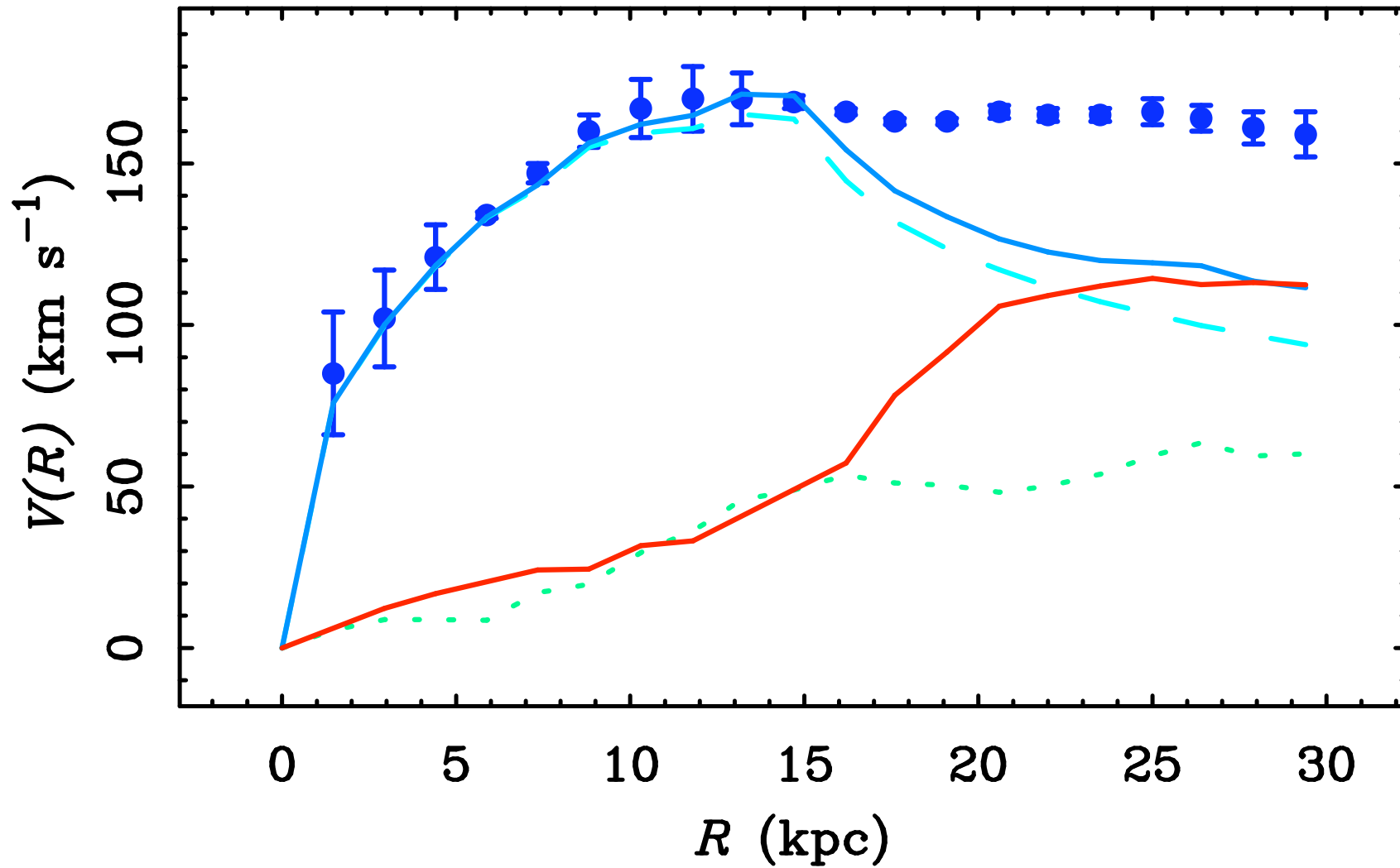


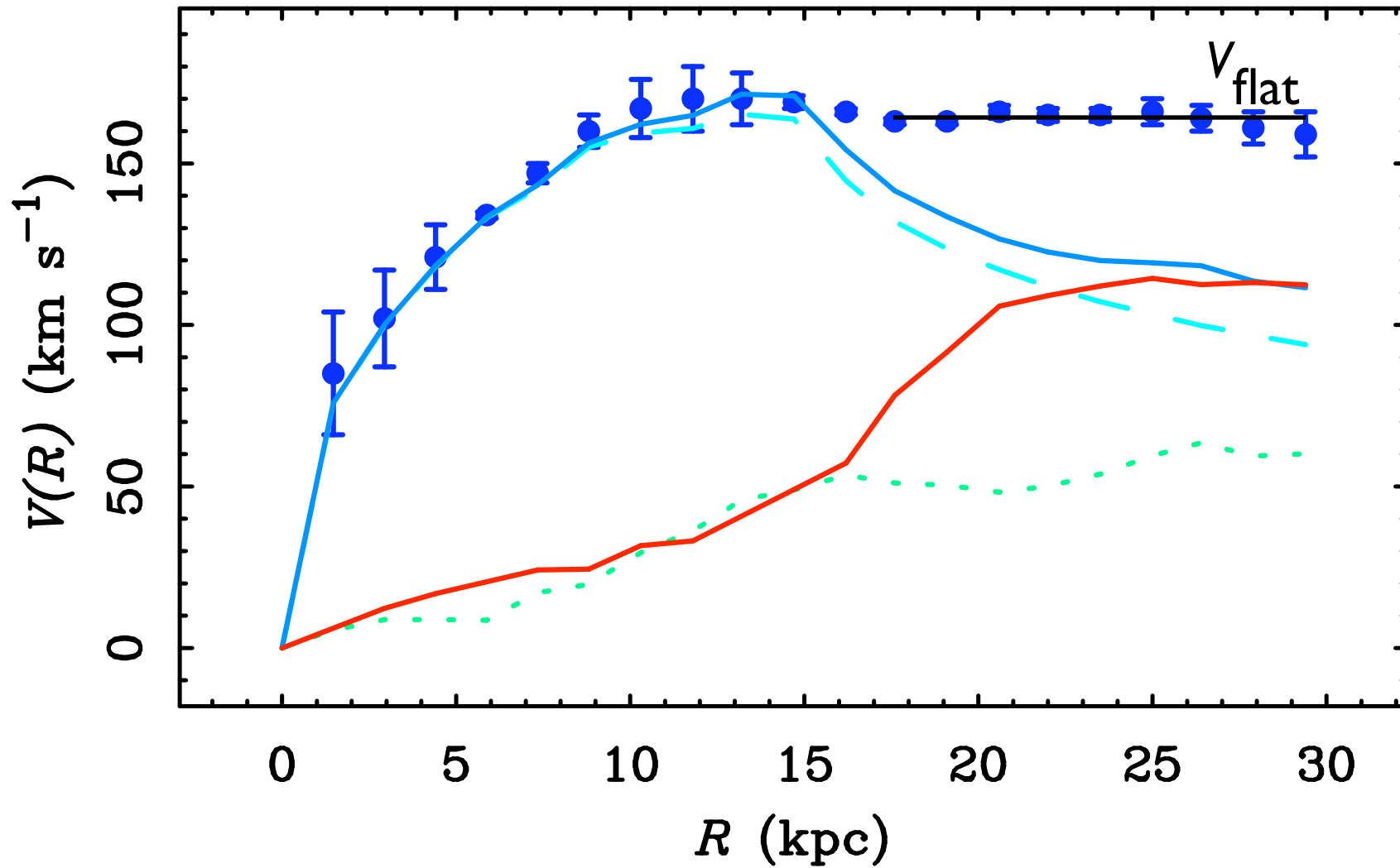
*The Balance of Dark and Luminous  
Mass in Rotating Galaxies*

*Stacy McGaugh  
University of Maryland*

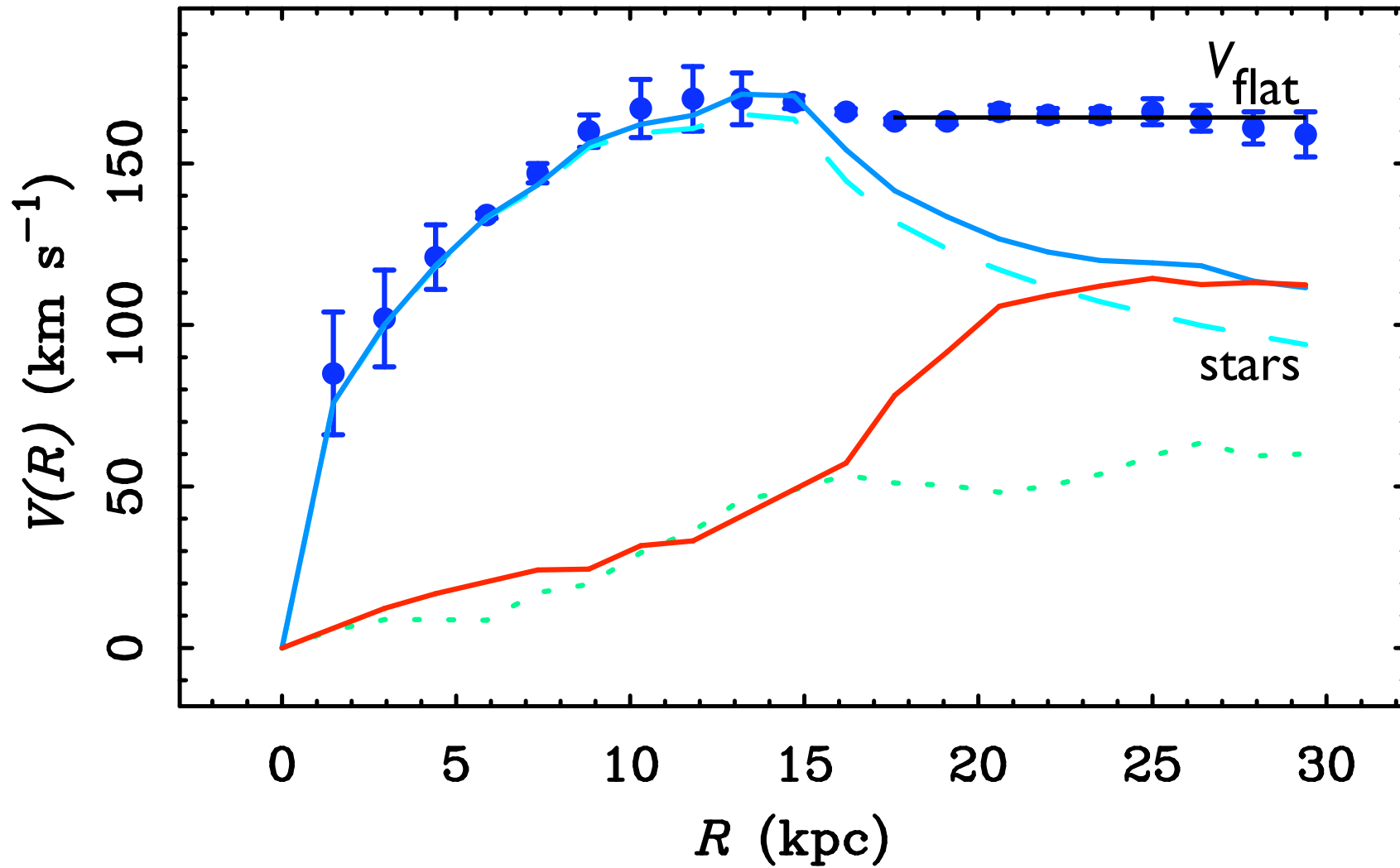
NGC 6946:  $\mathcal{M}_*/L_B = 1.1 \mathcal{M}_\odot/L_\odot$



