

#### Rates, Delay Times



#### Chris Pritchet, U. Victoria



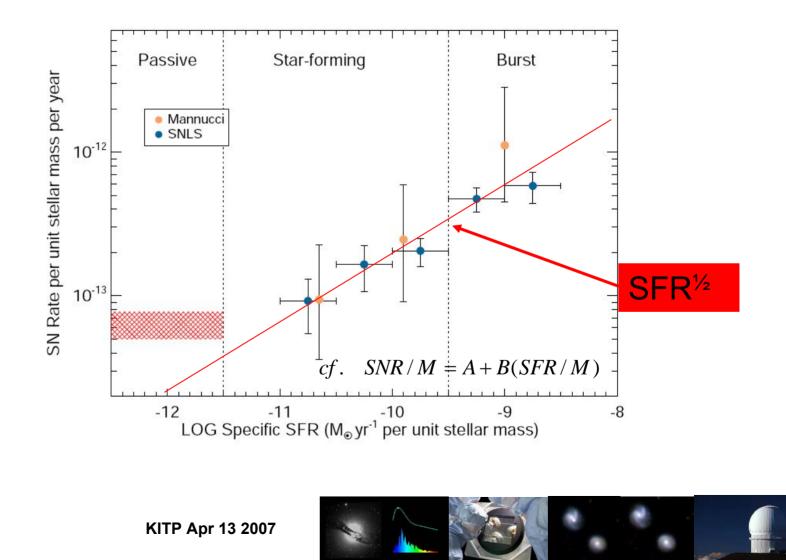
# Mark Twain's view

In the space of one hundred and seventy six years the Lower Mississippi has shortened itself two hundred and forty-two miles. That is an average of a trifle over a mile and a third per year. Therefore, any calm person, who is not blind or idiotic, can see that in the Old Oölitic Silurian Period, just a million years ago next November, the Lower Mississippi was upwards of one million three hundred thousand miles long, and stuck out over the Gulf of Mexico like a fishing-pole. And by the same token any person can see that seven hundred and forty-two years from now the Lower Mississippi will be only a mile and three-quarters long, and Cairo [Illinois] and New Orleans will have joined their streets together and be plodding comfortably along under a single mayor and a mutual board of aldermen.

There is something fascinating about science. One gets such wholesale returns of conjecture out of such a trifling investment of fact.



#### SN la rate depends on SFR

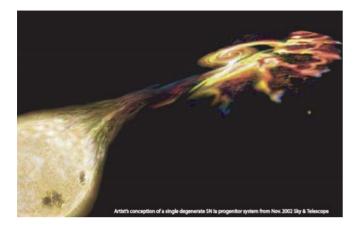


# Meaning of A · M + B · SFR

#### SNR/M = A + B(SFR/M)

- Does this imply two paths to SNeIa? ...
- ... or is there a simple unifying picture that can be used to understand the A+B prescription for the SNIa rate?
- Why do the A and B values have the values that are observed?
- Continuum of delay times more natural?
- Why  $\sim \sqrt{SFR}$  dependence?





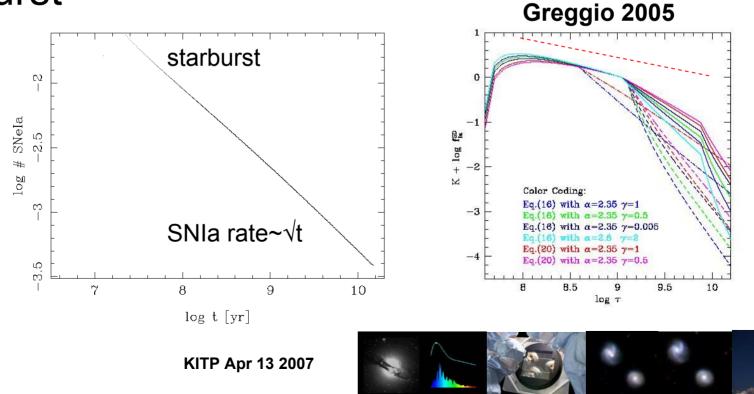
# Toy Model

- Single degenerate scenario
- Delay time depends on evolutionary timescale of secondary - T(evol) ≈ T(ms)
- Simple SFR(t) ~ t <sup>-η</sup> to allow for range of ages



