

Ultrafast charge migration following ionization

**driven by electron correlation
and relaxation**

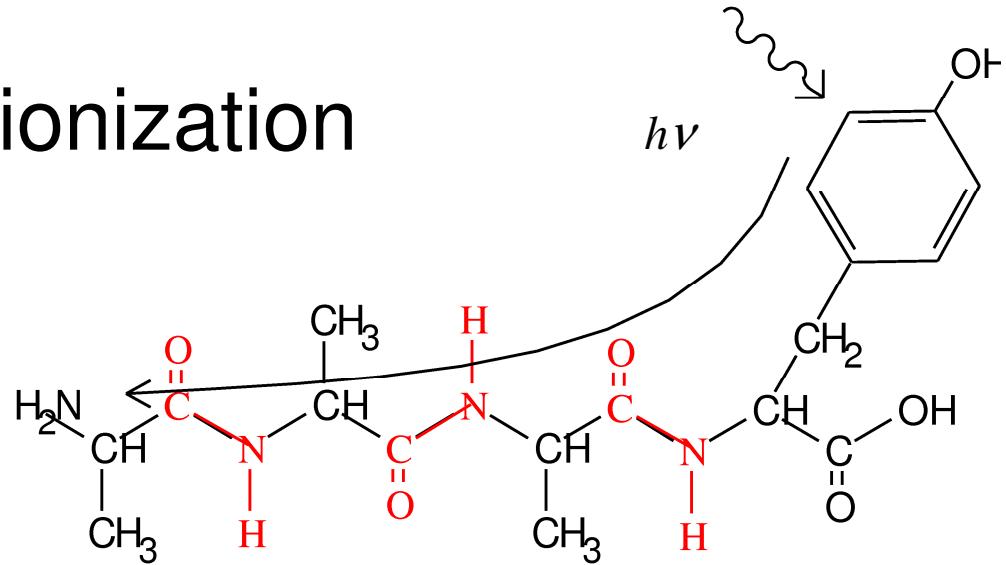
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Theoretical Chemistry
University of Heidelberg

Motivation

- Understanding of charge transport in Nature, like in photosynthesis
- Role of electron correlation and relaxation

Charge transfer in Peptides

Fragmentation after ionization
of the benzene ring



Alanin – alanin – alanin - tyrosin

R. Weinkauf et al., *J. Phys. Chem.* **1996**, *100*, 18567

Question:

What is the mechanism of the charge transport?

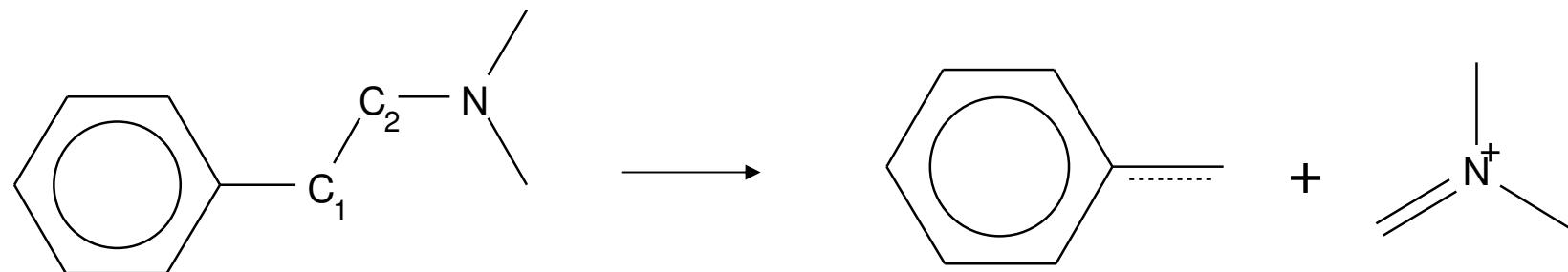
First *ab initio* calculations indicate
that a purely electronic *ultrafast*
charge transport caused by
electron correlation and relaxation
is possible

- charge transport on a femtosecond timescale
- no nuclear dynamics

	Charge transfer	Charge migration
caused by	nuclear dynamics	electron dynamics
timescale	~ ps	~ fs

Further experiments with femtosecond lasers

- PENNA (2-Phenylethyl-*N,N*-dimethylamine)
- Related to the amino acid phenylalanin
- Fragmentation after ionization of benzene ring
- Reported timescale of fragmentation: 80 ± 28 fs

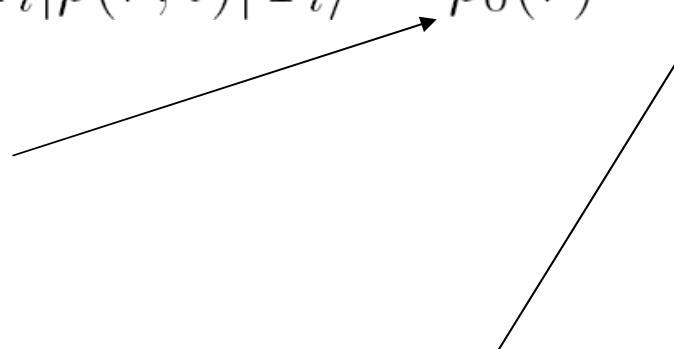


Theoretical Methods for the calculation of the hole density

$$Q(\vec{r}, t) := \langle \Psi_0 | \hat{\rho}(\vec{r}, t) | \Psi_0 \rangle - \langle \Phi_i | \hat{\rho}(\vec{r}, t) | \Phi_i \rangle = \rho_0(\vec{r}) - \rho_i(\vec{r}, t)$$

electron density
of the ground state
(time independent)

electron density
of the produced cation
(time dependent)



$$Q(\vec{r}, t) = \underbrace{\langle \Psi_0 | \hat{\rho}(\vec{r}, t) | \Psi_0 \rangle}_{\rho_0(\vec{r})} - \underbrace{\langle \Phi_i | \hat{\rho}(\vec{r}, t) | \Phi_i \rangle}_{\rho_i(\vec{r}, t)},$$

$\hat{\rho}$ density operator

$|\Phi_i\rangle$ initial nonstationary cationic state

In an one-particle (orbital) basis $\{\varphi_p\}$

$$Q(\vec{r}, t) = \sum_{p,q} \varphi_p^*(\vec{r}) \varphi_q(\vec{r}) N_{pq}(t)$$

$\mathbf{N}(t)$ hole density matrix with elements $N_{pq}(t)$

diagonlization of $\mathbf{N}(t)$ leads to

$$Q(\vec{r}, t) = \sum_p |\tilde{\varphi}_p(\vec{r}, t)|^2 \tilde{n}_p(t)$$

$\tilde{\varphi}_p(\vec{r}, t)$ natural charge orbitals

$\tilde{n}_p(t)$ hole occupation numbers

How to calculate Q ?

\mathbf{N} is computed using *ab initio* many-body Green's functions (GF)

Two ways:

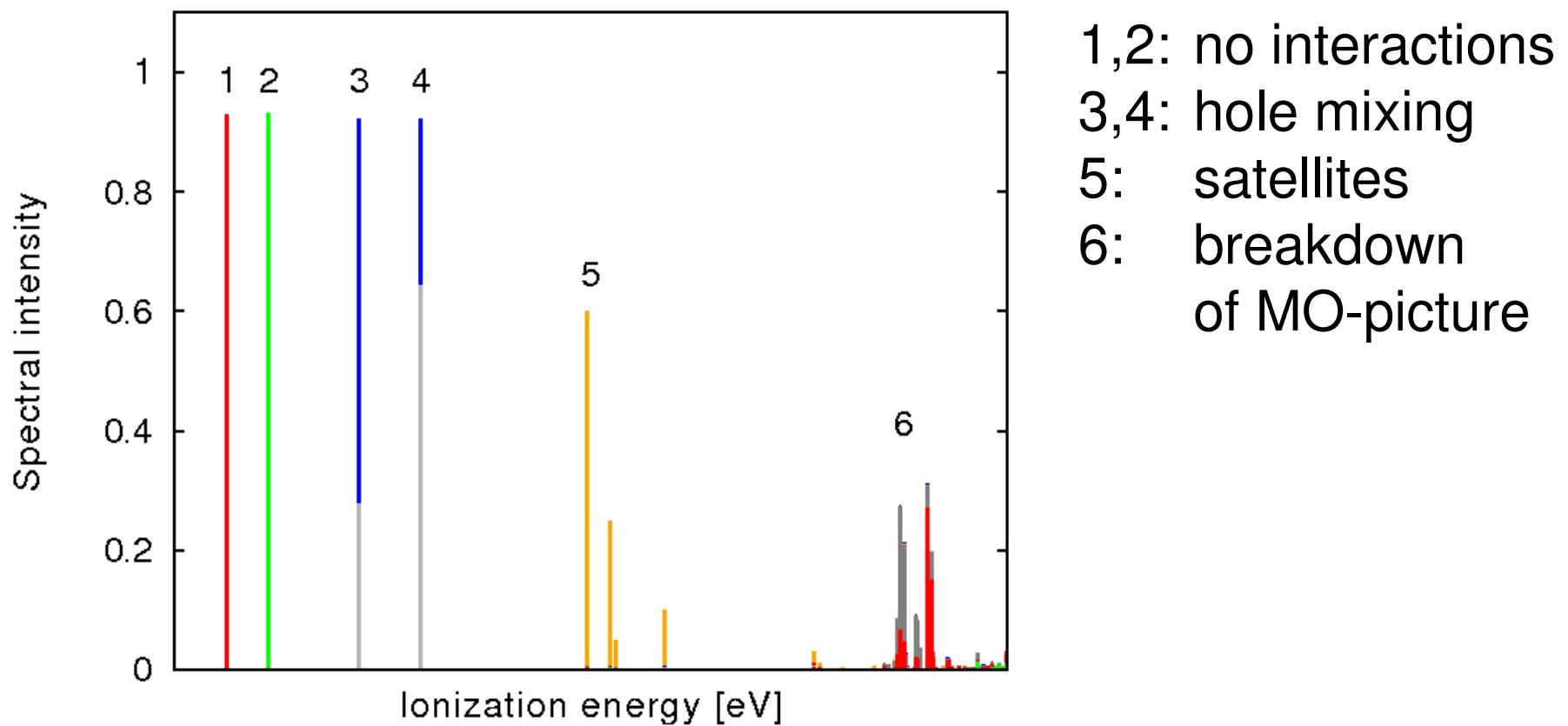
1. Diagonalization of GF – ADC – matrices
as long as the matrices are small [1,2]
2. Propagation of the initial cationic state by
multielectron wavepacket dynamics [3]

Visualization using graphical standard tools, i.e. gnuplot, Molden

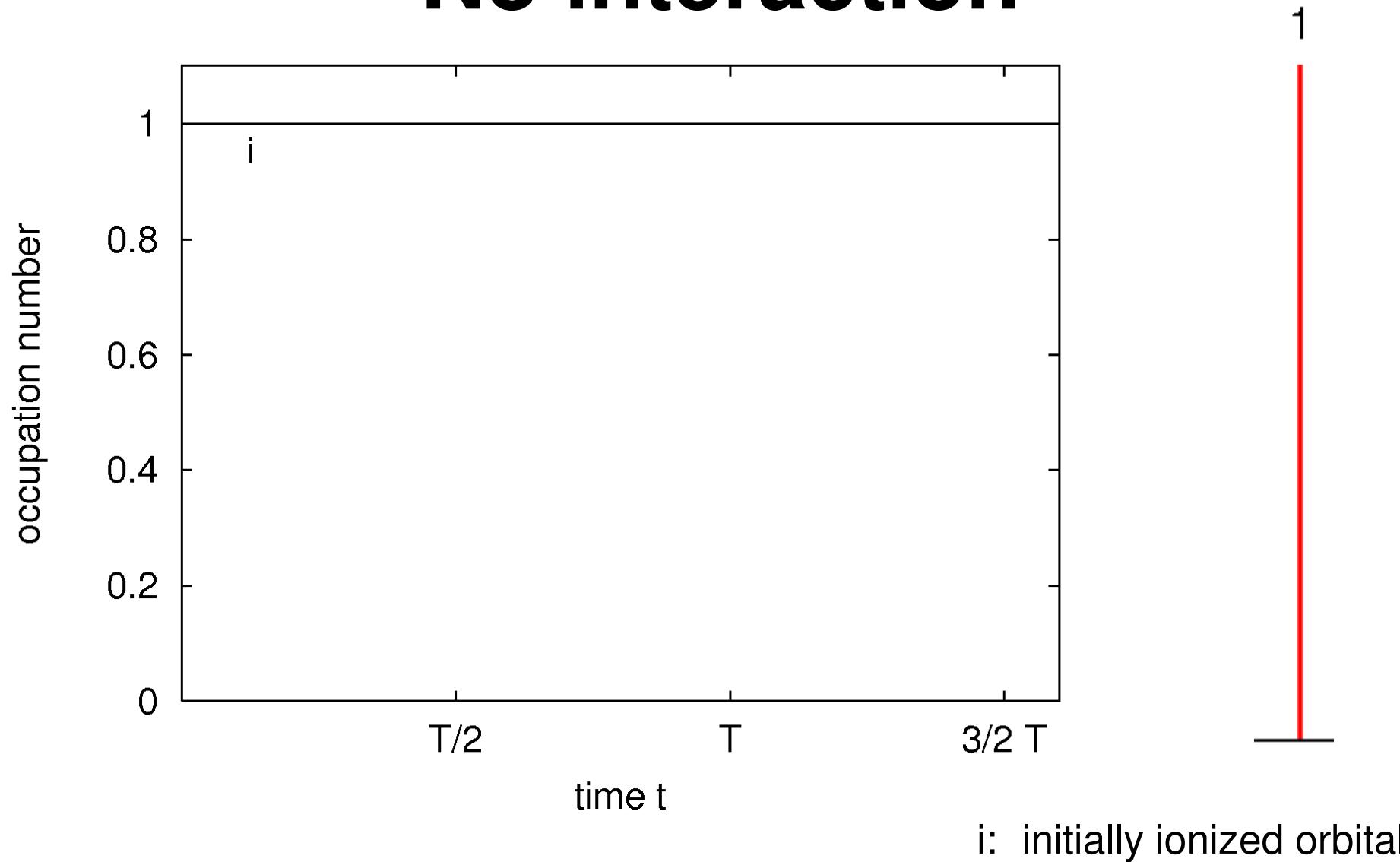
- [1] J. Breidbach et al *J. Chem. Phys.* **2003**, *118*, 3983
- [2] J. Breidbach et al *J. Chem. Phys.* **2007**, *126*, 34101
- [3] A. I. Kuleff et al *J. Chem. Phys.* **2005**, *123*, 044111