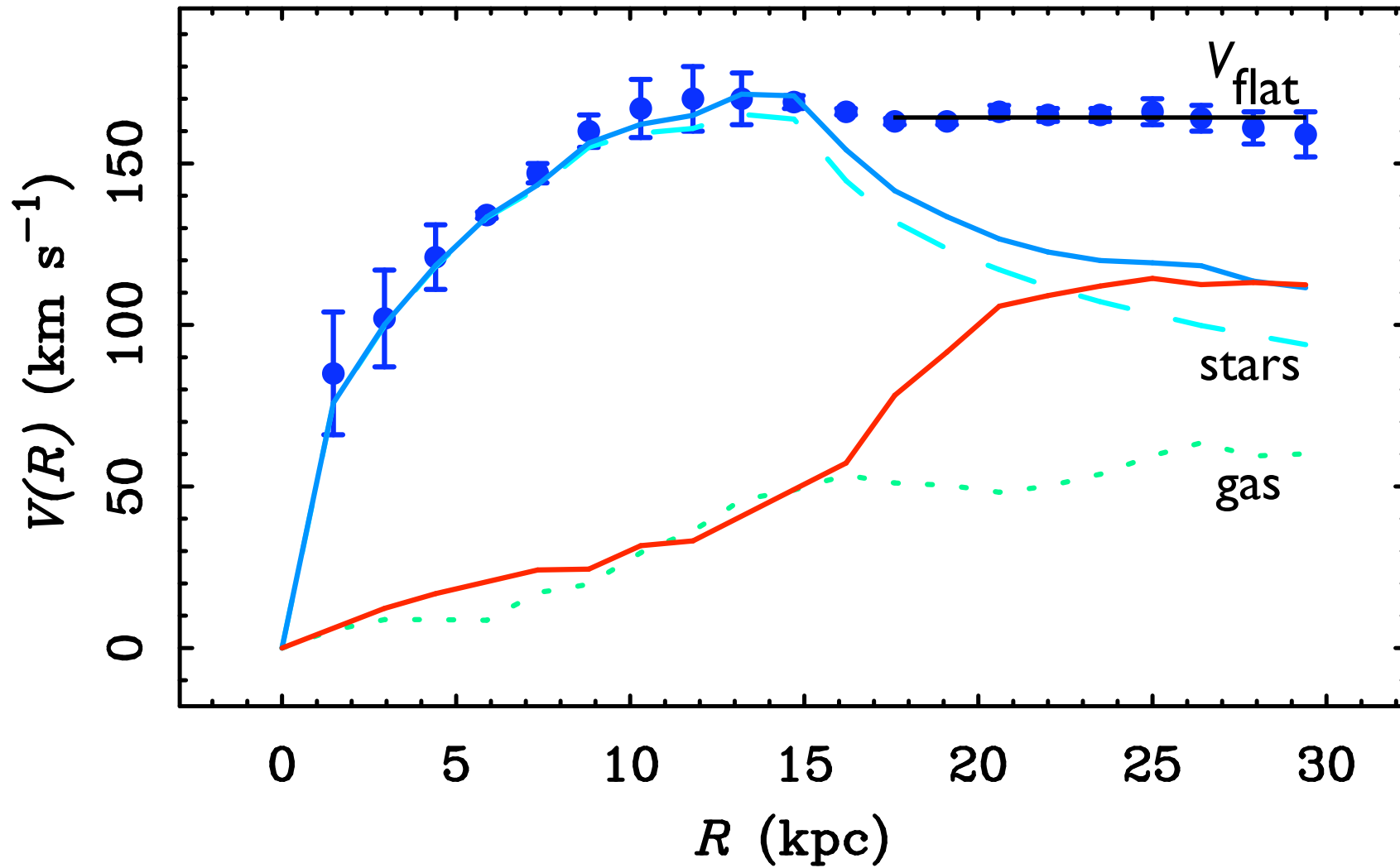
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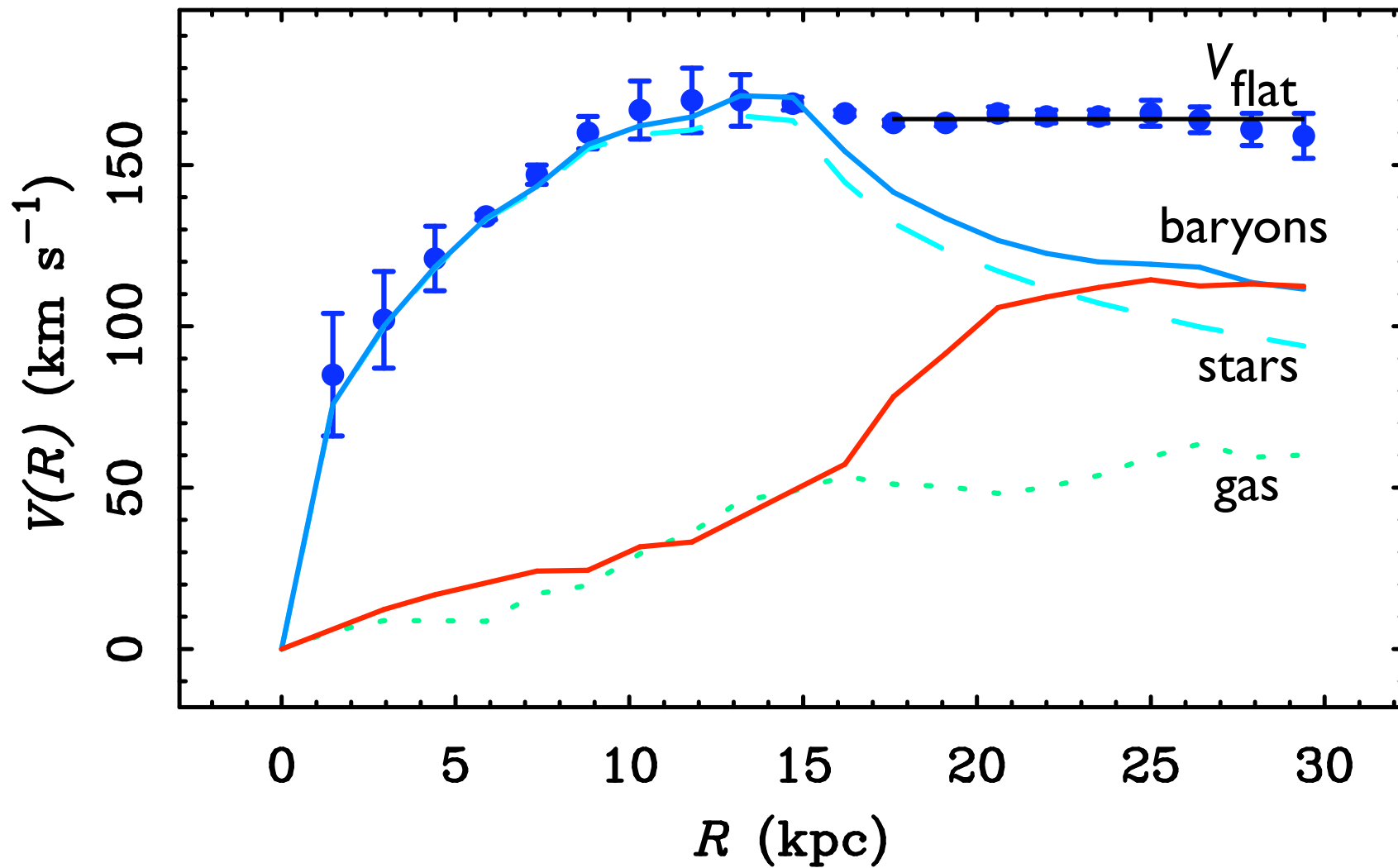
NGC 6946:  $\mathcal{M}_*/L_B = 1.1 \mathcal{M}_\odot/L_\odot$



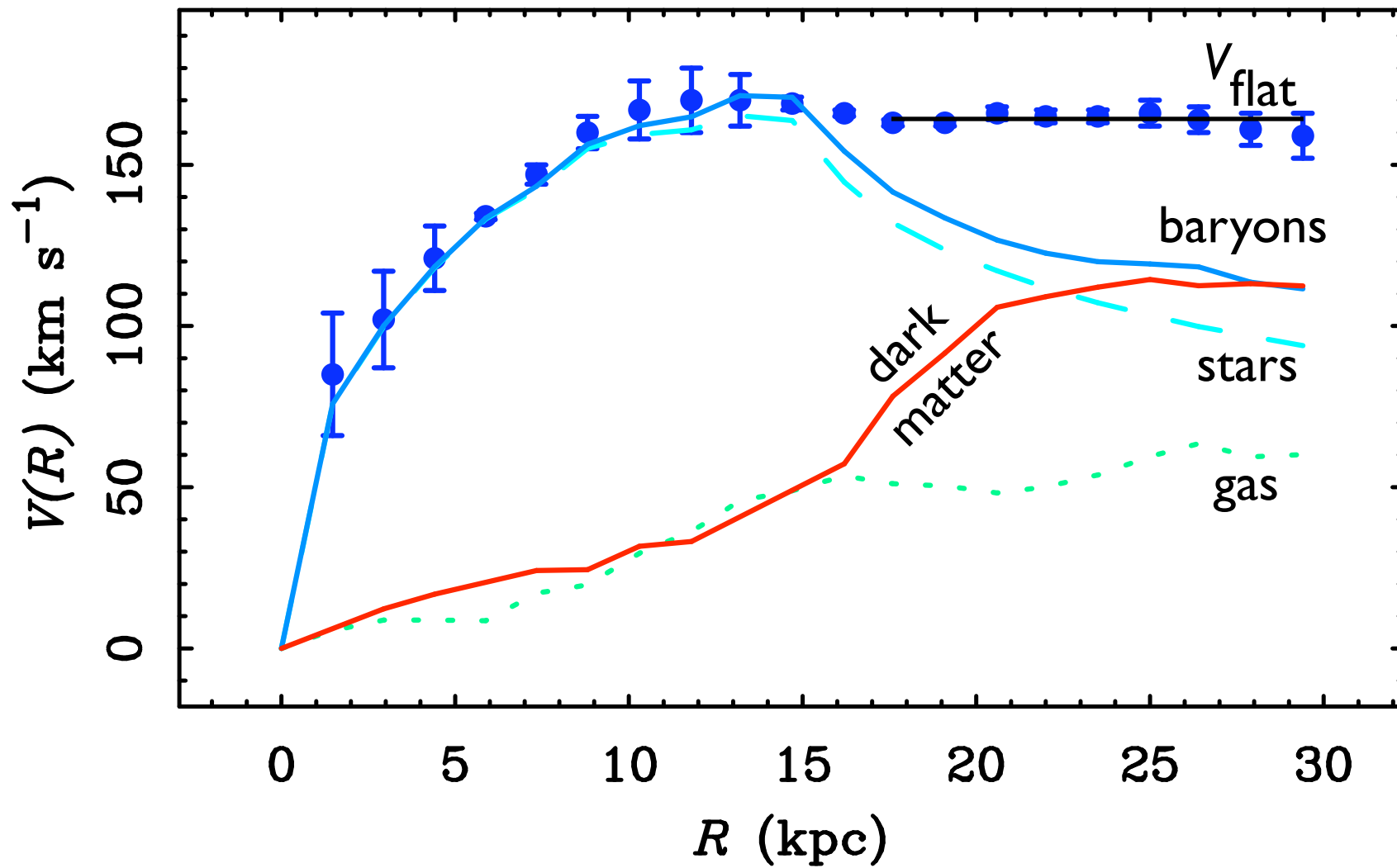
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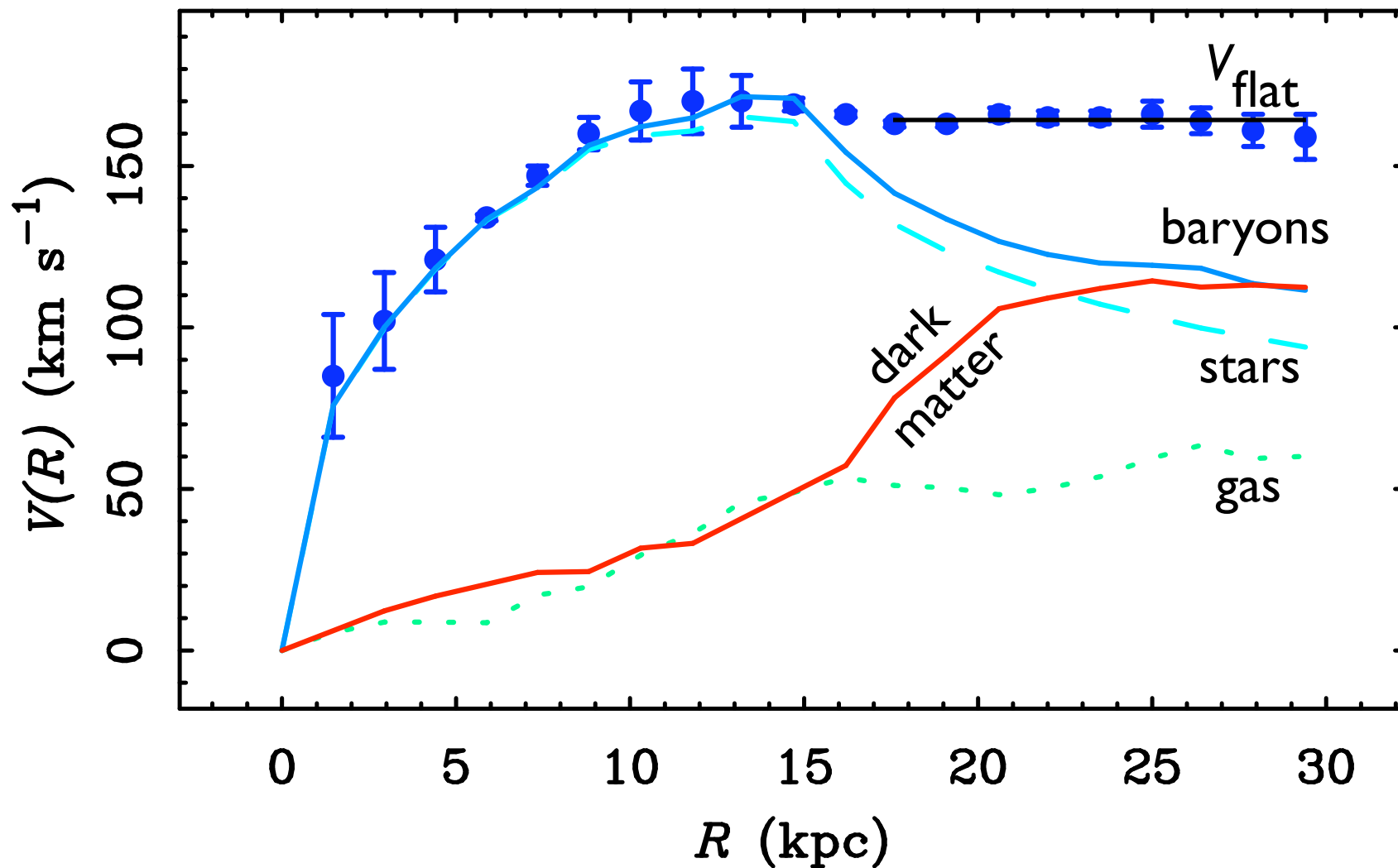
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sum of DM + baryons conspire to give isothermal potential



interpretations differ...



