

# LHC Signatures of the MSSM Golden Region

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Anticipating Physics at the LHC conference

KITP Santa Barbara, 06/02/08

Work with Christian Spethmann, [hep-ph/0702038](#), [JHEP0704:070,2007](#)  
+ work in progress with Andreas Weiler

# Motivation: MSSM and Naturalness

- In the **SM**:  $V(H) = -\mu^2|H|^2 + \lambda|H|^4$       $\mu, \lambda \rightarrow v, m_h$
- So,  $m_h$  is theoretically a **free parameter**
- In the **MSSM**, potential is more complicated (2 doublets), but the values of some of the coupling constants are **constrained** by supersymmetry (related to **gauge** couplings!)
- Consequence: at tree level, there is a **firm upper bound** on the mass of the lightest of the two CP-even Higgs bosons:

$$m(h^0) < M_Z$$

- **Experimentally**,  $m(h^0) > 114 \text{ GeV}$
- Either the MSSM is **wrong**, or **loop corrections** to  $m(h^0)$  are **large** (25%)

# Higgs and Stops

- In the SM, the strongest coupling of the Higgs is the **top Yukawa**,  $\lambda h \bar{t} t$ ,  $\lambda = 1.0$
- The same is (almost always) true in **the MSSM**: the Higgs's strongest coupling is to top quark and its superpartners, two scalar “supertops” or **stops**,  $\tilde{t}_L$ ,  $\tilde{t}_R$
- Stop **mass eigenstates**  $\tilde{t}_1$ ,  $\tilde{t}_2$  are mixtures of  $\tilde{t}_L$ ,  $\tilde{t}_R$
- Three parameters: **2** stop **eigenmasses**  $m_1$ ,  $m_2$  + **1** mixing **angle**  $\theta_t$ ; or stop mass matrix in the gauge basis:  $m_L, m_R, A_t$
- One-loop correction to the Higgs mass is a function of these parameters:  $\Delta m_h^{1\text{-loop}} = F(m_1, m_2, \theta_t)$
- Other contributions (gaugino and sbottom loops) are subdominant as long as  $M_1/M_{\tilde{t}} \lesssim 4$ ,  $M_2/M_{\tilde{t}} \lesssim 2$ ,  $M_3/M_{\tilde{t}} \lesssim 10$ ,  $M_{\tilde{b}} \lesssim \frac{35 M_{\tilde{t}}}{\tan \beta}$ .

# Higgs and Stops, Cont'd

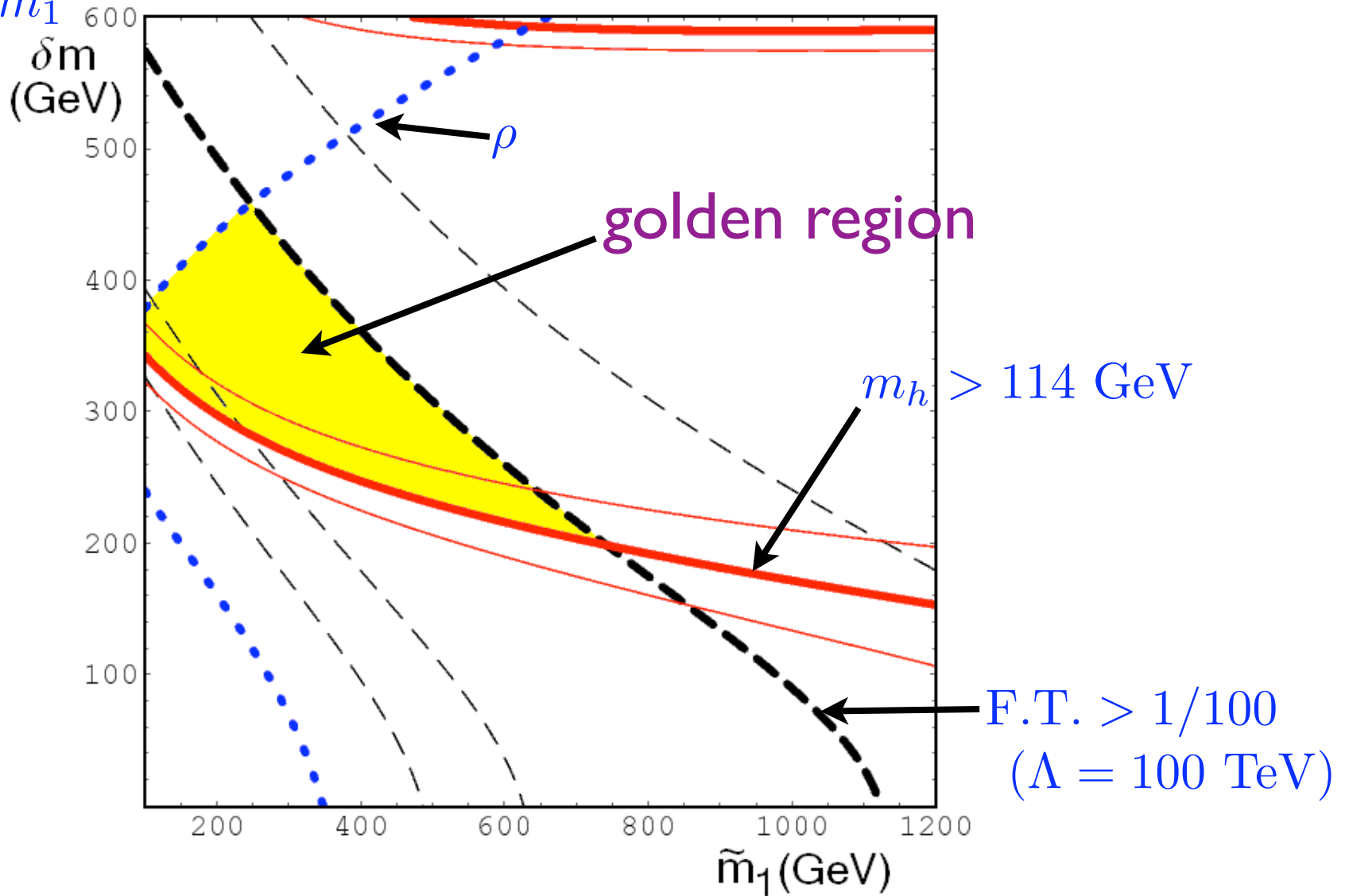
- Loop corrections to the Higgs potential from top and stop loops can also change **the Higgs vev**, not just its mass!