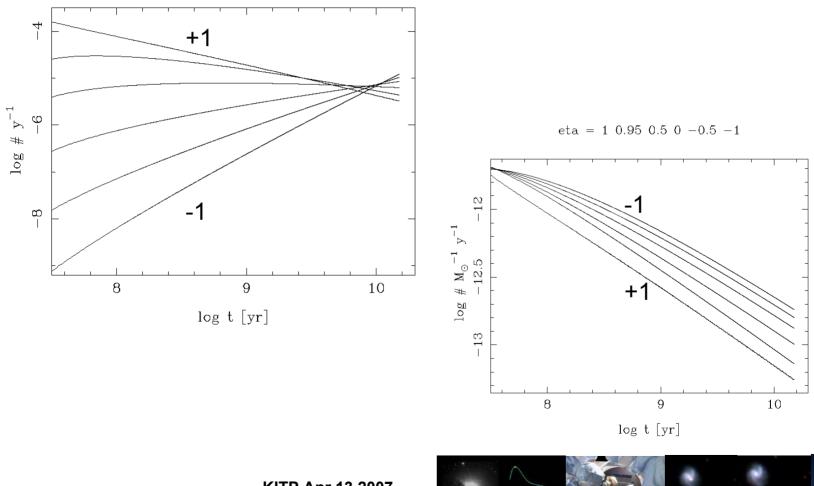
## Rate vs time

- Rate at which stars leave main sequence
- This is the distribution of delay times for a burst

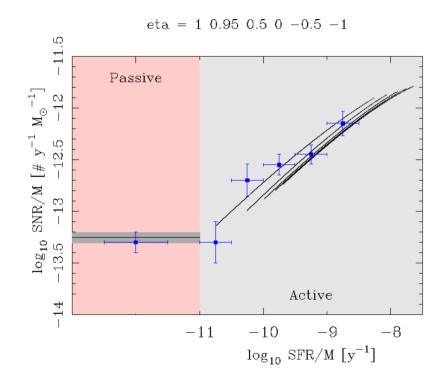


#### Rate vs time

eta = 1 0.95 0.5 0 -0.5 -1



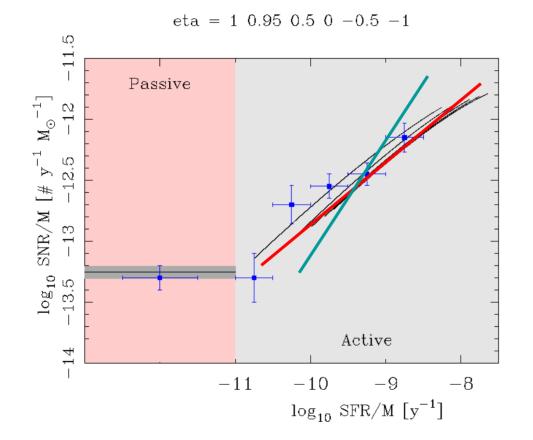
# Results



- Single component model
   not A+B
- Continuous distribution of delay times
- Fits data better!
- Rate in active and passive galaxies both explained
- Only physics is evol timescales
- Single free parameter normalization - f<sub>SNIa</sub>



