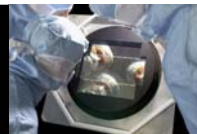
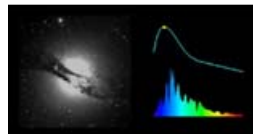


SN Ia Rates and Host Galaxy Properties

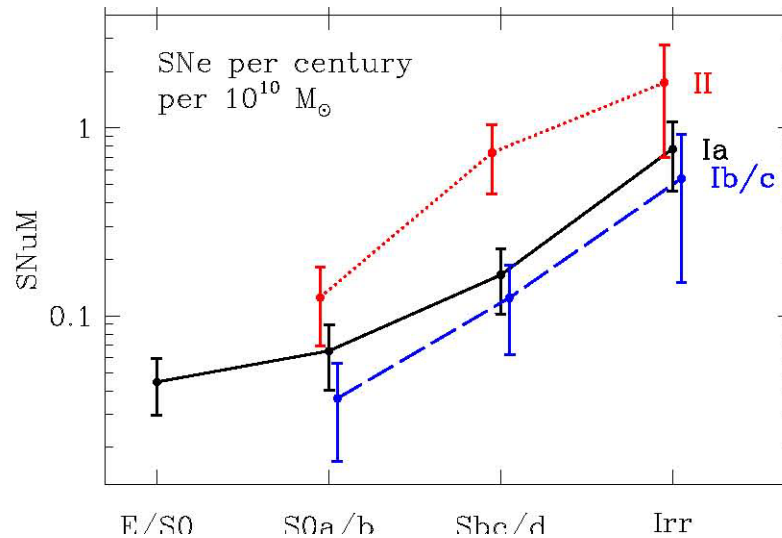
Chris Pritchett, U. Victoria



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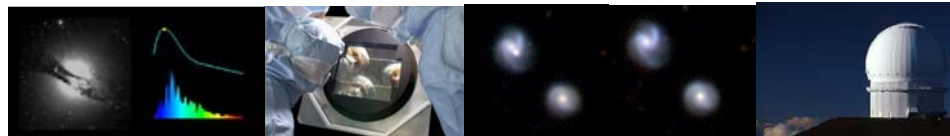
SNela in Star-Forming Galaxies

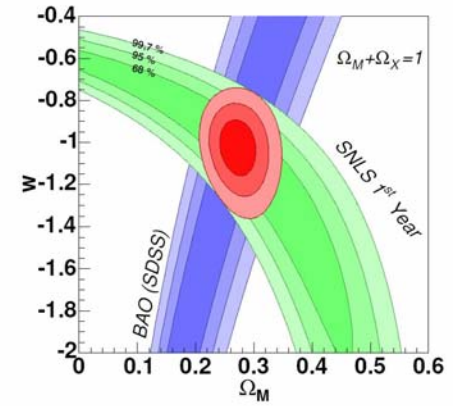
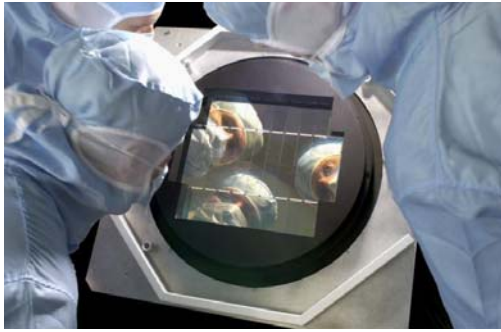


Mannucci et al 2006

$$\text{SN rate} = A \cdot M + B \cdot \text{SFR}$$

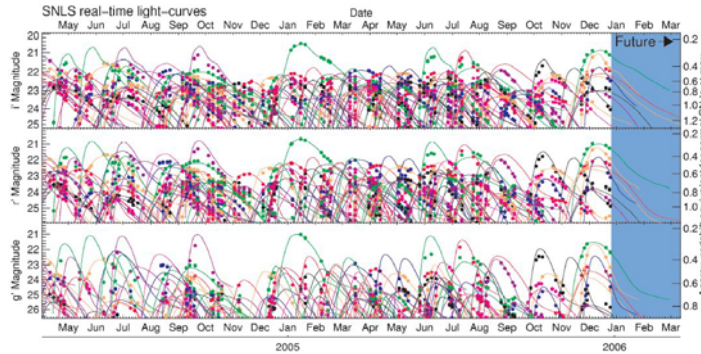
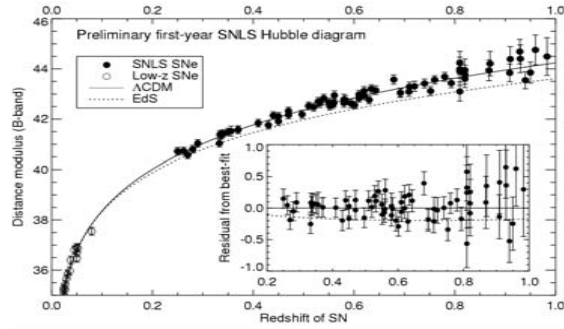
Scannapieco and Bildsten 2006