$$m_Z^2 = -m_u^2 \left(1 - \frac{1}{\cos 2\beta}\right) - m_d^2 \left(1 + \frac{1}{\cos 2\beta}\right) - 2|\mu|^2.$$

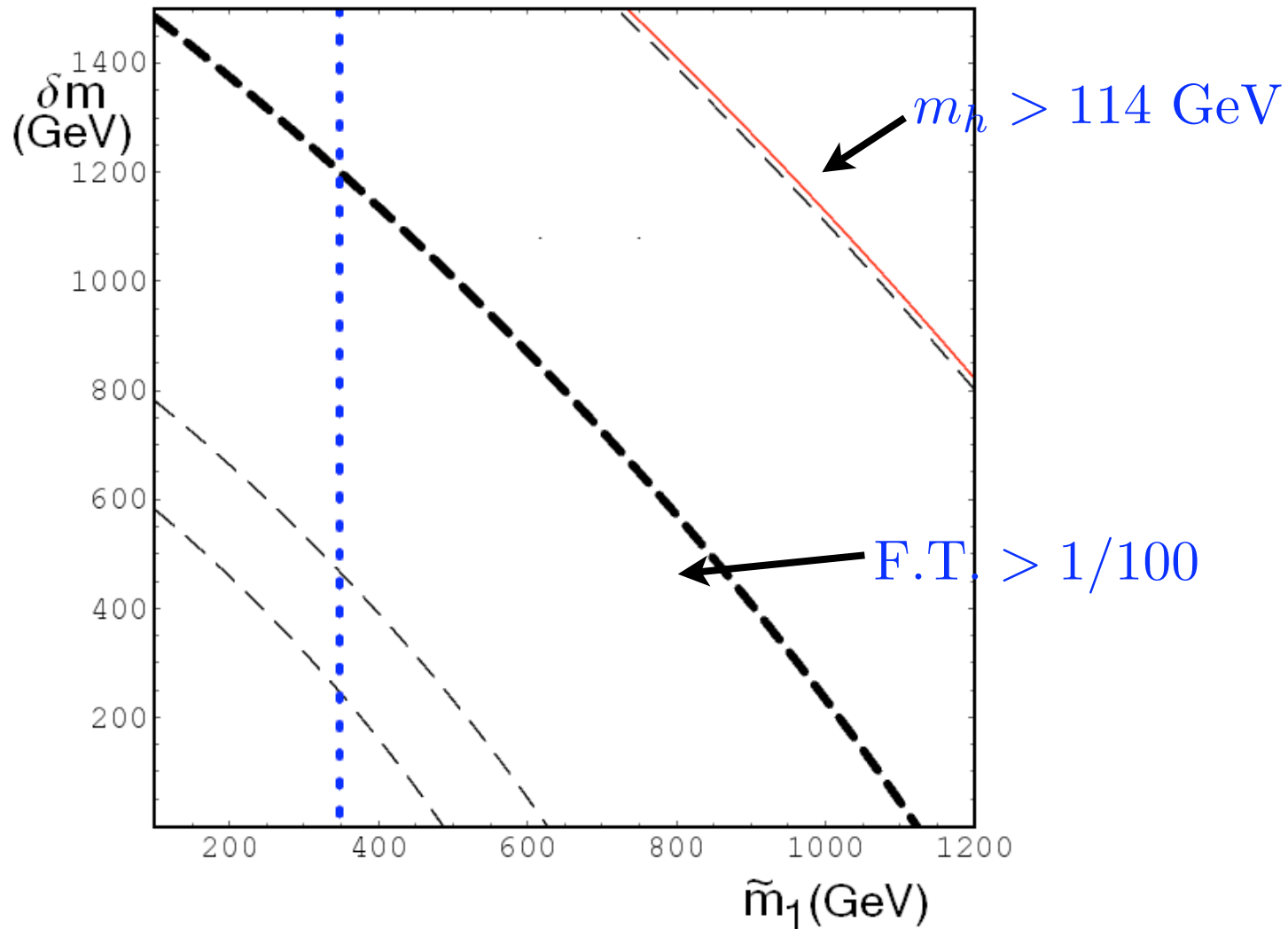
- If the top/stop loop correction to the vev is **BIG**, it needs to be **precisely cancelled** by other (a priori unrelated) terms  $\Rightarrow$  classic example of **fine-tuning!**
- So: need top/stop loops to change Higgs **mass by a lot** while **not** changing the Higgs **vev by a lot**  $\Rightarrow$  **difficult!**
- Negative spin: this only happens in a small region of parameter space, some tuning inevitable, the MSSM sucks...
- **Positive** spin: this tells us what the **right version** of the MSSM is! (or at least **determines** 3 parameters out of 120...)