On the basic mechanisms of charge migration

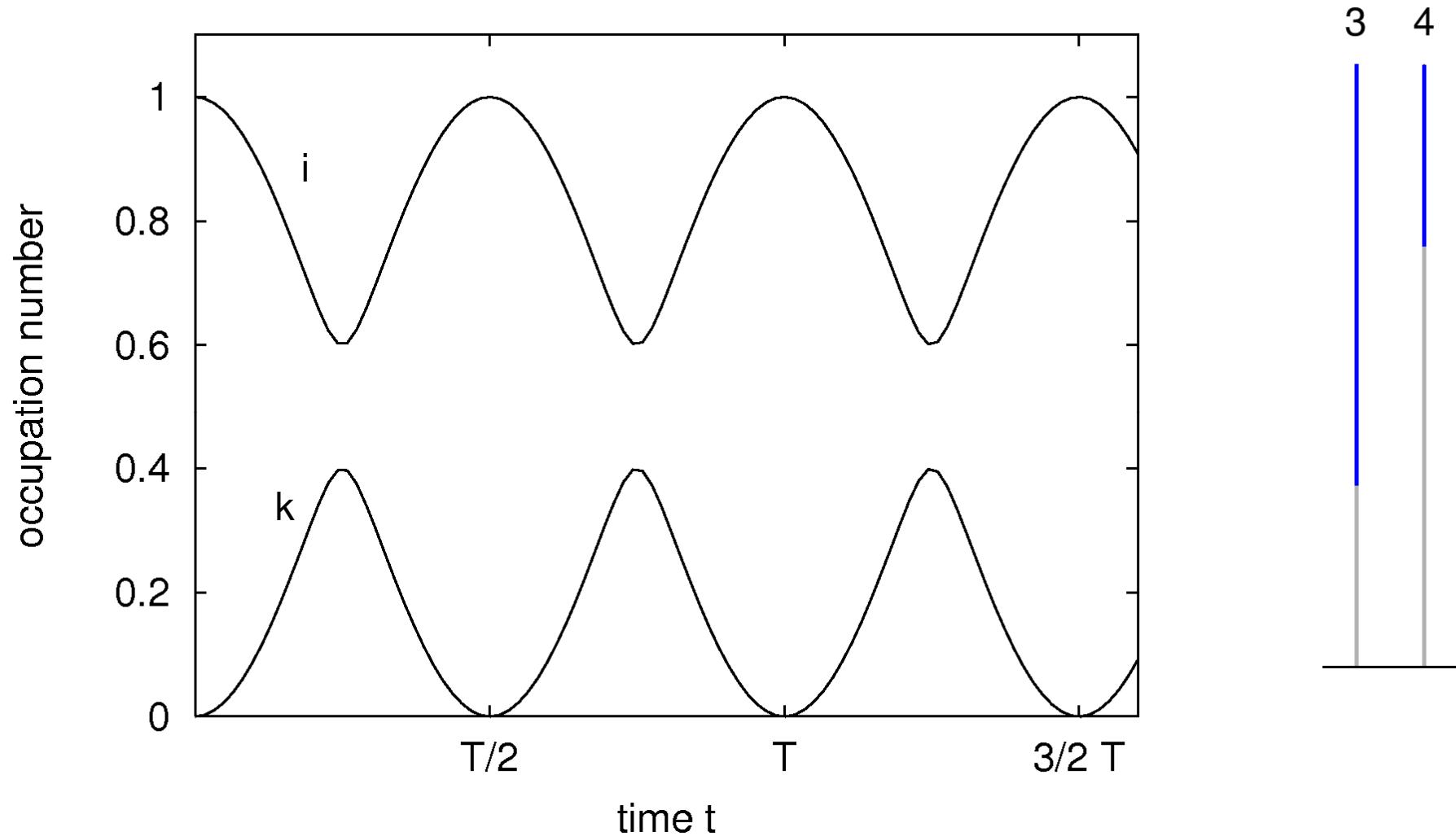
A typical ionization spectrum



No interaction

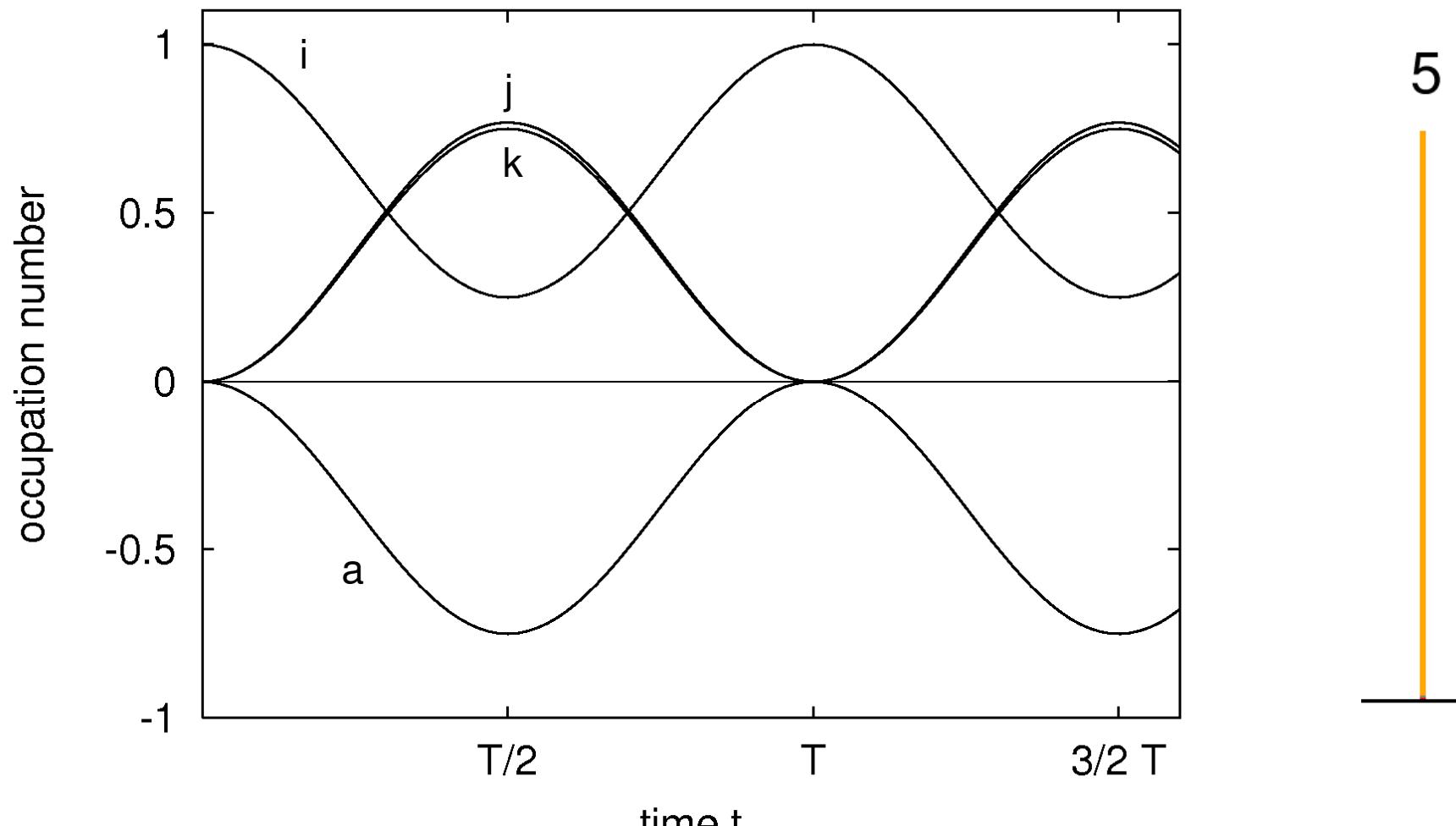


Case of hole mixing



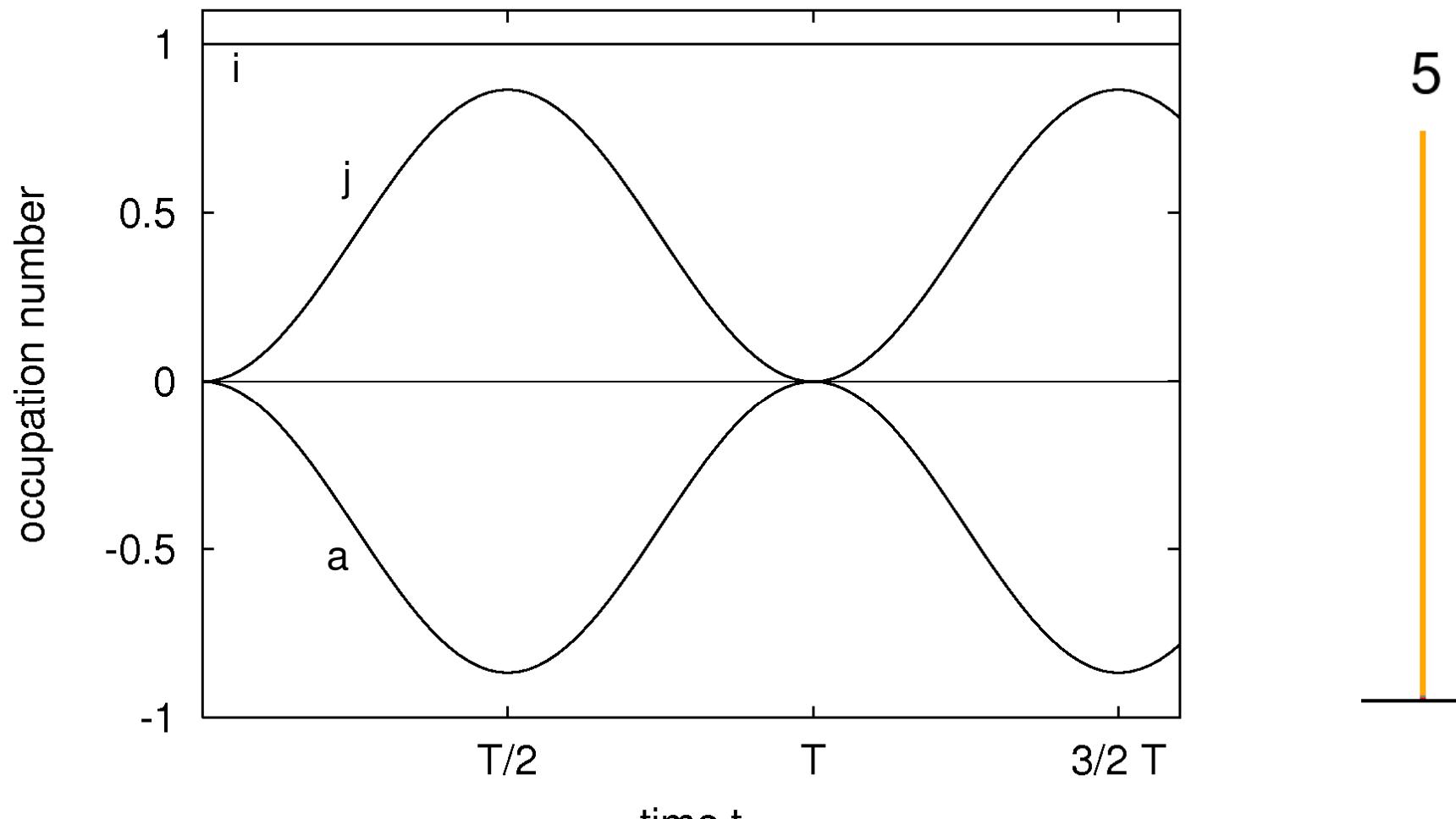
i: initially ionized orbital
k: partner orbital

Case of correlation satellite



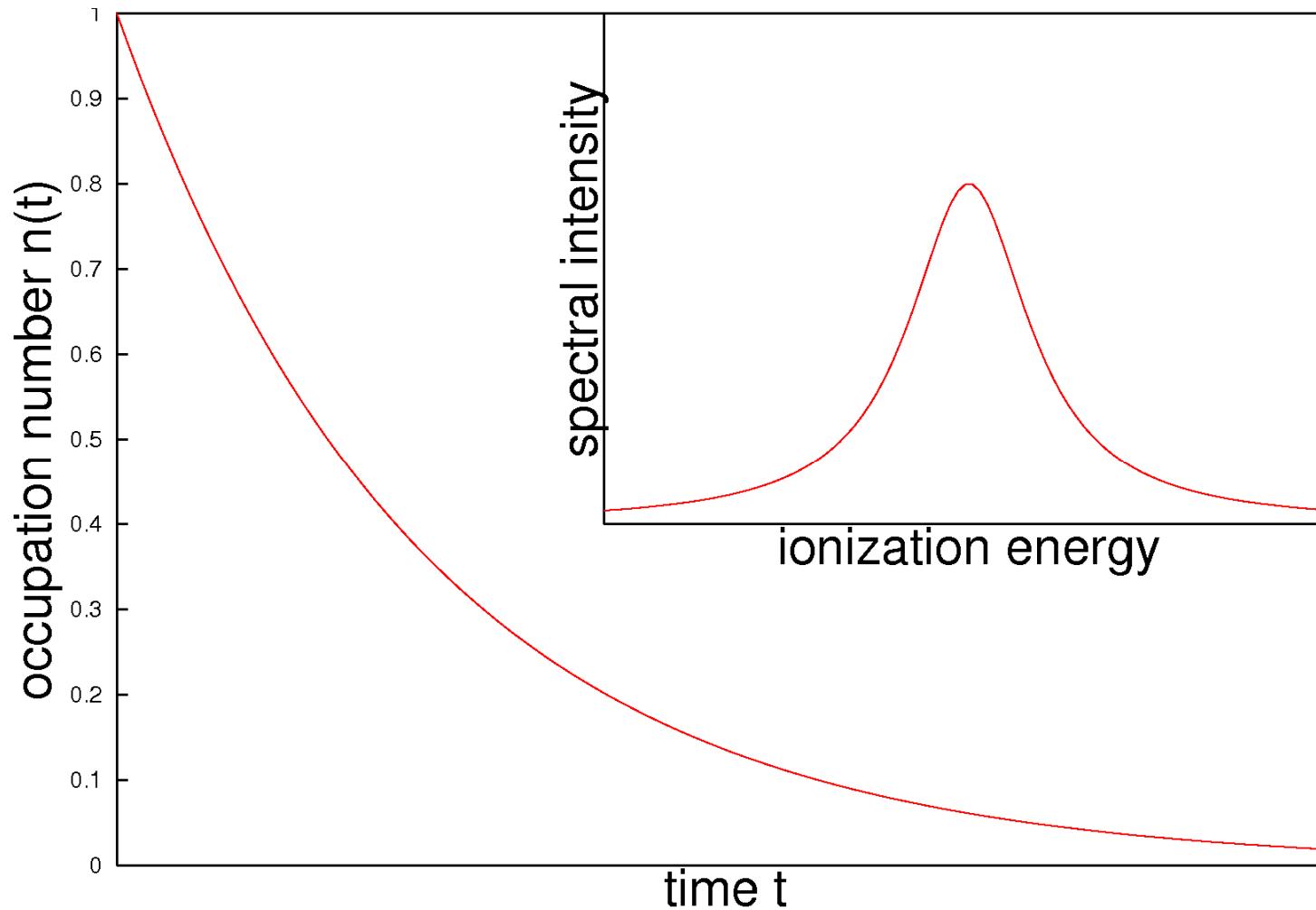
i: initially ionized orbital
j,k: partner orbital
a: virtual orbital

