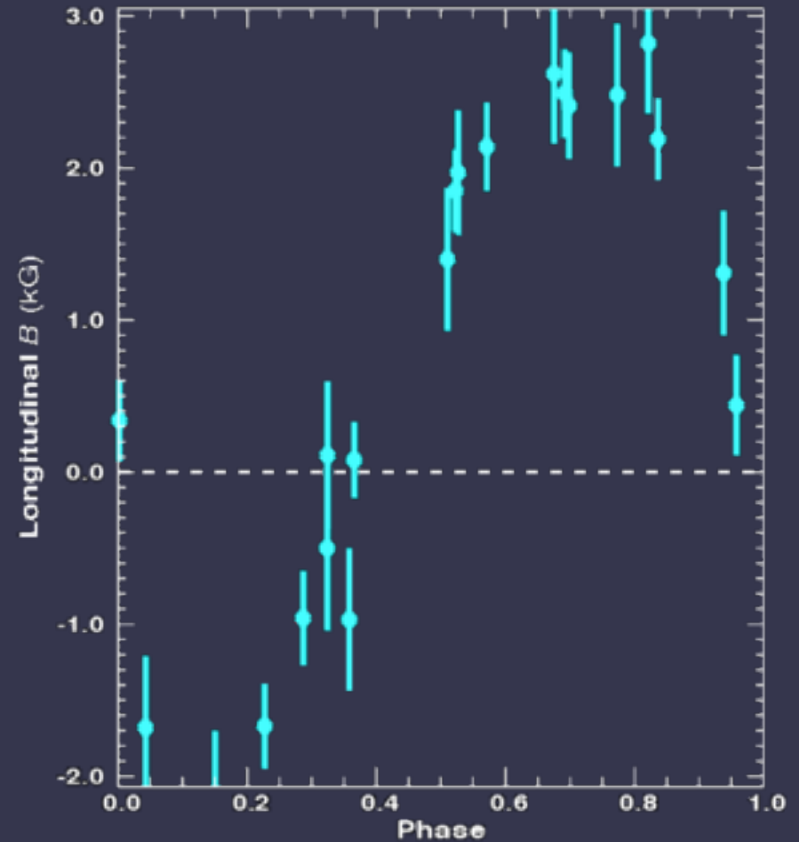


Photometric variation of σ Ori E

Photometry



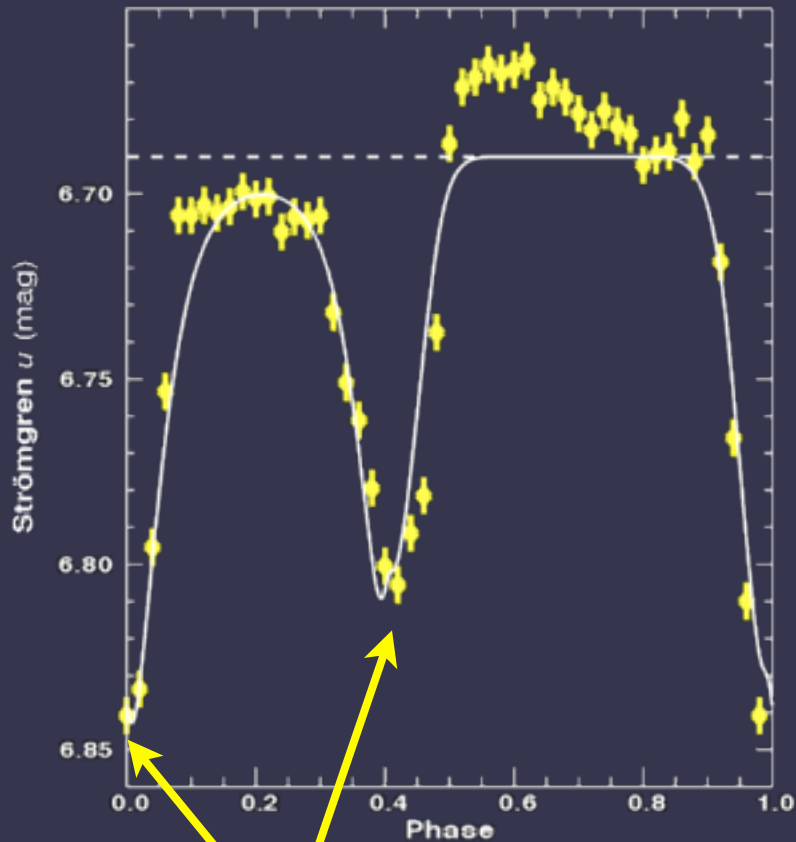
Magnetic Field



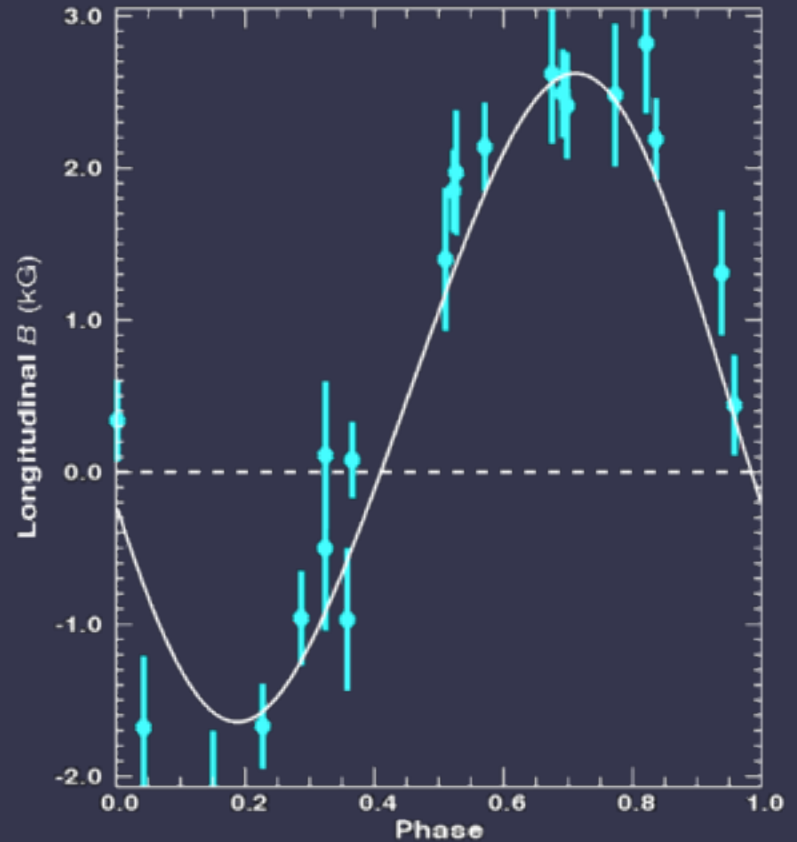
Magnetic cloud eclipses

Photometric variation of σ Ori E

Photometry



Magnetic Field

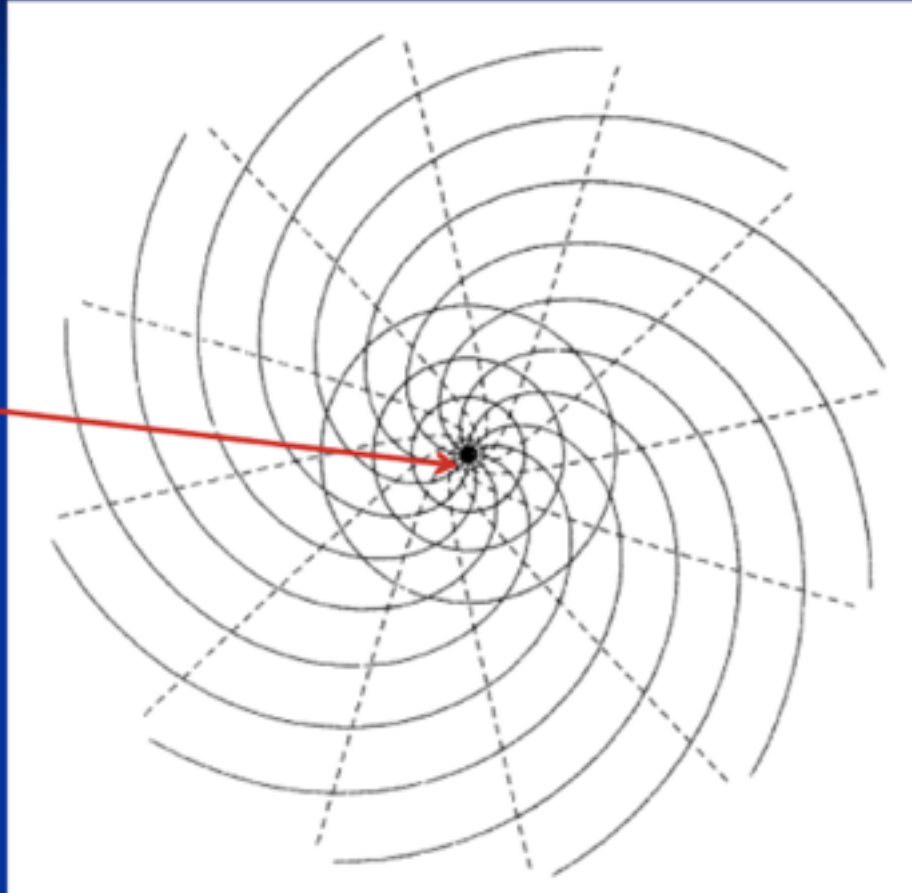


Magnetic cloud eclipses

Angular Momentum Loss & Spindown

Weber and Davis (1967)