# The Golden Region in the MSSM

$$\delta m = m_2 - m_1$$



$$\theta_t = \pi/4, \quad \tan \beta = 10$$



$$\theta_t = 0, \tan \beta = 10$$

**No golden region without stop mixing!**

# Probing the Golden Region

- So, the **golden region** has the following properties:
  - Lighter stop between **200** and **700** GeV
  - Two stops **split** by **200-400** GeV
  - Large **mixing angle** in the stop sector
- Can this hypothesis be **tested** at the LHC?
- Both stops will be within reach!
- A **simple** test: the decay mode  $\tilde{t}_2 \rightarrow \tilde{t}_1 + Z$  has a **big branching ratio** in the golden region  $\Rightarrow$  look for this decay!  
[MP + Spethmann, 2007]
- A more **direct** test: stop mixing angle measurement in  $\tilde{t}_1 \rightarrow \tilde{\chi}^0 t$   
[MP + Weiler, 2008]

[**Alternative**: indirect measurement of stop parameters via hgg - **Dermisek and Low**]

# Benchmark Point

- To estimate observability of  $\tilde{t}_2 \rightarrow \tilde{t}_1 Z$ , we choose a **benchmark point** in the center of the golden region:

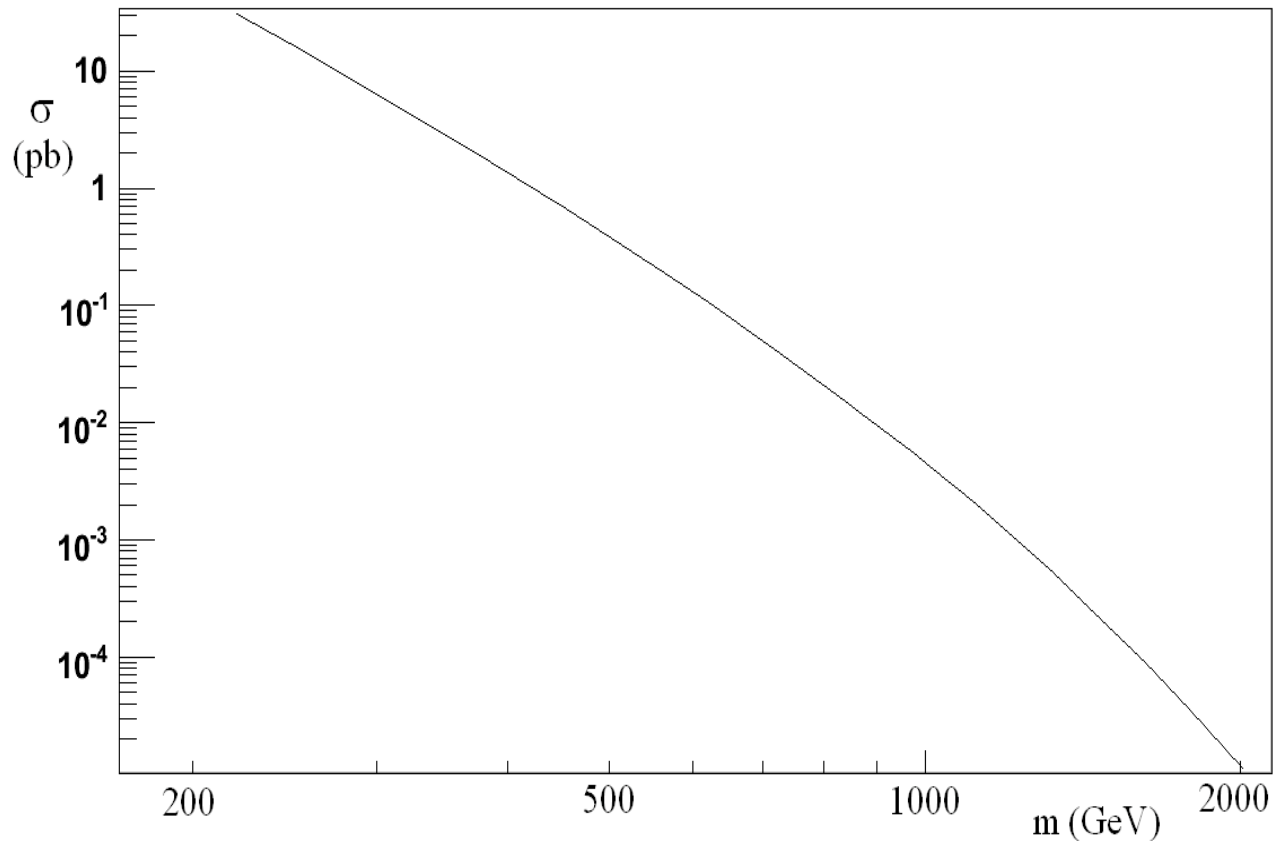
$$m_1 = 400 \text{ GeV}, m_2 = 700 \text{ GeV}, \theta_t = \pi/4$$

- Non-stop parameters also fixed, although their precise values are unimportant:  $\tan \beta = 10, \mu = 250 \text{ GeV}, \dots$