Case of relaxation satellite



- i: initially ionized orbital
- j: partner orbital
- a: virtual orbital

Case of breakdown of MO-picture



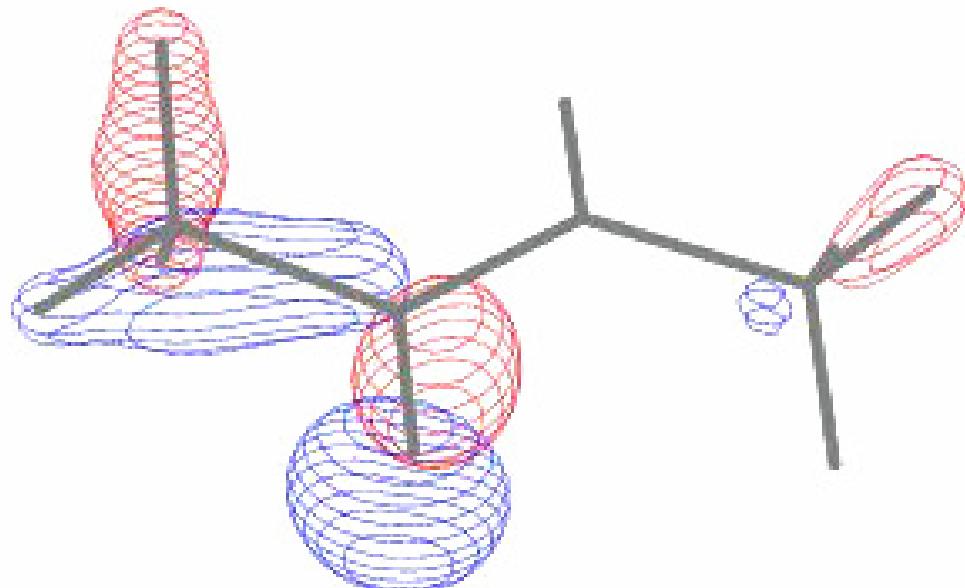
Typically, the initially created hole is distributed in time over the whole system

Examples

**Ionization in the
inner-valence
regime**

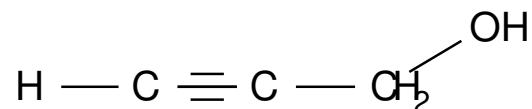
The example of a peptide bond

(N-methyl Acetamide)



H. Hennig et al *J. Phys. Chem. A* **2005**, *109*, 409

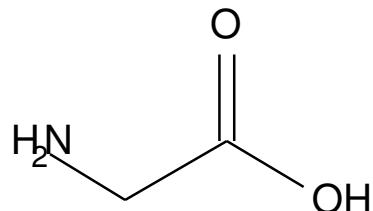
Other interesting cases



2-propyn-1-ol: Hole mixing [1]



3-fluoro-2-propynenitrile: Dominant satellite [1]



Glycine: Dom. satellite and hole mixing [2]



5-fluoro-2,4-pentadiynenitril: Breakdown of MO [1]

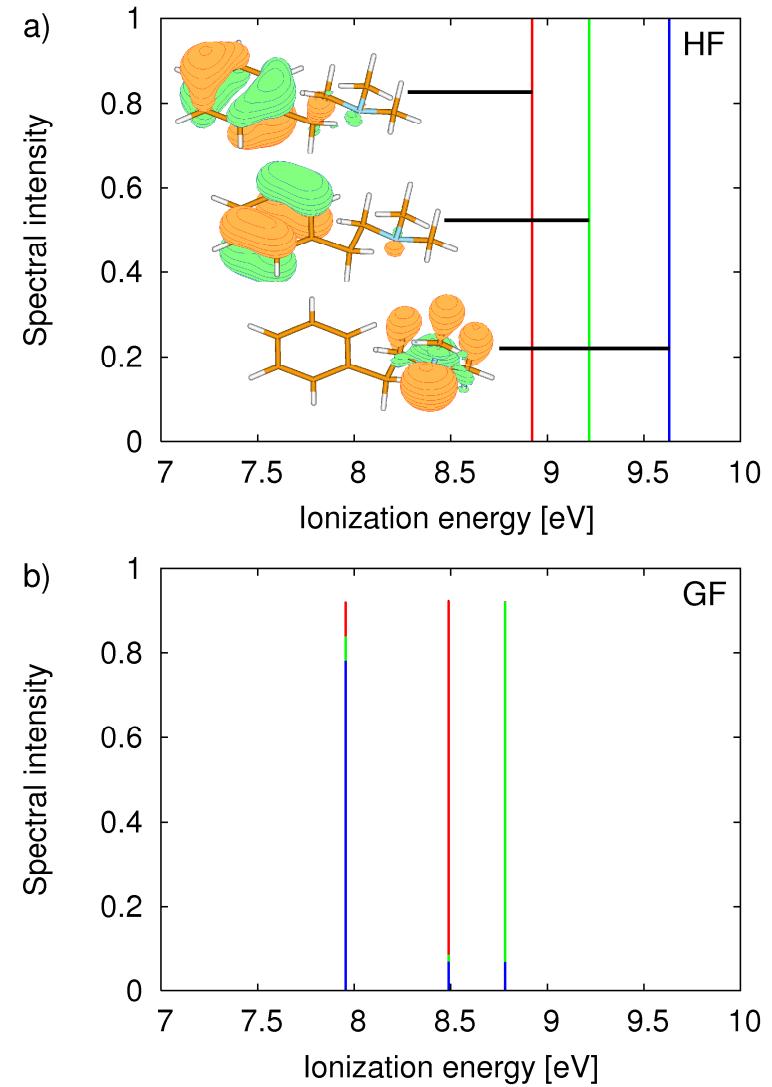
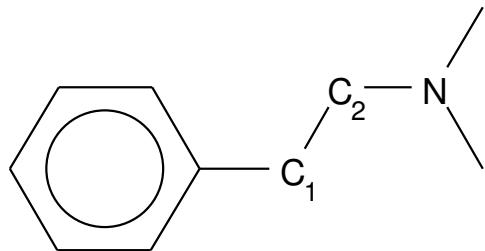
[1] J. Breidbach et al *J. Chem. Phys.* **2003**, *118*, 3983

[2] A. I. Kuleff et al *J. Chem. Phys.* **2005**, *123*, 044111

**Ionization of
outer-valence
electrons**

The ionization spectrum of PENNA

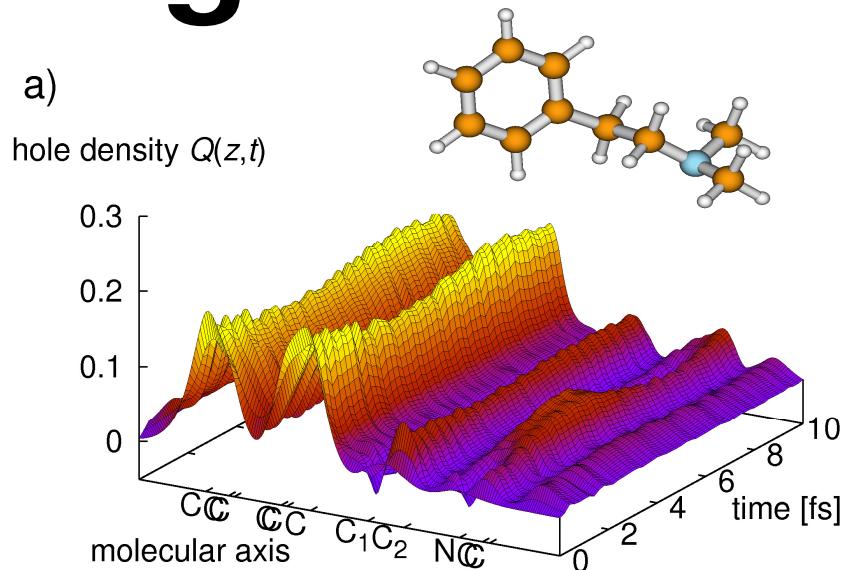
- 2-Phenylethyl-*N,N*-dimethylamine
- 2.6 eV gap to the inner valence
- failure of Koopmans' Theorem
- Mixing of one hole (1h) states



The charge migration

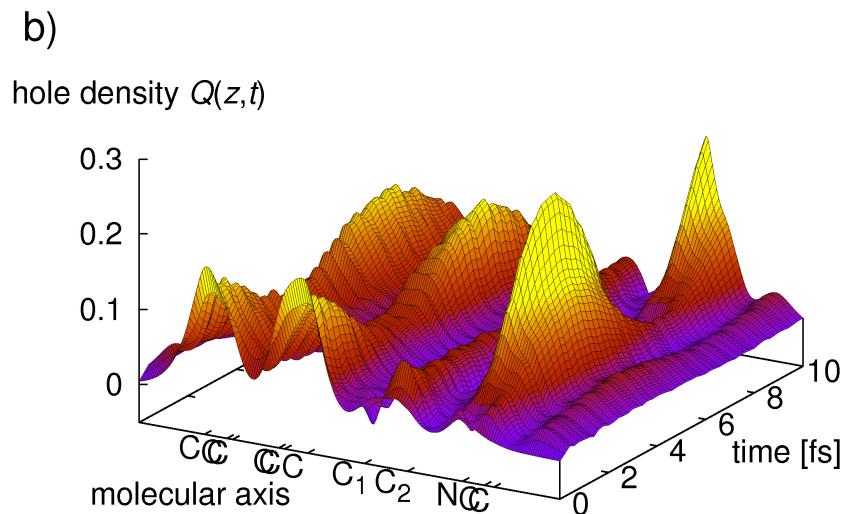
a) ground state geometry

- some charge from ring to N



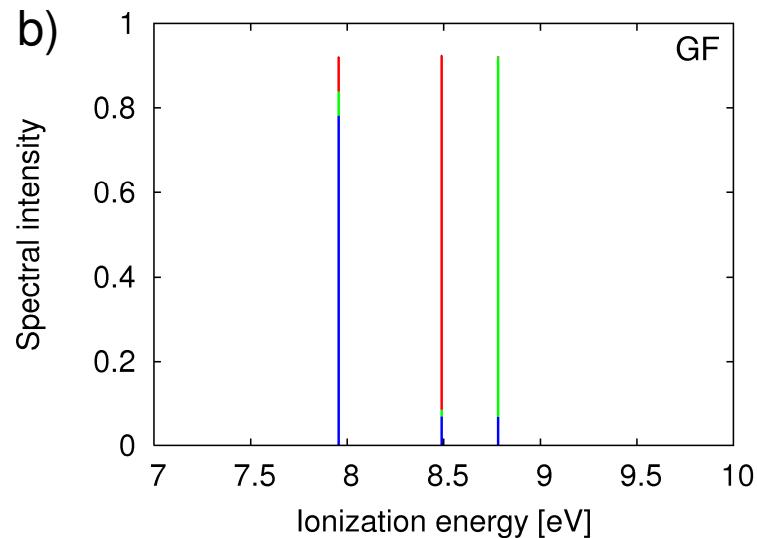
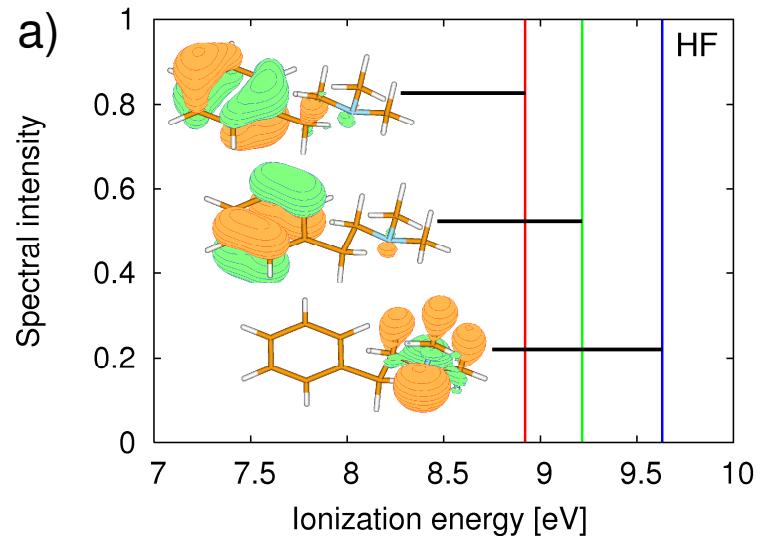
b) elongated C_1 - C_2 -bond: 20 pm