Monopole field at
solar surface



$$\dot{J} = \frac{2}{3} \dot{M} \Omega R_A^2$$

Weber & Davis 1967

Total equatorial Angular mom/mass

$$j = \overset{\text{gas}}{V_{\phi} r} + \overset{\text{field}}{\frac{B_{\phi} B_r r}{4\pi\rho V_r}}$$

Weber & Davis 1967

Total equatorial Angular mom/mass

Frozen flux

$$j = \overset{\text{gas}}{V_\phi r} + \overset{\text{field}}{\frac{B_\phi B_r r}{4\pi\rho V_r}} \quad \& \quad \frac{B_\phi}{B_r} = \frac{\Omega r - V_\phi}{V_r}$$

Weber & Davis 1967

Total equatorial Angular mom/mass

Frozen flux

$$j = \overset{\text{gas}}{V_\phi r} + \overset{\text{field}}{\frac{B_\phi B_r r}{4\pi\rho V_r}} \quad \& \quad \frac{B_\phi}{B_r} = \frac{\Omega r - V_\phi}{V_r}$$

$$\Rightarrow j_{gas} \equiv V_\phi r = \frac{j M_A^2 - \Omega r^2}{M_A^2 - 1}$$

Weber & Davis 1967

Total equatorial Angular mom/mass

Frozen flux

$$j = \overset{\text{gas}}{V_\phi r} + \overset{\text{field}}{\frac{B_\phi B_r r}{4\pi\rho V_r}} \quad \& \quad \frac{B_\phi}{B_r} = \frac{\Omega r - V_\phi}{V_r}$$

$$\Rightarrow j_{gas} \equiv V_\phi r = \frac{j M_A^2 - \Omega r^2}{M_A^2 - 1}$$

At $r = R_A$,
 $M_A = 1$ implies

$$j = \Omega R_A^2$$

Spindown

contribution from both matter & field

$$\dot{J} = \frac{2}{3} \dot{M} \Omega R_A^2 \quad \frac{R_A}{R} = \eta_*^{1/2n} \quad \eta_* \equiv \frac{B_{eq}^2 R^2}{\dot{M} V}$$

$$\tau_{spin} \equiv \frac{J}{\dot{J}} \approx \frac{\frac{3}{2} I}{MR^2} \frac{M}{\dot{M}} \frac{1}{\eta_*^{1/n}} = \tau_{mass} \frac{\frac{3}{2} k}{\eta_*^{1/n}}$$

For dipole (n=2):

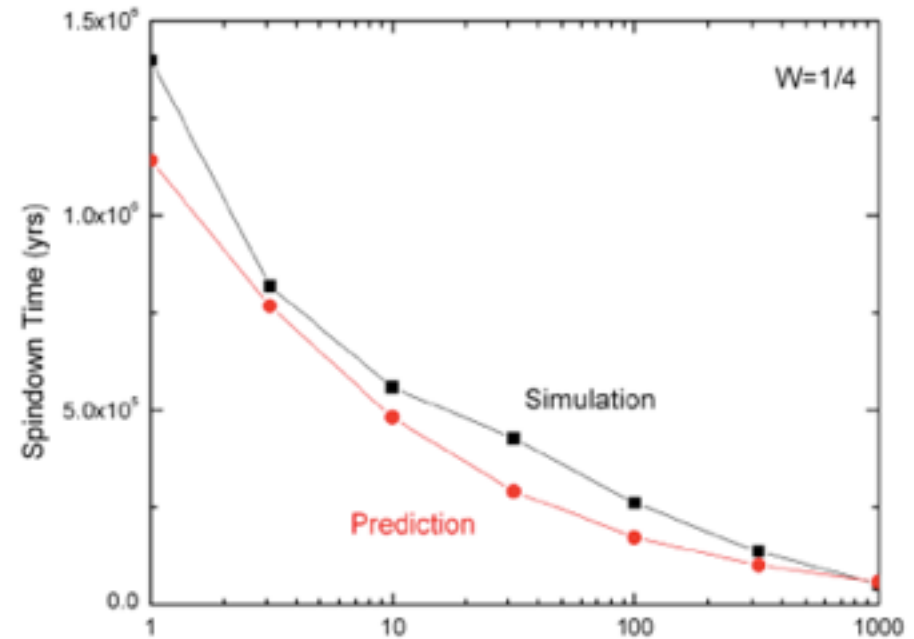
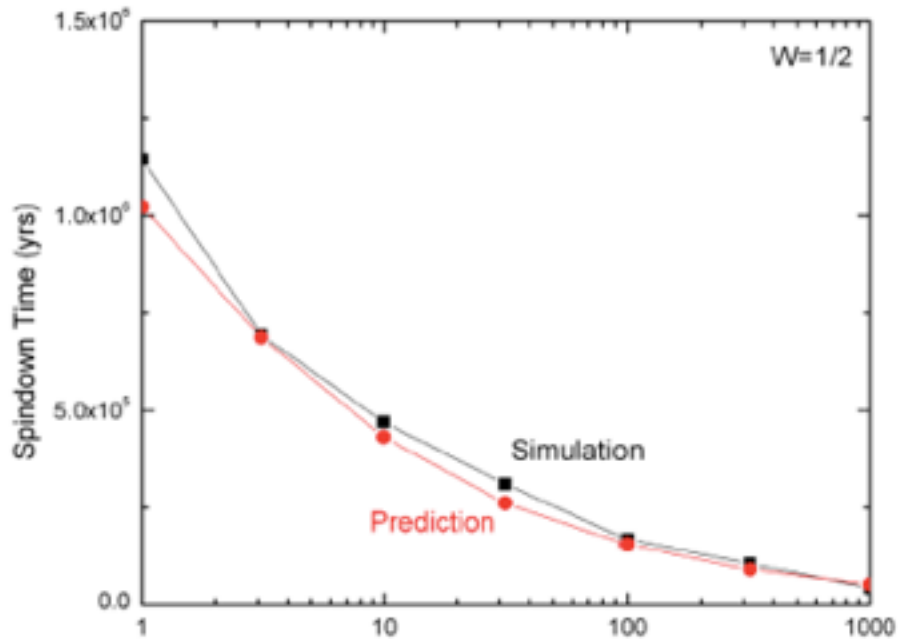
$$\frac{\tau_{spin}}{\tau_{mass}} \approx \frac{0.15}{\sqrt{\eta_*}}$$

Spindown Time

Results from MHD sims for dipole field ($n=2$)

$W=1/2$

$W=1/4$



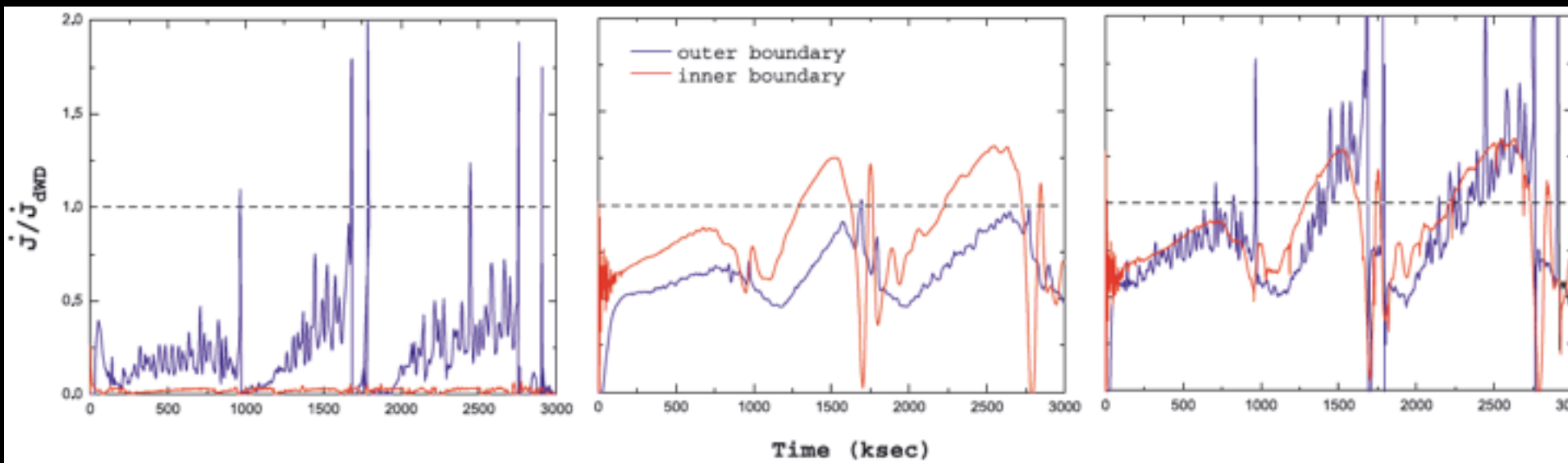
η_* Magnetic confinement parameter $\Rightarrow \eta_*$

Time variation of total Angular Momentum Loss

Gas

Field

Total



Predicted spindown times

Table 1. Estimated spin-down time for selected known magnetic stars.