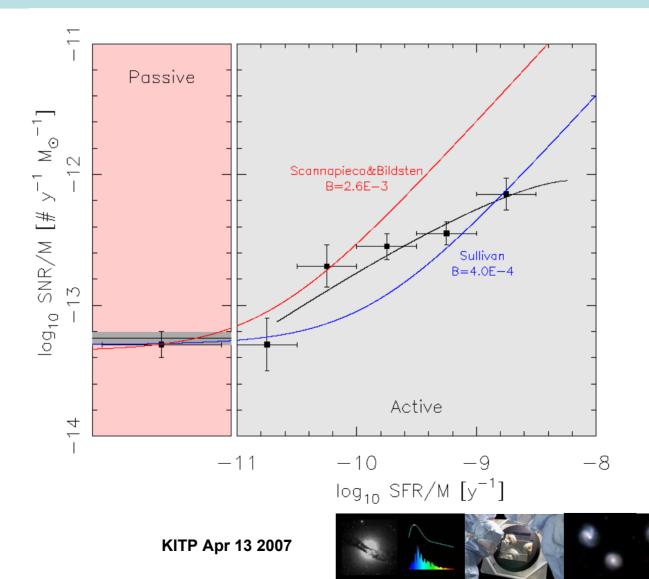
### Results



For a burst:
red: N~t<sup>1/2</sup>
Blue N~t
Data constrains

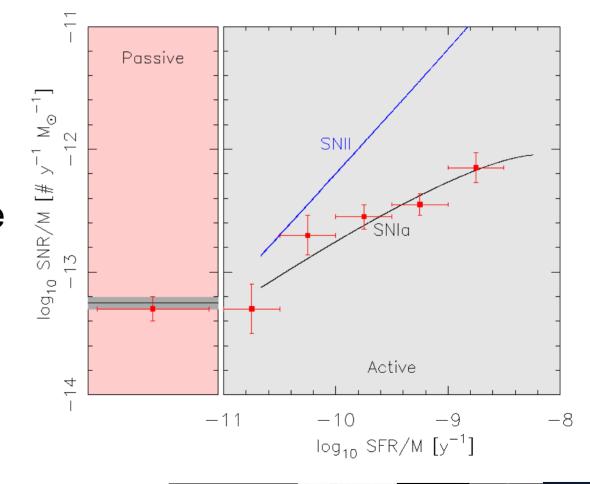


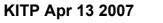
## 2 different B values



## Type II vs la rates

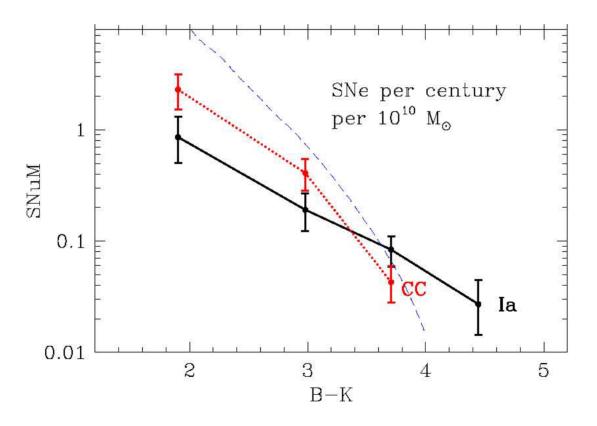
 Prediction: strong variation of SNII/SNIa rate ratio with SFR/M





### II vs Ia Observations

Mannucci 2005

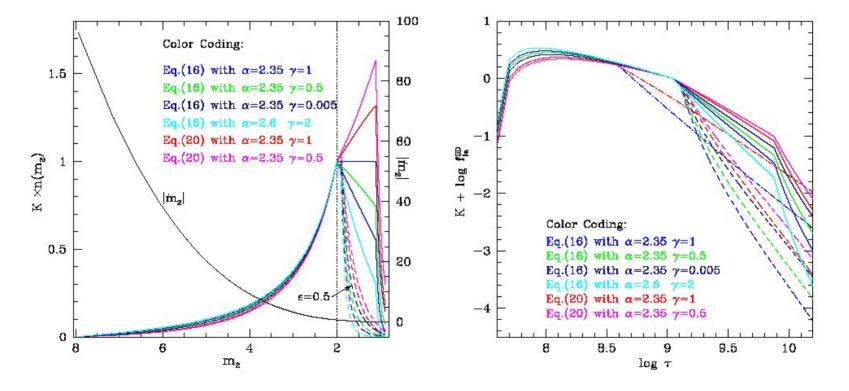


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# Efficiency - Greggio 2005

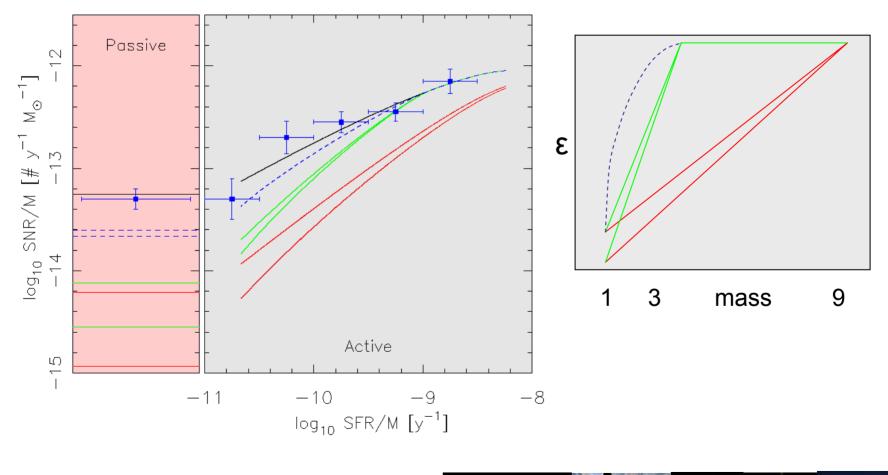
- q=m2/m1, f(q)~q<sup>γ</sup>
- ε=frac of secondary envelope transferred