# Primary Sample

74 galaxies with detailed mass models

60 have high precision velocity data ( $\sigma_V/V < 0.05$ )

All have extended rotation curves from 21 cm velocity fields

Galaxies span all disk Hubble Types Sa to Irr (mostly later types)

Span wide range of physical parameters:

Rotation velocity:  $54 \leq V_f < 300 \text{ km s}^{-1}$

Baryonic Mass:  $3 \times 10^8 < M_d < 3 \times 10^{11} M_\odot$

Disk Scale Length:  $0.5 \leq R_d \leq 13 \text{ kpc}$

Central Surface Brightness:  $19.6 \leq \mu_0 \leq 24.2 \text{ B mag arcsec}^{-2}$

## Data have many sources:

*compilations* - Sanders (1996); McGaugh & de Blok (1998);  
Sanders & McGaugh (2002); McGaugh (2005, 2006)

*original sources* -

Begeman (1987)  
Broeils (1992)  
de Blok (1997)  
Verheijen (1997)

Jobin & Carignan (1990)  
Begeman, Broeils, & Sanders (1991)  
de Blok, McGaugh, & van der Hulst (1996)  
Sanders & Verheijen (1998)  
McGaugh, de Blok, & Rubin (2001)  
Verheijen (2001)

and many others...

# Supplemented by Extreme Dwarf Sample

8 galaxies with resolved, extended HI rotation curves  
 Very low mass & velocity:

Rotation velocity:  $17 \leq V_f \leq 51 \text{ km s}^{-1}$

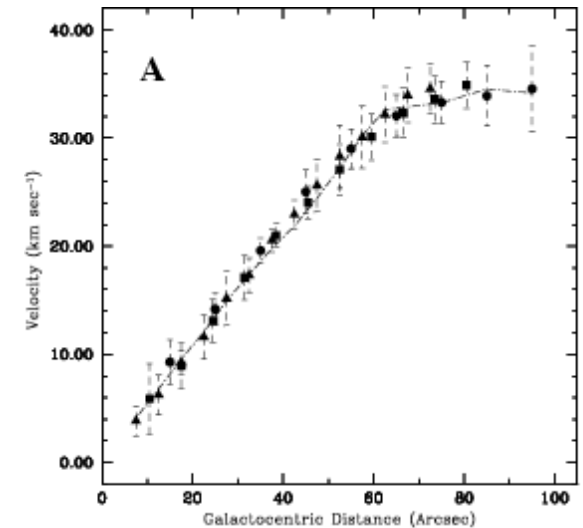
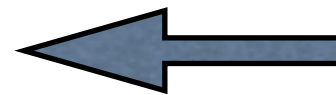
Baryonic Mass:  $4 \times 10^6 < M_d < 8 \times 10^8 M_\odot$

TABLE 5  
 EXTREME DWARF GALAXY DATA

Galaxy	$V_f$ ( $\text{km s}^{-1}$ )	$M_*$ ( $10^6 M_\odot$ )	$M_g$ ( $10^6 M_\odot$ )	References
ESO215-G?009.....	$51^{+8}_{-9}$	23	714	1
UGC 11583 <sup>a</sup> .....	$48^{+3}_{-4}$	119	36	2, 3
NGC 3741.....	$44^{+4}_{-2}$	25	224	4
WLM.....	$38^{+5}_{-5}$	31	65	5
KK98 251.....	$36^{+8}_{-4}$	12	98	3
GR 8.....	$25^{+5}_{-4}$	5	14	6
Cam B.....	$20^{+10}_{-13}$	3.5	6.6	7
DDO 210.....	$17^{+3}_{-5}$	0.9	3.6	8

<sup>a</sup> UGC 11583 is KK98 250.

REFERENCES.—(1) Warren et al. 2004; (2) McGaugh et al. 2001; (3) Begum & Chengalur 2004a; (4) Begum et al. 2005; (5) Jackson et al. 2004; (6) Begum & Chengalur 2003; (7) Begum et al. 2003; (8) Begum & Chengalur 2004b.



(McGaugh 2005)

# TF Relation

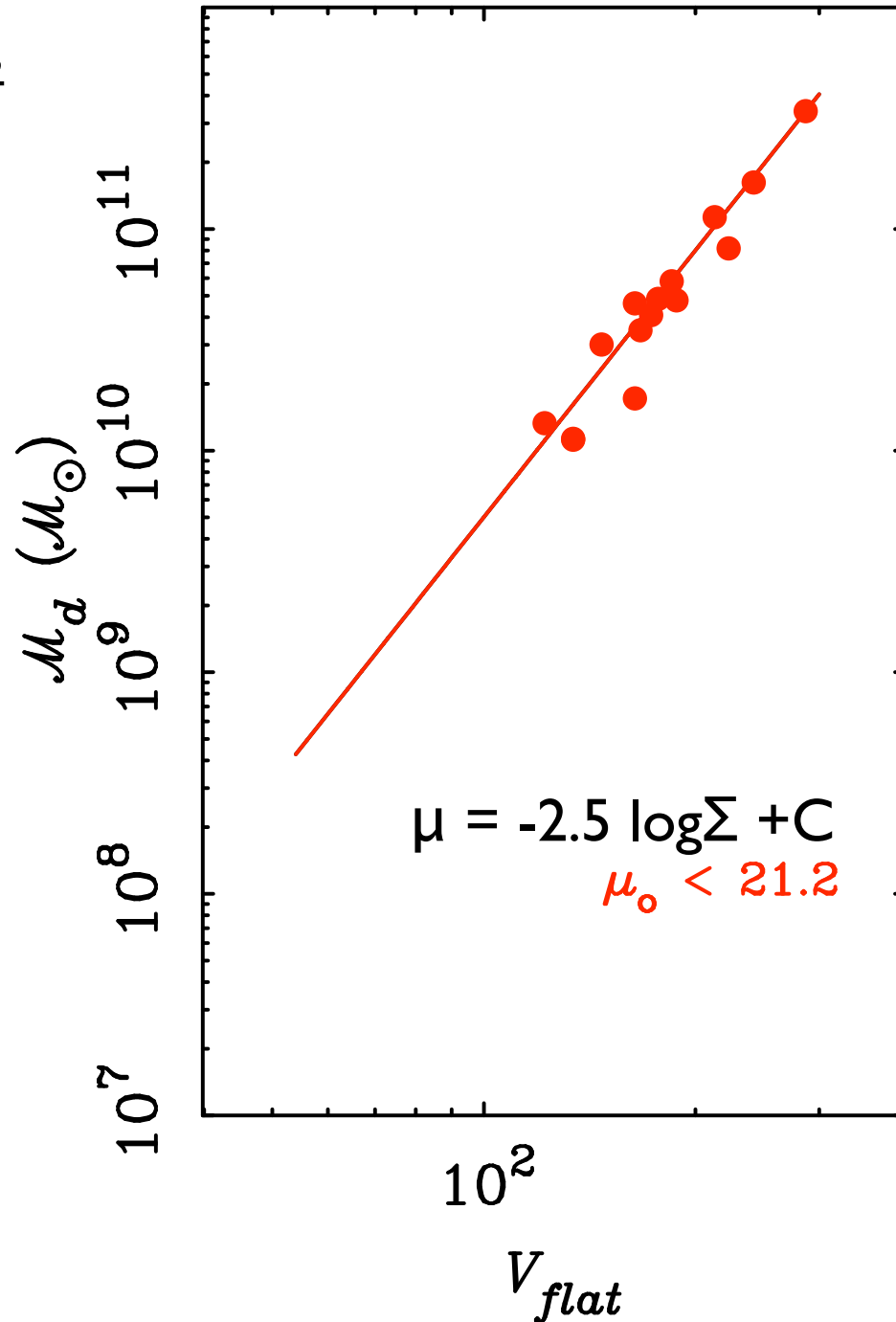
Newton says

$$V^2 = GM/R.$$

Equivalently,

$$\Sigma = M/R^2$$

$$V^4 = G^2 M \Sigma$$



## Tully Fisher residuals

Zwaan et al. (1995)

Sprayberry et al. (1995)

Tully & Verheijen (1997)

McGaugh & de Blok (1998)

Courteau & Rix (1999)

McGaugh (2005)

Pizagno et al. (2005)

Dutton et al. (2006)

Gnedin et al. (2006)

# TF Relation

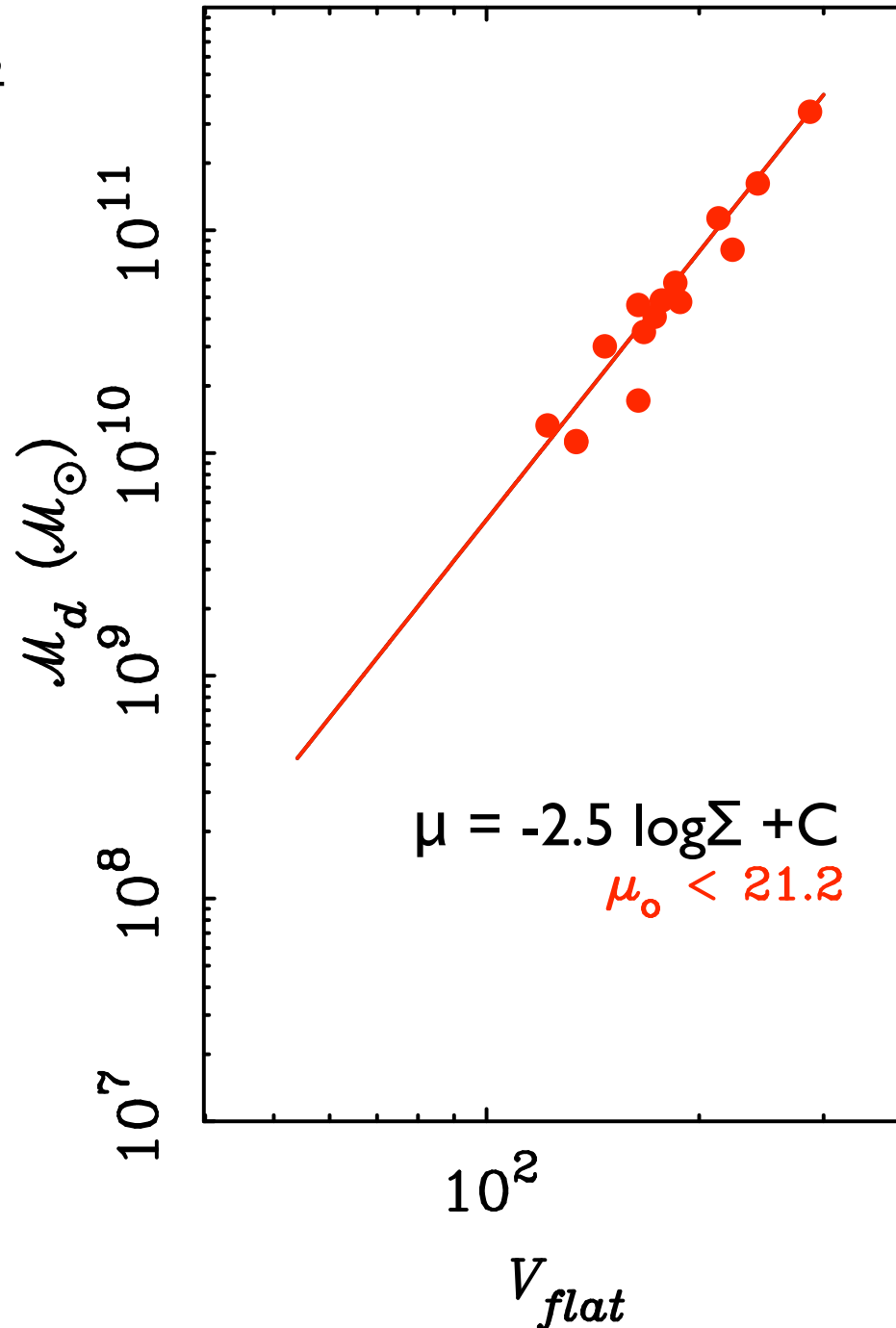
Newton says

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Therefore  
Different  $\Sigma$   
*should* mean  
different TF  
normalization.