Star ^a	M/M_{\odot}	R_{*}/R_{\odot}	P (d)	k	\dot{M} ($10^{-9} M_{\odot} \text{ yr}^{-1}$)	v_{∞} (1000 km s ⁻¹)	B_p (kG)	η_{*}	τ_{spin} (Myr)
θ^1 Ori C ¹	40	8	15.4	0.28	400	2.5	1.1	15.7	8
HD191612 ²	40	18	538	0.17	6100	2.5	1.6	7.6	0.4
ζ Cas ³	8	5.9	5.37	0.1	0.3	0.8	0.34	3200	65.2
σ Ori E ⁴	8.9	5.3	1.2	0.1	2.4	1.46	9.6	1.4×10^5	1.4
ρ Leo ⁵	22	35	7-47	0.12	630	1.1	0.24	20	1.1

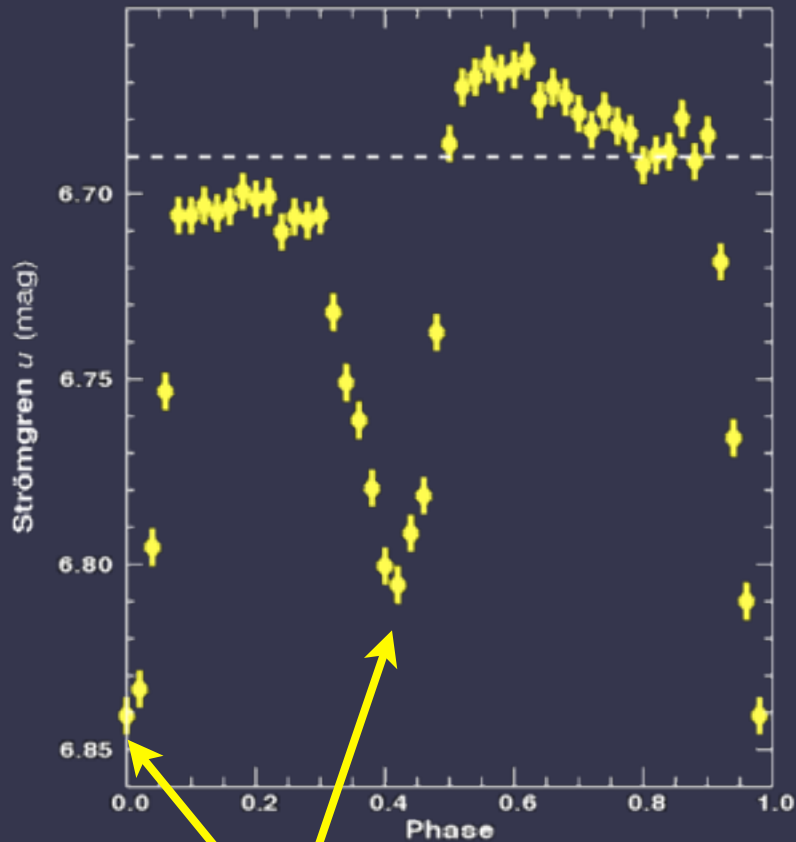
$$\tau_{spin} \approx \tau_{mass} \frac{\frac{3}{2} k}{\sqrt{\eta_{*}}}$$

ud-Doula+ 2009

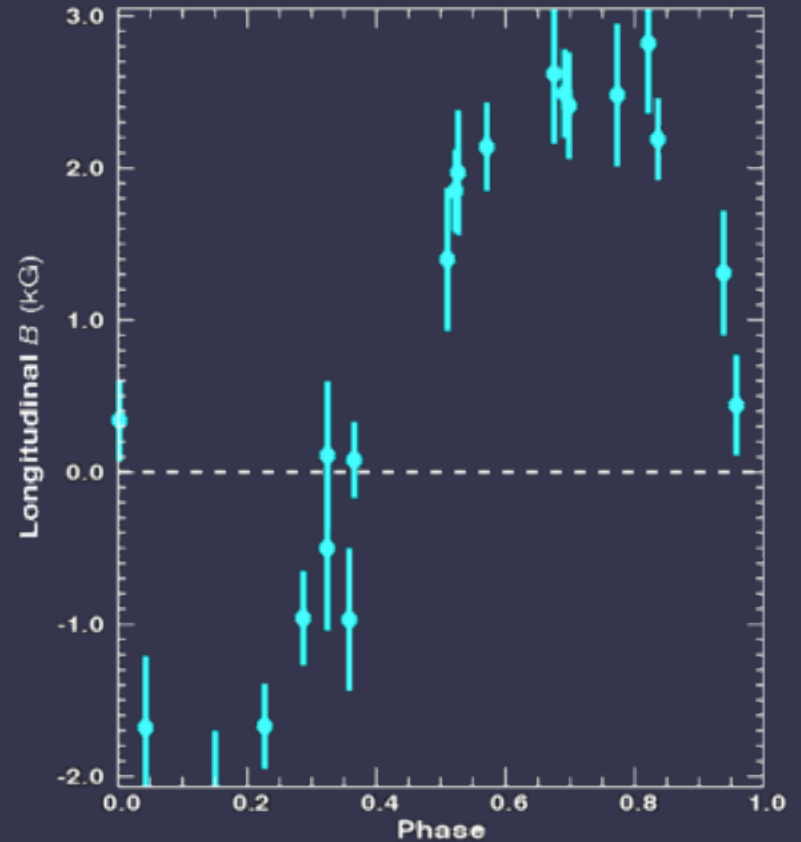
$$\approx 11 \text{ Myr} \frac{k_{-1}}{B_{kG}} \frac{M_{*}}{R_{*}} \sqrt{\frac{V_8}{\dot{M}_{-9}}}$$