- At this point,  $\text{Br}(\tilde{t}_2 \rightarrow \tilde{t}_1 + Z) = \mathbf{31\%}$ ; the rest made up by other decay modes:  $\chi_0 + t, \chi^+ + b, W^+ + \tilde{b}$
- This branching is **robust** (typically **20-40%** throughout the golden region, incl. scanning non-stop parameters)
- Exception: if  $m(\tilde{g}) \ll m(\tilde{t}_2)$ ,  $\tilde{t}_2 \rightarrow \tilde{g}t$  may dominate (but this is disfavored by the Tevatron bounds!)
- **Note:** WIMP relic density wrong, but it is possible to choose non-top-sector parameters to get it right

[Kasahara, Freese, Gondolo, 0805.0999]



# Stops at the LHC



$$\sigma(\tilde{t}_2\tilde{t}_2^*) = 5 \text{ fb} \quad \text{for } m_2 = 700 \text{ GeV}$$

50  $\tilde{t}_2$  pairs/year @  $10 \text{ fb}^{-1}/\text{yr}$

**NOT start-up physics!**

# Signature

- The interesting decay  $\tilde{t}_2 \rightarrow \tilde{t}_1 + Z$  is followed by **stop** and **Z** decays; the detector signature depends on those decays
- Assume **leptonic** (e or mu) Z decays - clean, QCD background rejection
- Stop decay pattern very model dependent, but all decays involve a b quark and the LSP (missing energy)
- To retain robustness, focus on an **inclusive signature**:

$$\tilde{t}_1 \rightarrow b + \chi_0 + X$$

- Second  $\tilde{t}_2$  decay (pair-produced!):  $\tilde{t}_2 \rightarrow b + \chi_0 + X$  where X may or may not include a Z
- So: look for  $Z(\ell^+ \ell^-) + 2j_b + \text{MET} + X$