- substantial charge from ring to N

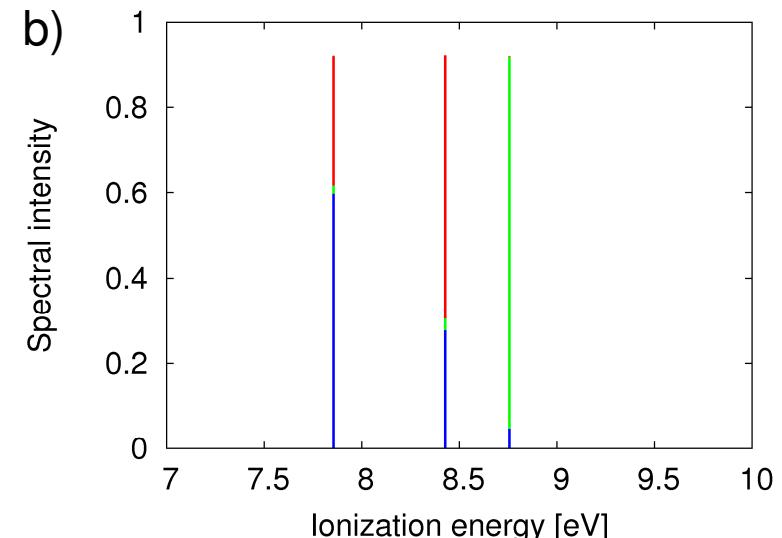
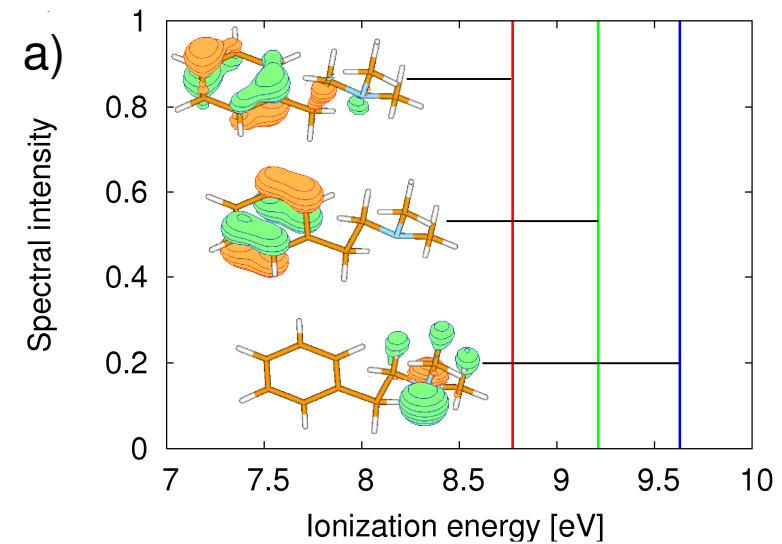


Ionization spectra of PENNA

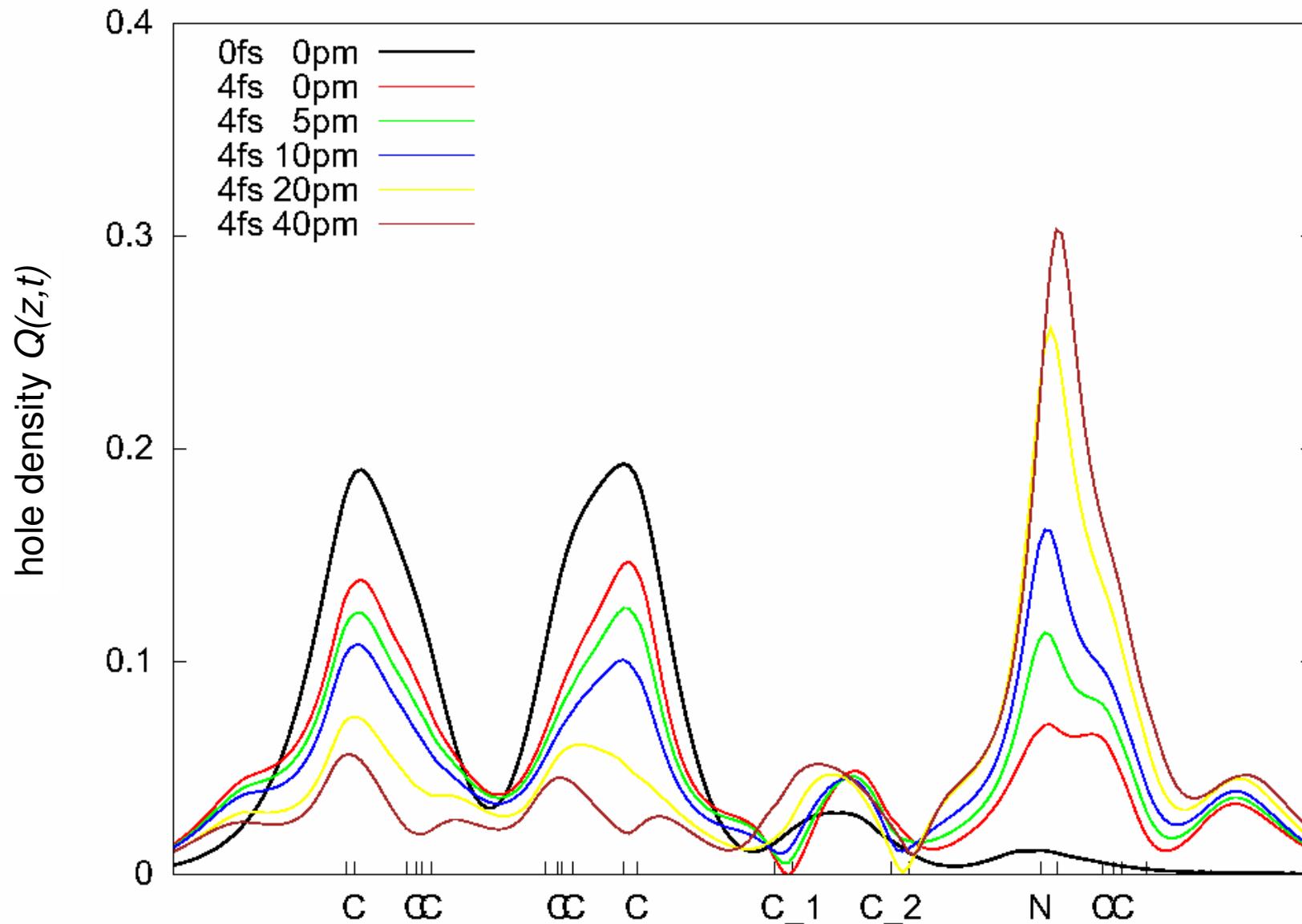
Ground state geometry



Elongated C₁-C₂ bond

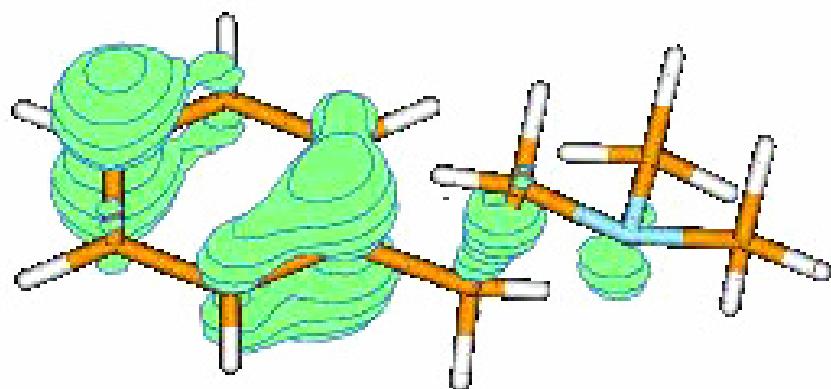


Charge distribution at 4 fs after ionization at different geometries



The charge migration with the C₁-C₂-bond elongated by 20 pm

- time = 00.00 fs



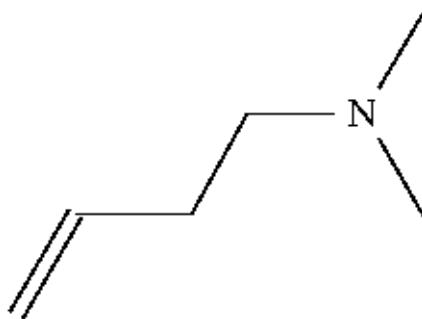
Suggestion for a mechanism of charge migration and bond breaking

- 1. Step:** Ionization of the benzene ring
- 2. Step:** Some charge oscillates from the ring to N
- 3. Step:** Elongation of the C₁-C₂-bond
- 4. Step:** Migration of hole charge intensifies
- 5. Step:** The bond breaks and the hole charge is trapped at the energetically favourable N-site

Is the molecule PENNA special or is the scheme **chromophore – C₂-Bridge – Nitrogen** general for charge migration?

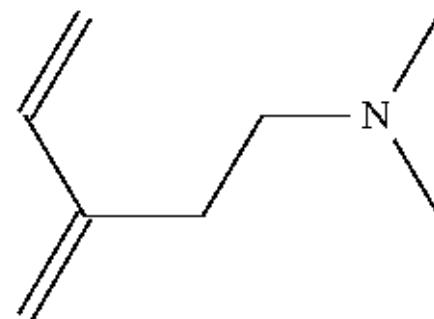
Many related systems computed (also different conformers).

Two examples:



BUNNA

3-Buten-*N,N*-dimethylamine

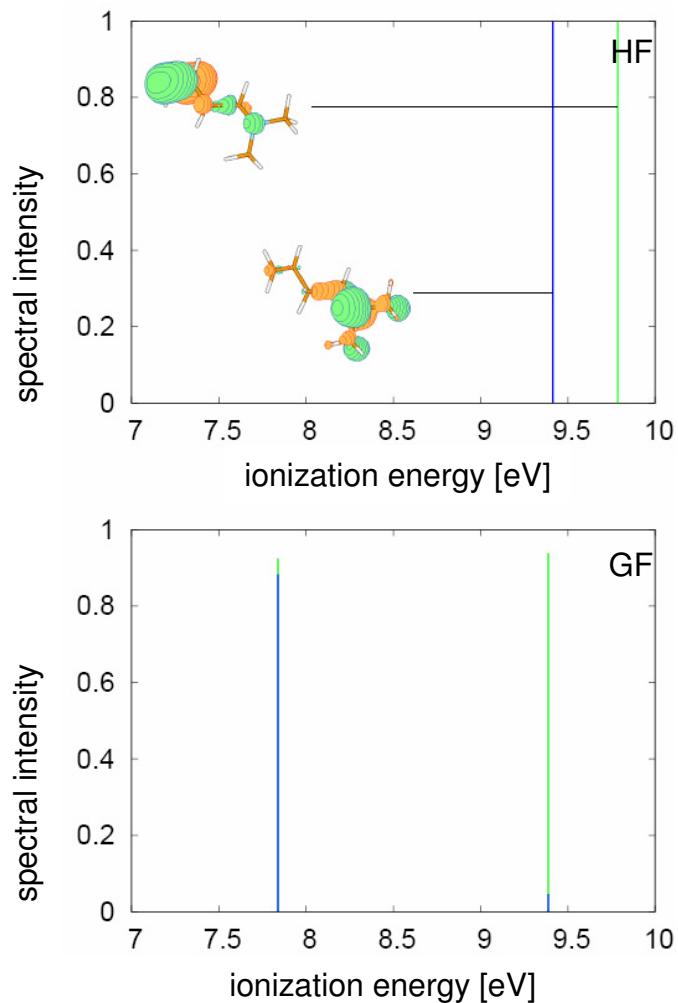


MePeNNA

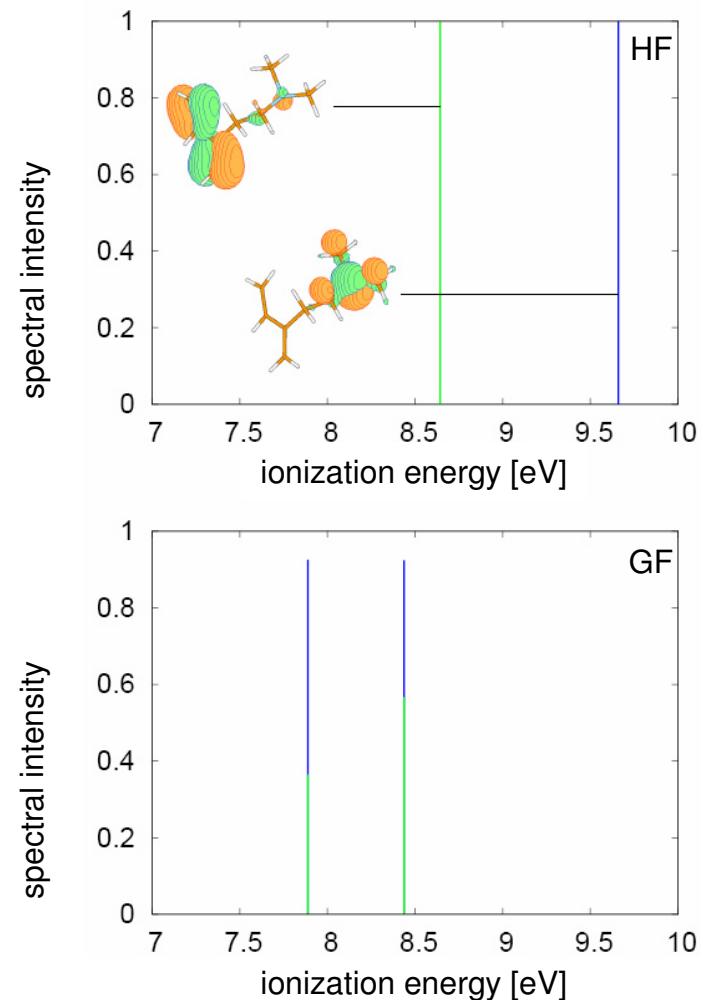
3-Methylen-4-penten-*N,N*-dimethylamine

The ionization spectra

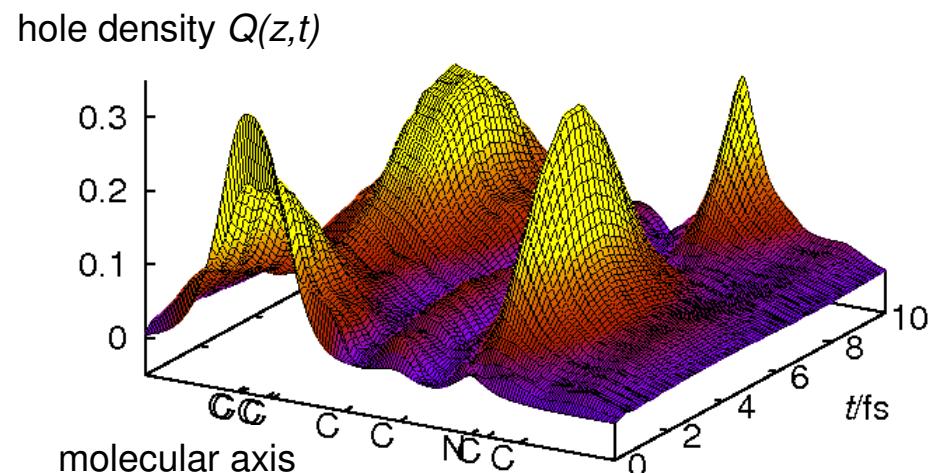
BUNNA



MePeNNA

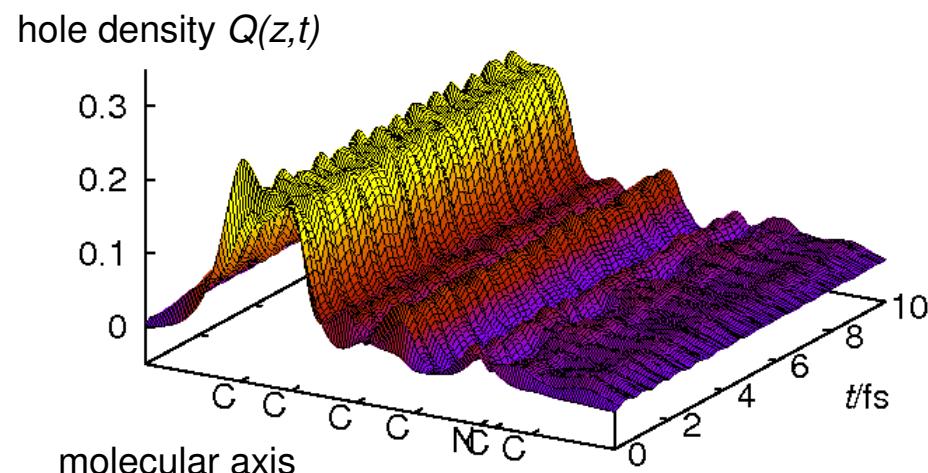


The charge migration



MePeNNA:

nearly the complete hole charge
migrates from the chromophore
to the Nitrogen

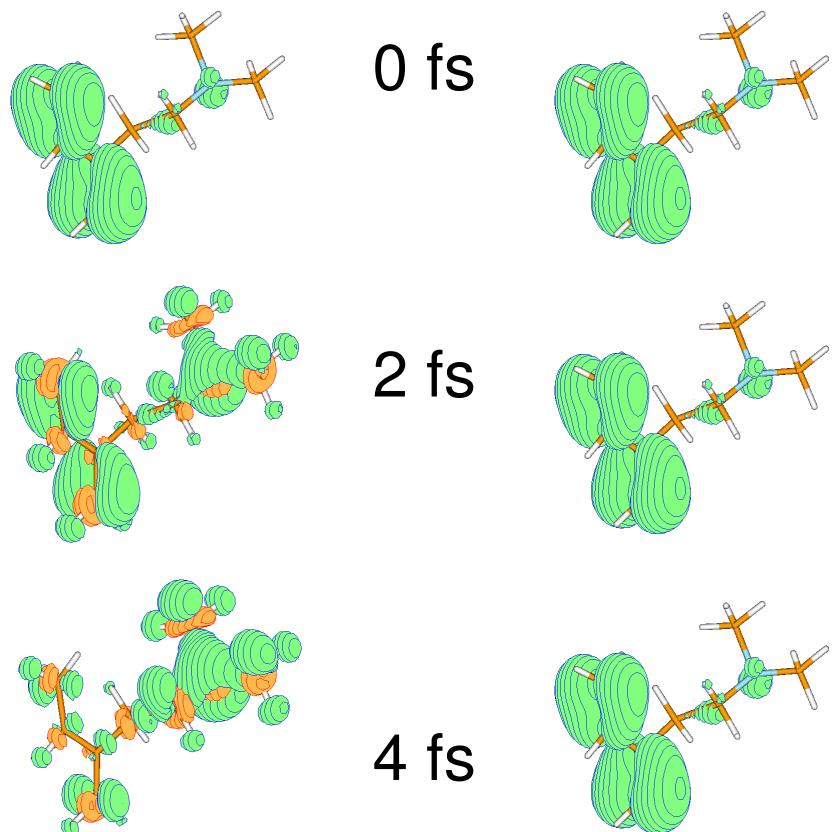


BUNNA:

no charge migration at all

The role of 2h1p-configurations

The hole density in real space
with and without 2h1p-interactions



no charge migration
without the 2h1p-interactions

Analysis of the charge migration mechanism: The exact effective Hamiltonian (EEH)-Method

$$\left(\begin{array}{c|cc}
 \overbrace{\varepsilon_1 \quad 0}^{1h} & \overbrace{x_{11} \cdots x_{1n}}^{2h1p} \\
 \varepsilon_2 & x_{21} \cdots x_{2n} \\ \hline
 & a_{11} \cdots a_{1n} \\
 & \ddots \quad \vdots \\
 & a_{nn}
 \end{array} \right) \longrightarrow \left(\begin{array}{c|cc}
 \tilde{E}_1 & V_{12} & 0 \quad \cdots \quad 0 \\
 \tilde{E}_2 & 0 & \cdots \quad 0 \\ \hline
 \tilde{a}_{11} & \cdots & \tilde{a}_{1n} \\
 \ddots & & \vdots \\
 \tilde{a}_{nn} & &
 \end{array} \right)$$

large V_{12} + small $\Delta\tilde{E}$
 → large coupling

 small V_{12} + large $\Delta\tilde{E}$
 → small coupling

PENNA

$$\left(\begin{array}{cc} 8.00 & 0.15 \\ \dots & 8.44 \end{array} \right)$$

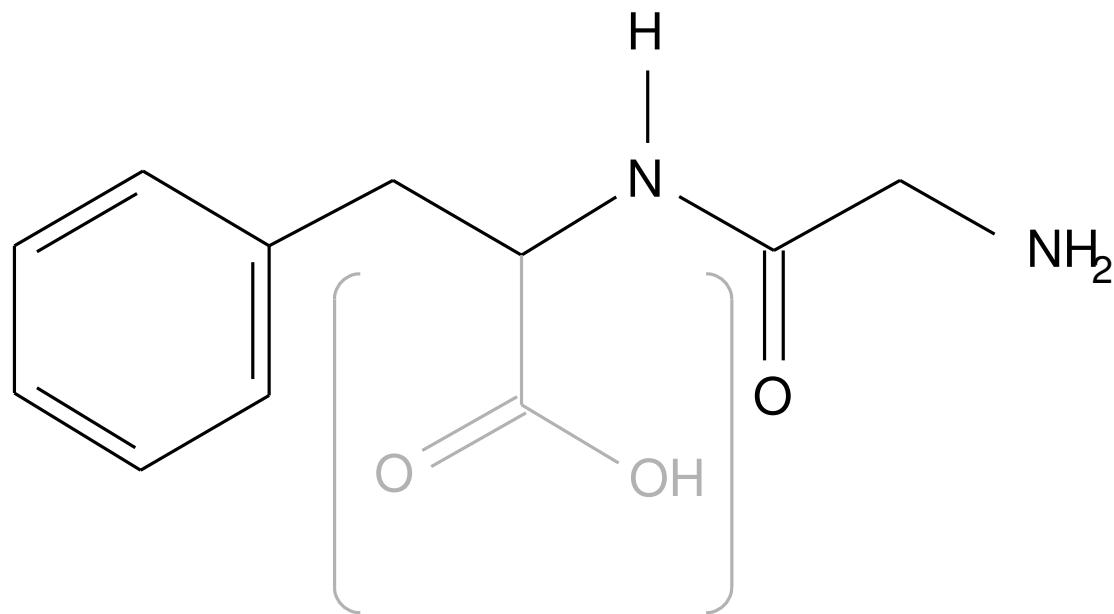
BUNNA

$$\left(\begin{array}{cc} 7.91 & 0.32 \\ \dots & 9.32 \end{array} \right)$$

MePeNNA

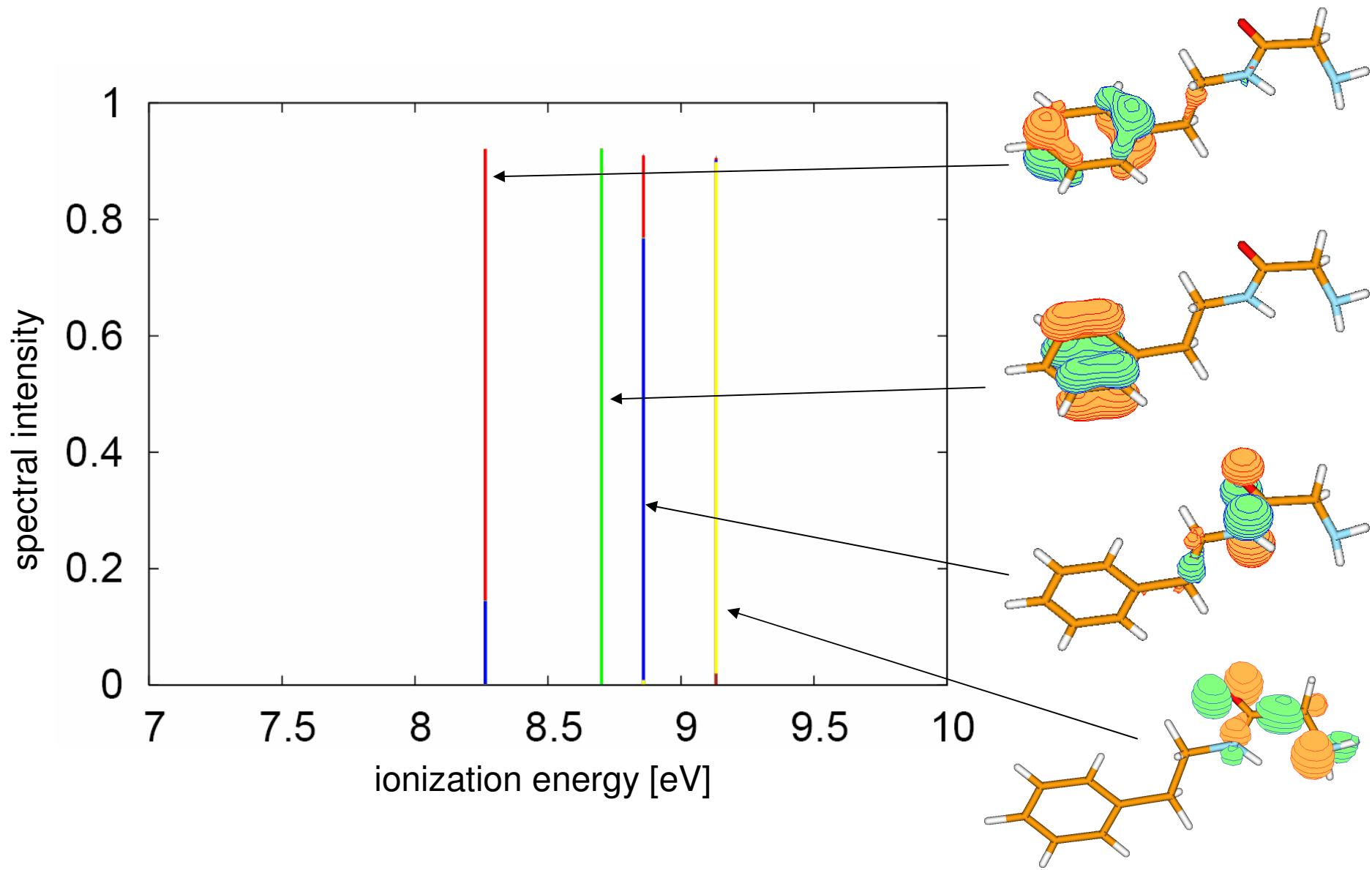
$$\left(\begin{array}{cc} 8.13 & 0.30 \\ \dots & 8.20 \end{array} \right)$$

**A first step on the way to polypeptides:
reduced dipeptide Glycin-Phenylalanin
(Gly-Phe; carboxylgroup of Phe removed)**

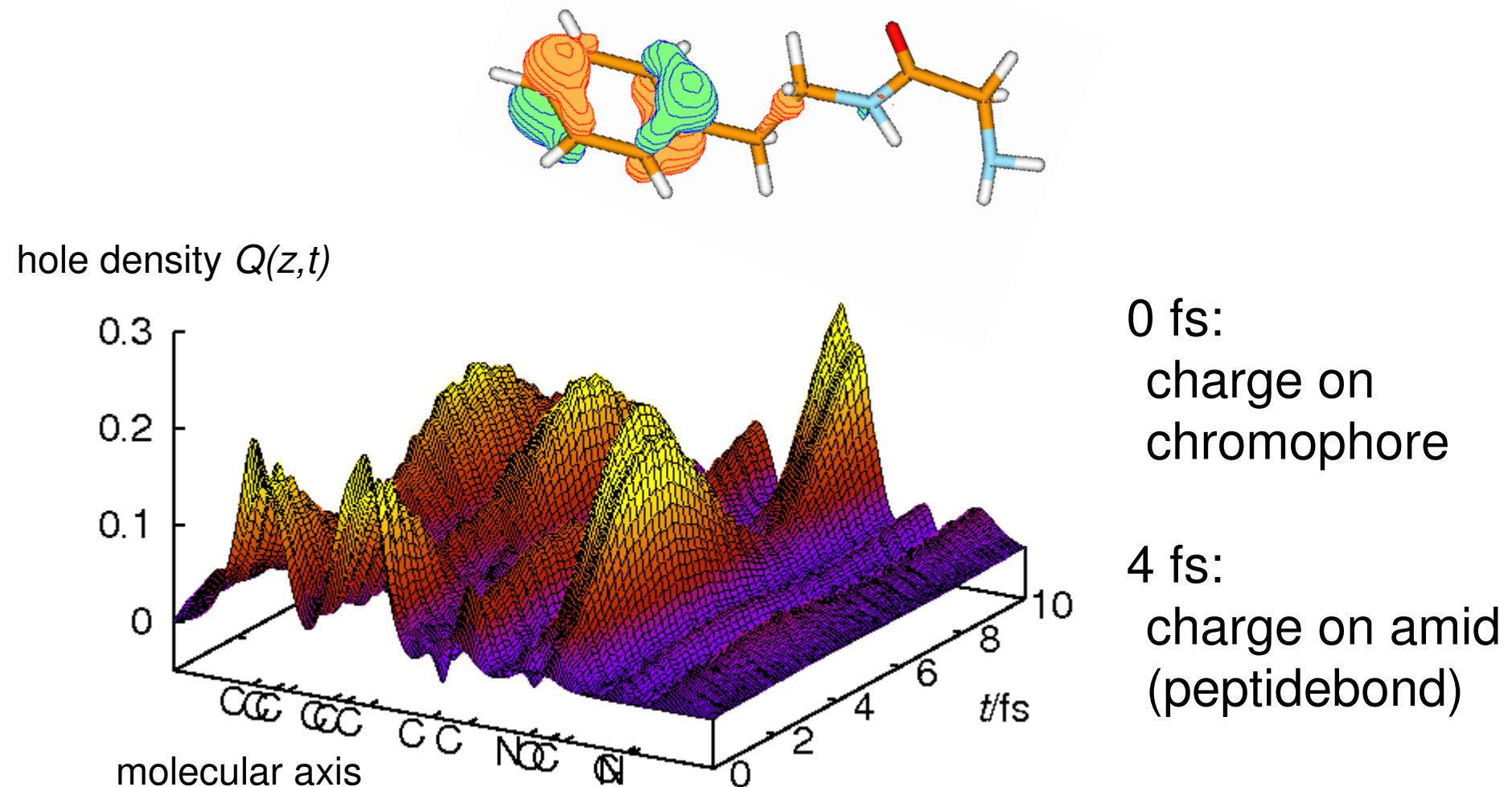


Does this molecule show charge migration
after ionization of the chromophore?