Photometric variation of σ Ori E

Photometry



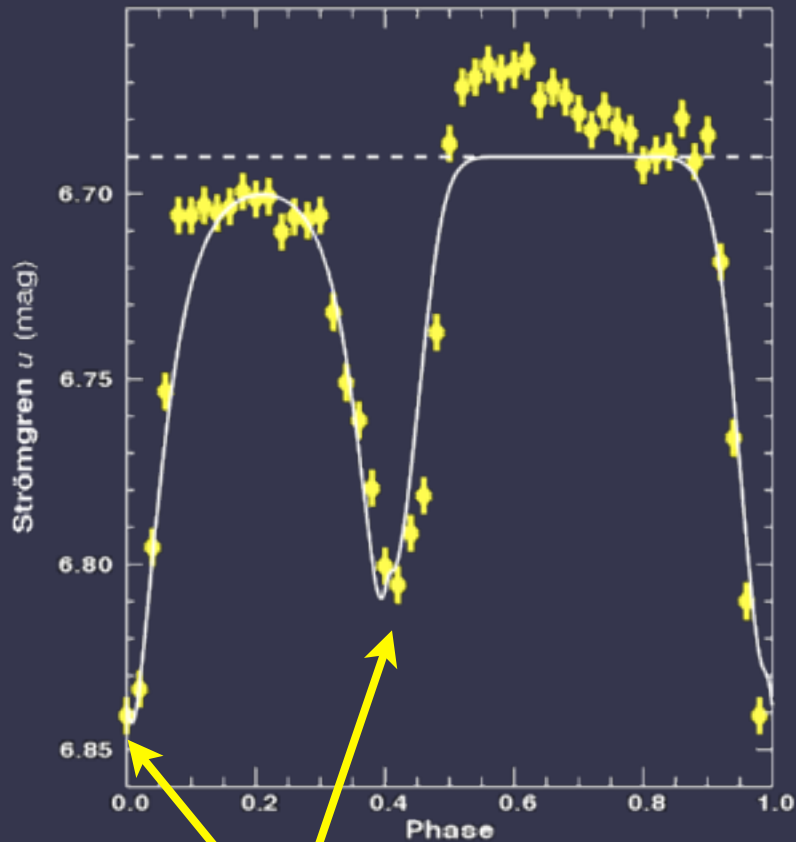
Magnetic Field



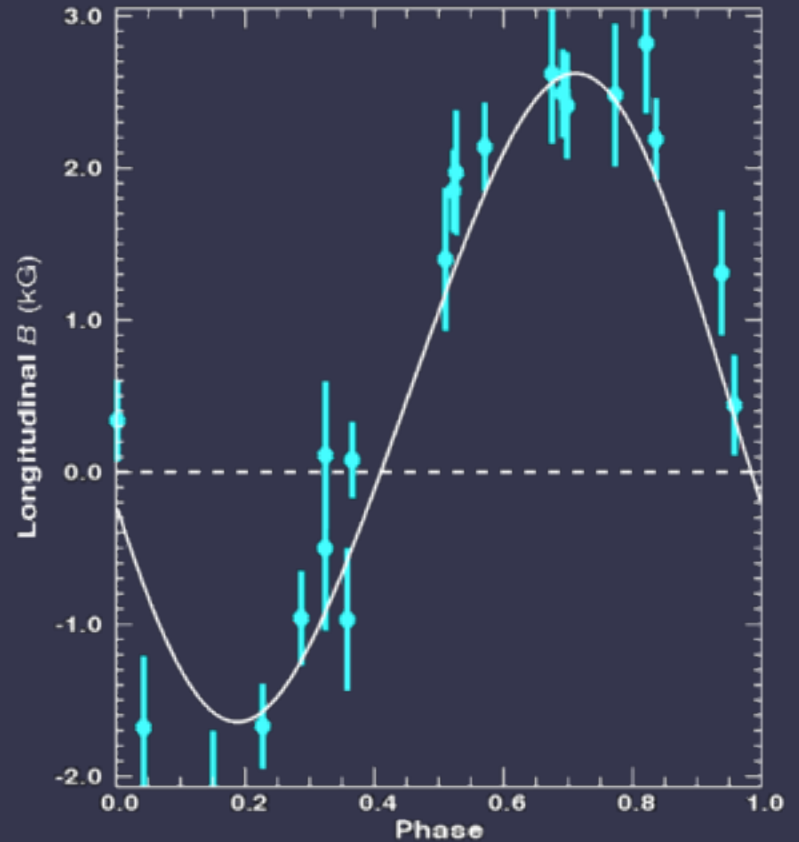
Magnetic cloud eclipses

Photometric variation of σ Ori E

Photometry



Magnetic Field



Magnetic cloud eclipses

DISCOVERY OF ROTATIONAL BRAKING IN THE MAGNETIC HELIUM-STRONG STAR SIGMA ORIONIS E

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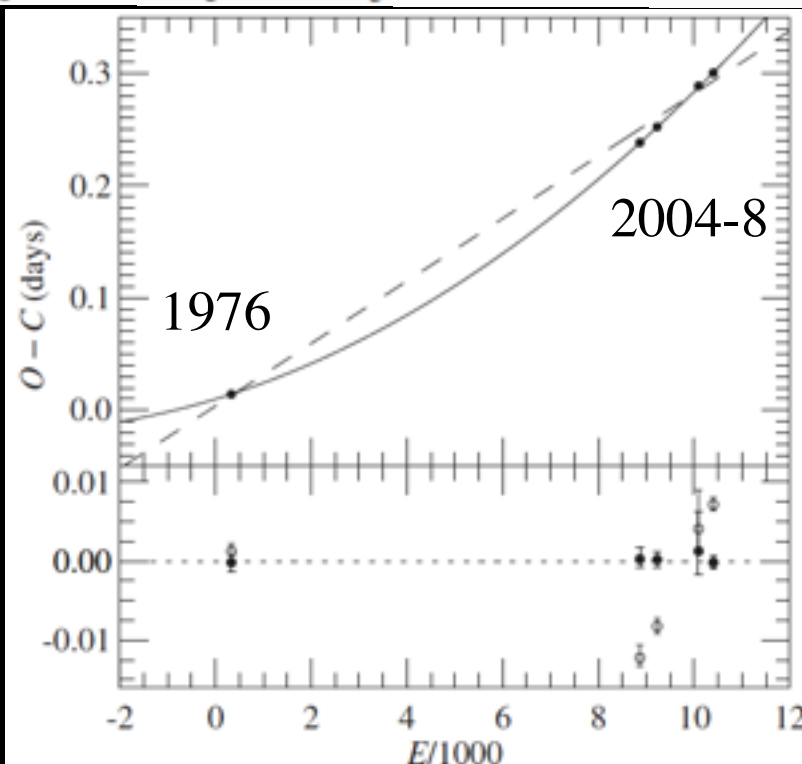
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ABSTRACT

We present new *U*-band photometry of the magnetic helium-strong star σ Ori E, obtained over 2004–2009 using the SMARTS 0.9 m telescope at Cerro Tololo Inter-American Observatory. When combined with historical measurements, these data constrain the evolution of the star's 1.19 day rotation period over the past three decades. We are able to rule out a constant period at the $p_{\text{null}} = 0.05\%$ level, and instead find that the data are well described ($p_{\text{null}} = 99.3\%$) by a period increasing linearly at a rate of 77 ms per year. This corresponds to a characteristic spin-down time of 1.34 Myr, in good agreement with theoretical predictions based on magnetohydrodynamical simulations of angular momentum loss from magnetic massive stars. We therefore conclude that the observations are consistent with σ Ori E undergoing rotational braking due to its magnetized line-driven wind.



Spindown age

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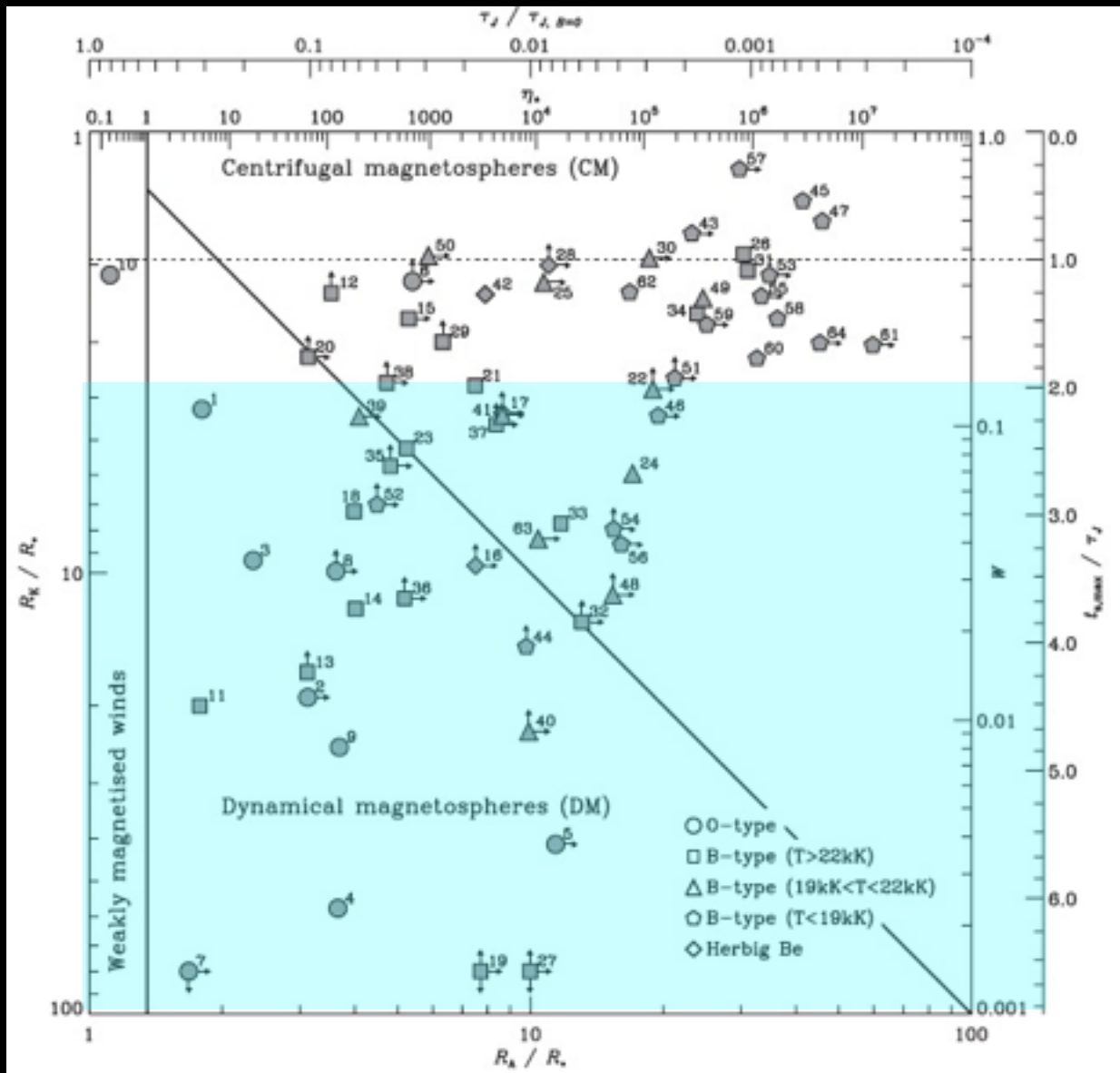
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$$\tau_{age} = 2.3 (\text{Log} P_{day} - \text{Log} P_{o,day}) \tau_{spin}$$

e.g. HD191612, with $P_o = 0.5$ to 1 day:

$$\tau_{age} \approx 6.3 \rightarrow 6.9 \quad \tau_{spin} \approx 2.5 \rightarrow 2.9 \text{ Myr}$$

← Spindown time



max
Spindown
Age

Spundown

Extrapolated spindown law for higher order multipoles?

$$\frac{\tau_{spin}}{\tau_{mass}} = \frac{\frac{3}{2} k}{\eta_*^{1/n}}$$

n=1 monopole
=2 dipole
=3 quadrupole
... etc.