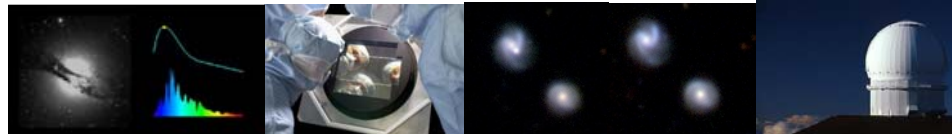


SNLS

>500 spectroscopically confirmed SNeIa by 2008, $0.2 < z < 1.0$

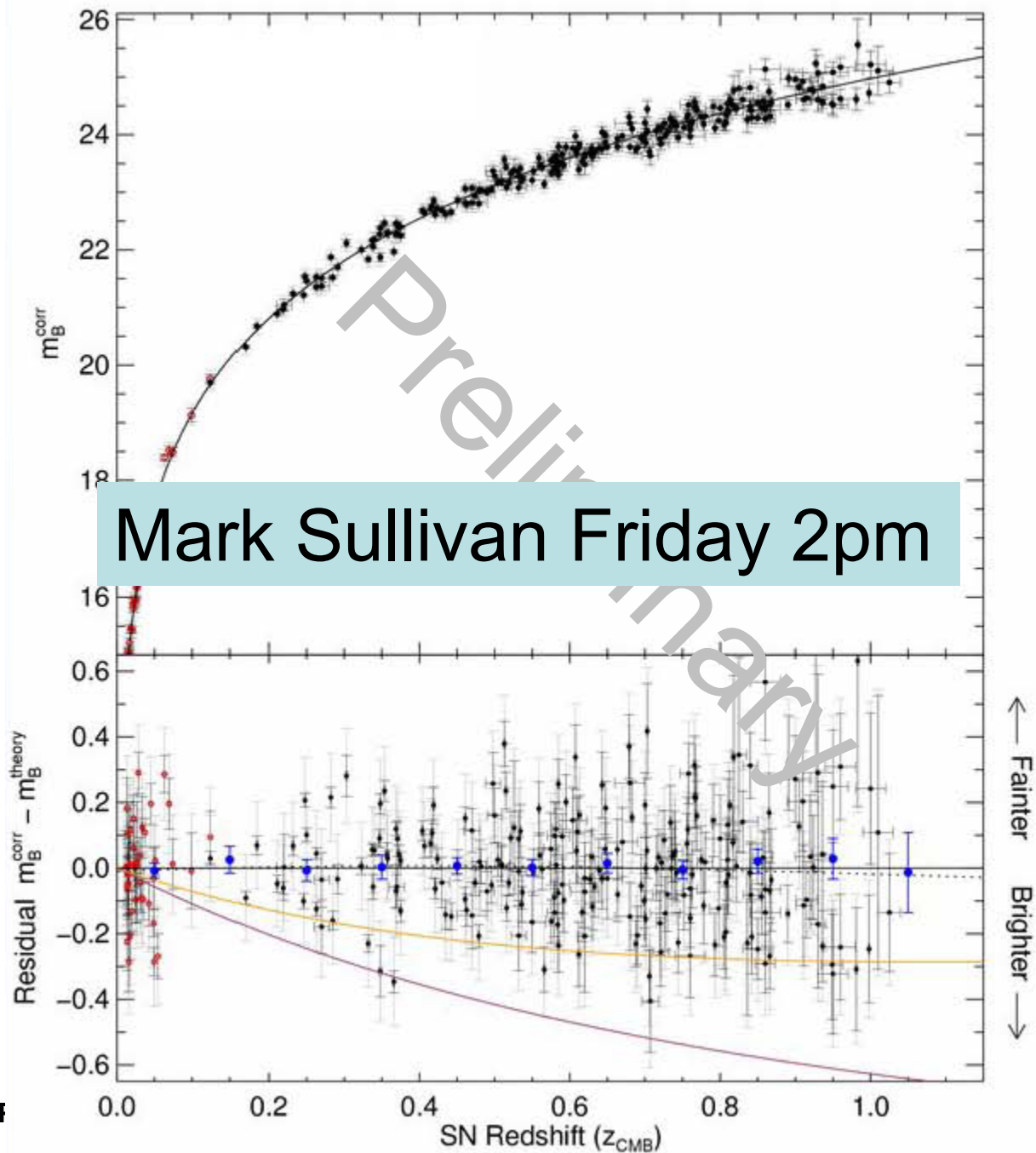


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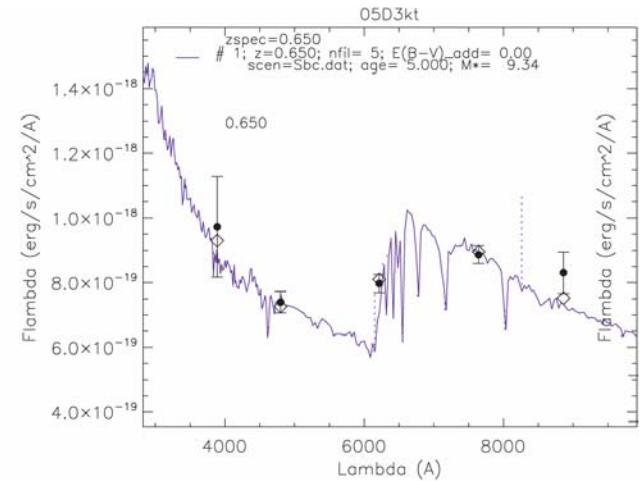
SNLS 3rd year analysis

- Sullivan et al 2007

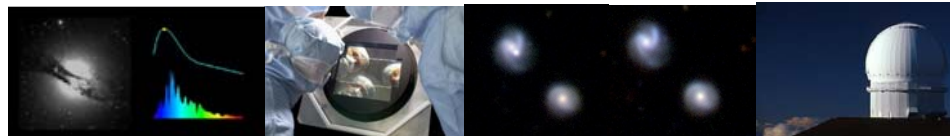
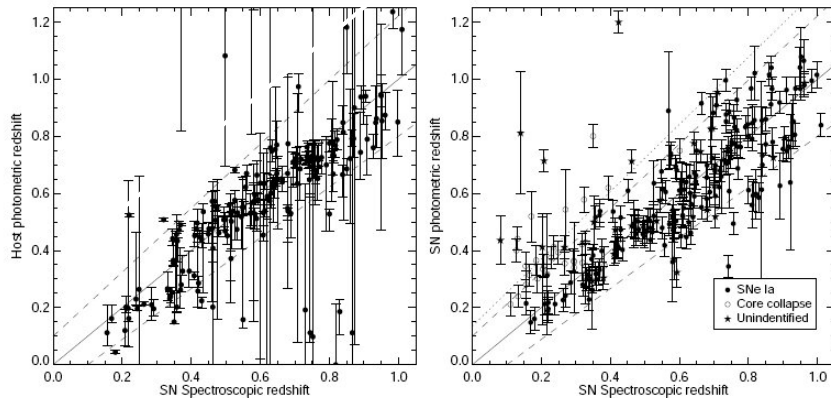


Sullivan et al 2006 - SNIa rate per unit mass vs SFR

- Pegase evolutionary models fitted to all galaxy SED's (Le Borgne et al 2005)

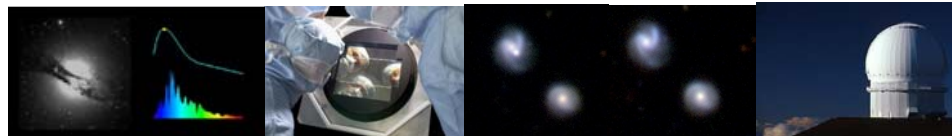
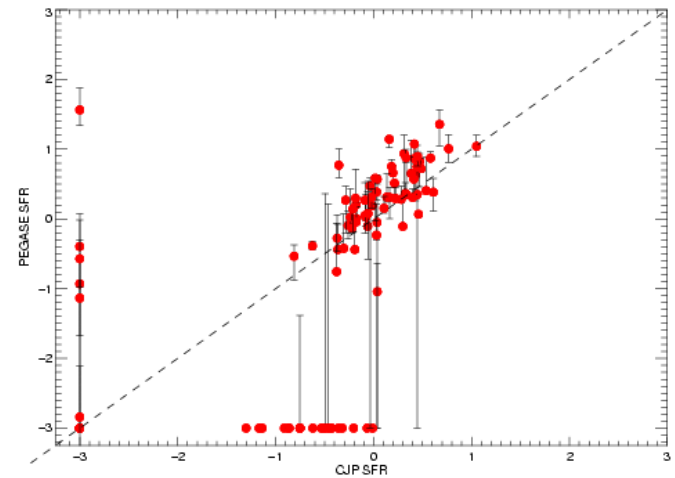
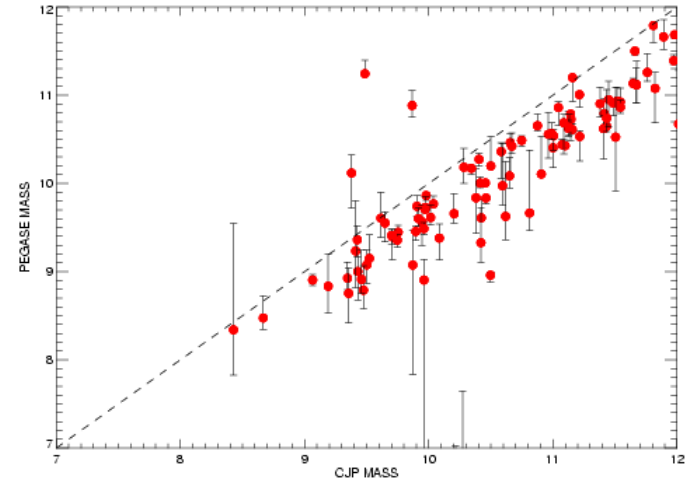


- Best fit model gives photo z, SED type, mass, SFR for each field or host galaxy

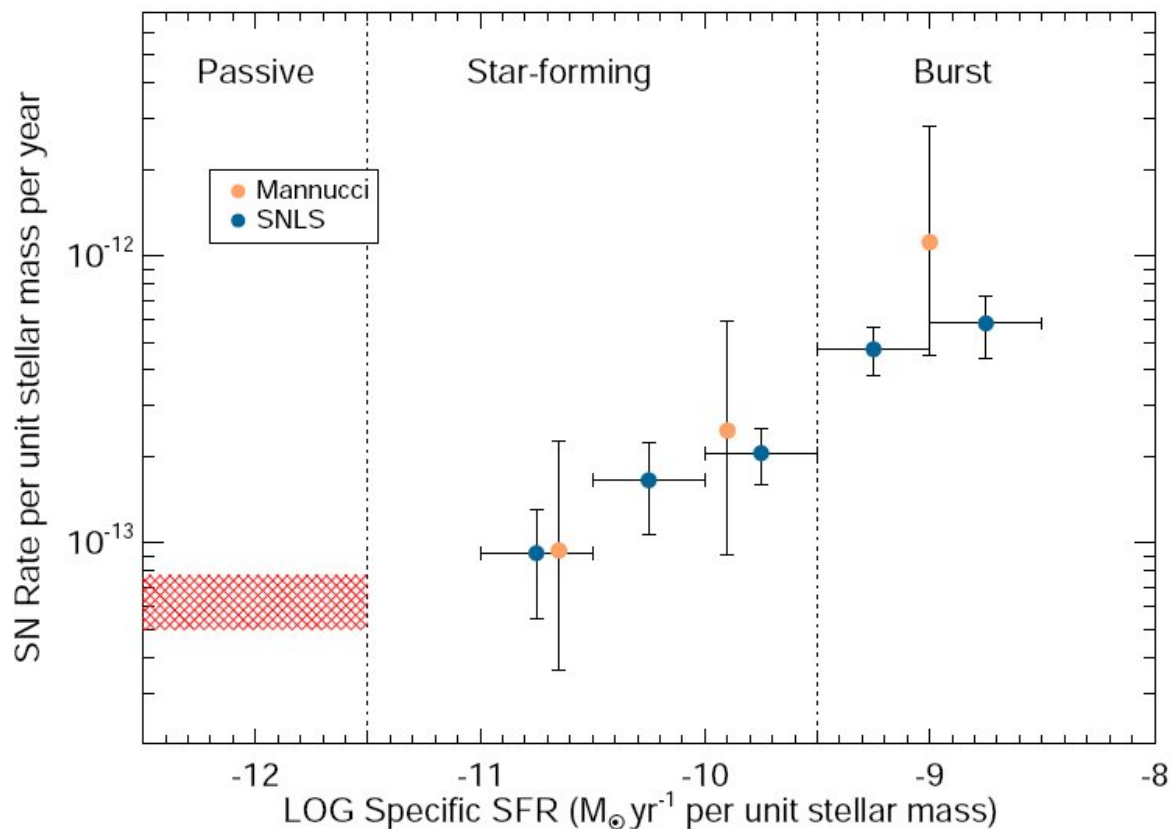


Mass, SFR (2)