# Backgrounds

$$Z(\ell^+\ell^-) + 2j_b + \text{MET}$$

- **Physical** SM backgrounds:

$$jjZZ, \text{ with } Z_1 \rightarrow \ell^+\ell^-, \quad Z_2 \rightarrow \nu\bar{\nu}$$

$$t\bar{t}Z, \text{ with } Z \rightarrow \ell^+\ell^- \text{ and leptonic top(s)}$$

$$t\bar{t}, \text{ with 2 leptonic tops and } \sqrt{s(\ell^+\ell^-)} \approx M_Z \text{ accidentally}$$

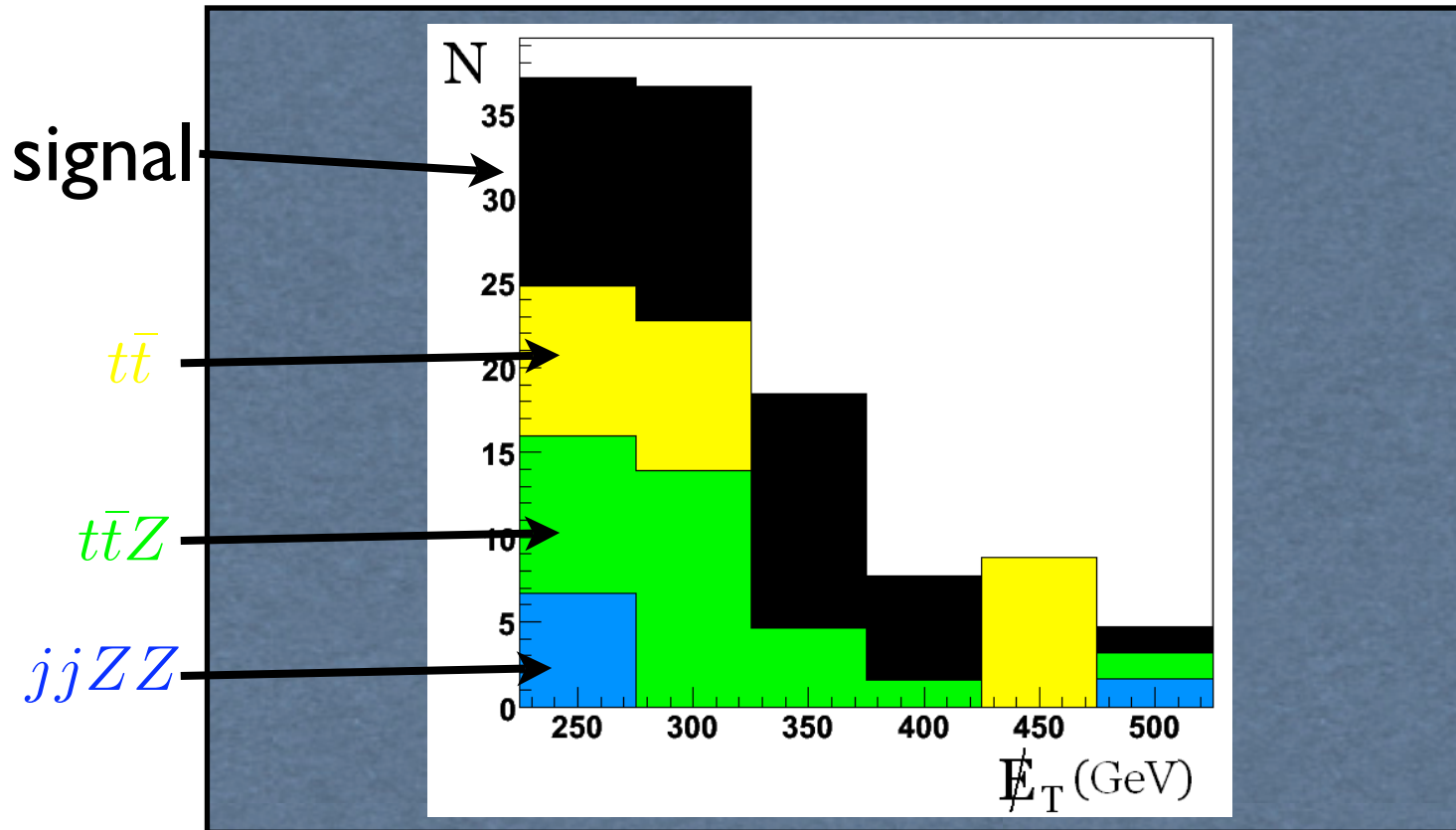
- **Instrumental** backgrounds

$$jjZ, \text{ with MET due to jet mismeasurement}$$


- **Strategy:** simulate statistically significant samples of these processes using **MadGraph+Pythia**, use **PGS** ("pretty good simulator", by J. Conway, LHCO version) as a toy detector simulation, off-line cuts and statistical analysis in **ROOT**