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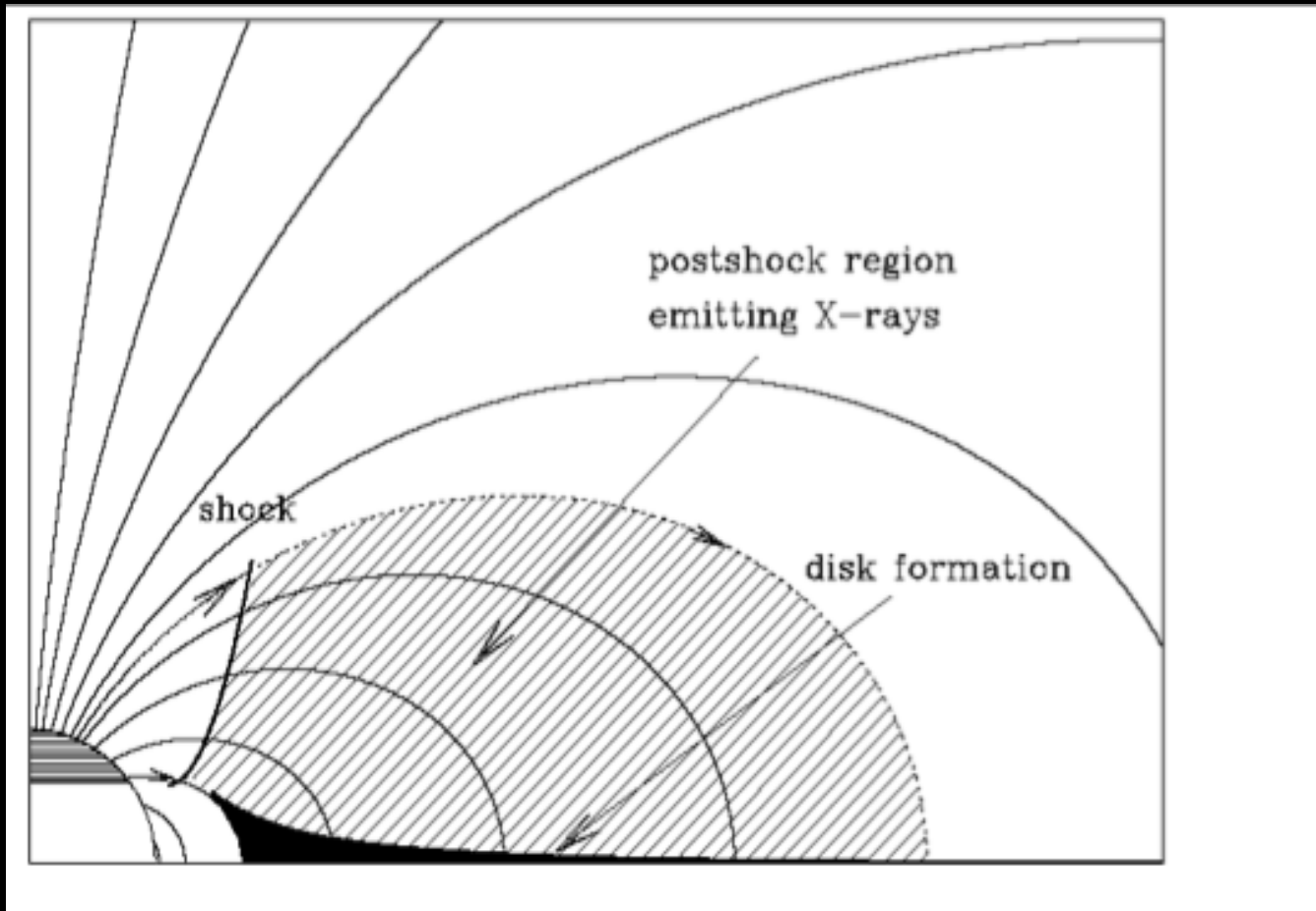
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Need 3D MHD sims to test this!

X-rays from Magnetically Confined Wind-Shocks

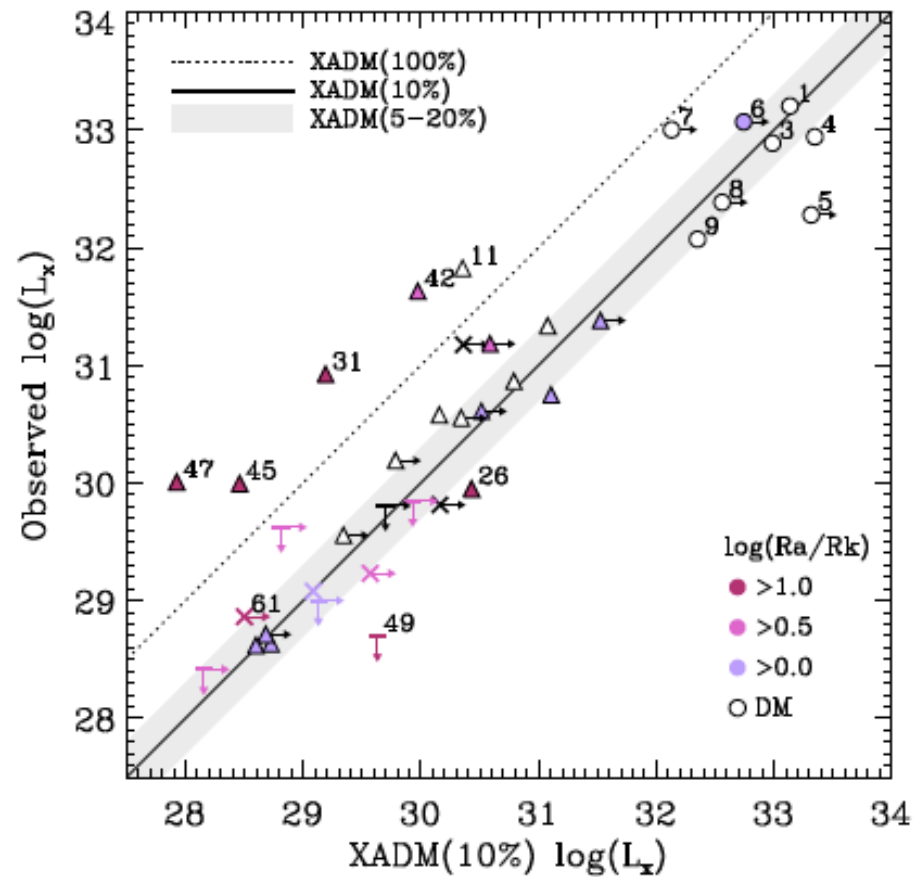
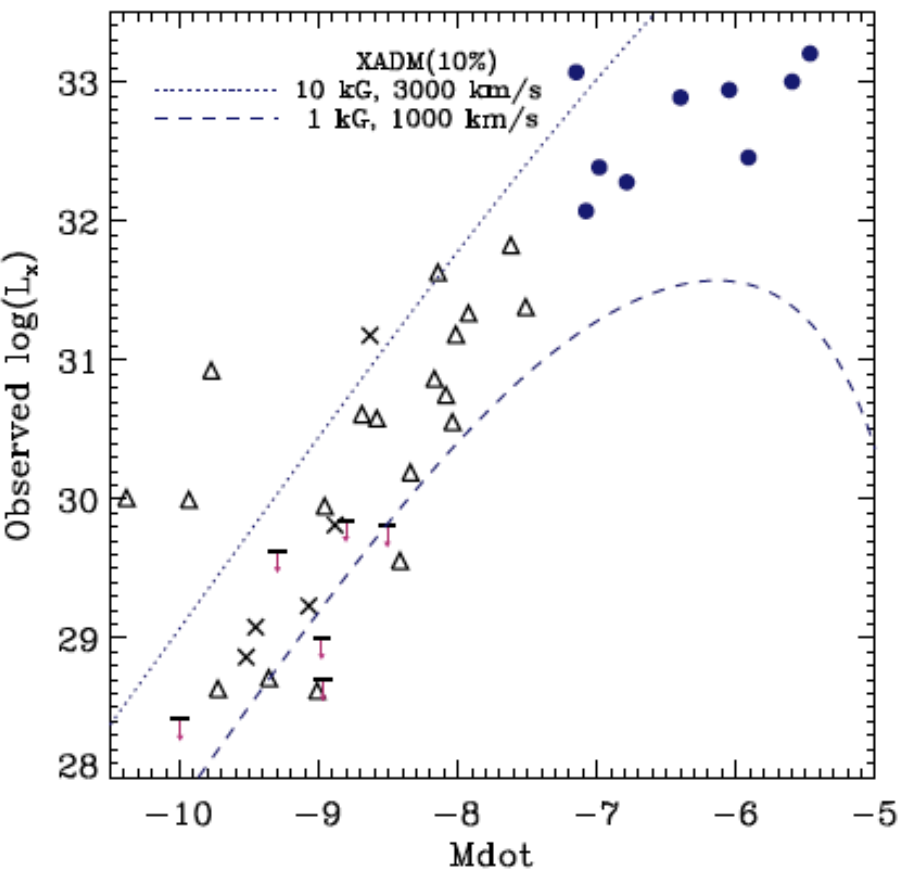
Babel & Montmerle 1997



