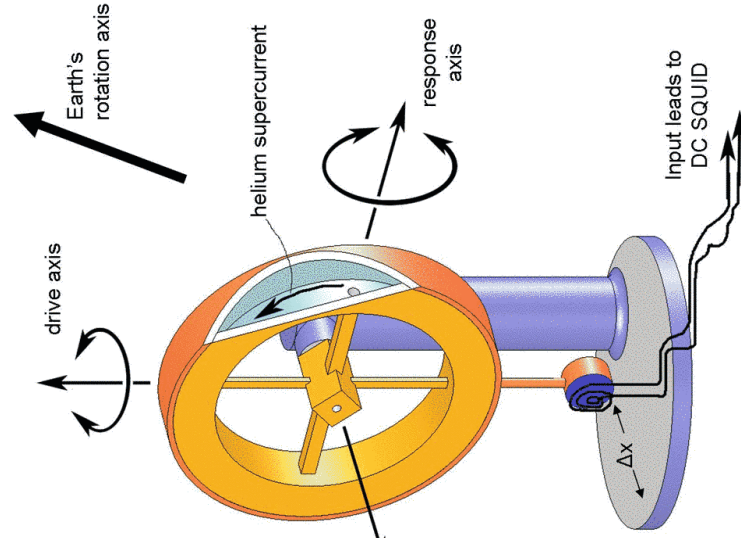


## Davis Supersolid Group Plans in Progress

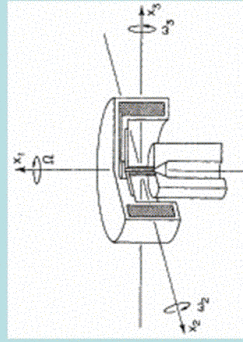
- Ethan Pratt
- Sophie Rittner (also Reppy group)
- Minoru Yamashita
- J.C. Seamus Davis

Search for persistent mass currents in a supersolid



### History of persistent-current annular ring experiments

- 1) Kamerlingh Onnes, 1914  
- superconducting ring
- 2) Reppy, 1965  
- tungsten-wire  $^4\text{He}$  gyroscope
- 3) M. Chan, Yanof, and Reppy, 1974  
- thin-film  $^4\text{He}$  gyroscope
- 4) Gammel, Hall, and Reppy, 1984  
-  $^3\text{He-B}$  AC-driven gyroscope  
(shown below)



Phase and velocity relationship

$$e^{i\vec{\nabla}(\vec{k}\cdot\vec{r})} = e^{i\vec{\nabla}\phi} \Rightarrow e^{i\vec{k}\cdot\vec{r}} = e^{i\phi}$$

thus  $\vec{k} = \vec{\nabla}\phi$  but  $\vec{k} = \frac{m\vec{v}}{\hbar}$

so  $\vec{v} = \frac{\hbar}{m_4} \vec{\nabla}\phi$

QM requires the wavefunction to be single-valued, so

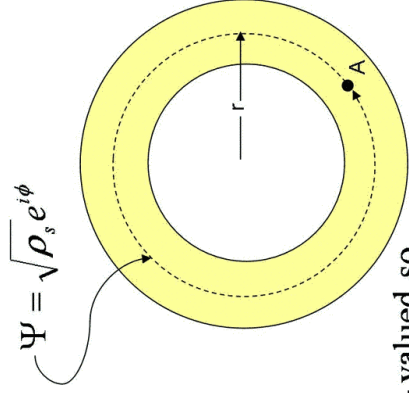
$$e^{i\phi_A} = e^{i(\phi_A + \oint \vec{\nabla}\phi \cdot d\vec{l})}$$

$$\Rightarrow \oint \vec{\nabla}\phi \cdot d\vec{l} = n2\pi, \quad n \text{ integer}$$

(the circulation is quantized)

$$\Rightarrow v_{\text{slip}} = \frac{\hbar}{m_4} \frac{n}{2\pi r}$$

thus the velocity is quantized and small dissipation events are forbidden. This allows mass currents to persist indefinitely.



Search for quantized phase slippage in a supersolid

Need:

- Large dynamic range
- $\sim 1$  fm/Hz<sup>1/2</sup> sensitivity
- Ultra-low vibration
- $\Rightarrow$  Torsion oscillator using a DC SQUID for position measurement

Single phase-slip event signal size

$$\begin{aligned} \Delta v_{\text{osc}} &= v_{\text{slip}} \sqrt{\frac{I_s}{I_{\text{osc}}}} \\ &= \frac{\hbar R_{\text{He}}}{m_4} \sqrt{\frac{\frac{\pi}{2} \rho_s a}{I_{\text{osc}}}} \approx 25 \text{ m}\mu\text{s} \\ \Delta x_{\text{osc}} &= \frac{v_{\text{slip}}}{\omega_0} \sqrt{\frac{1}{2} \frac{R_{\text{Squid}} I_s}{R_{\text{He}} I_{\text{osc}}}} \\ &= \frac{\hbar}{m_4 \omega_0} \sqrt{\frac{\pi \rho_s a I_{\text{Squid}} R_{\text{He}}}{4 I_{\text{osc}}}} \approx 4 \text{ pm} \end{aligned}$$

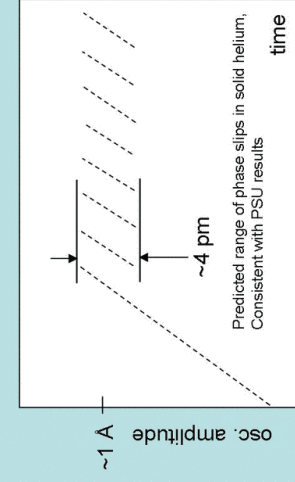
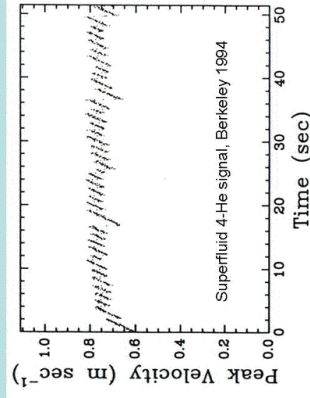


Fig. 5. Typical response of the flow oscillator showing discrete dissipation events.