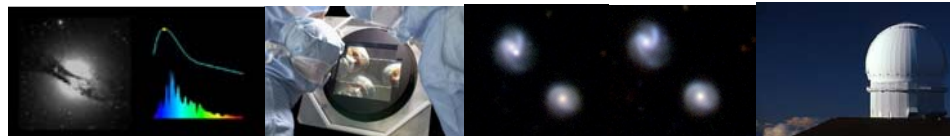
- Photo z, SED type from empirical galaxy spectra (Gwyn et al 2005)
- Mass by fitting SED type to Buzzoni models
- SFR from observed 280nm UV flux



SN Ia rate depends on SFR



- Mannucci low z confirmed



$$\text{SN rate} = A \cdot M^m + B \cdot \text{SFR}^n$$

$m = 1.10 \pm 0.12$, $n = 0.84 \pm 0.09$

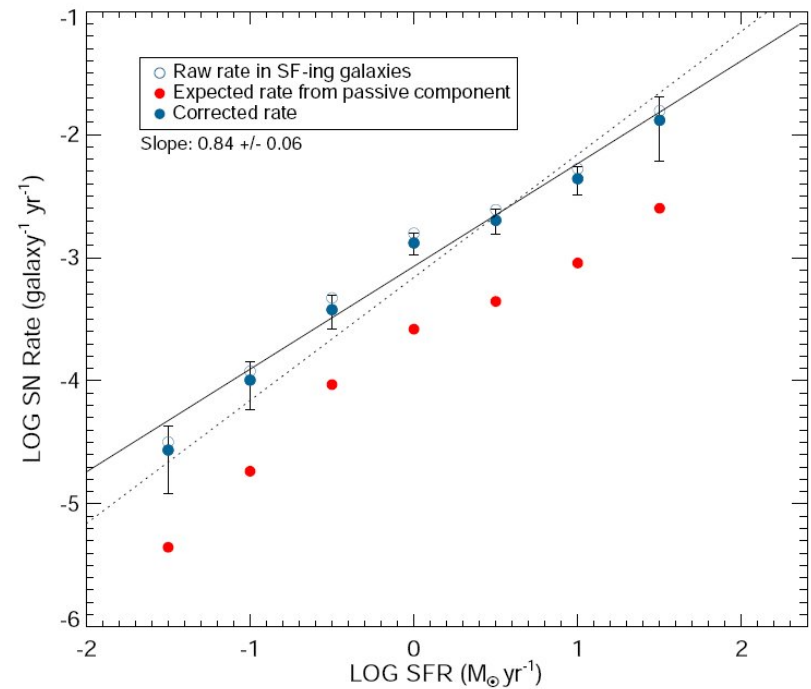
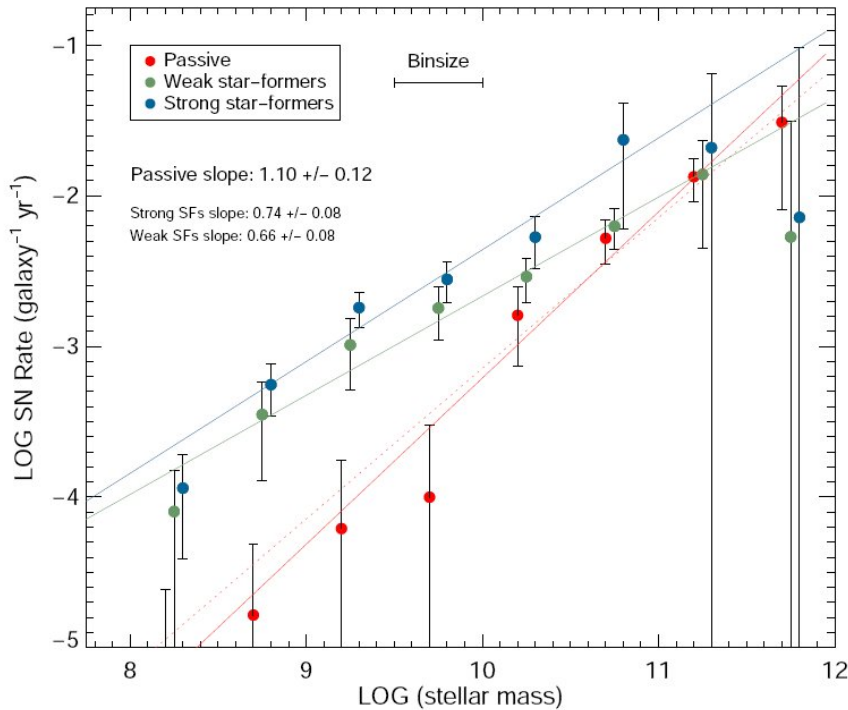
$A = 5.1 \text{E-}14 \text{ SNe/yr/Msun}$

$B = 4.1 \text{E-}4 \text{ SNe/yr/(Msun/yr)}$

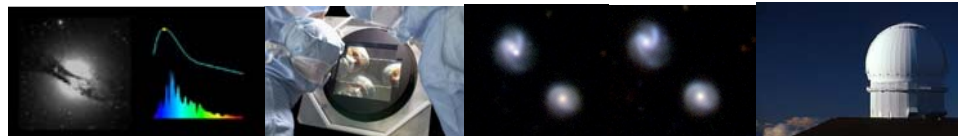
B needed at 99.99% confidence

cf. Scannapieco and Bildsten 2005
($m=1$, $n=1$)

Bivariate fits give m, n close to 1



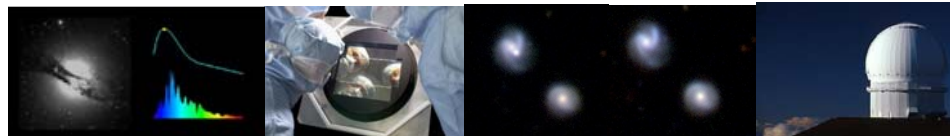
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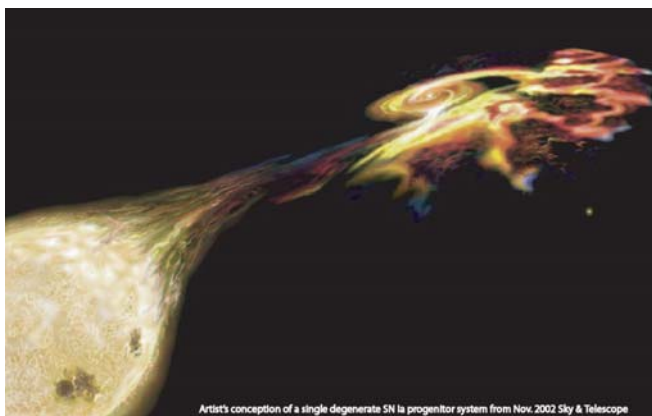


Meaning of $A \cdot M + B \cdot SFR$

$$SNR / M = A + B(SFR / M)$$

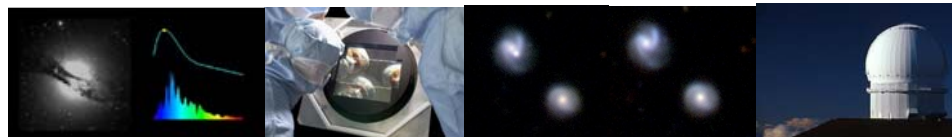
- Does this imply two paths to SNeIa? ...
- ... or is there a simple unifying picture that can be used to understand the A+B prescription for the SNIa rate?
- Why do the A and B values have the values that are observed?
- Continuum of delay times – more natural?