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Dutton et al. (2006)

Gnedin et al. (2006)

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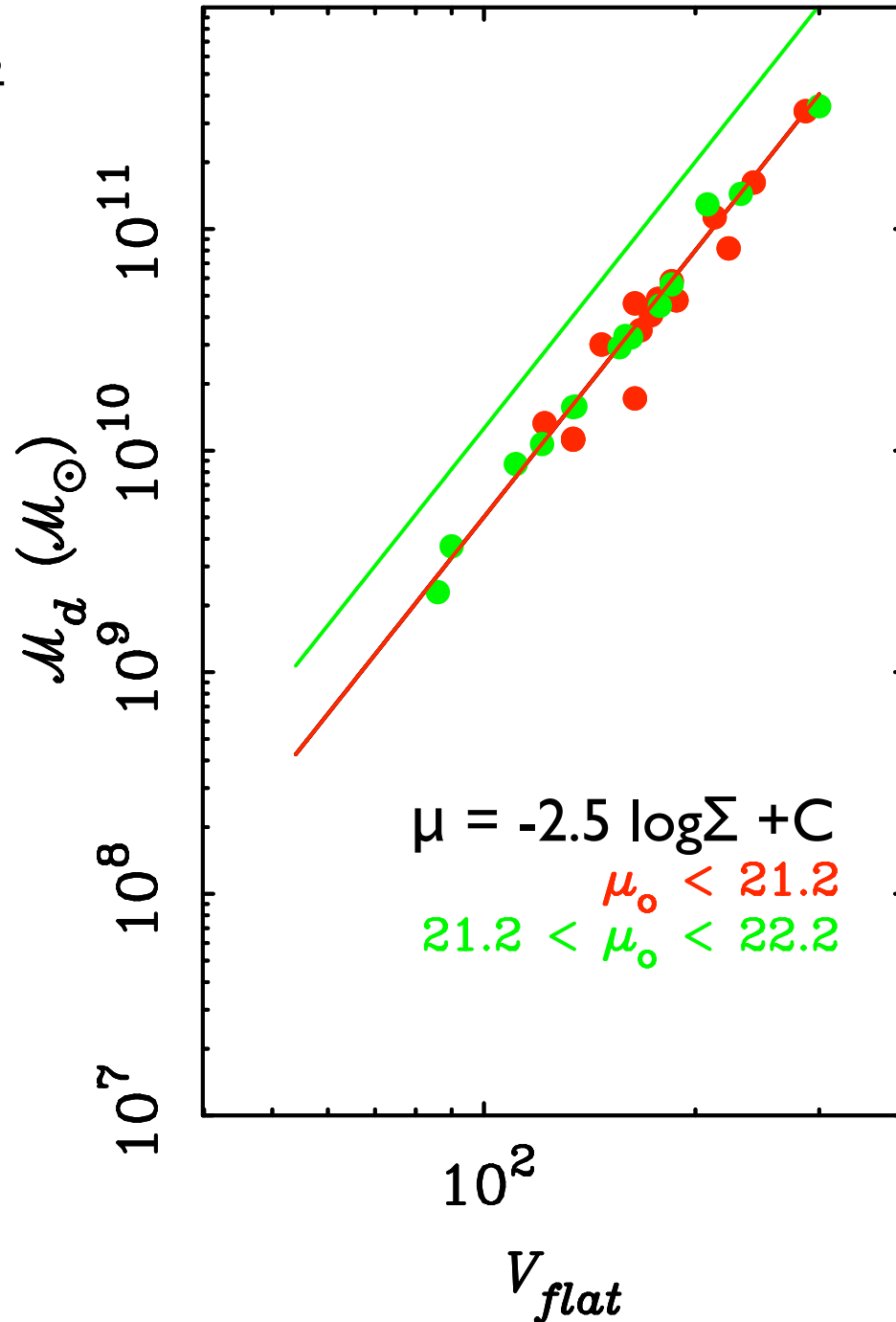
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# TF Relation

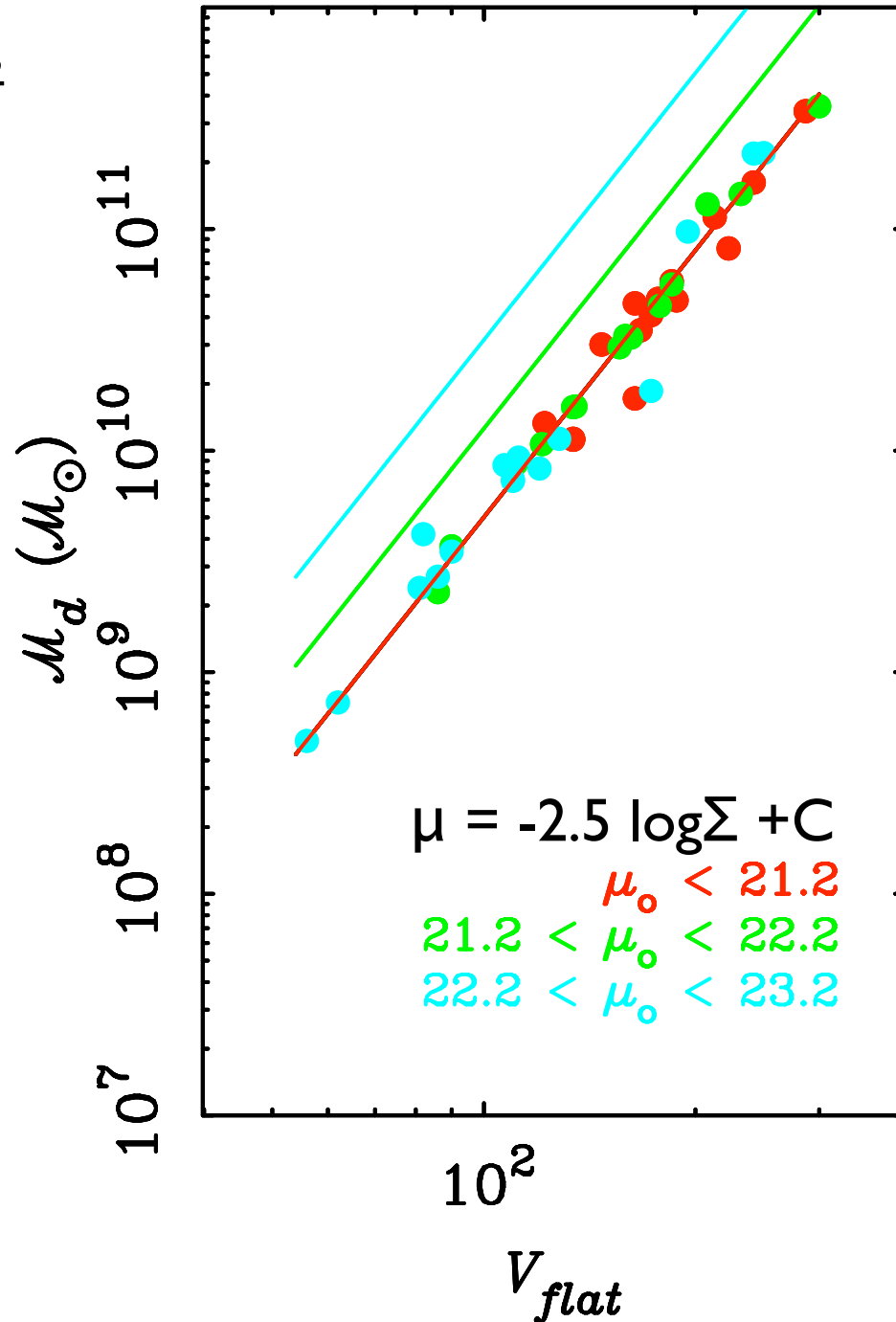
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McGaugh (2005)

Pizagno et al. (2005)

Dutton et al. (2006)

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# TF Relation

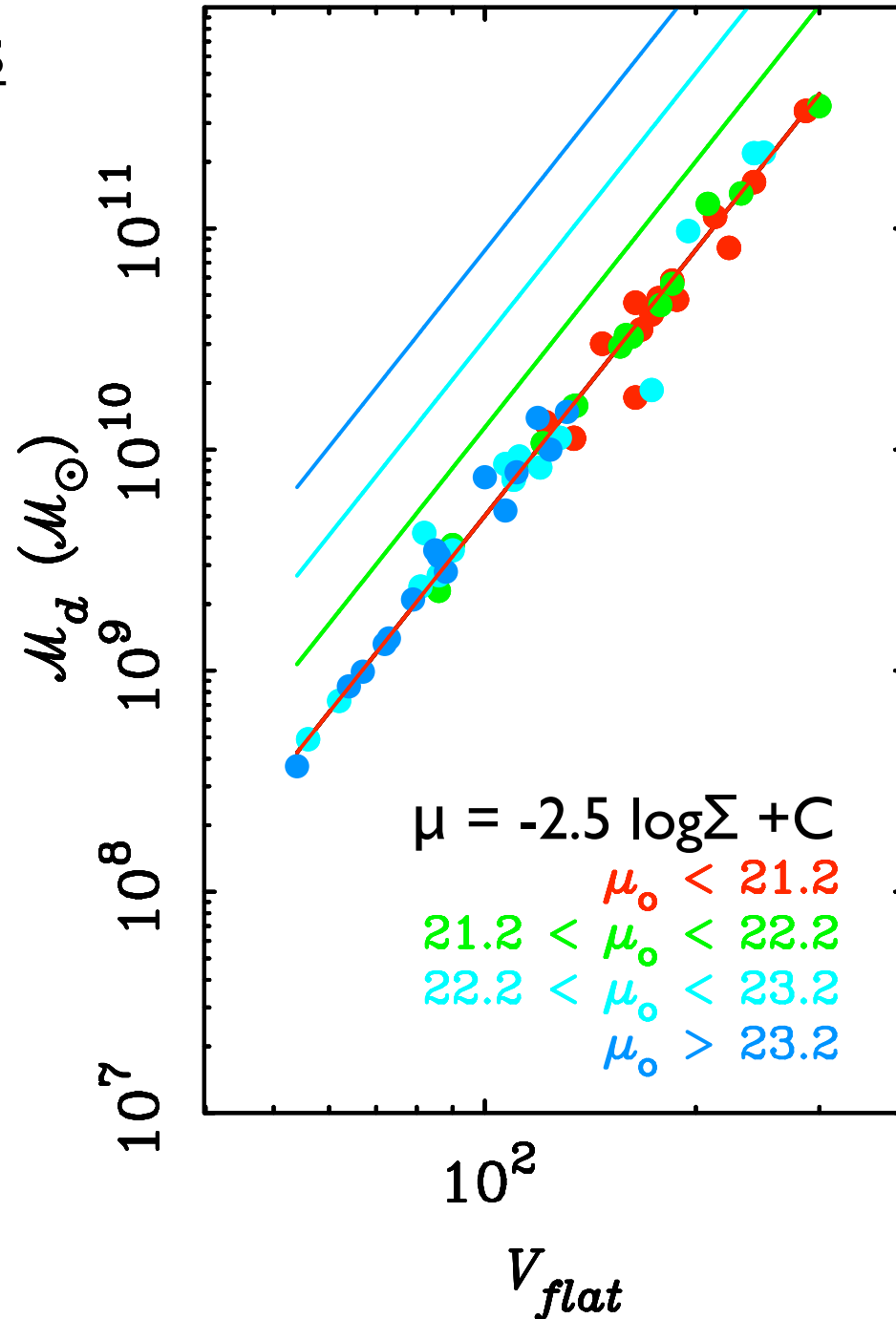
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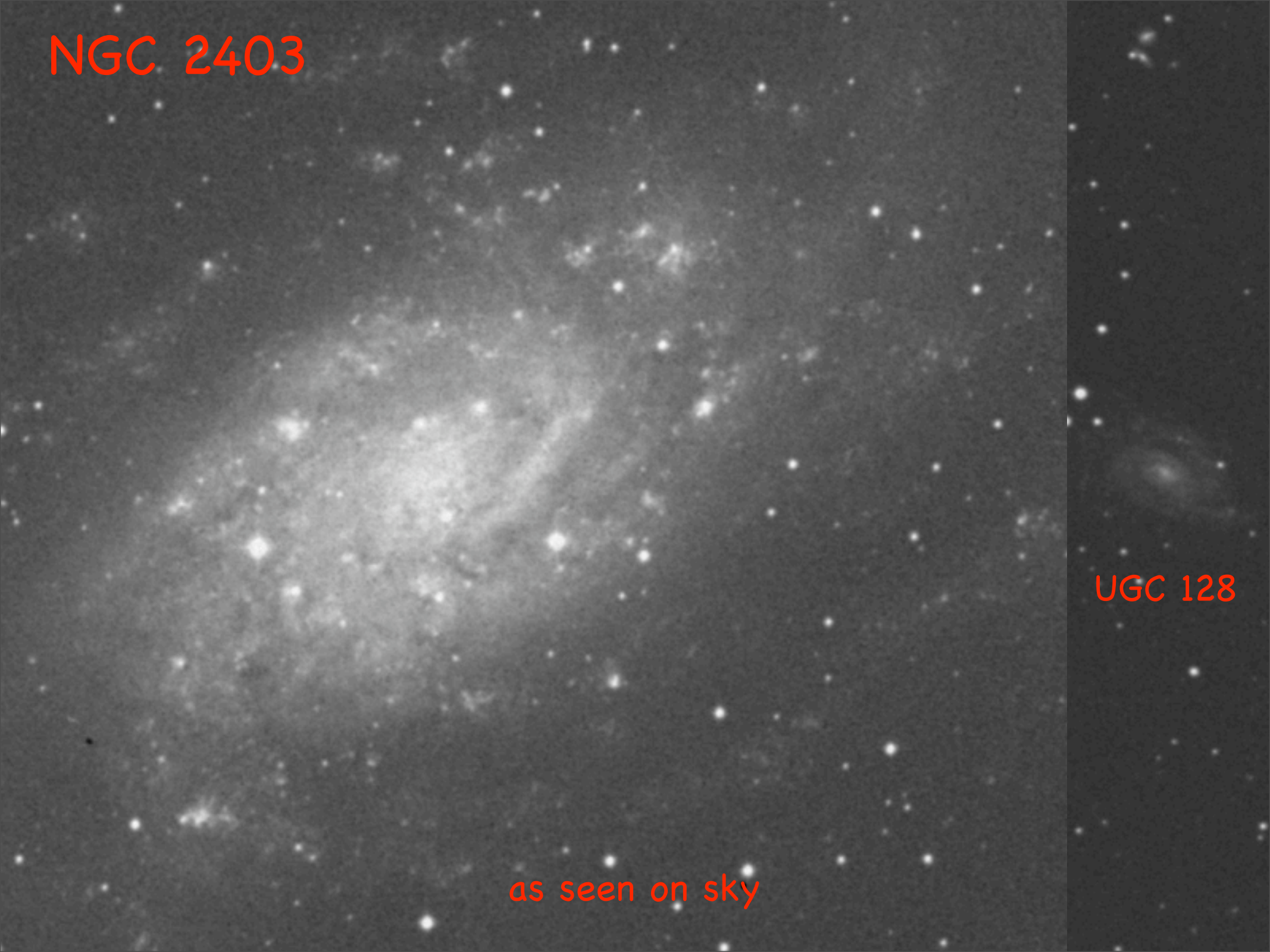
McGaugh (2005)