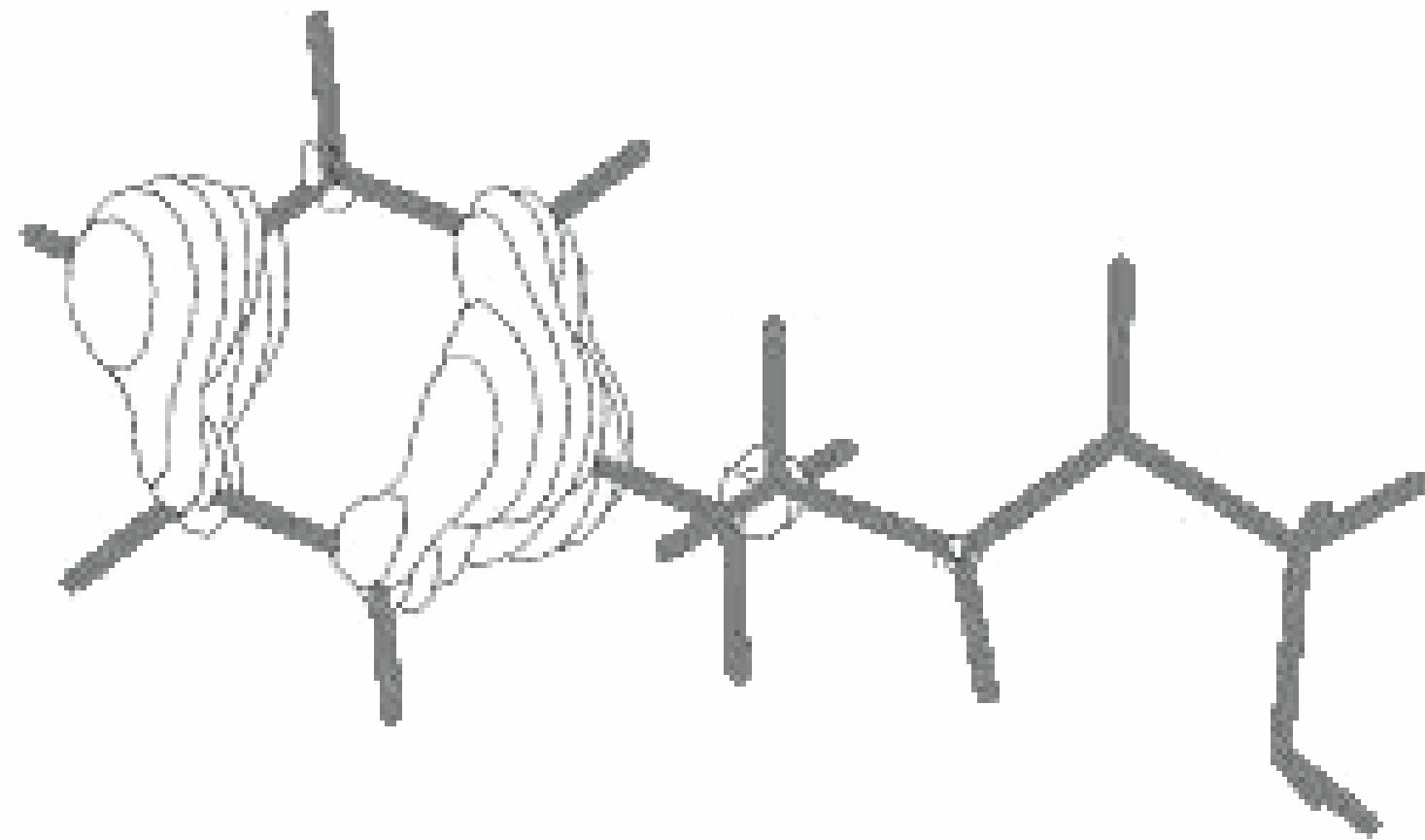
The ionization spectrum and HF-Orbitals



The charge migration following ionization



- time = 00 fs

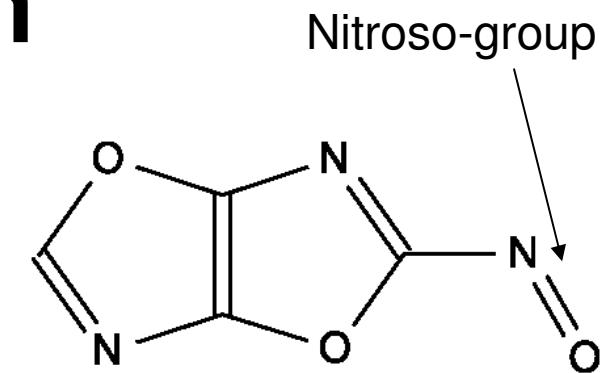
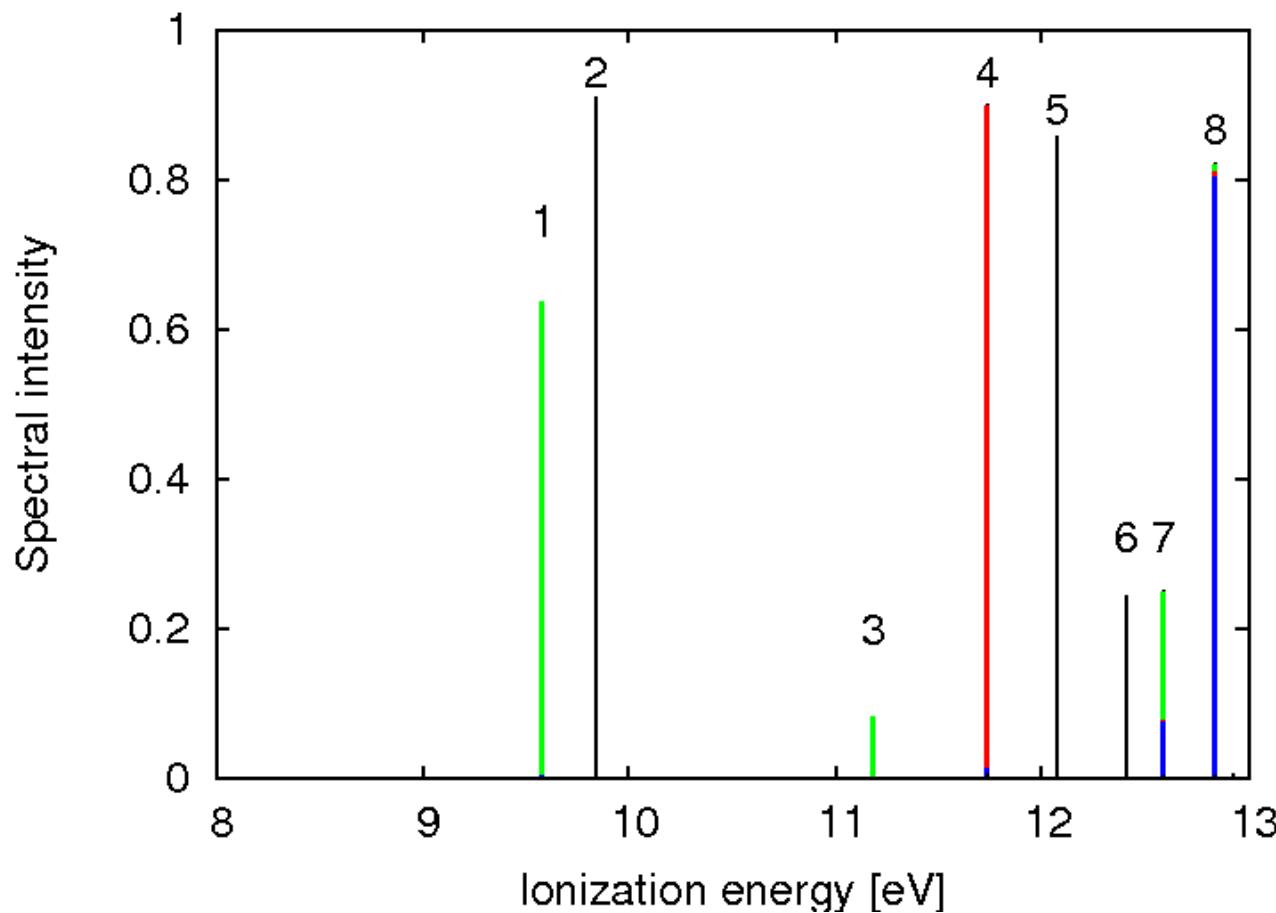


The role of satellite states

Relaxation satellite:

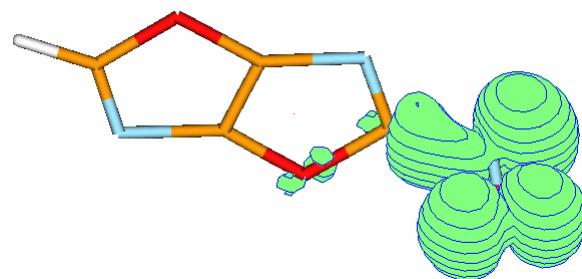
The nitroso molecule

The ionization spectrum

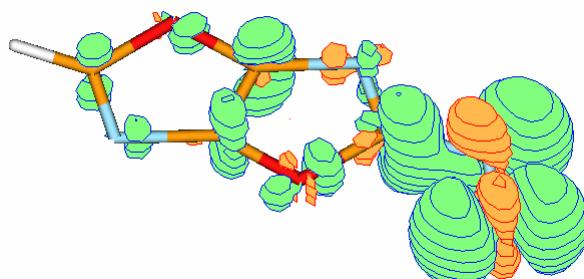


- 1: $29\text{a}' + (29\text{a}'6\text{a}'' 7\text{a}''')$
- 2: $6\text{a}''$
- 3: $(29\text{a}') + 29\text{a}'6\text{a}'' 7\text{a}'''$
- 4: $28\text{a}'$
- 5: $5\text{a}''$
- 6: $(4\text{a}'') + 6\text{a}''6\text{a}'' 7\text{a}'''$
- 7: $(29\text{a}') + 27\text{a}' + 29\text{a}'6\text{a}'' 7\text{a}'''$

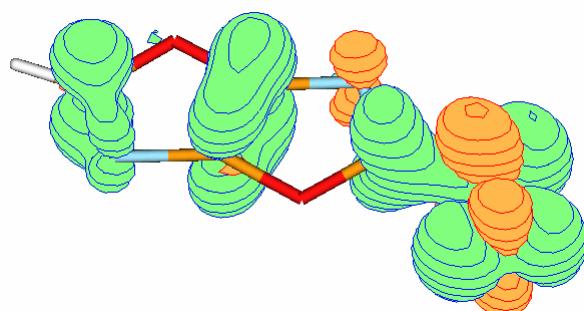
The charge migration following ionization of the HOMO ($29a'$ orbital)



0 fs



0.7 fs



1.4 fs

Correlation satellite:

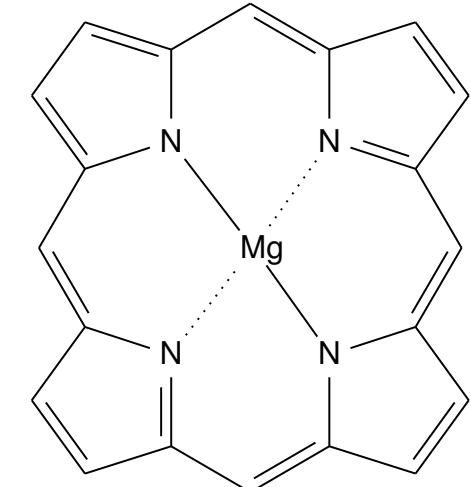
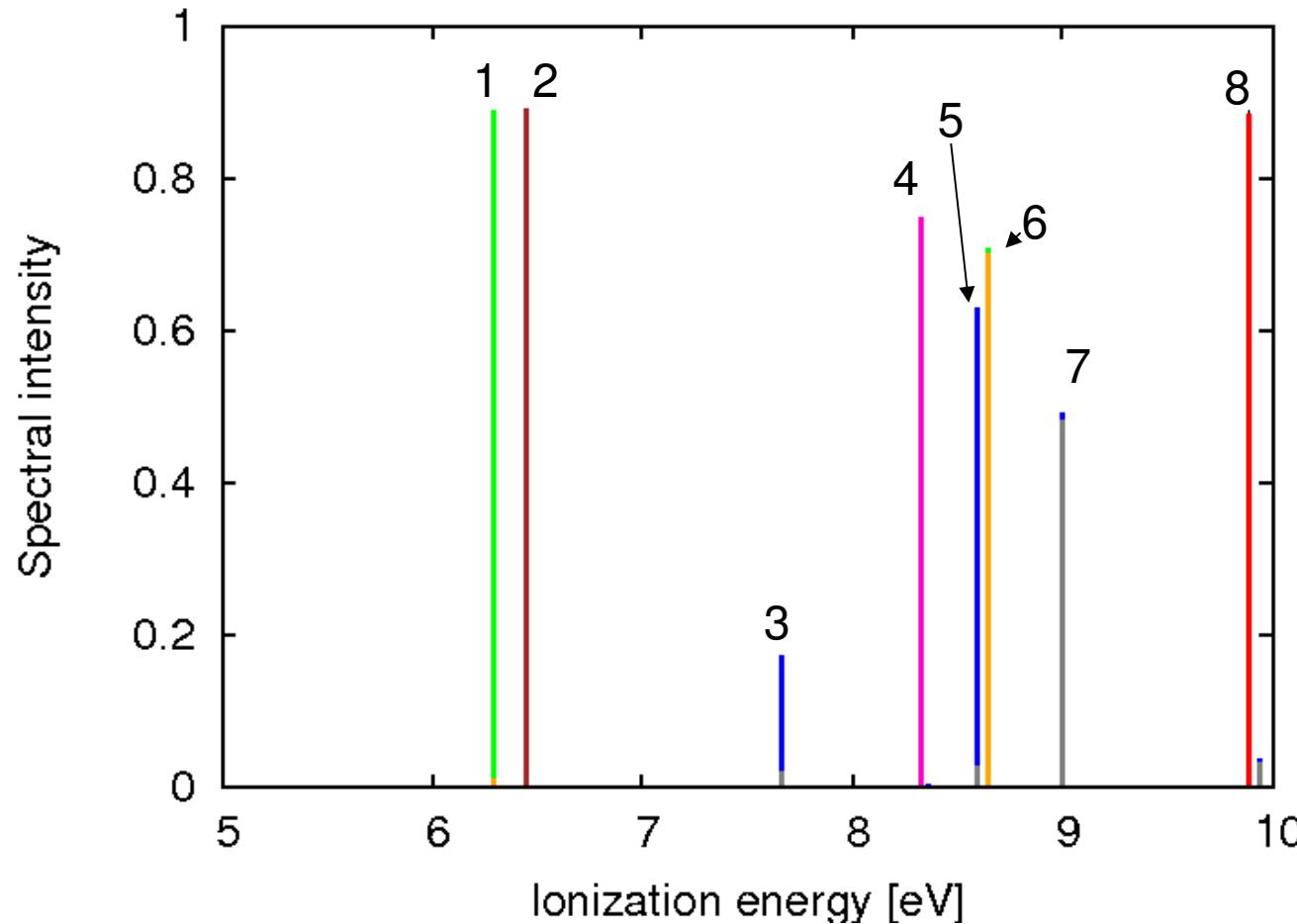
A molecule related to
Chlorophyll:

Mg-Porphyrin

(Active site in Photosynthesis)

The ionization spectrum

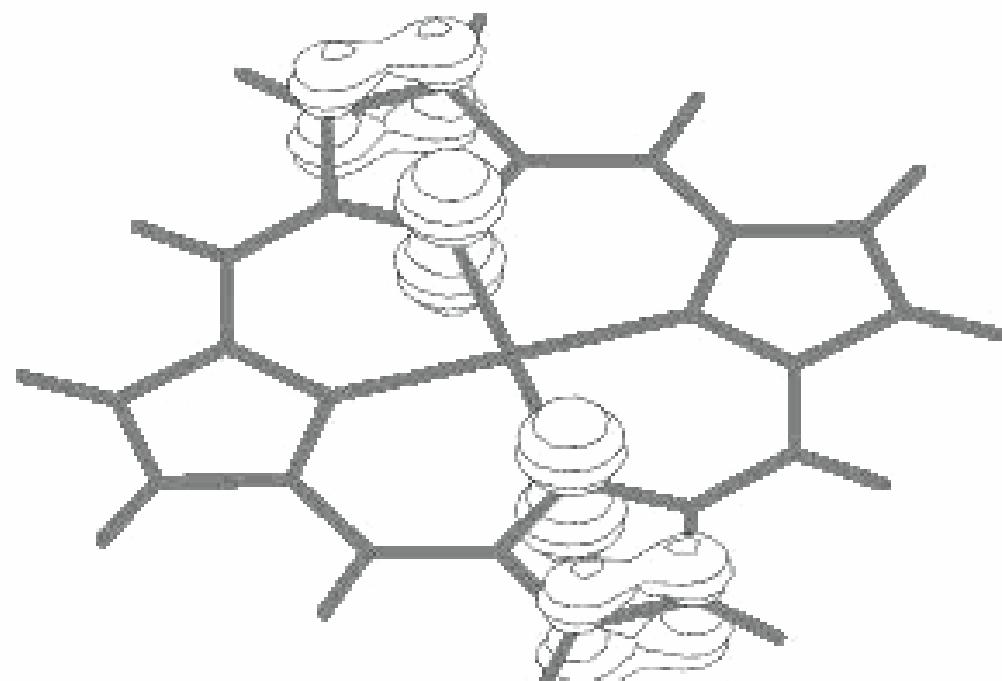
point group: D_{2h}



- 1: $6b_{1u} + \dots$
- 2: $2a_{1u} + \dots$
- 3: $6b_{1u} 2a_{1u} 4b_{3g}$
+ $2a_{1u} 2a_{1u} 4b_{2g}$
+ $3b_{2g}$
+ $6b_{1u} 6b_{1u} 4b_{2g} + \dots$
- 4: $5b_{1u} + \dots$
- 5: $3b_{2g}$
+ $2a_{1u} 2a_{1u} 4b_{2g} + \dots$
- 6: ...
- 7: ...

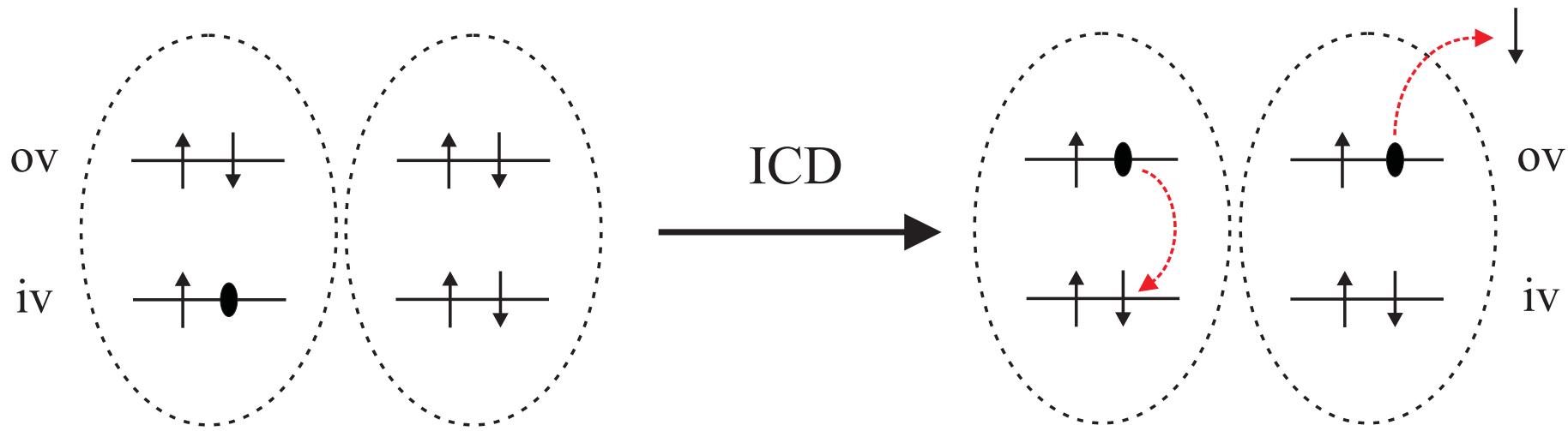
The charge migration following ionization of the $3b_{2g}$ orbital

- time = 0 fs



ICD

Interatomic
Coulombic
Decay

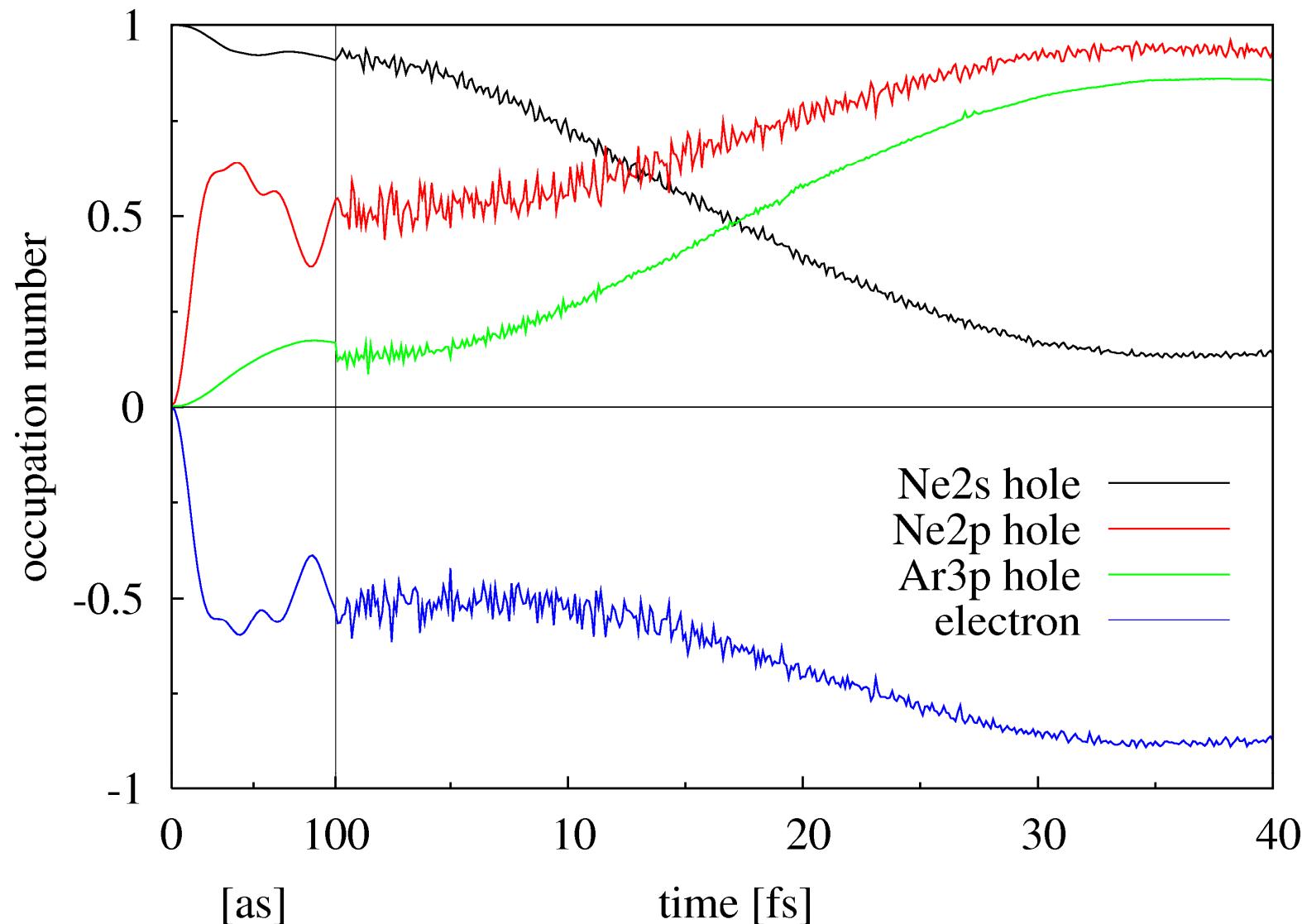


- ICD is a general phenomenon
 - van der Waals clusters – Ne_n , Ne_nAr_m , MgNe , CaNe , ...
 - hydrogen bonded clusters – $(\text{H}_2\text{O})_n$, $(\text{HF})_n$, ...
 - endohedral fullerenes – Ne@C_{60} , Ar@C_{60}
- Ultrafast process – fs time domain
- Source of LEE → biological relevance

Tracing ultrafast interatomic electronic decay processes in real time and space

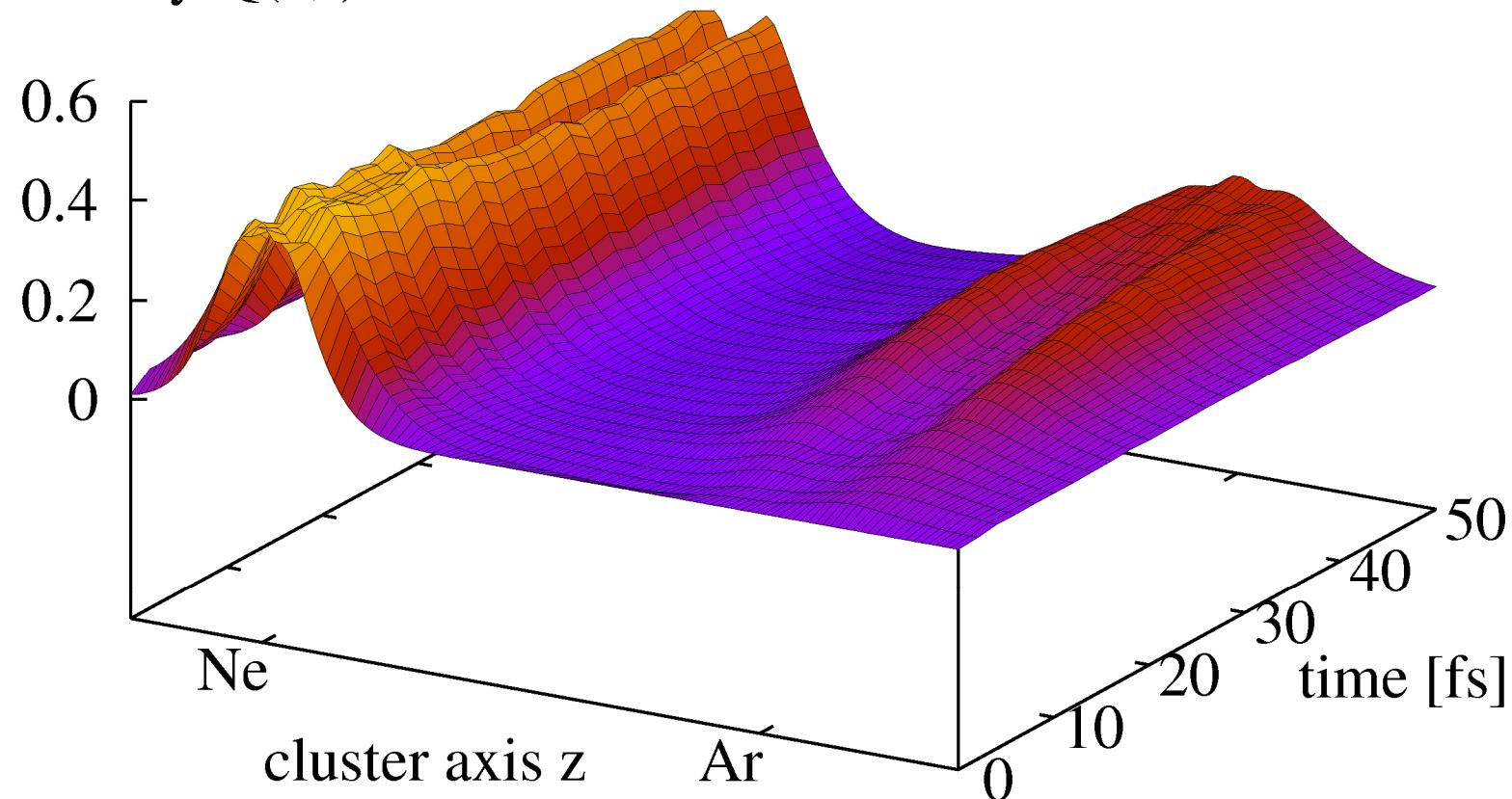
- Femto-second spectroscopy. Using lasers with femto-second pulses to „see“ the nuclear motion. Standard techniques nowadays.
- Atto-second spectroscopy. $1 \text{ as} = 10^{-18} \text{ seconds}$. Using lasers with atto-second (sub-femto-second) pulses to „see“ the electronic motion. Future techniques. First important steps already done.
- The observation of the ICD process is an appealing project for atto-second spectroscopy.