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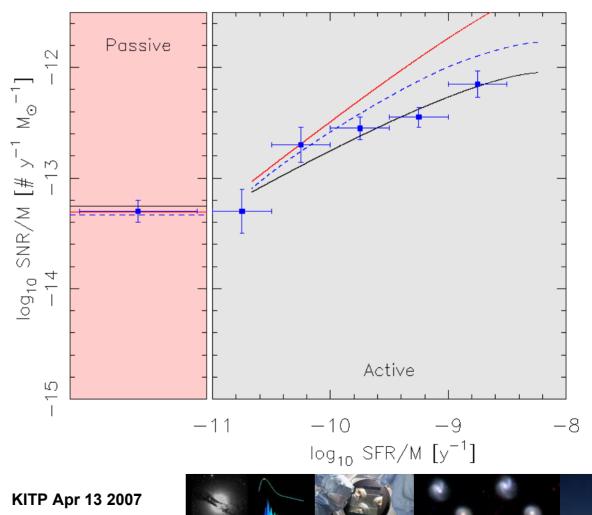
### Effects of efficiency





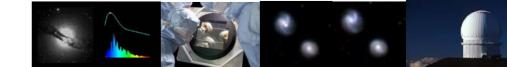
# Efficiency

 Similar for low and high mass
 Different progenitor at low mass?

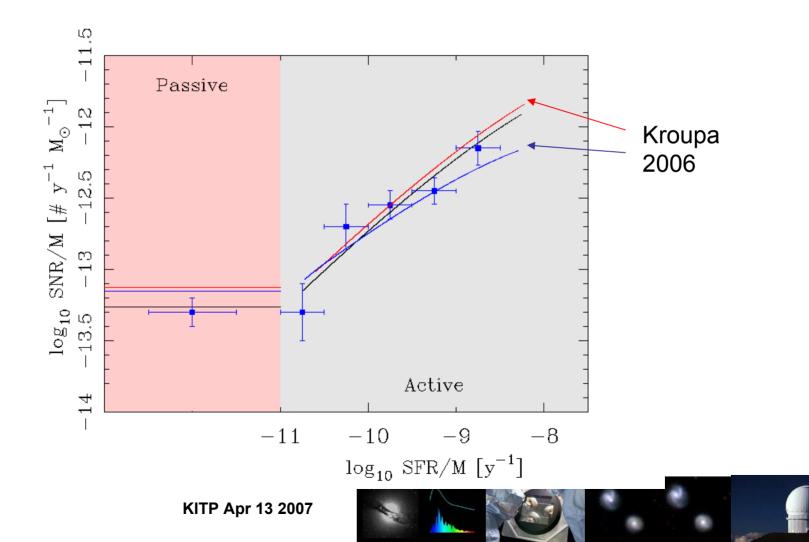


## More on efficiency

- F(SNIa)=0.0085 fraction of stars that become SNeIa in relevant mass range
  - Reasonable??
- Need 10x larger to explain cluster [Fe/H]

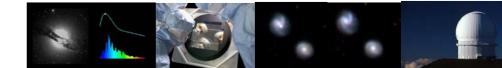


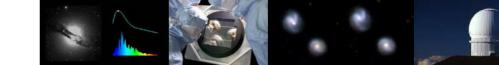
### **IMF** effects

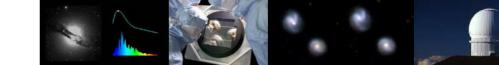


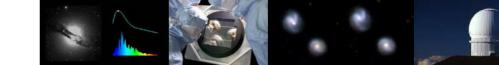
# Conclusions

- one parameter model fits active and passive
  - Based on stellar evolutionary timescales
  - Continuous delay time distribution
- excellent fit to data better than A + B SFR/M
- Consistent with SNII/SNIa rate ratio, but ...
- Predictions:
  - SNIa rate will correlate with mean age from population models
  - SNII/SNIa rate ratio will show strong variation with SFR
  - Either (i) efficiency independent of mass or (ii) different progenitor for low mass
- Problems:
  - F(SNIa) doesn't work in clusters