Pizagno et al. (2005)

Dutton et al. (2006)

Gnedin et al. (2006)

NGC 2403



UGC 128

as seen on sky

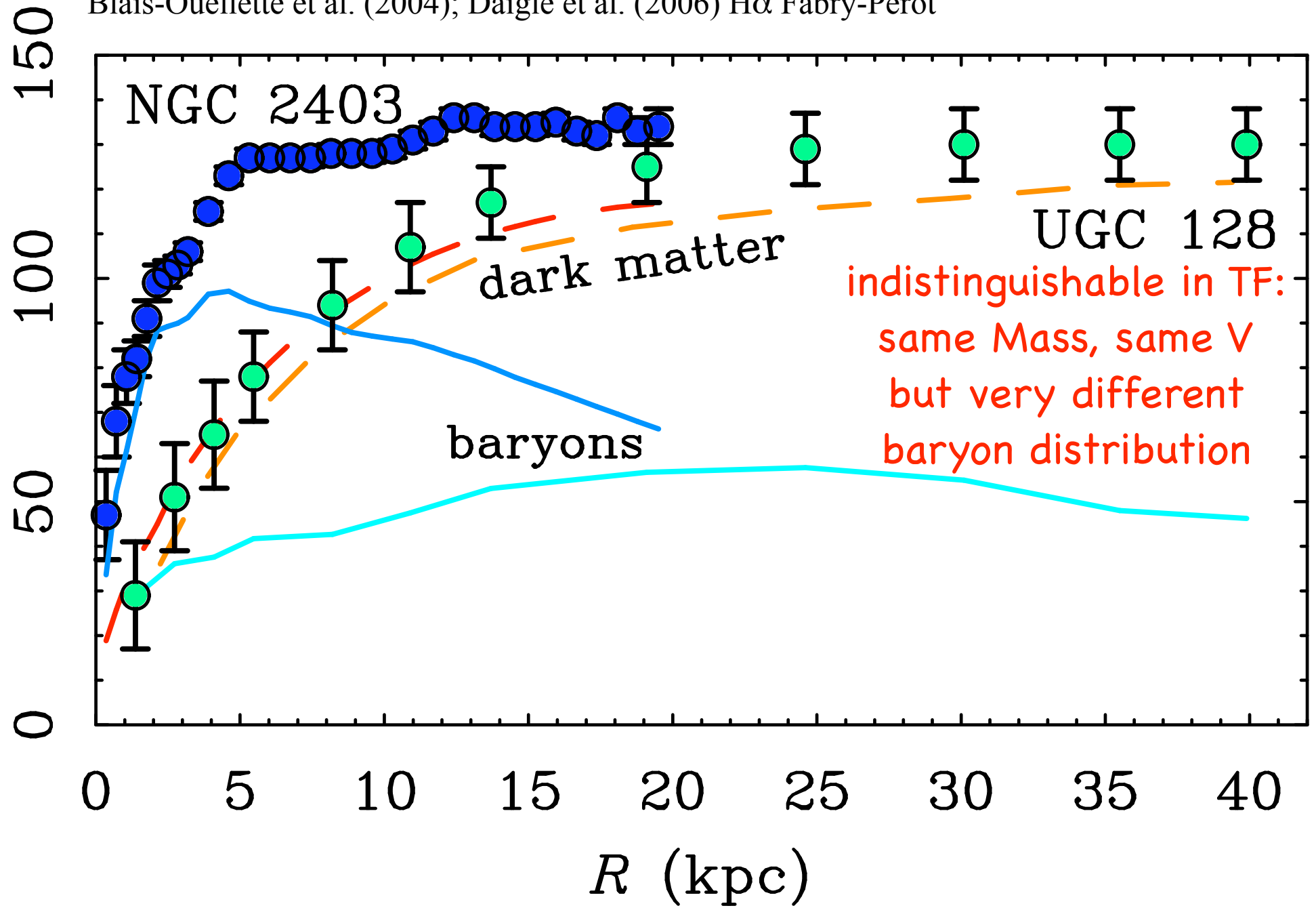
same physical scale



NGC 2403

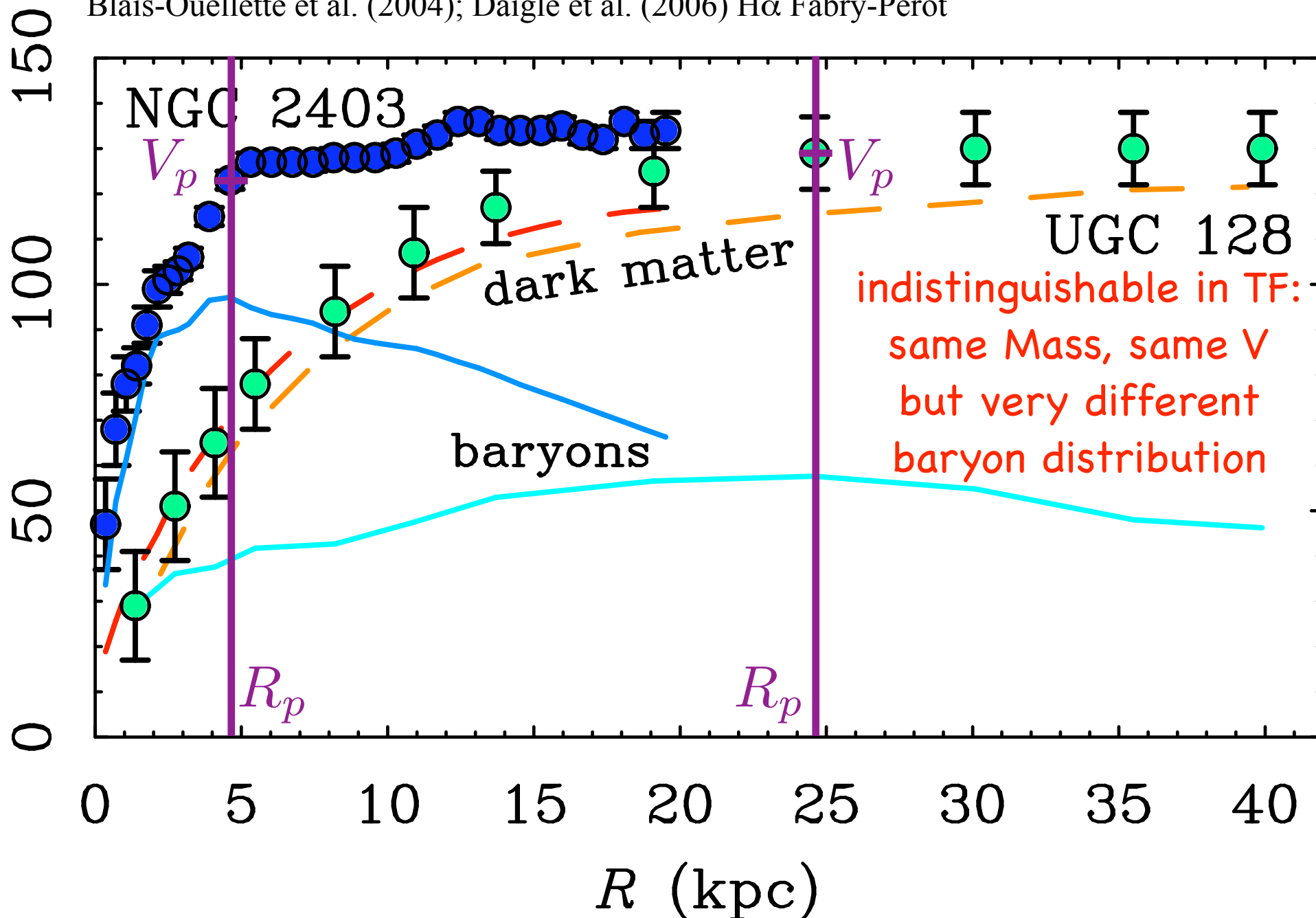
UGC 128

NGC 2403: Begeman (1987); Fraternali et al. (2001) : HI data  
Blais-Ouellette et al. (2004); Daigle et al. (2006) H $\alpha$  Fabry-Perot



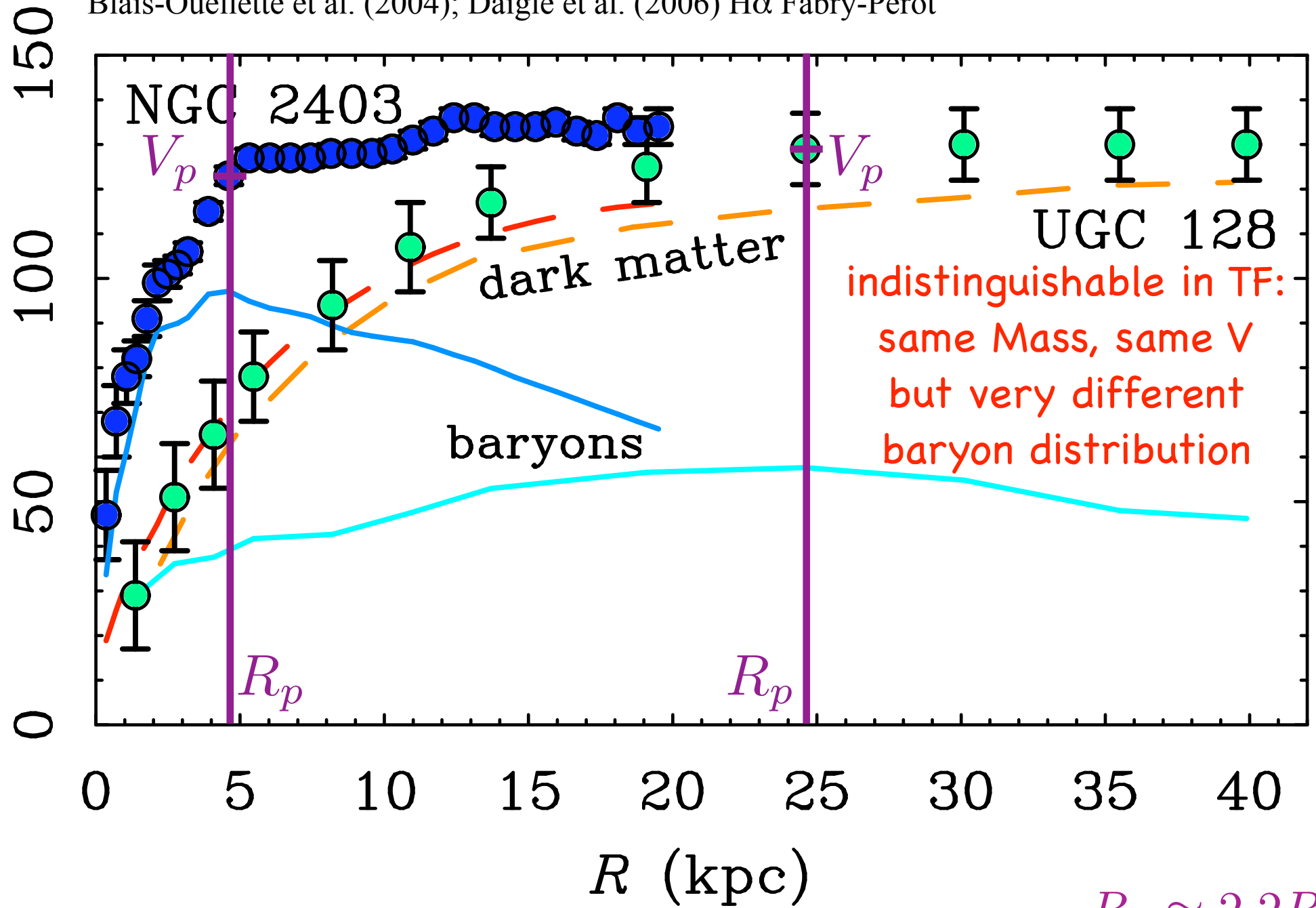
UGC 128: van der Hulst et al. (1992); Verheijen & de Blok (1999) : HI data  
Kuzio de Naray et al. (in prep.) H $\alpha$  IFU