Toy Model

- Single degenerate scenario
- Delay time depends on evolutionary timescale of secondary - $T(\text{evol}) \approx T(\text{ms})$
- Simple $\text{SFR}(t)$ to allow for range of ages



Analytical Model - Burst

Assumption:

- Fraction of binaries producing SNIa is independent of mass

Results:

- SNIa rate from a starburst decreases with time
- Factor of $\sim 100x$ in mean stellar age (100Myr – 10Gyr) gives factor of $\sim 10x$ in SN Ia rate, as observed

$$\text{mass fcn } \frac{dN}{dM} \propto M^a$$

$$\text{evol timescale } \tau \propto M^b$$

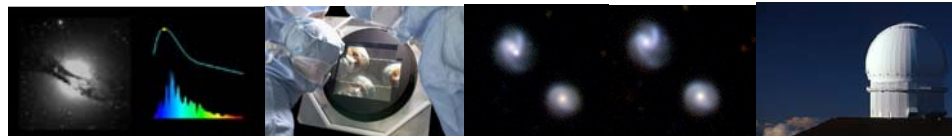
$$a \cong -2.35, \quad b \cong -2.5$$

$$M \propto \tau^{1/b}, \quad \frac{dM}{d\tau} \propto \tau^{1/b-1}$$

$$\frac{dN}{d\tau} = \frac{dN}{dM} \cdot \frac{dM}{d\tau}$$

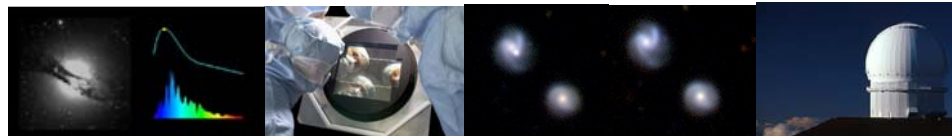
$$\propto \tau^{(a-b+1)/b}$$

$$\propto \tau^{-0.5\pm}$$



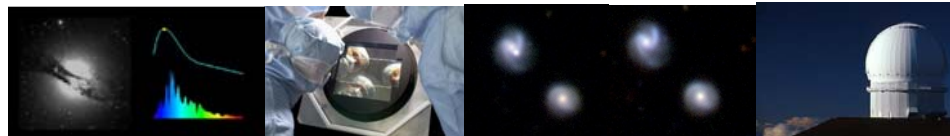
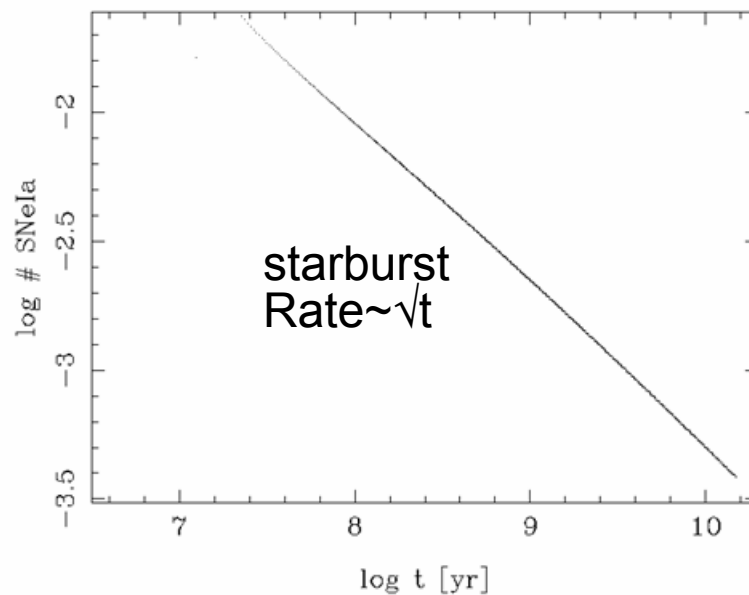
Numerical Model

- Salpeter mass function (or Kroupa)
- $\text{SFR} \sim t^{-\eta}$
 - $\eta = 1$ is taken to be an SSP (E/S0)
 - $\eta = -1$ is an Irr starburst
- Correct evolutionary timescales (not just power law in mass)
- Numerical integration or Monte Carlo



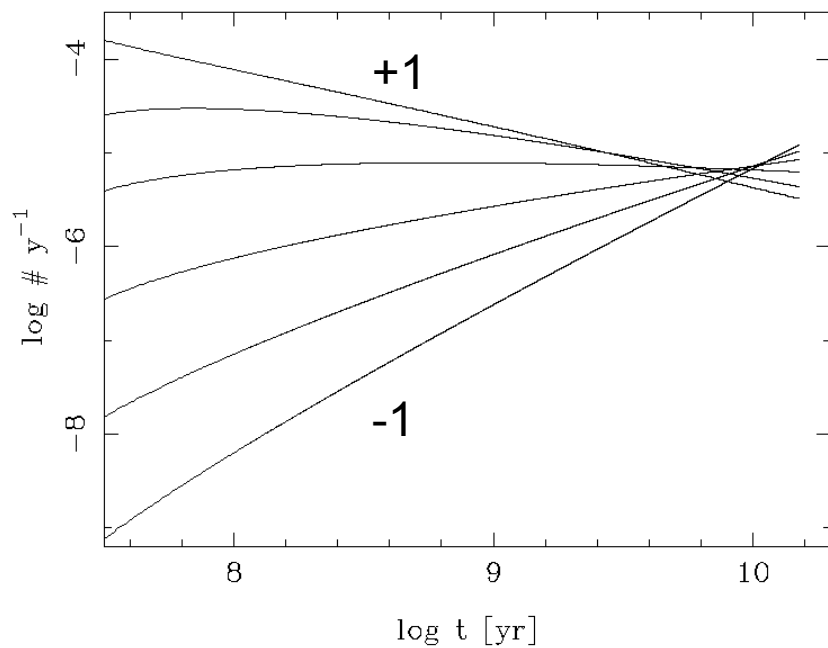
Rate vs time

- Rate at which stars leave main sequence
- This is the distribution of delay times for a burst