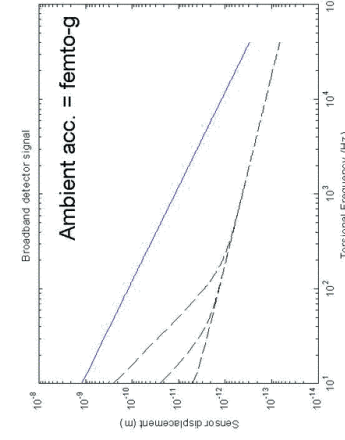
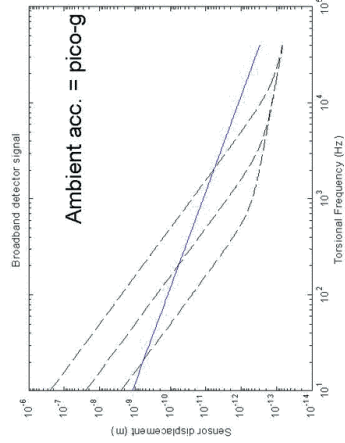
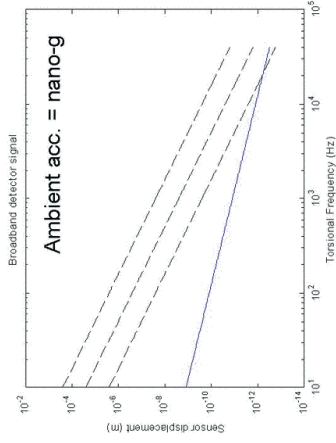
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Signals (blue) and Noises (dashed)

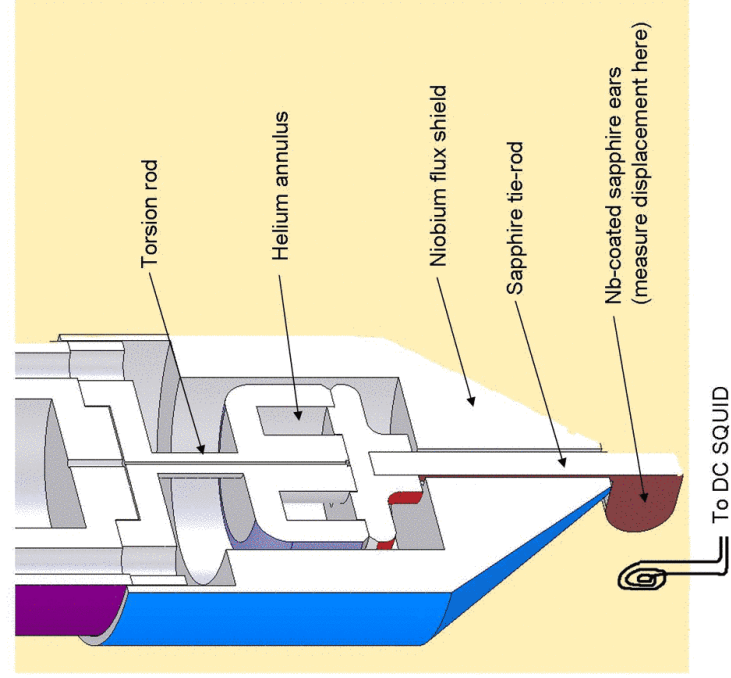
Thermal noise  $\Delta\theta = \sqrt{\frac{k_B T}{\kappa}} = \sqrt{\frac{k_B T}{4\pi^2 f_0 J_0}}$

Acceleration noise  $\Delta\theta = \frac{Q a_{rms}}{4\pi^2 f_0^2 R}$

Sensitivity floor  $\Delta\theta = \frac{\sigma}{R_{signal}} \sqrt{\frac{f_0}{Q}}$



DC-SQUID detected torsion oscillator



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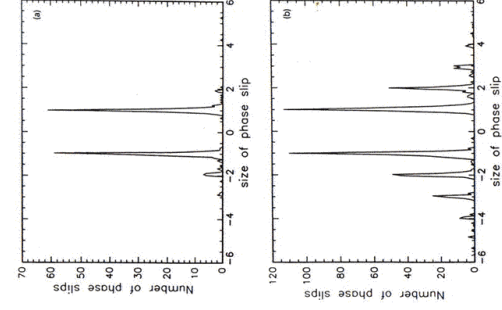


Fig. 6. (a) Typical histogram of phase slips for two directions of flow from a  $0.25 \times 0.27$  micrometer aperture. The slip's size is in units of  $\kappa L$  for that aperture. (b) A histogram for the same aperture as in (a), in the presence of noise. Similar histograms are observed for apertures larger than 1 micrometer under the quietest conditions achieved.