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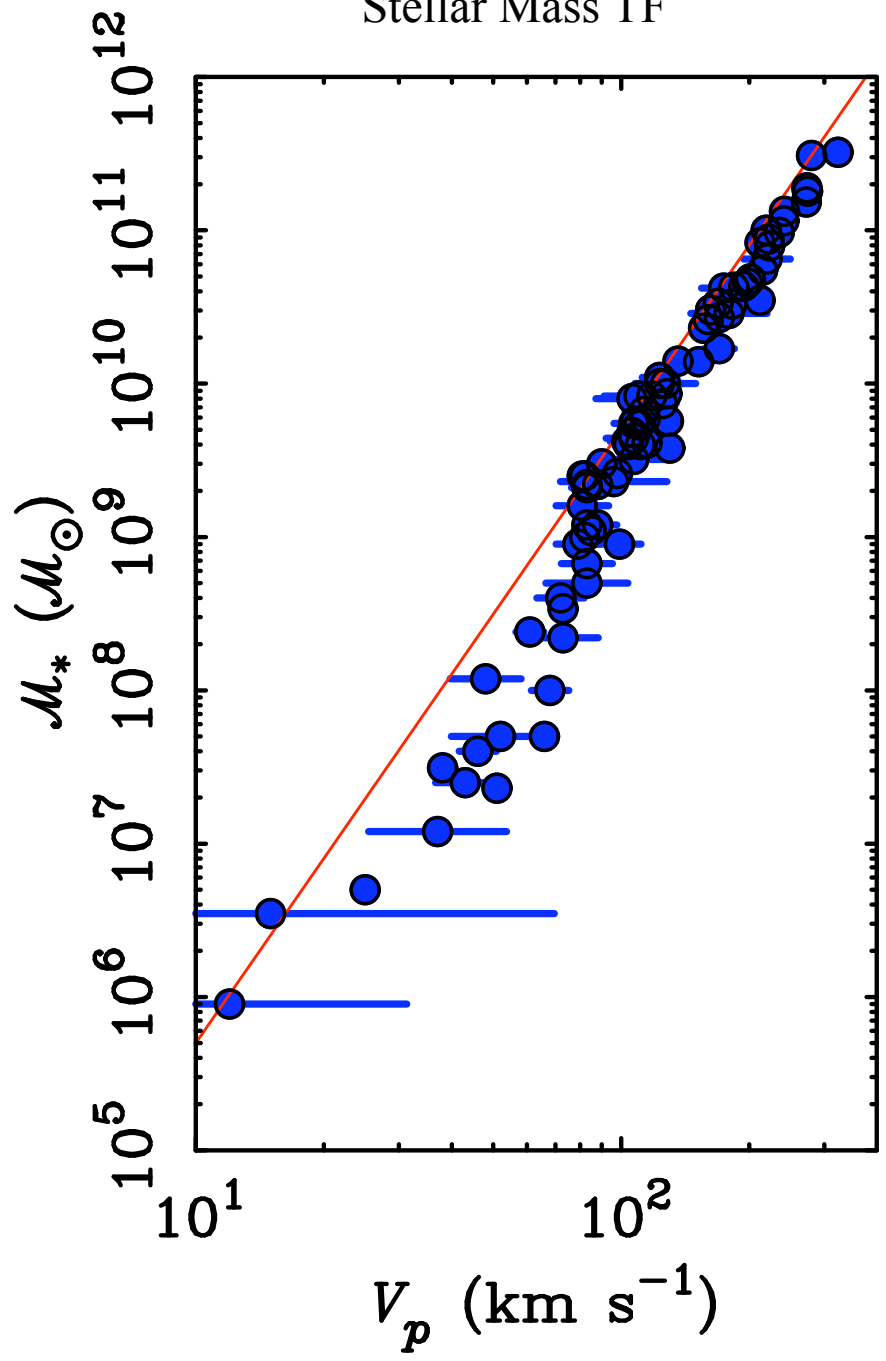
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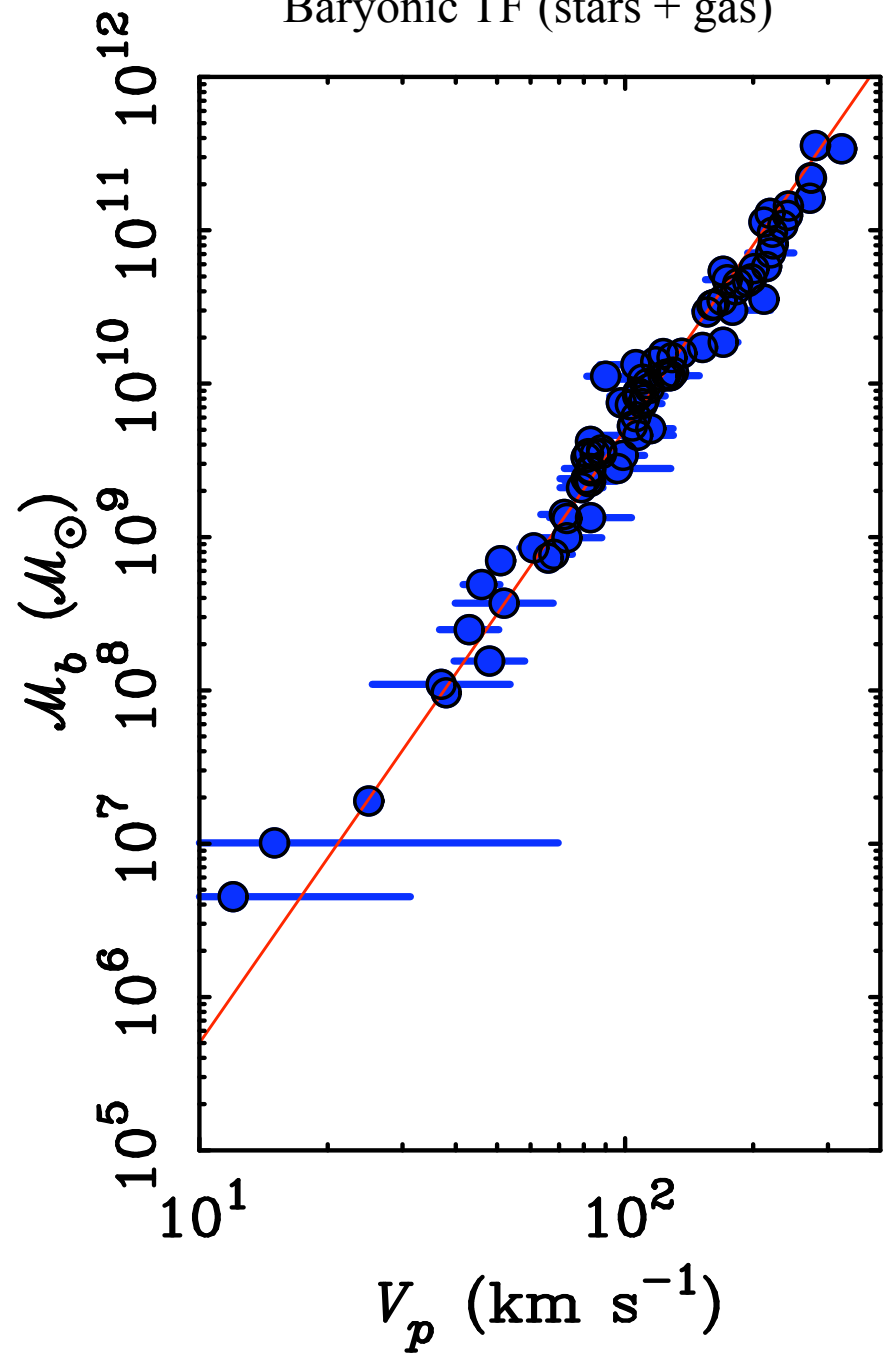
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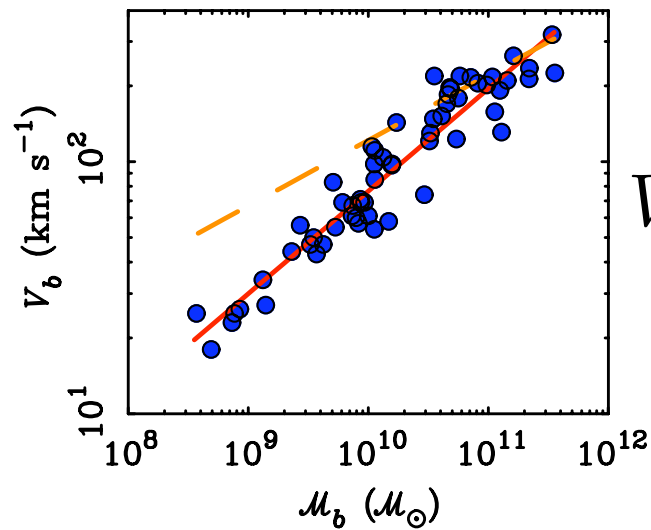
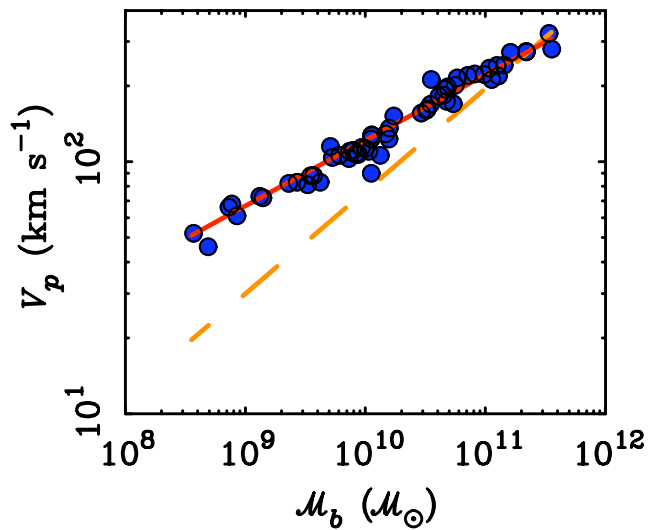
$R_p \approx 2.2 R_d$

Stellar Mass TF

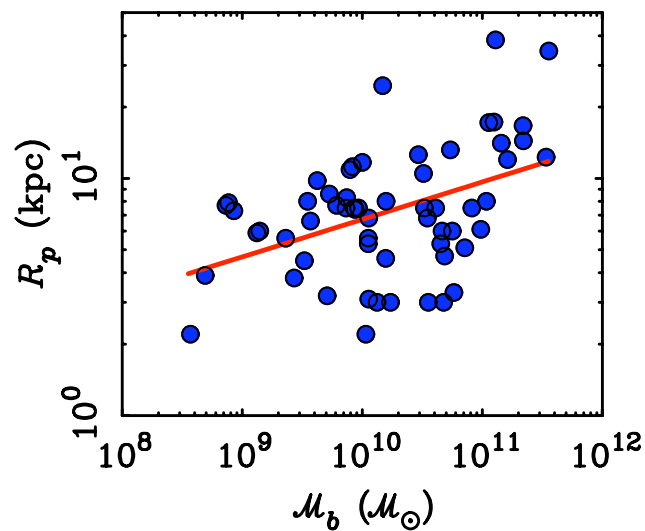
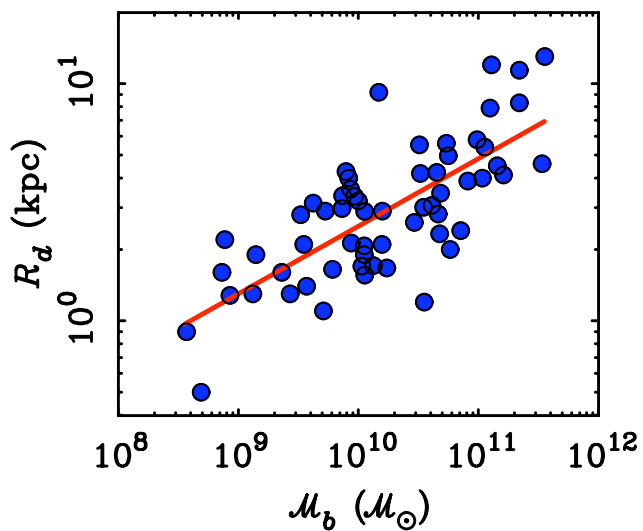


Baryonic TF (stars + gas)





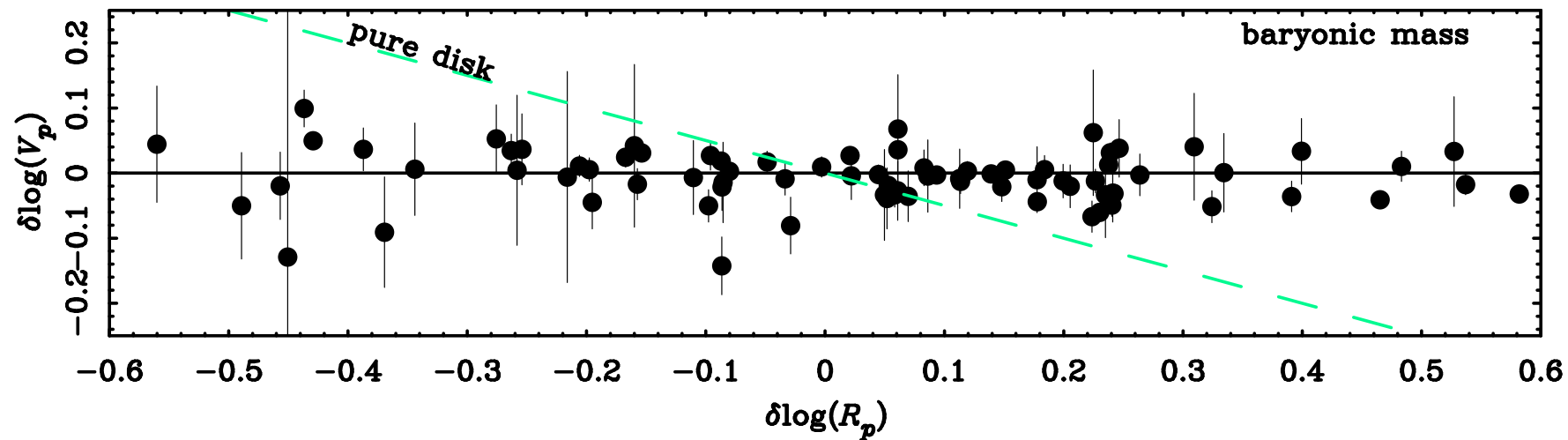
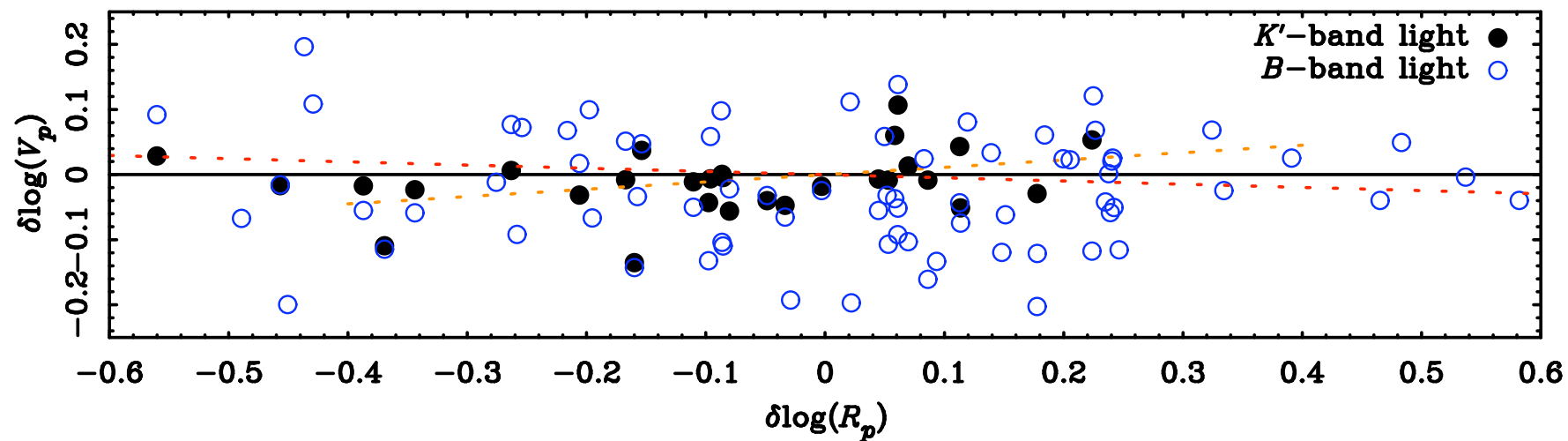
$$V_b^2|_{R_p} \propto \Sigma_b$$