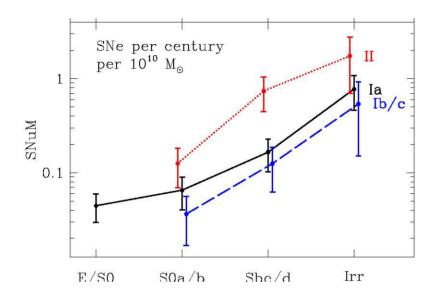








## **SNela in Star-Forming Galaxies**



Mannucci et al 2006

#### SN rate = $A \cdot M + B \cdot SFR$

Scannapieco and Bildsten 2006

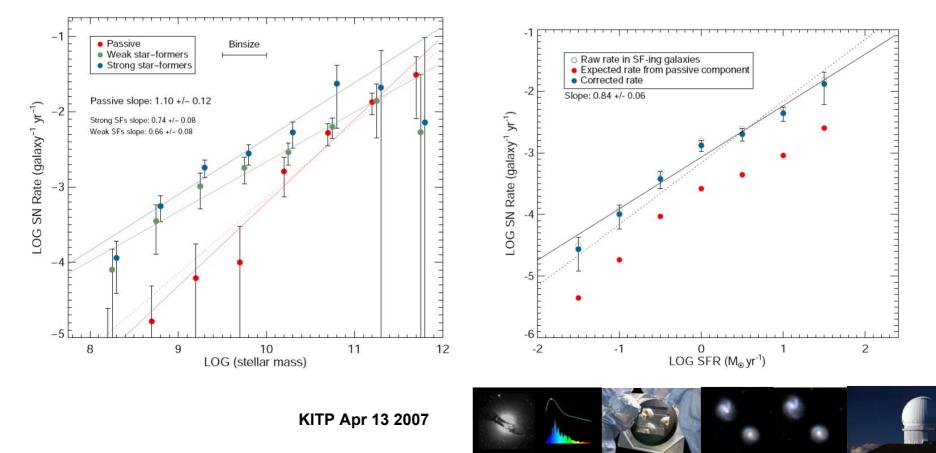


# SN rate = $A \cdot M^m + B \cdot SFR^n$

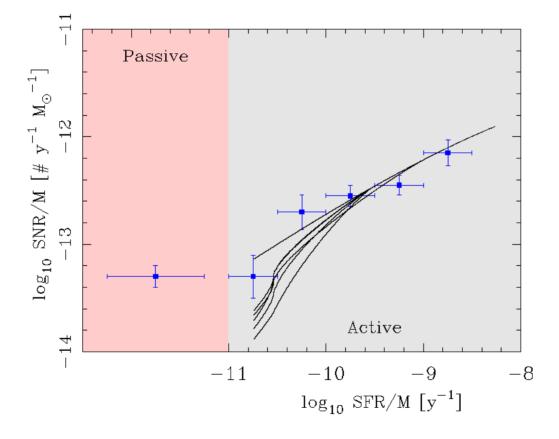
m = 1.10+-0.12, n = 0.84+-0.09 A=5.1E-14 SNe/yr/Msun B=4.1E-4 SNe/yr/(Msun/yr) B needed at 99.99% confidence

*cf.* Scannapieco and Bildsten 2005 (m=1, n=1)

Bivariate fits give m,n close to 1

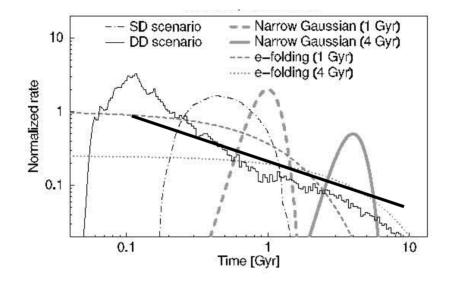


#### Decreasing efficiency at low mass





## **DD** Scenario



Han & Podsiadlowski 2004

Figure 1. Theoretical time delay distributions (Han & Podsiadlowski 2004) compared to parametrized time delay distributions used in the analysis. The best-fitting model in S04 corresponds to the 'narrow Gaussian' distribution with a mean time delay of 4 Gyr