Lx vs. Mdot

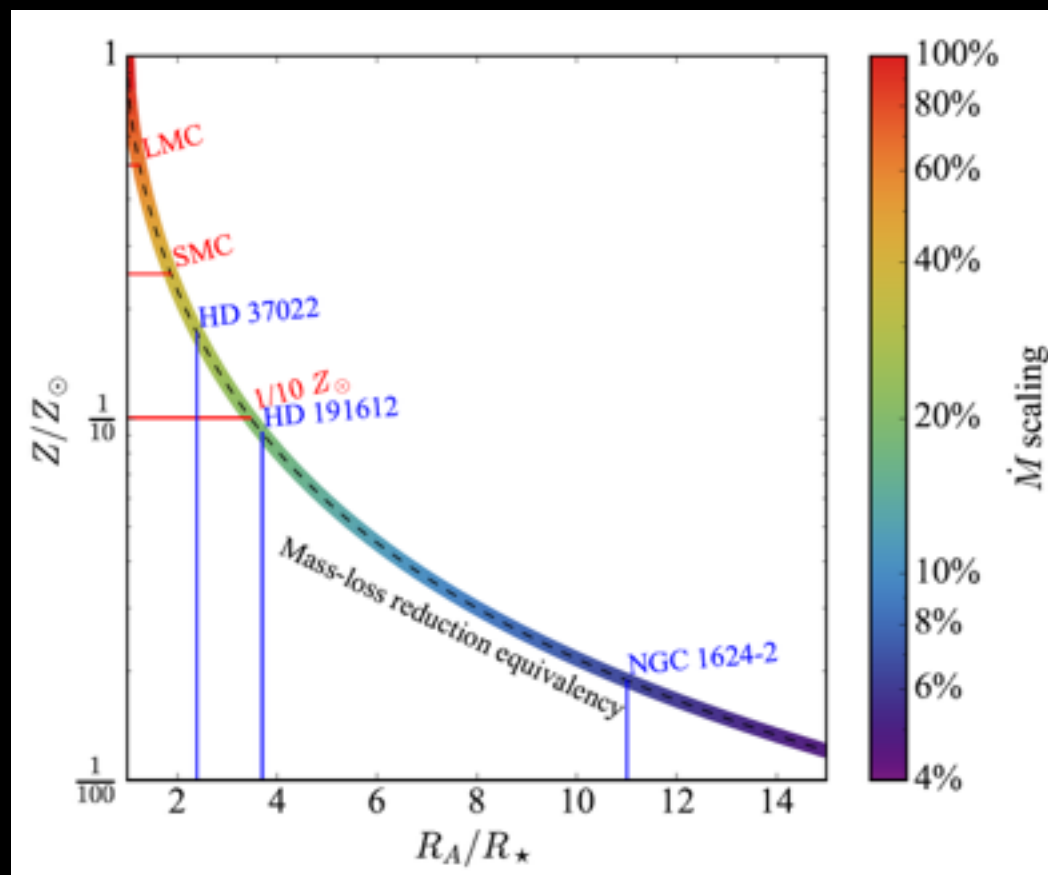
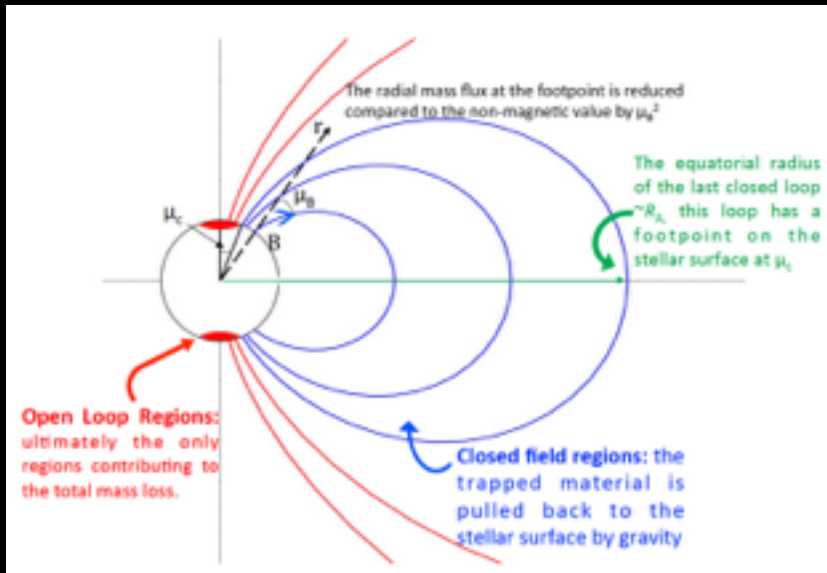
observations vs. XADM theory

Naze + 2014



Magnetic massive stars as progenitors of ‘heavy’ stellar-mass black holes

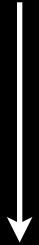
V. Petit,^{1★} Z. Keszthelyi,^{2,3} R. MacInnis,¹ D. H. Cohen,⁴ R. H. D. Townsend,⁵
 G. A. Wade,² S. L. Thomas,¹ S. P. Owocki,⁶ J. Puls⁷ and A. ud-Doula⁸



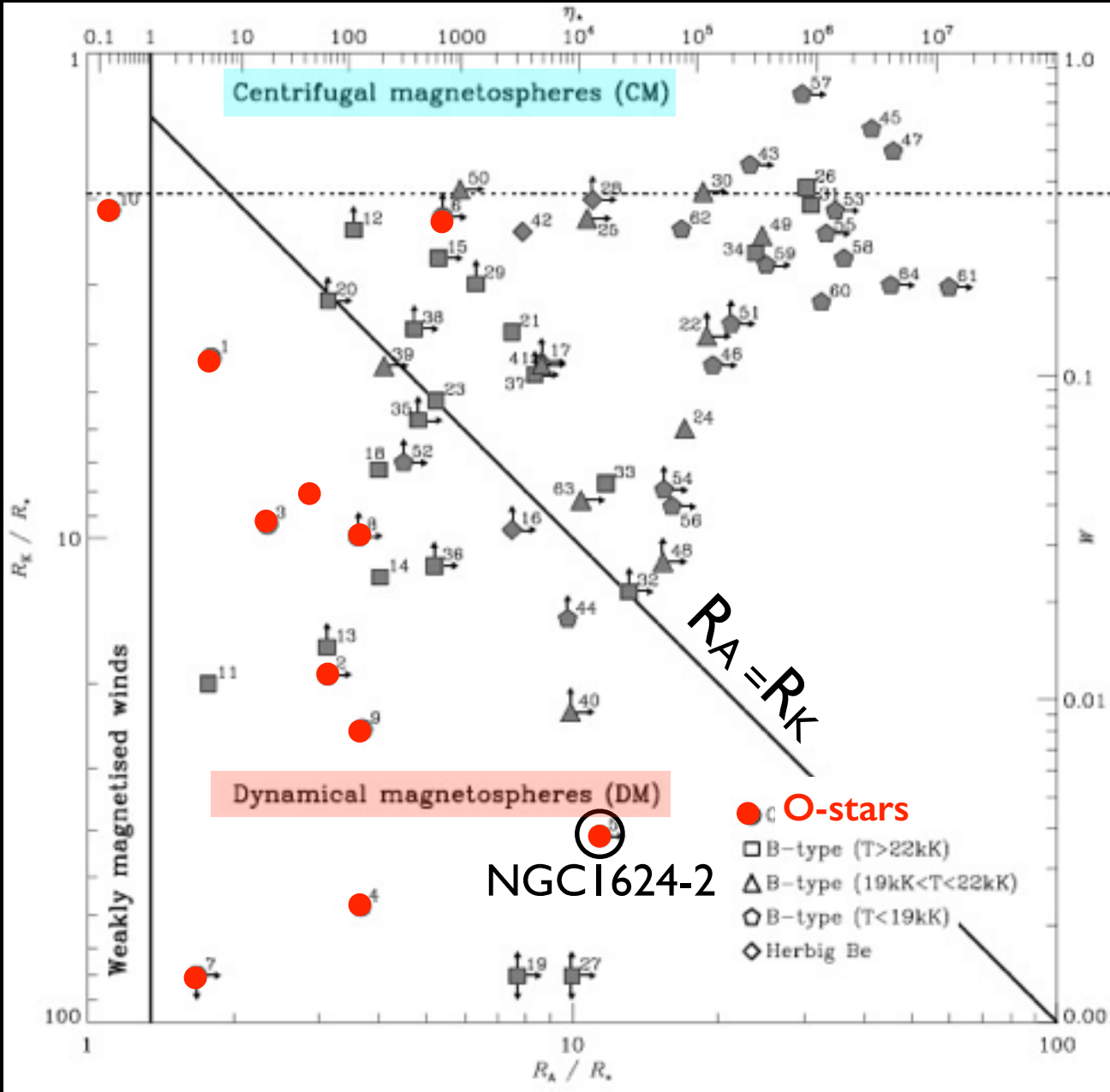
Magnetic trapping
 reduces
 net mass loss