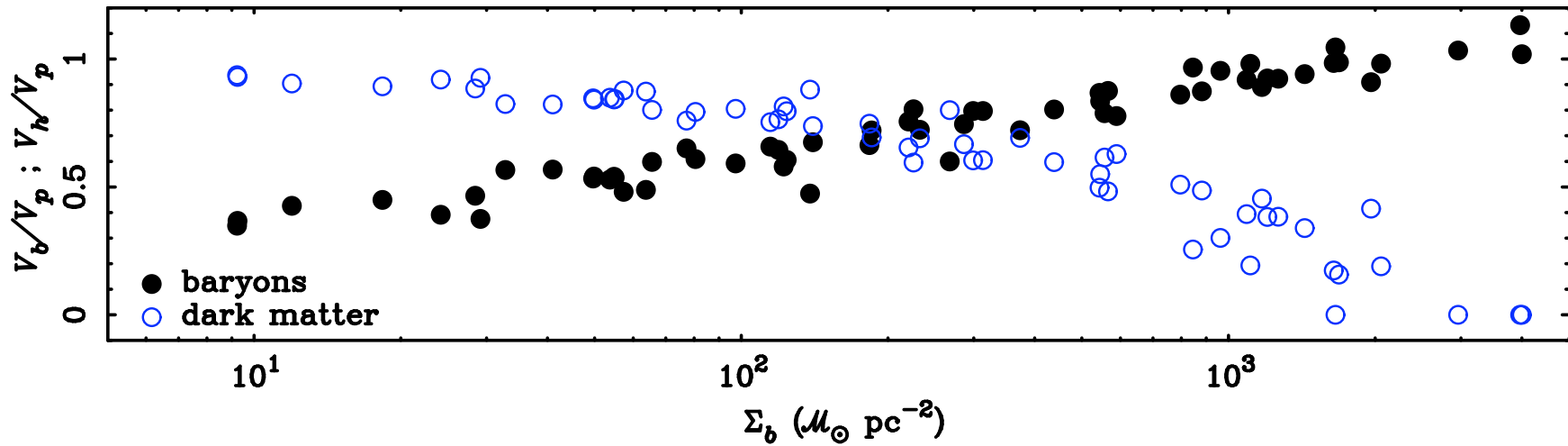
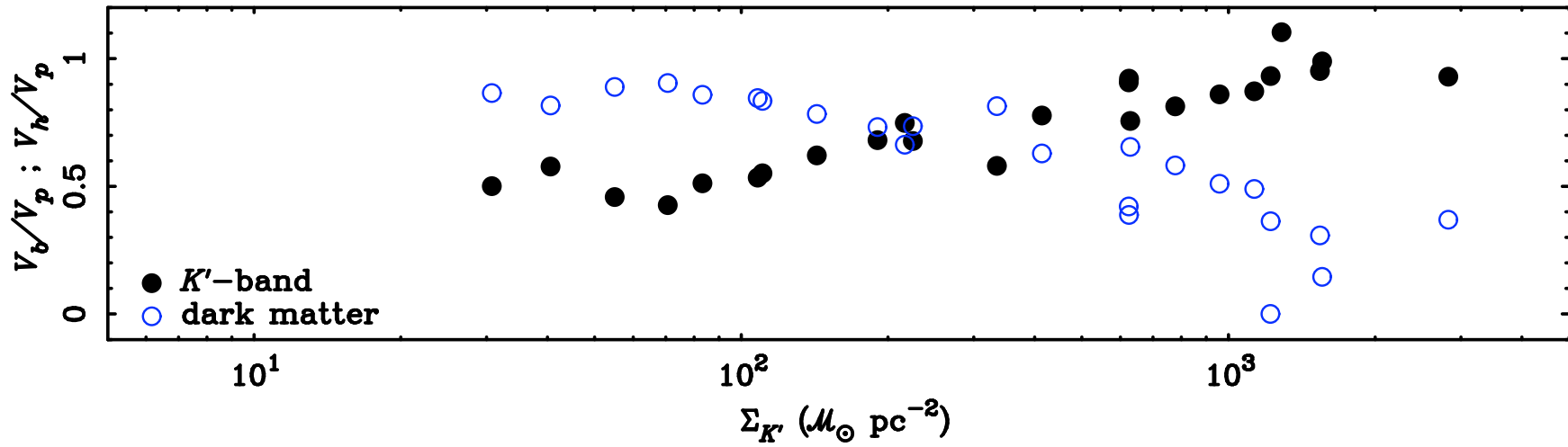
Search for signature of disk in TF residuals:  
velocity residuals as a fcn of scale length residuals



# No Residuals from TF rel'n



# Requires fine balance between dark & baryonic mass



## Renzo's Rule:

*“For any feature in the luminosity profile there is a corresponding feature in the rotation curve and vice versa.”*

(Sancisi 2004, IAU 220, 233)

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*The distribution of mass is coupled to the distribution of light.*

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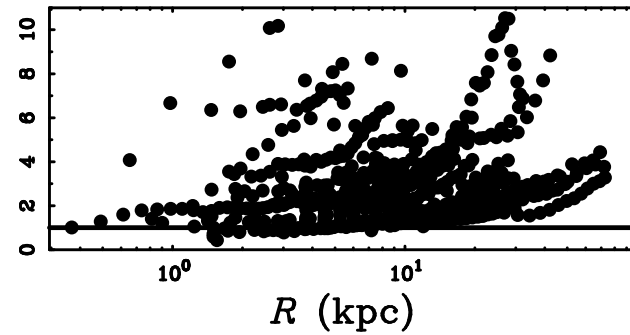
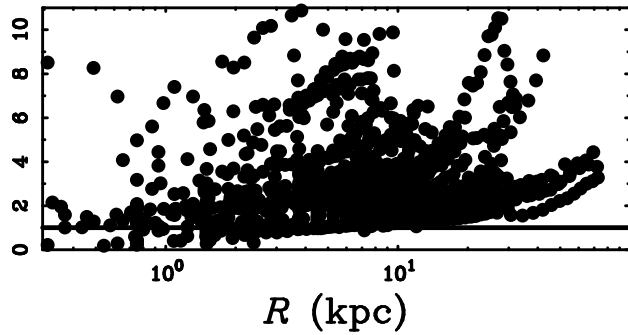
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(Sancisi 2004, IAU 220, 233)

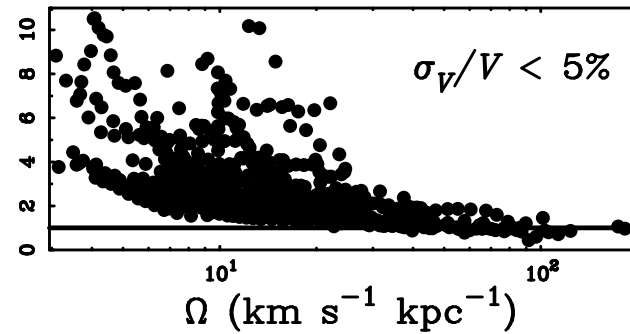
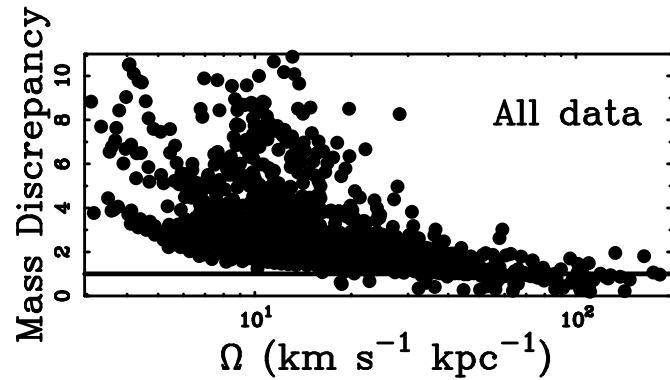
*The distribution of mass is coupled to the distribution of light.*

Quantify by defining the Mass Discrepancy:

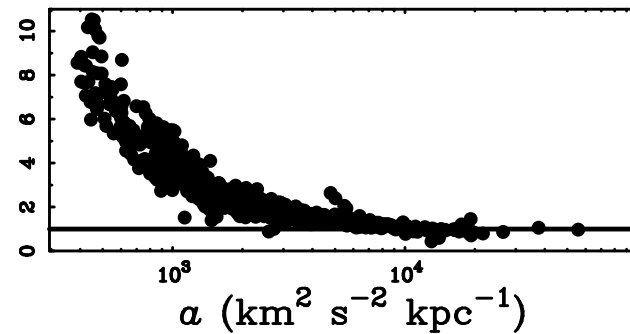
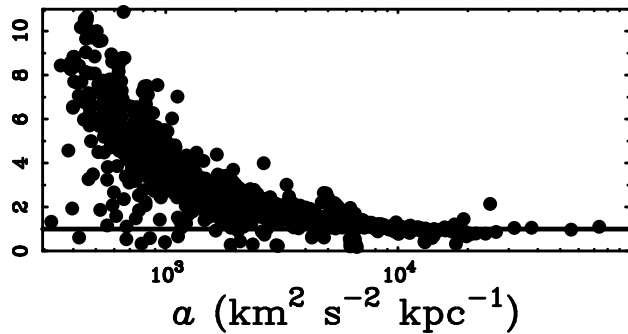
$$\mathcal{D} = \frac{V^2}{V_b^2} = \frac{V^2}{\Upsilon_{\star} v_{\star}^2 + V_g^2}$$



radius



orbital  
frequency

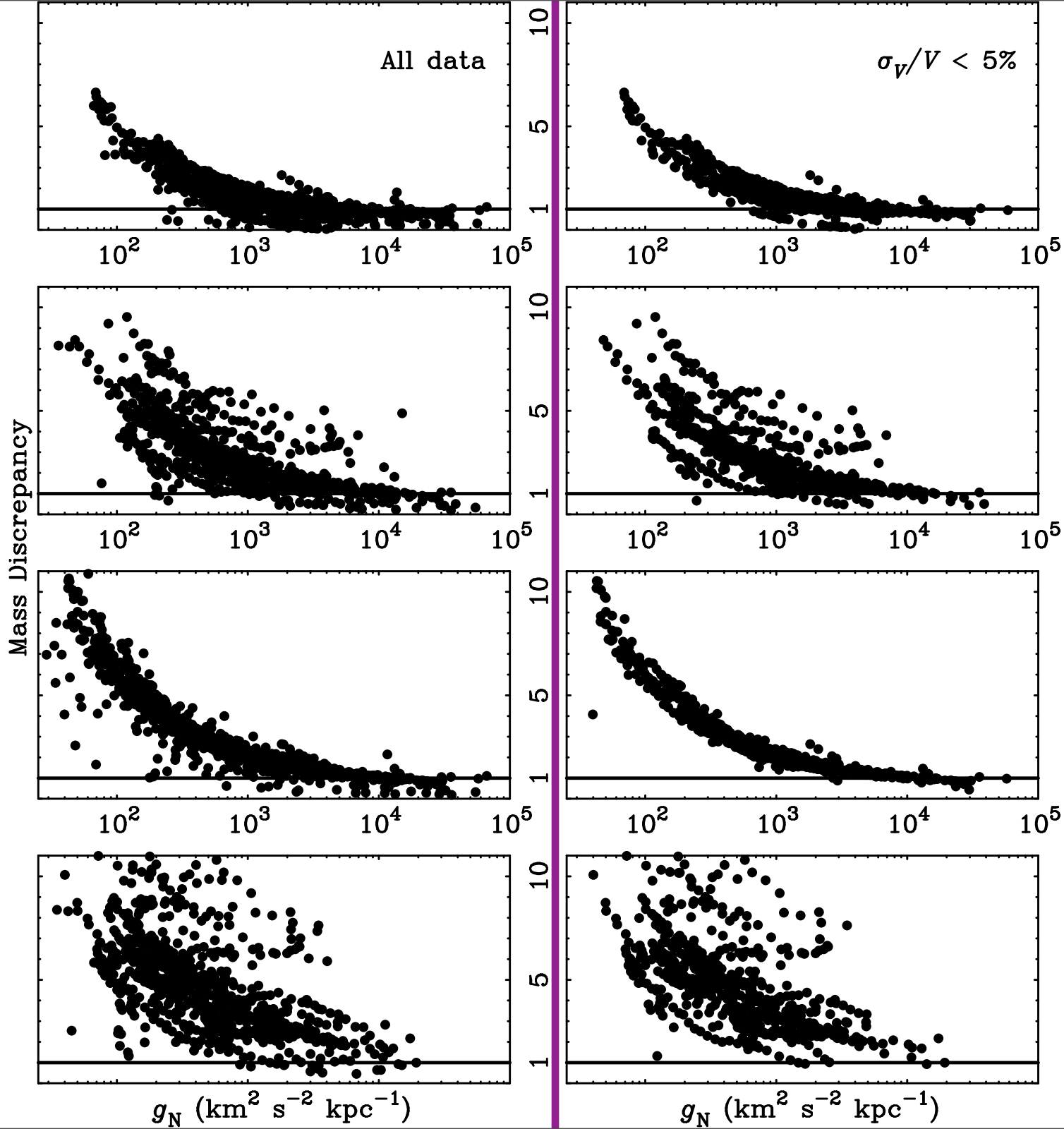


acceleration

74 galaxies  
> 1000 points  
(all data)