	signal: $\tilde{t}_2\tilde{t}_2^*$	$jjZZ$	$t\bar{t}Z$	$t\bar{t}$	$jjZ$
$\sigma_{\text{prod}}(\text{pb})$	0.051	0.888	0.616	552	824
total simulated	9964	159672	119395	3745930	1397940
1. leptonic $Z(\text{s})$	1.4	4.5	2.6	0.04	2.1
2(a). $p_t(j_1) > 125 \text{ GeV}$	89	67	55	21	41
2(b). $p_t(j_2) > 50 \text{ GeV}$	94	93	92	76	84
3. $b$ -tag	64	8	44	57	5
4. $\gamma(Z) > 2.0$	89	66	69	26	68
5. $\cancel{E}_T > 225 \text{ GeV}$	48	2.2	4.4	1.7	< 0.9 (95% c.l.) 0 (ext.)
$N_{\text{exp}}(100 \text{ fb}^{-1})$	16.4	2.8	10.8	8.8	< 177 (95% c.l.) 0 (ext.)

Table 4: Summary of the analysis of observability of the supersymmetric golden region signature (24). First row: Production cross section for the signal and background processes at the LHC. Second row: Number of Monte Carlo events used in the analysis. Rows 3–8: Cut efficiencies, in%. Last row: The expected number of events for an integrated luminosity of  $100 \text{ fb}^{-1}$ .

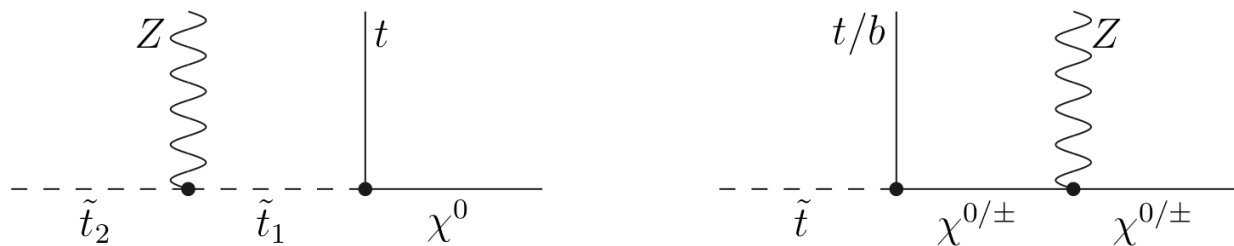


# Observability

- Assuming **statistical** uncertainties dominate, **3-sigma** observation requires **75 fb<sup>-1</sup>**, **5-sigma** discovery requires **210 fb<sup>-1</sup>**
- Did not try to estimate **systematics**
- Note: ttbar contribution to the background (~50%) can be **shoulder-subtracted**  probably statistics-dominated
- Also, ttbarZ can be controlled with control samples (e.g. with 2 hadronic and 1 had+1 lep tops)
- Alternative sets of rectangular cuts tried (e.g. 2 b-tags), not much improvement
- Fancier analysis methods (e.g. neural nets, decision trees) may give substantial improvement?

# Confusability

- If an **excess** of events in the  $Z(\ell^+\ell^-) + 2j_b + \text{MET}$  channel is observed, can one conclude that it's due to  $\tilde{t}_2 \rightarrow \tilde{t}_1 + Z$ ?
- **Not really:** even within the MSSM there are alternative explanations, e.g.  $\tilde{t} \rightarrow t\chi_2^0$ ,  $\chi_2^0 \rightarrow Z\chi_1^0$
- Expect **no** preference for b-tagged events if Zs come from neutralino/chargino decays...
- **Spin correlation** observables: **scalar**  $>$  **Z + scalar** vs. **fermion**  $>$  **Z + fermion** (detailed study is needed)



chargino-Z coupling chiral; c.f. [Barr, Yavin and Wang](#), etc.