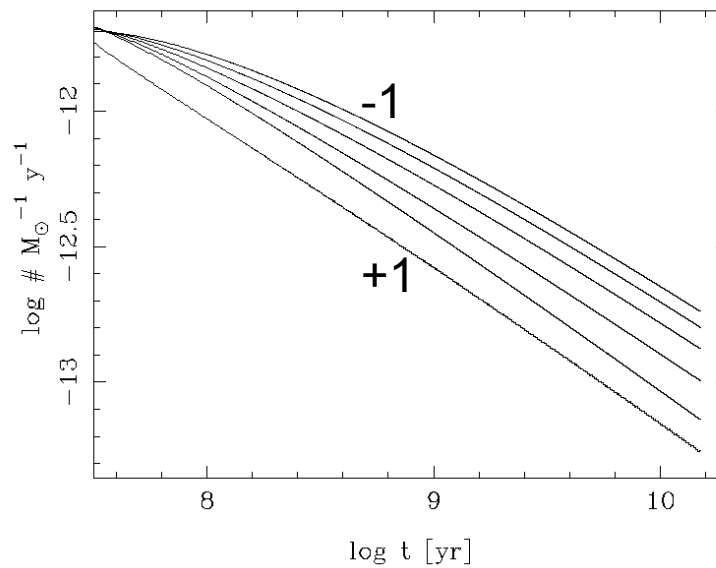


Rate vs time

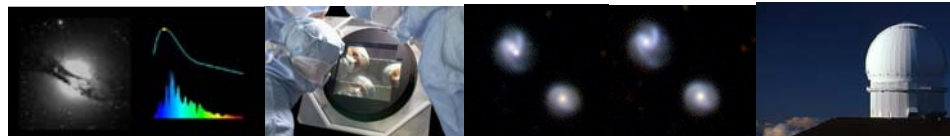
eta = 1 0.95 0.5 0 -0.5 -1



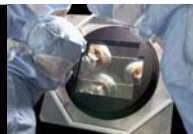
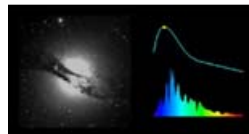
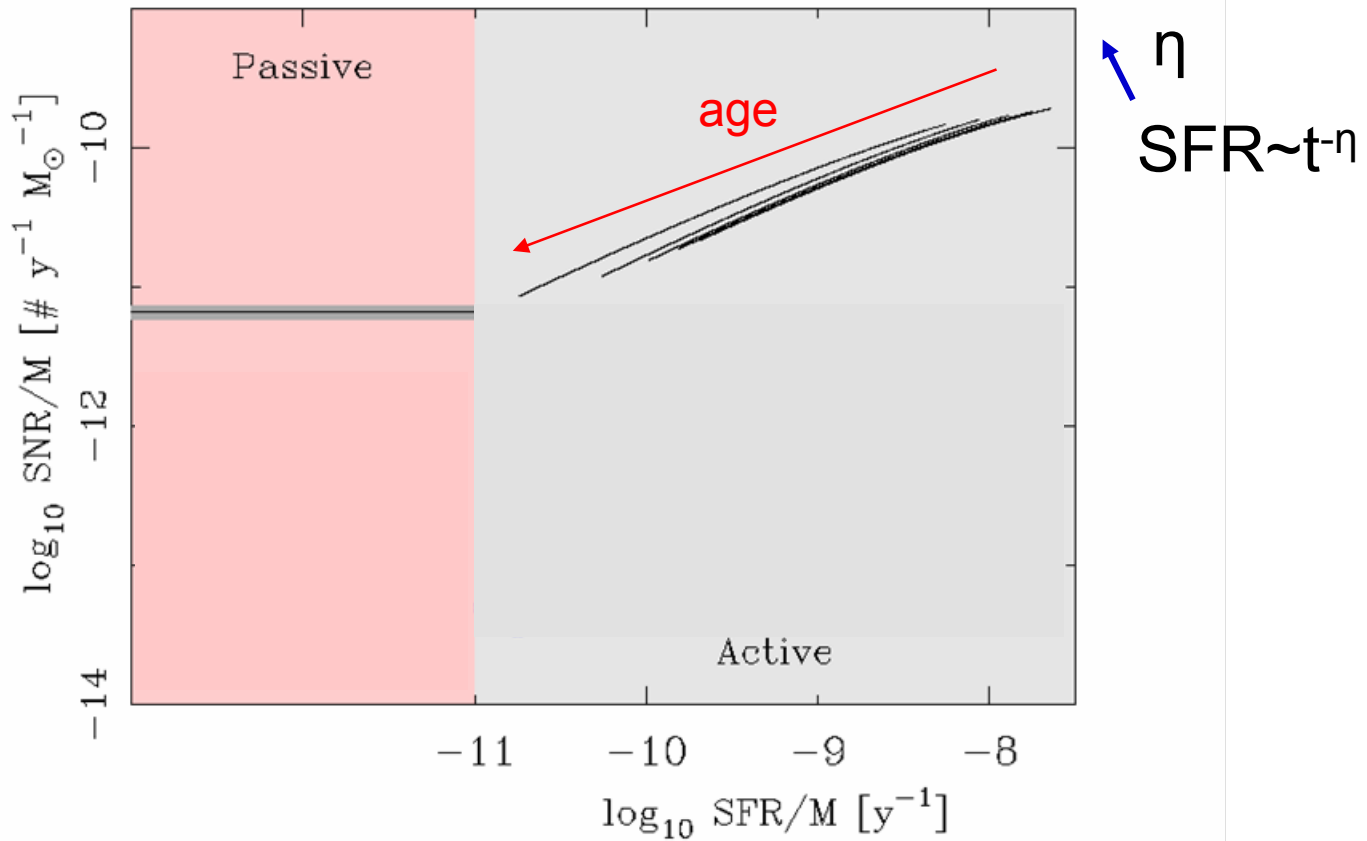
eta = 1 0.95 0.5 0 -0.5 -1



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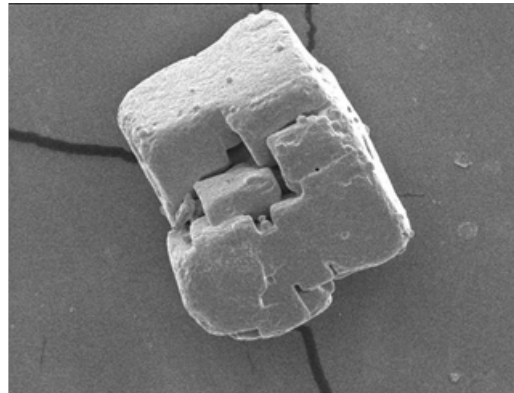


Predictions of model

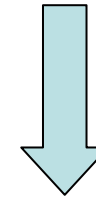


Normalization

“cum grano salis”



($1e10 M_{\text{sun}}$)
 $\langle [\text{Fe}/\text{H}] \rangle = -0.5$



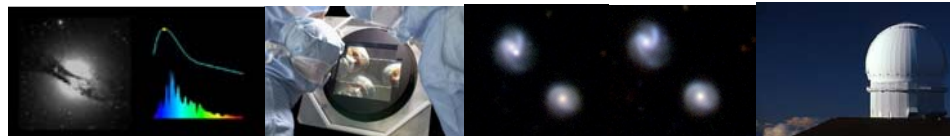
$\left\{ \begin{array}{l} 1e10 M_{\text{sun}} \\ \text{Salpeter mass fcn} \\ 1-9 M_{\text{sun}} \text{ for SNIa} \\ 0.6 M_{\text{sun}} \text{ Ni56 per SNIa} \end{array} \right\}$

$\times f_{\text{SNIa}}$

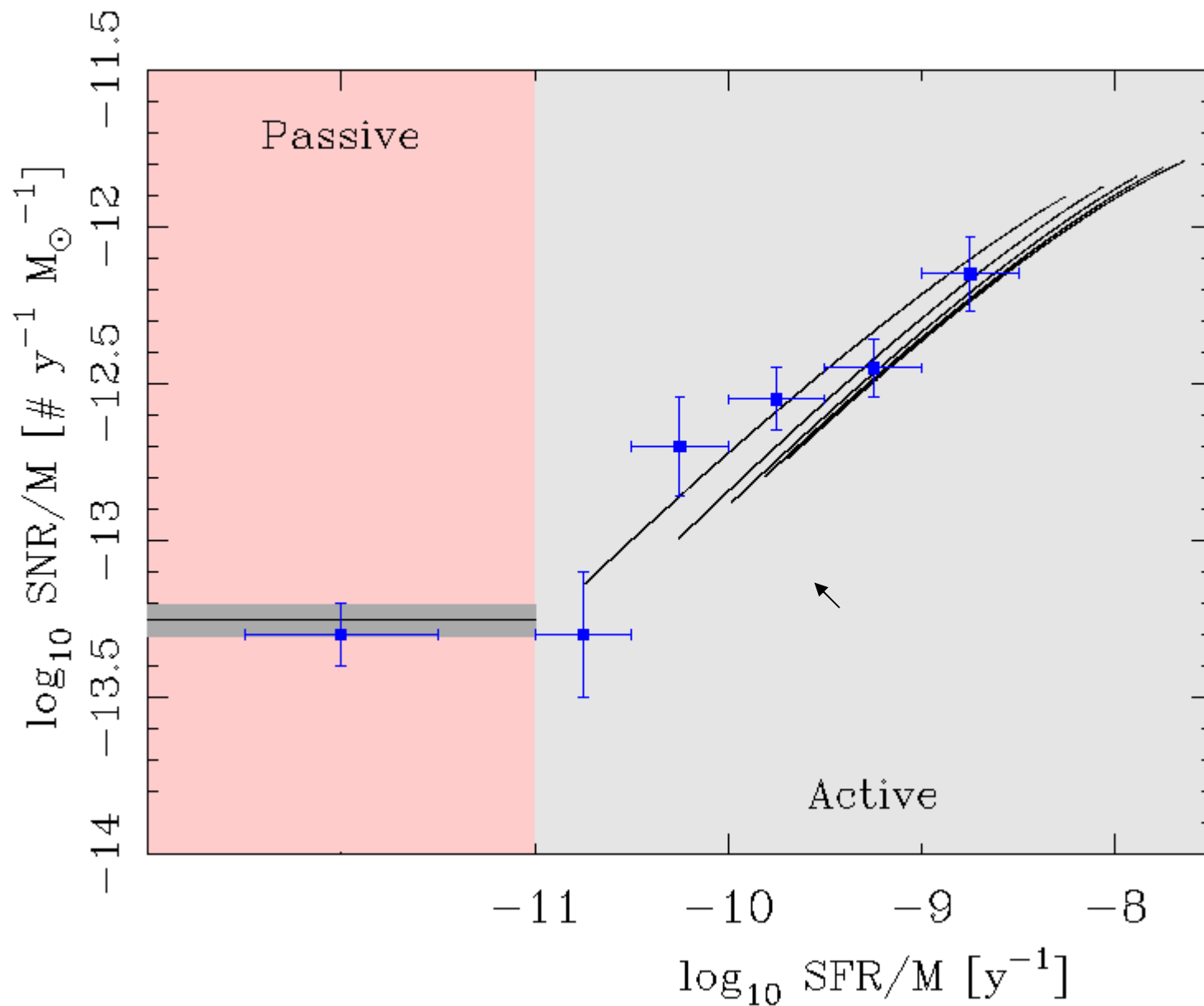


$6 \times 10^6 M_{\text{sun}}$
 Fe peak

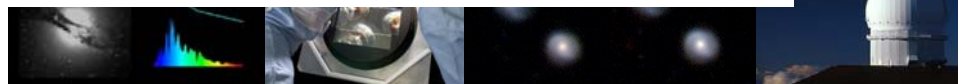
Fraction 0.0083 of all stars in the mass range 1-9 M_{sun} become SNIa.