Fast rot.

R_K / R_*



Slow rot.

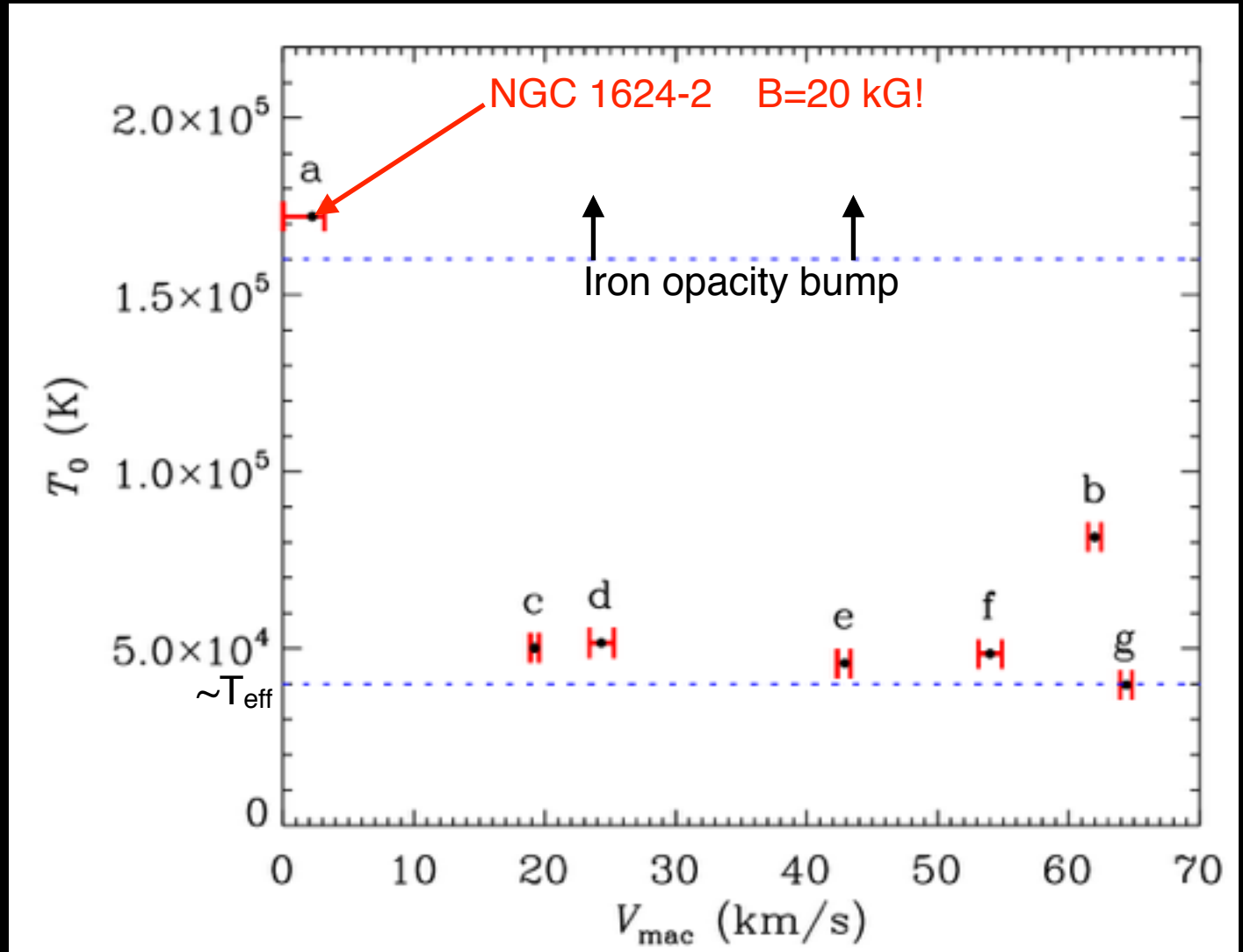


Weak B conf. R_A / R_* → Strong B conf.

Magnetic inhibition of macro turbulence

Sundqvist+ 2013

$T_0 =$
Equipartition
temperature
where
 $P_{\text{mag}} = P_{\text{gas}}$



macro-turbulent speed inferred from observed line broadening

HD 191612 (Of?p)

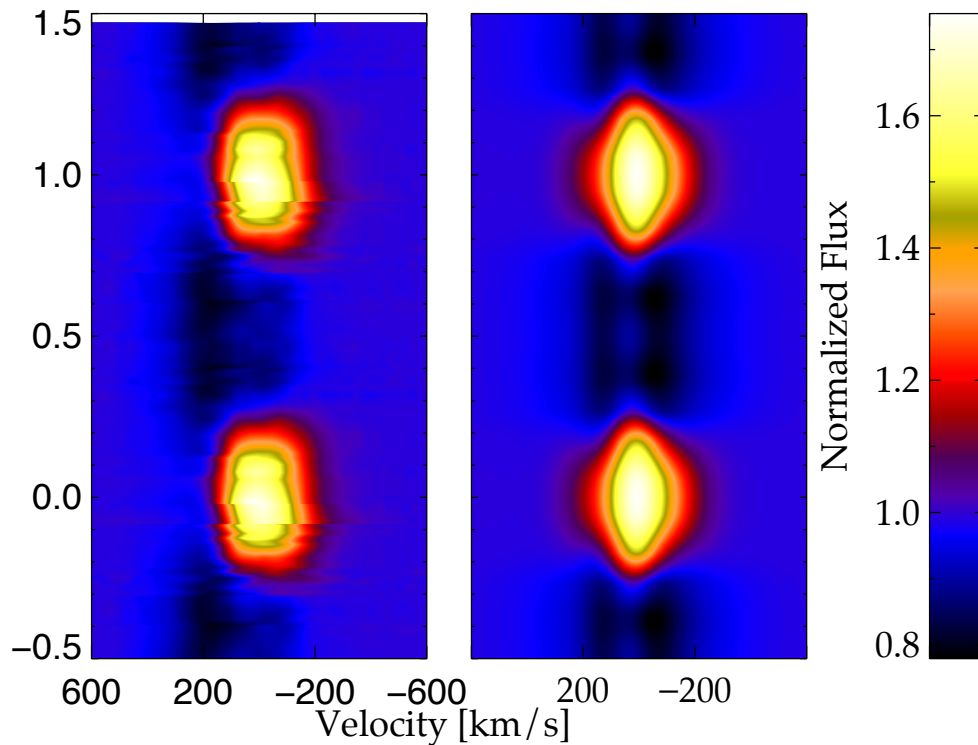
$v \sin i < 45 \text{ km/s}$

$\eta^* \sim 50$

$P_{\text{rot}} \sim 540 \text{ d}$; $R_{\text{Kep}} \sim 50 R^*$

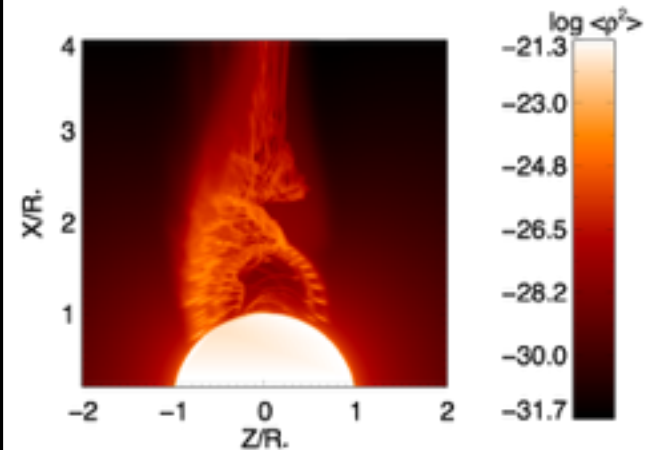
$B_d \sim 2.5 \text{ kG}$; $R_{\text{Alf}} \sim 3 R^*$