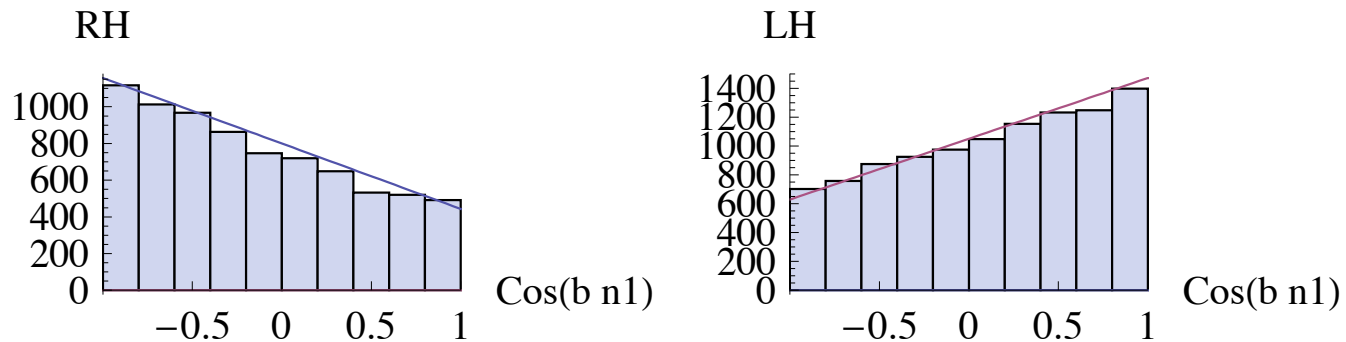
# Stop Mixing Angle from Top Polarization

[work in progress with Andreas Weiler]

- In the golden region, low  $\tilde{t}_1$  mass is likely  $\Rightarrow$  a **large sample** of  $\tilde{t}_1$  pairs may be available (e.g.  $\sigma(\tilde{t}_1\tilde{t}_1^*) = 3 \text{ pb}$  )  
 $M(\tilde{t}_1) = 340 \text{ GeV}$
- Consider the decay  $\tilde{t}_1 \rightarrow t\tilde{\chi}^0$
- Couplings:  $\tilde{t}_L t_L \tilde{B}, \tilde{t}_L t_L \tilde{W}^3, \tilde{t}_L t_R \tilde{H}_u;$   
 $\tilde{t}_R t_R \tilde{B}, \tilde{t}_R t_R \tilde{W}^3, \tilde{t}_R t_L \tilde{H}_u$
- Top decay products carry information about **top helicity**
- If the neutralino is predominantly gaugino, **top helicity** = **stop handedness** (and opposite if neutralino=higgsino)
- If independent information on the neutralino content is available, **top helicity** measurement = **stop mixing angle** measurement!

# Stop Mixing Angle from Top Polarization: Example

- We consider  $\tilde{t}_1 \rightarrow t\tilde{\chi}_1^0$ ,  $t \rightarrow bW$  with  $\tilde{\chi}_1^0 = \tilde{B}$
- Top helicity **analyzer**: b direction w.r.t. neutralino momentum (in top rest frame)



- Neutralino and top approximately **back-to-back in lab frame** (stops produced close to threshold)  $\Rightarrow$  slightly smaller but still sizable effect in  $\cos(\theta_{bn})$
- Need **fully reconstructed** tops for this measurement
- Extra MET from neutralinos  $\Rightarrow$  use only **hadronic** tops