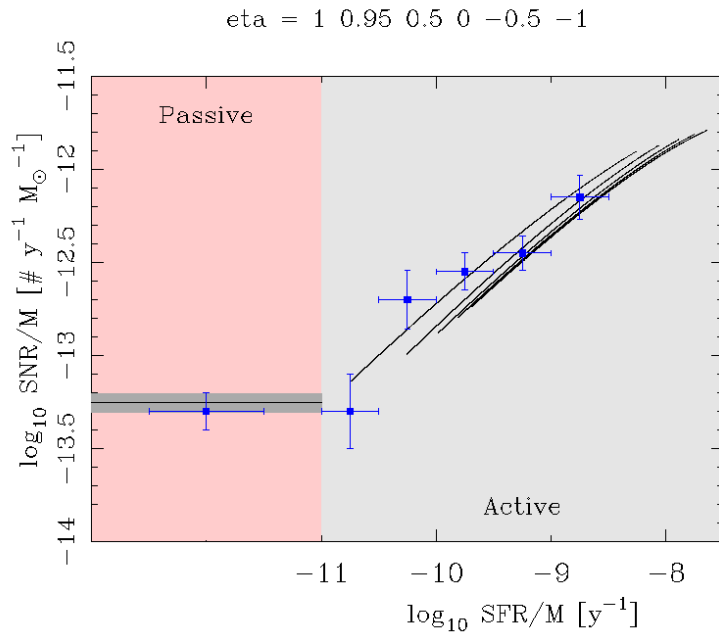
eta = 1 0.95 0.5 0 -0.5 -1



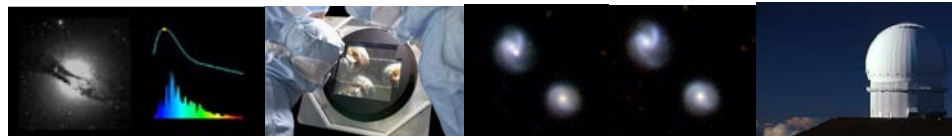
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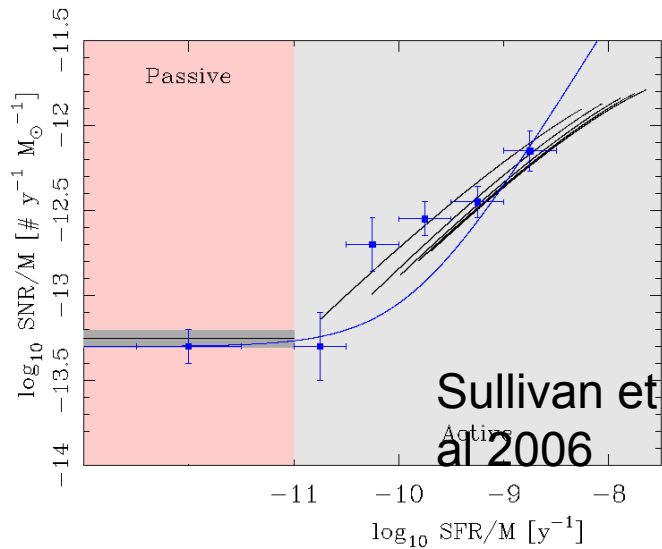
Meaning



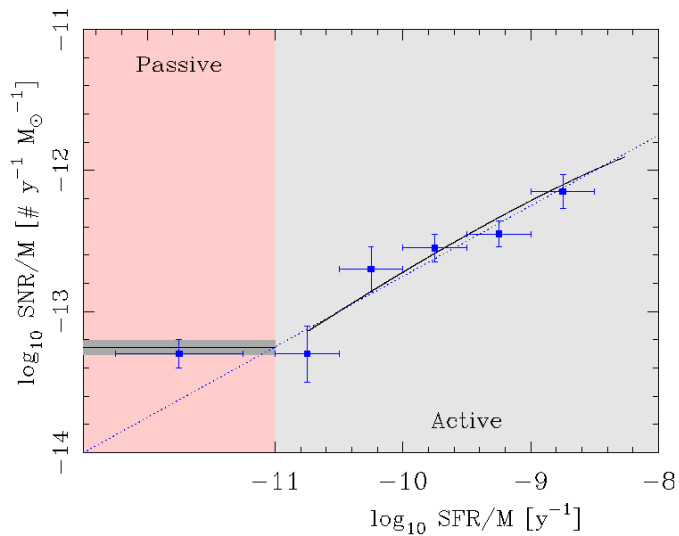
- Single component model – not A+B
- Continuous distribution of delay times
- Rate in active and passive galaxies both explained
- Only physics is evolution timescales
- Single free parameter normalization - f_{SNIa}



eta = 1 0.95 0.5 0 -0.5 -1



A + B (SFR/M)
or ...?

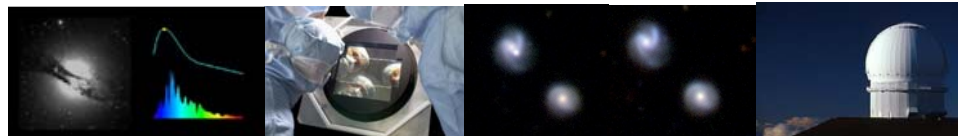


$$\frac{SNR}{M} = Cf(\tau, \eta) \cong Cf(\tau)$$

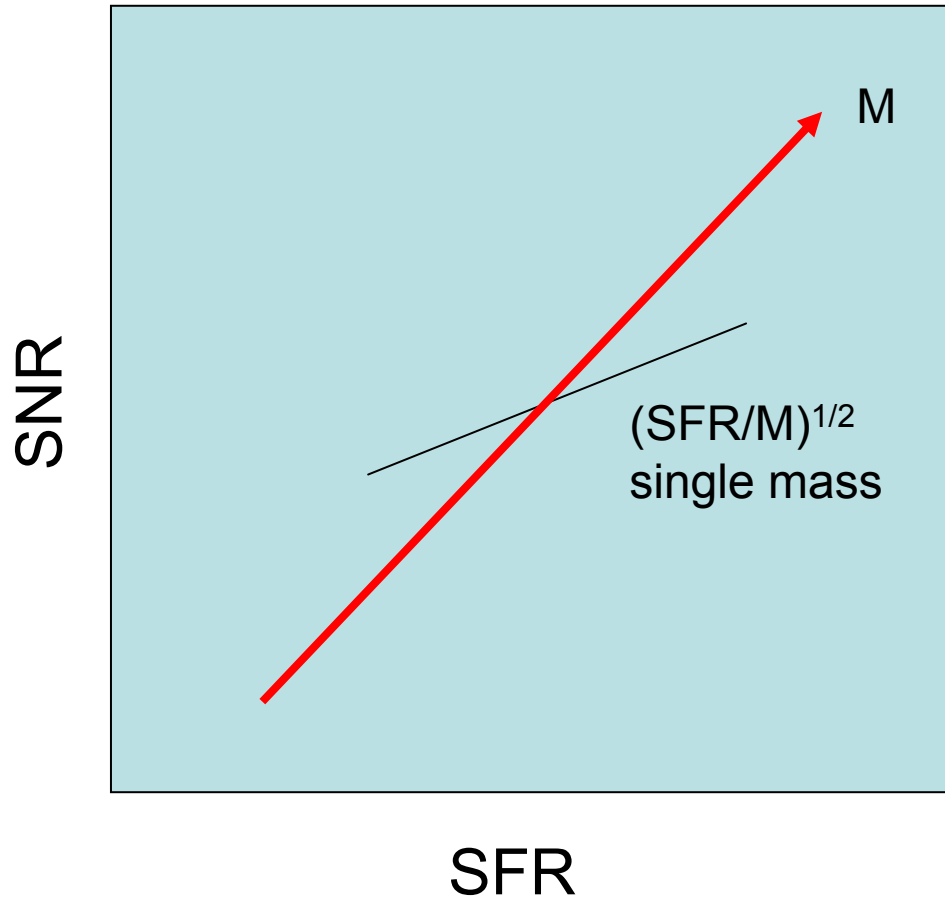
$$\approx \max [1.8 \times 10^{-8} (SFR/M)^{1/2}, 5 \times 10^{-14}]$$

Units are $M_{sun}^{-1} y^{-1}$

This is not a 2 component model!