ICD in NeAr

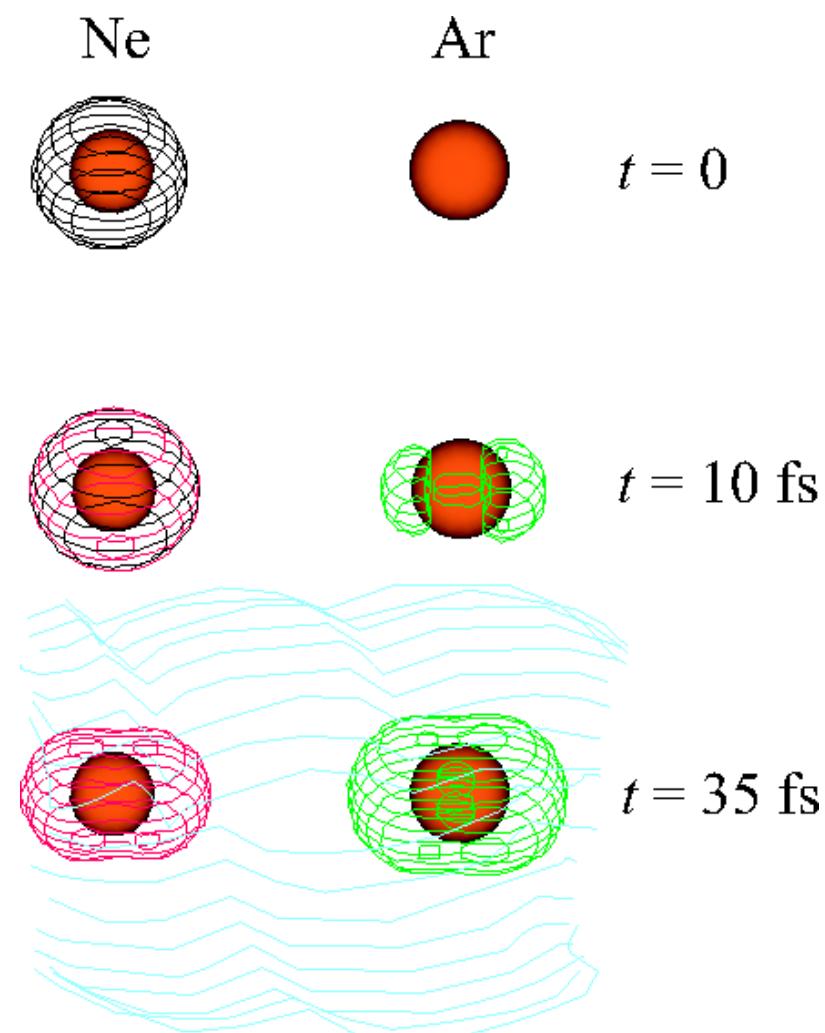


ICD in NeAr

hole density $Q(z,t)$



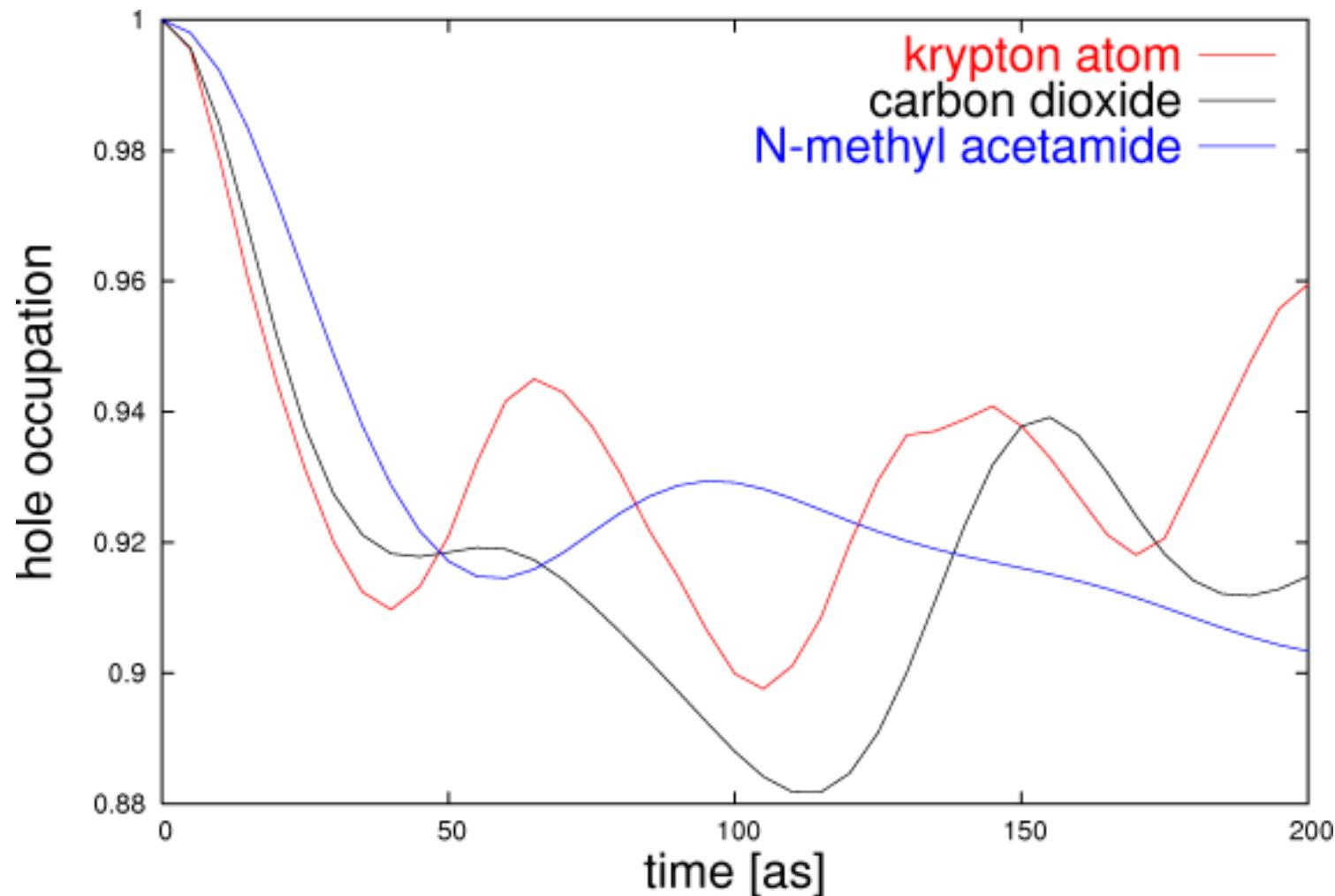
ICD in NeAr



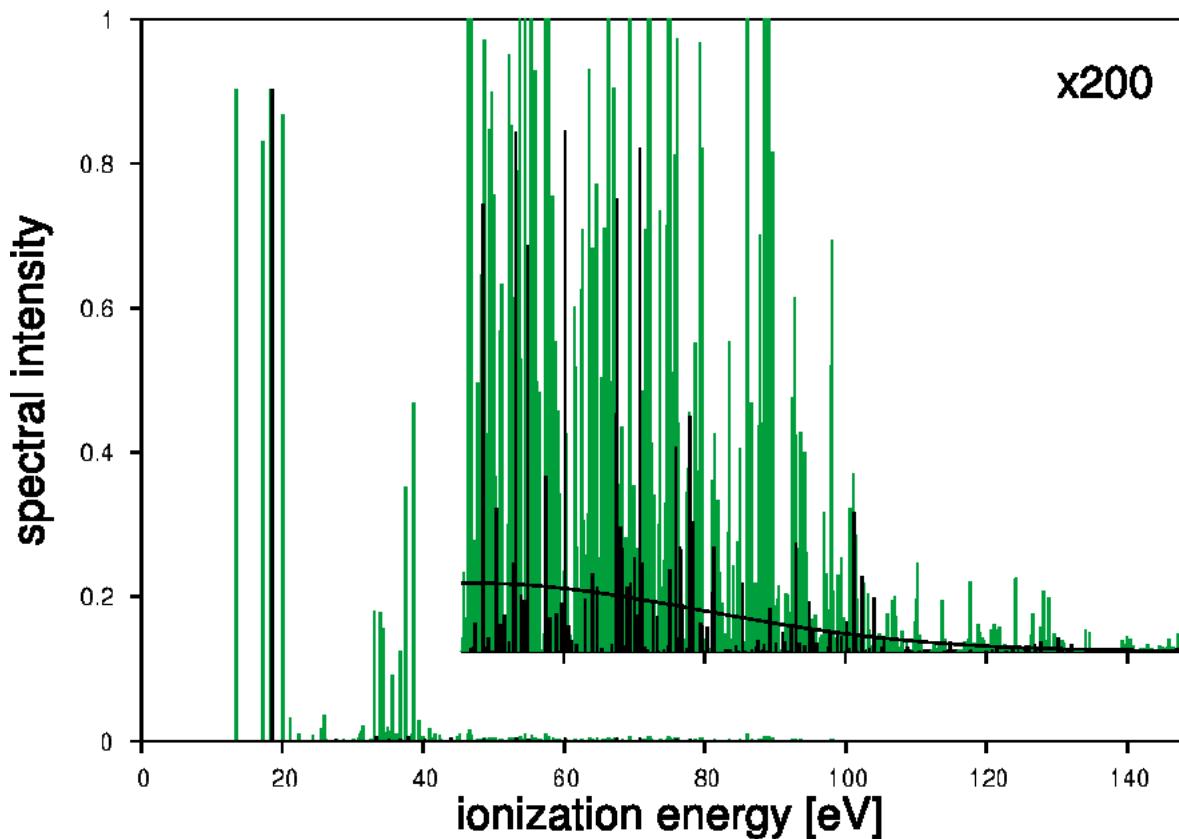
A. I. Kuleff et al *Phys. Rev. Lett* **2007**, *98*, 083201

Universal Attosecond response to the removal of an electron

The hole occupation on a 200 as time scale for different systems

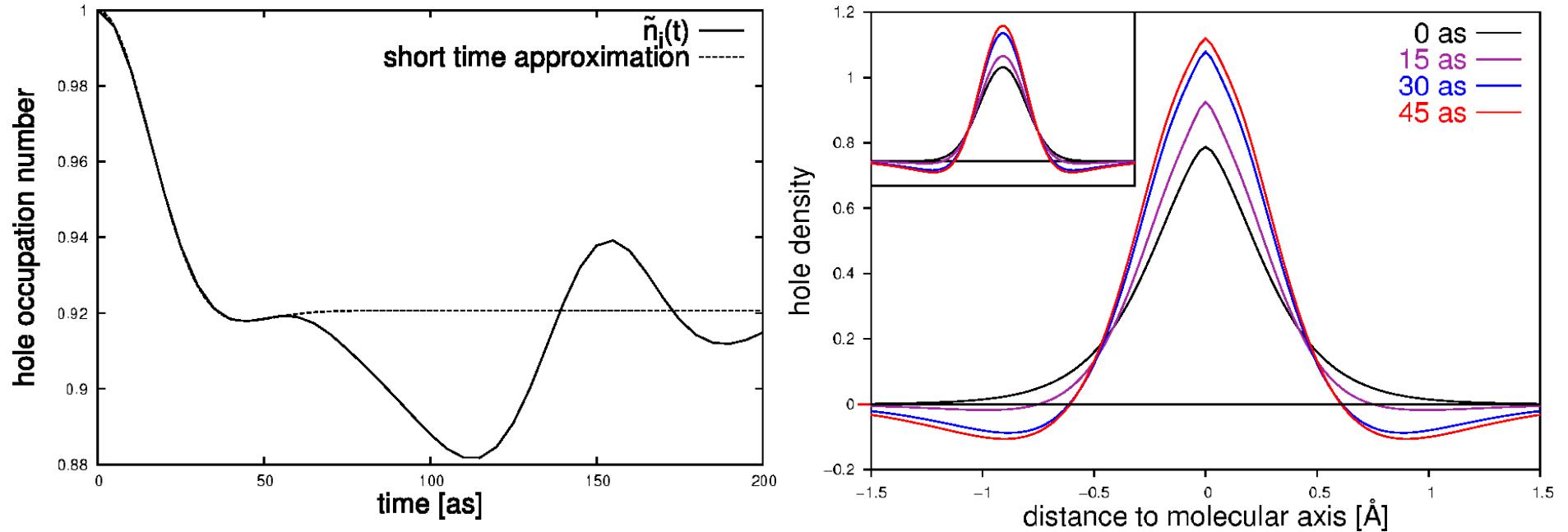


The ionization spectrum of CO₂



lines in black correspond to the eigenstates
contributing to the nonstationary state prepared

Attosecond response



$$\tilde{n}_i(t) = 1 - A \left[1 - \cos(\Omega t) \exp(-\Delta^2 t^2) \right], \quad \Omega = \bar{E} - E_{I_0}$$

$$Q(\vec{r}, t) = c(t) \left\{ |\tilde{\varphi}_i(\vec{r})|^2 - \alpha h(\vec{r}) \left[1 - \cos(\Omega t) \exp(-\Delta^2 t^2) \right] \right\}$$

$h(\vec{r})$ exchange-correlation hole function

Many thanks to:

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Holger Hennig

Siegfried Lünnemann

Alexander Kuleff