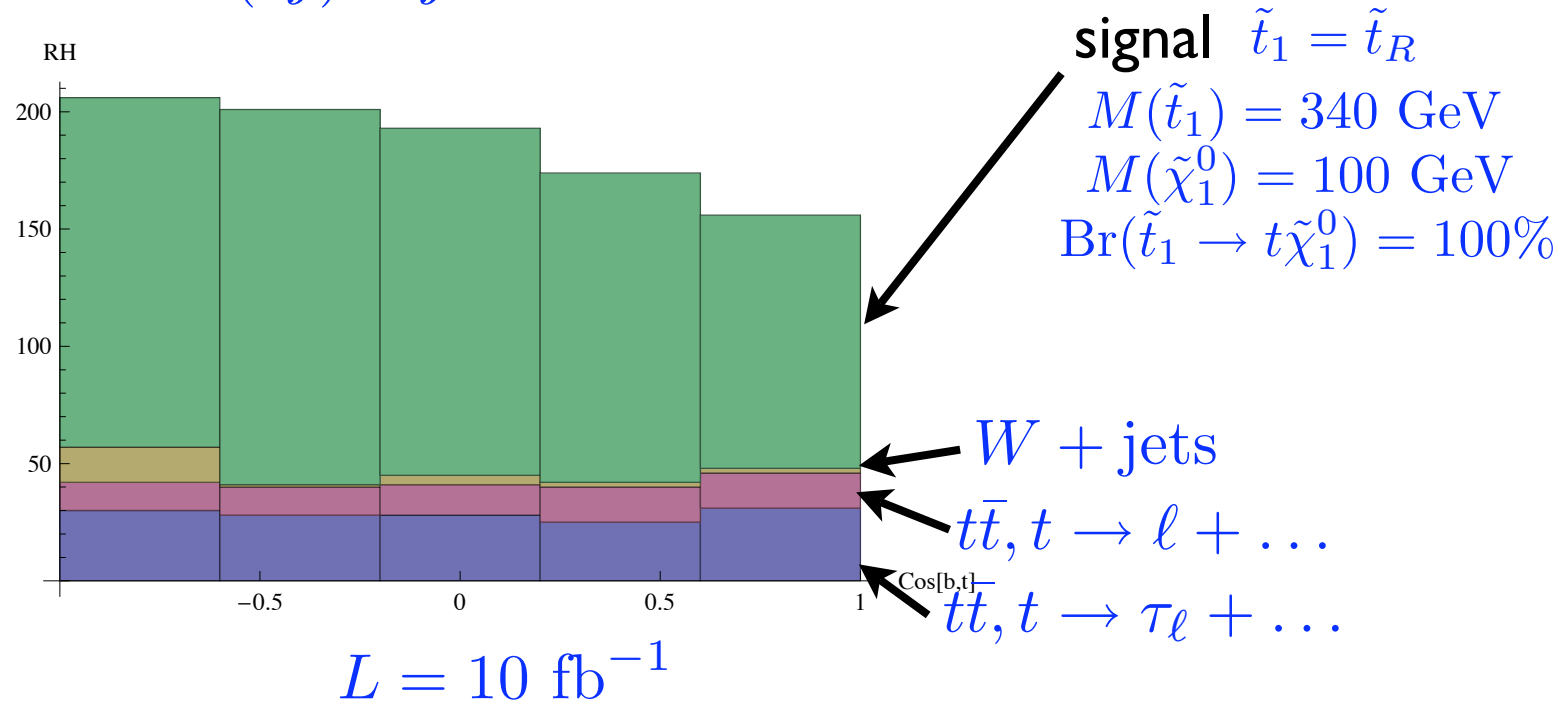


# Stop Mixing Angle from Top Polarization: Backgrounds

- Full signature:  $\tilde{t}_1 \rightarrow t\tilde{\chi}_1^0, \tilde{t}_1^* \rightarrow \bar{t}\tilde{\chi}_1^0$
- Opposite asymmetry for  $t$  and  $\bar{t}$   $\Rightarrow$  require 1 hadronic (fully reconstructed) and 1 semileptonic top, use lepton charge to infer the reconstructed top charge
- Final state:  $t(3j) + j + \ell + \text{MET}$
- SM backgrounds:  $t\bar{t}$  ( $t \rightarrow \ell + \nu + b$ ),  $t\bar{t}Z$ ,  $W + \text{jets}$
- $t\bar{t}$  background most dangerous: B/S > 100 with no cuts
- In  $t\bar{t}$  events with e or mu, MET from neutrino reconstructs W, top  $\Rightarrow$  very effective rejection!
- Similar (somewhat less effective) cut removes  $t\bar{t}$  events with leptonic taus

# Stop Mixing Angle from Top Polarization: Observability

$t(3j) + j + \ell + \text{MET}$



$$a_{\text{FB}} = -0.125 \pm 0.065$$

**[preliminary!]**

[parton level, no combinatoric BGs, cuts not optimized]

# Conclusions

- In the MSSM, **data** (esp. Higgs mass bound) and **naturalness** give us a hint about some of the model parameters (**stop sector**)
- The preferred “**golden**” region has a distinct spectrum: two stops **split** by **200-400 GeV**, **large mixing**
- The decay  $\tilde{t}_2 \rightarrow \tilde{t}_1 + Z$  has a substantial **branching fraction** throughout the golden region, independently of the other 117 parameters (except weird corners)
- Evidence for this decay can be **observed** with  **$\sim 100 \text{ fb}^{-1}$**  of data at the LHC (but other SUSY interpretations possible)
- May be possible to measure the **stop mixing angle** directly by analyzing **top polarization** in  $\tilde{t}_1 \rightarrow t\tilde{\chi}^0$  decays

Stop Physics Will Be Important If the MSSM Is Right!