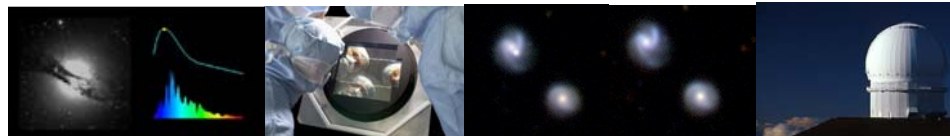
Why $A M + B$ SFR fitted?



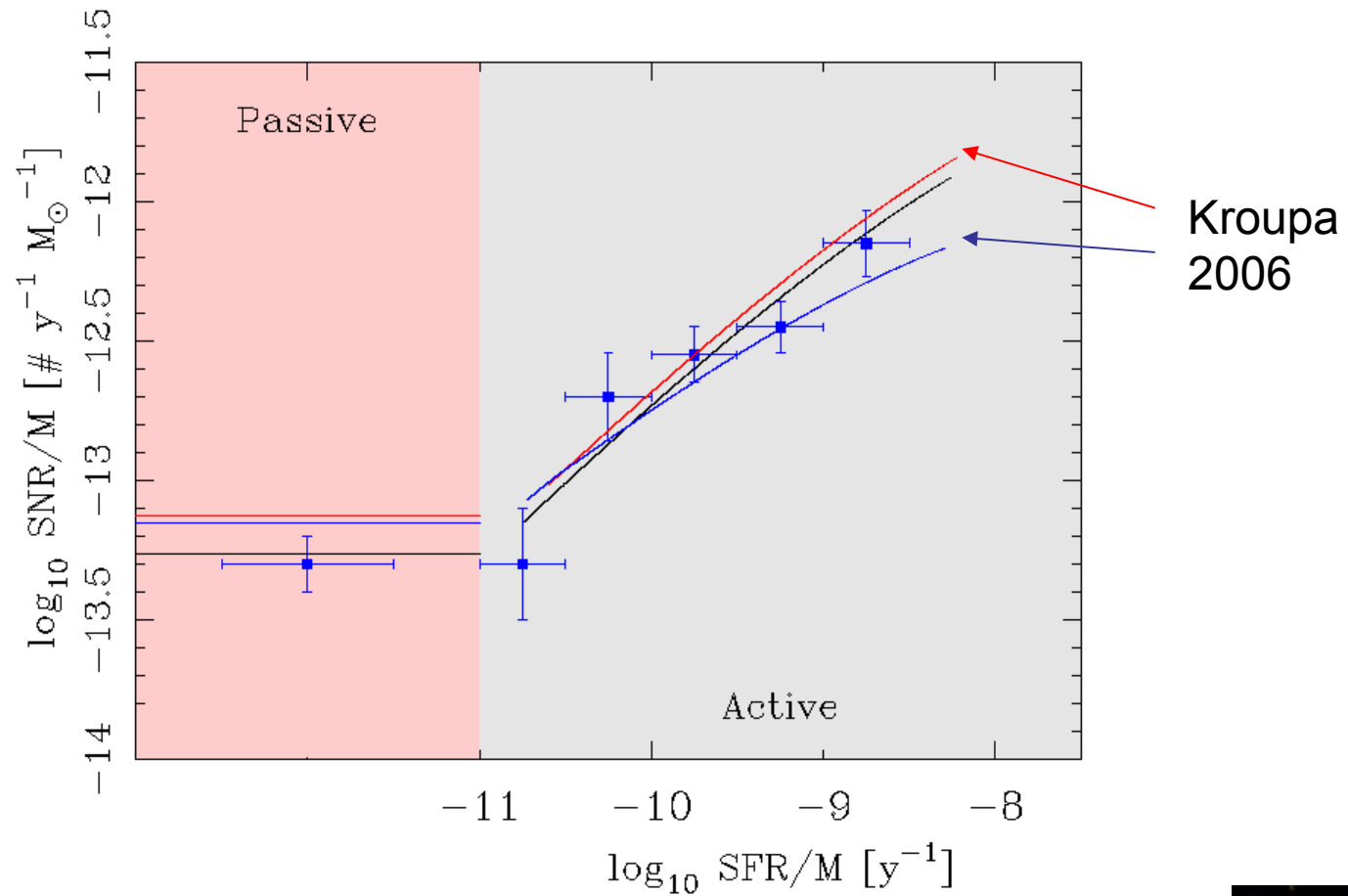
$$\frac{SNR}{M} = Cf(\tau)$$

$$\therefore SNR = Cf(\tau)M$$

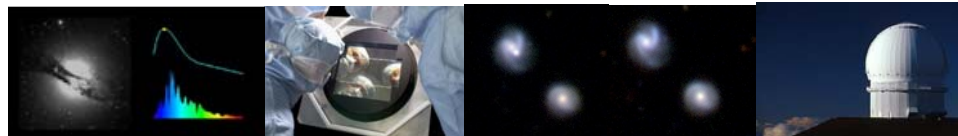
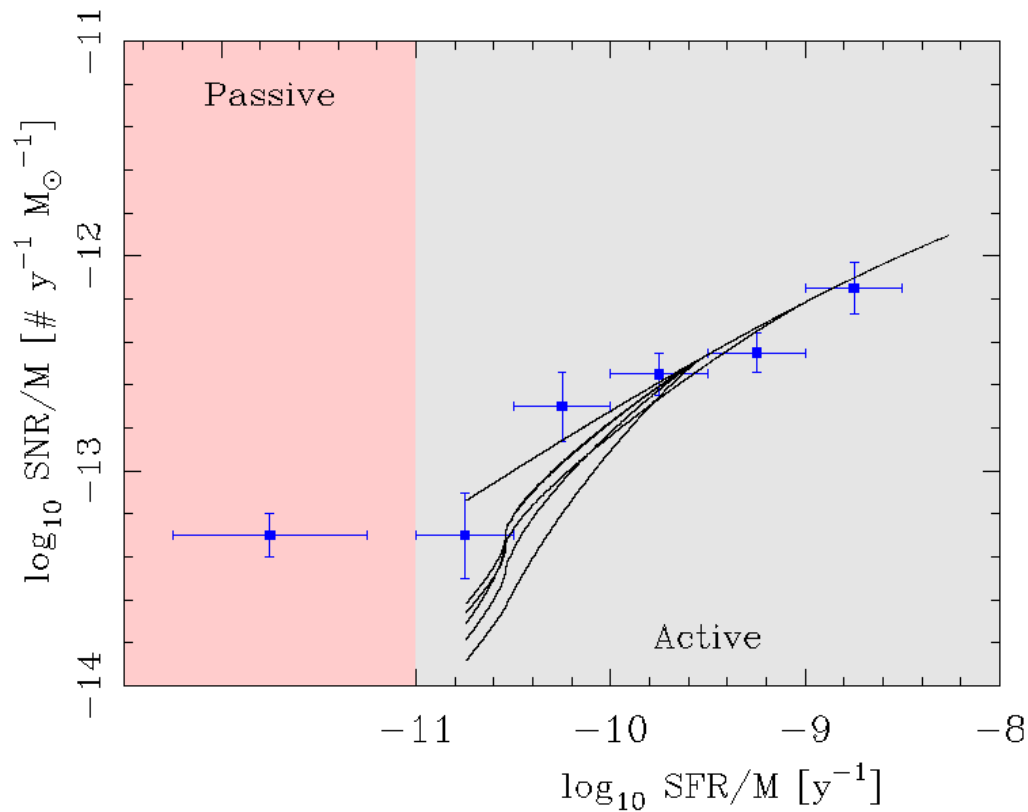
- Mass stretches $f(SFR/M)$
- Slope closer to 1
- Observed slope is <1 - expected ...