“Dynamical”
Magnetosphere



Observations

Simulations



Sundqvist + 2012

Summary

Magnetic field + hot-star wind:

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Magnetic field + hot-star wind:

- **Traps** wind into **magnetosphere**
 - alt channel for high-mass b.h. detected by GW?
 - **Centrifugally** supported vs. **Dynamically** suspended
 - MHD vs. RFHD vs. RRM models
 - explains H α emission vs. rot. phase
 - **X-rays** from **MCWS**

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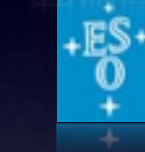
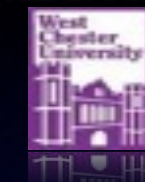
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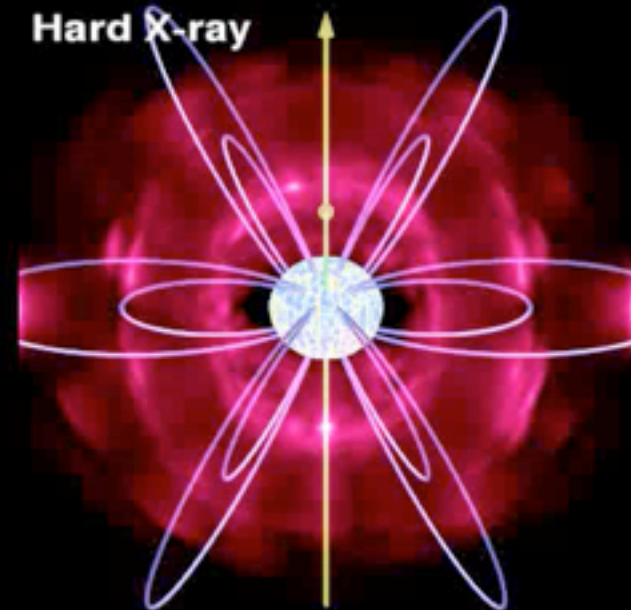
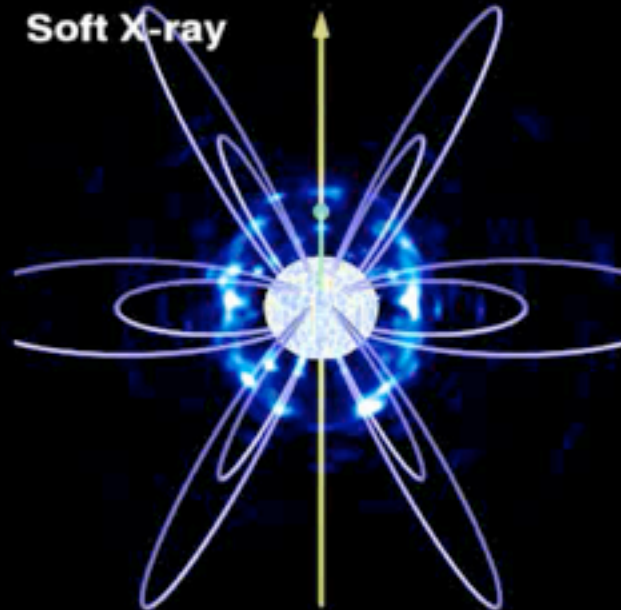
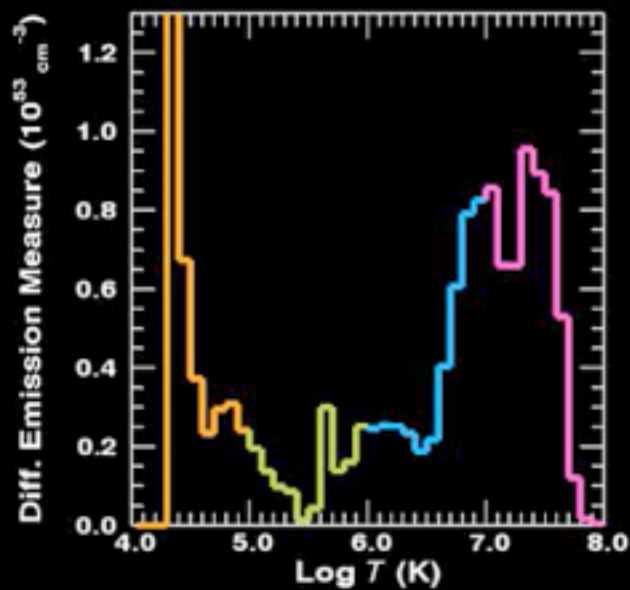
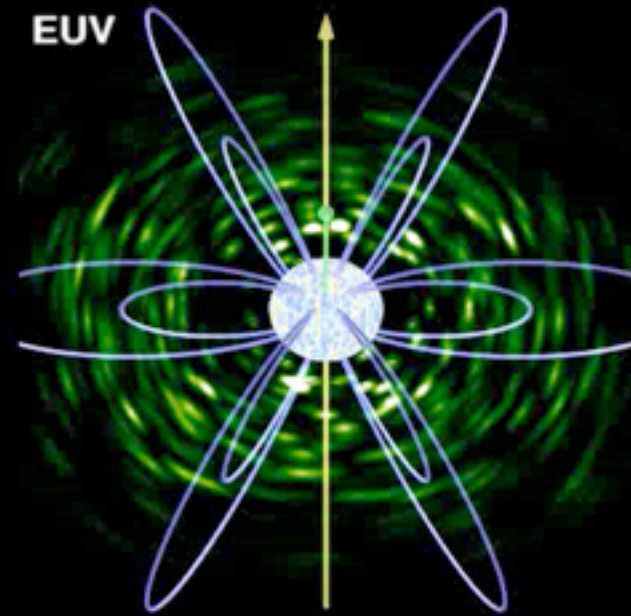
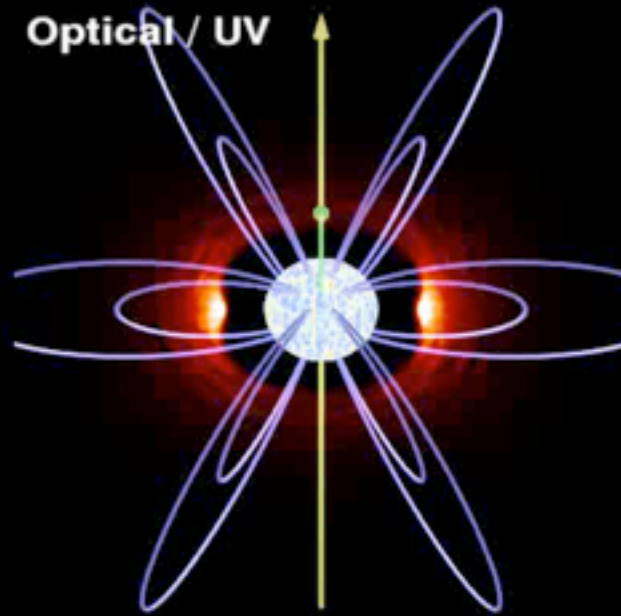
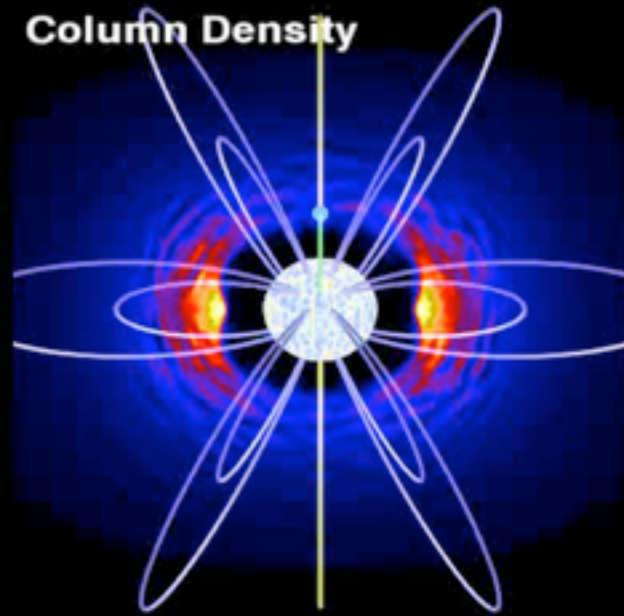


The MiMeS Project

Magnetism in Massive Stars



courtesy of Rich Townsend



courtesy of Rich Townsend