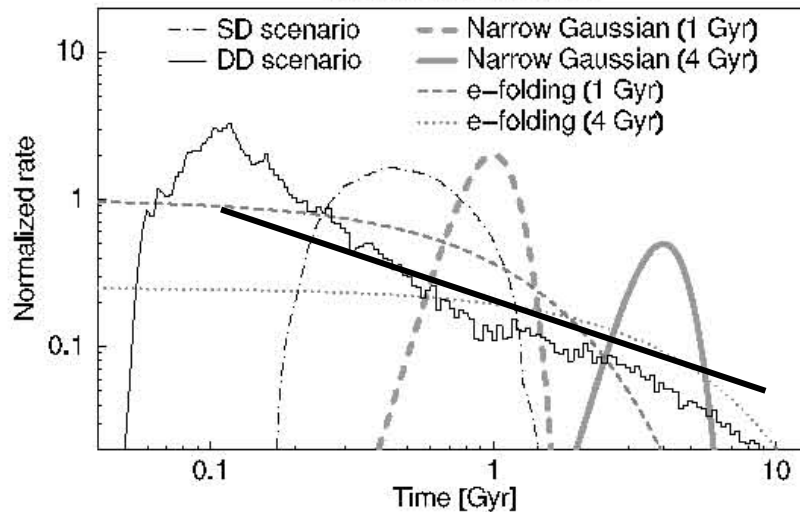
IMF effects



Decreasing efficiency at low mass

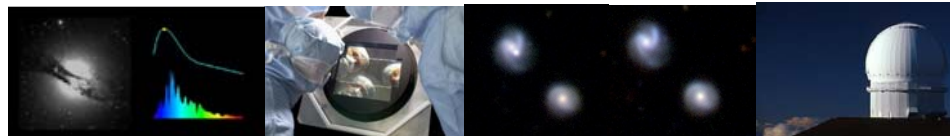


DD Scenario



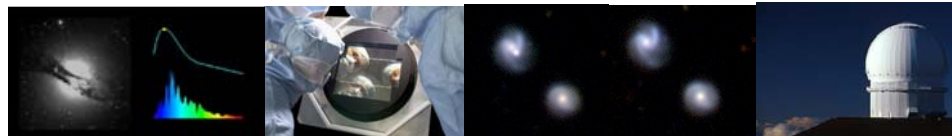
Han &
Podsiadlowski
2004

Figure 1. Theoretical time delay distributions (Han & Podsiadlowski 2004) compared to parametrized time delay distributions used in the analysis. The best-fitting model in S04 corresponds to the 'narrow Gaussian' distribution with a mean time delay of 4 Gyr



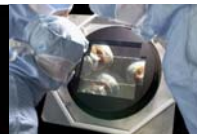
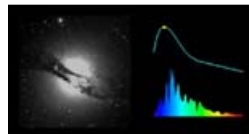
Conclusions

- SNIa rate depends on SFR
- $\text{SNR}/M \sim C (\text{SFR}/M)^{1/2}$ or C' (passive)
 - one parameter model fits active and passive
 - excellent fit to data – better than $A + B \text{SFR}/M$
 - Based on stellar evolutionary timescales
 - Continuous delay time distribution
- Prediction:
 - SNIa rate will correlate with mean age from population models



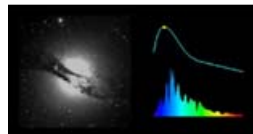


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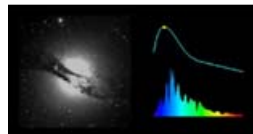


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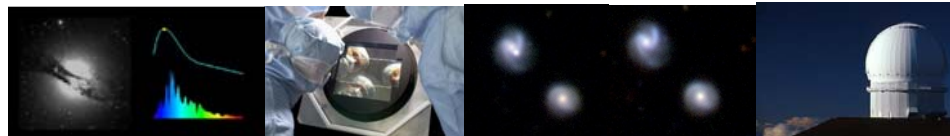
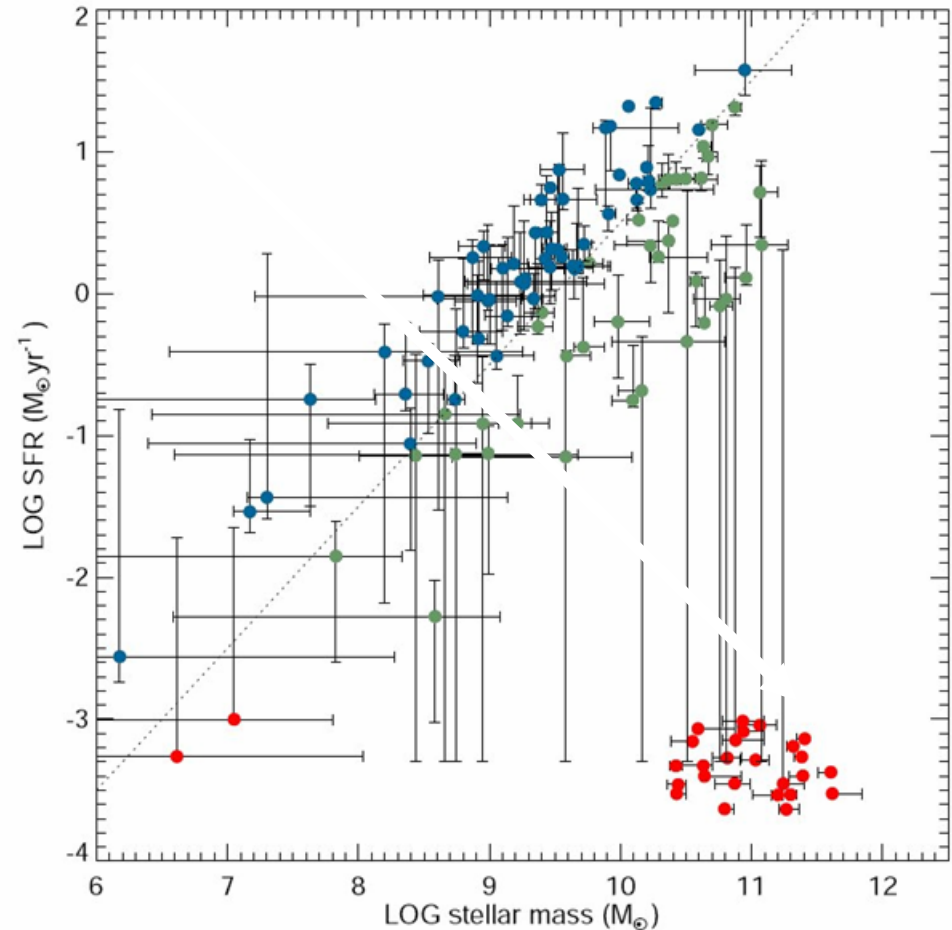


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SFR vs. Mass – 3 groups

- Gas consumption timescale M/SFR

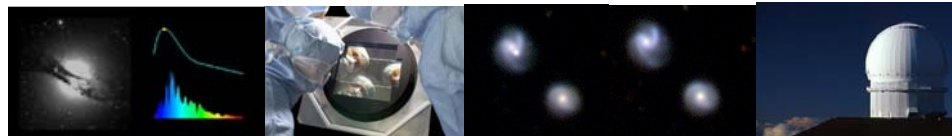


Calculating rate

- Rate per unit mass for the k'th group of objects

$$(rate / mass)_k = \frac{f}{\Delta t} \cdot \left[\frac{N_{SN}}{\sum_{i=\text{all gals}} M_i} \right]_k$$

- f =incompleteness, doesn't matter when comparing different types of galaxies with the same time sampling



Normalization

- Mass fraction of Fe = $1.2E-3$ for solar abundances
- 0.6 Msun of Fe-peak elements per SNIa
- Salpeter IMF, 10^{10} Msun of stars
 - $2.8E10$ stars (0.1-100Msun)
 - Fraction by number that are 1-9 Msun is ???
- So 10^{10} Msun produces $2.8e10 \times 0.12 \times 0.6 = 2.0e9$ Msun Fe if all stars 1-9Msun become SNIa
- Actual Fe mass is only $0.0012 \times 10^{10} = 1.2e7$ Msun
- **Therefore a fraction 0.0083 of all stars in the mass range 1-9 Msun become SNIa.**