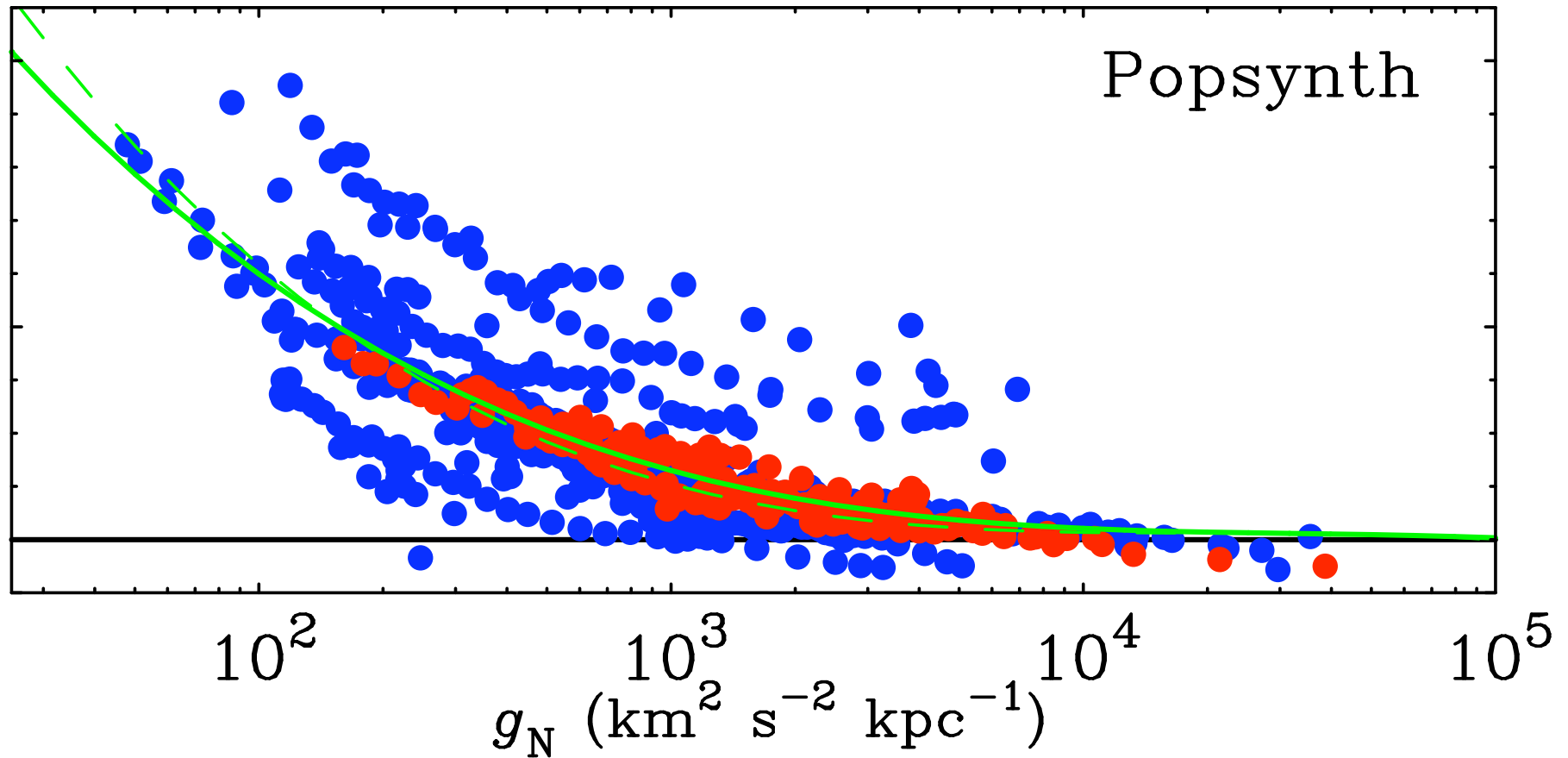
60 galaxies  
> 600 points  
(errors < 5%)

# Different choices of Stellar Mass-to-Light Ratio



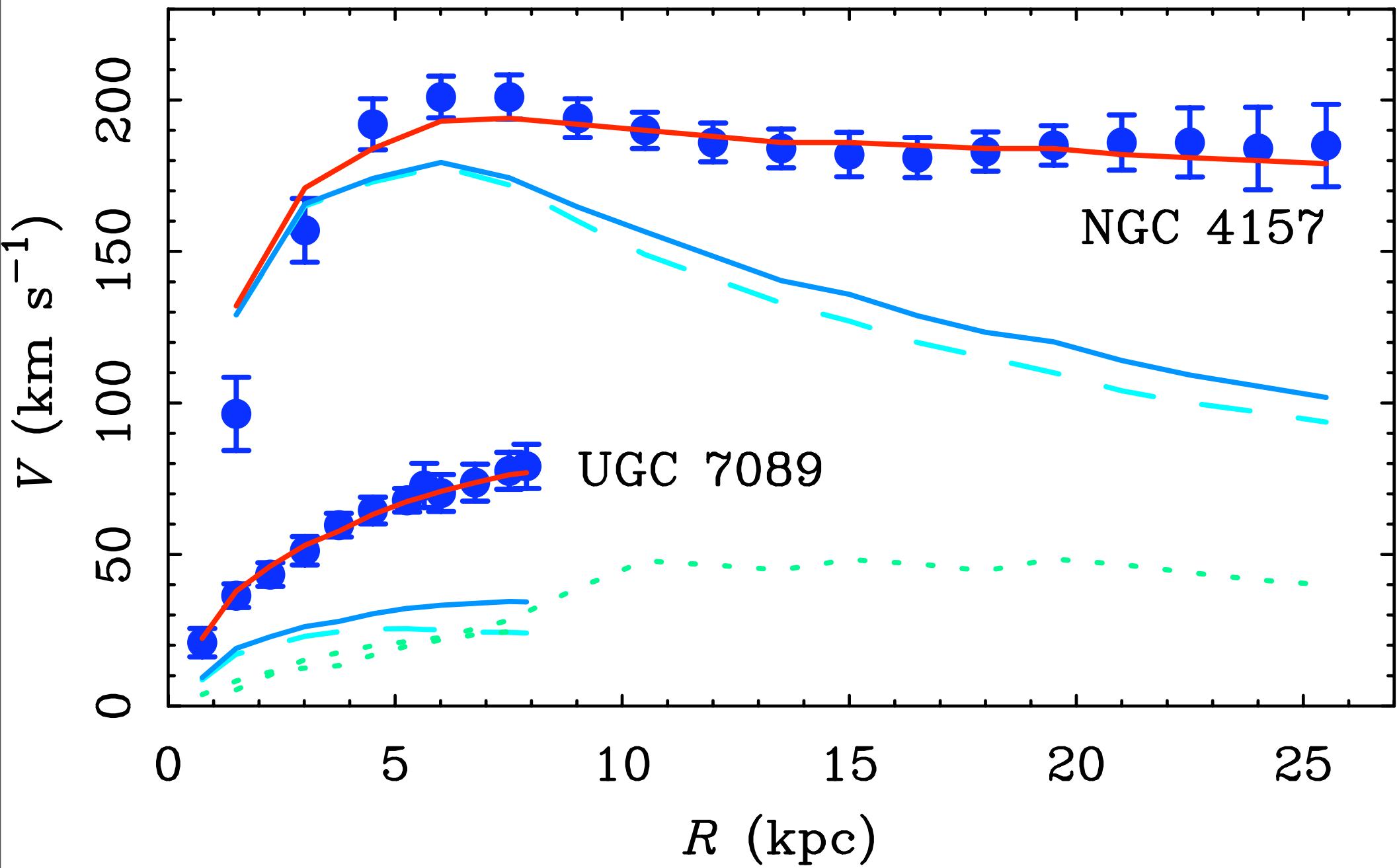
# The mass discrepancy - acceleration relation

$$\mathcal{D}(g_N) = \frac{V^2}{\Upsilon_{\star} v_{\star}^2 + V_g^2}$$

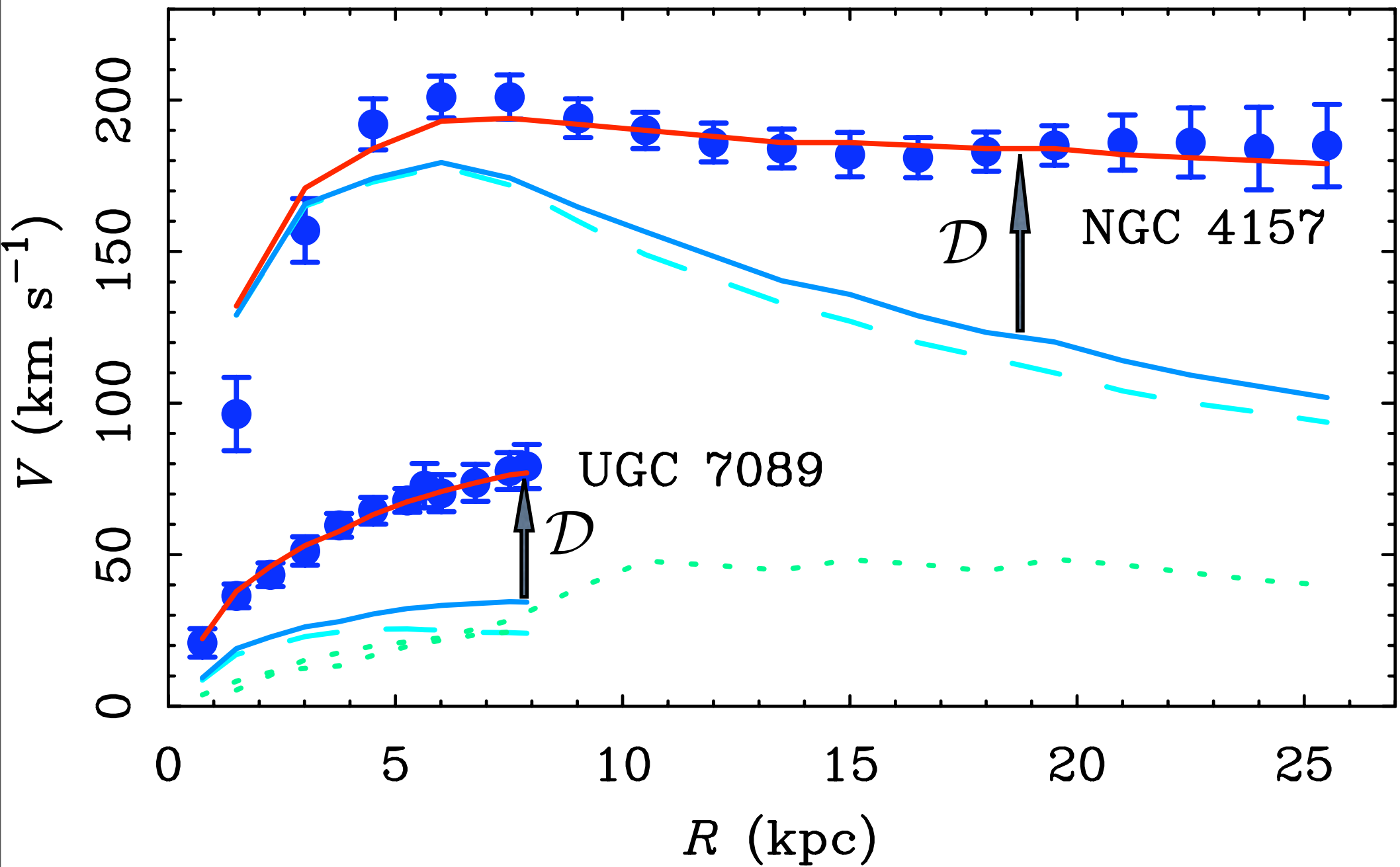


$$g_N \propto \Sigma$$

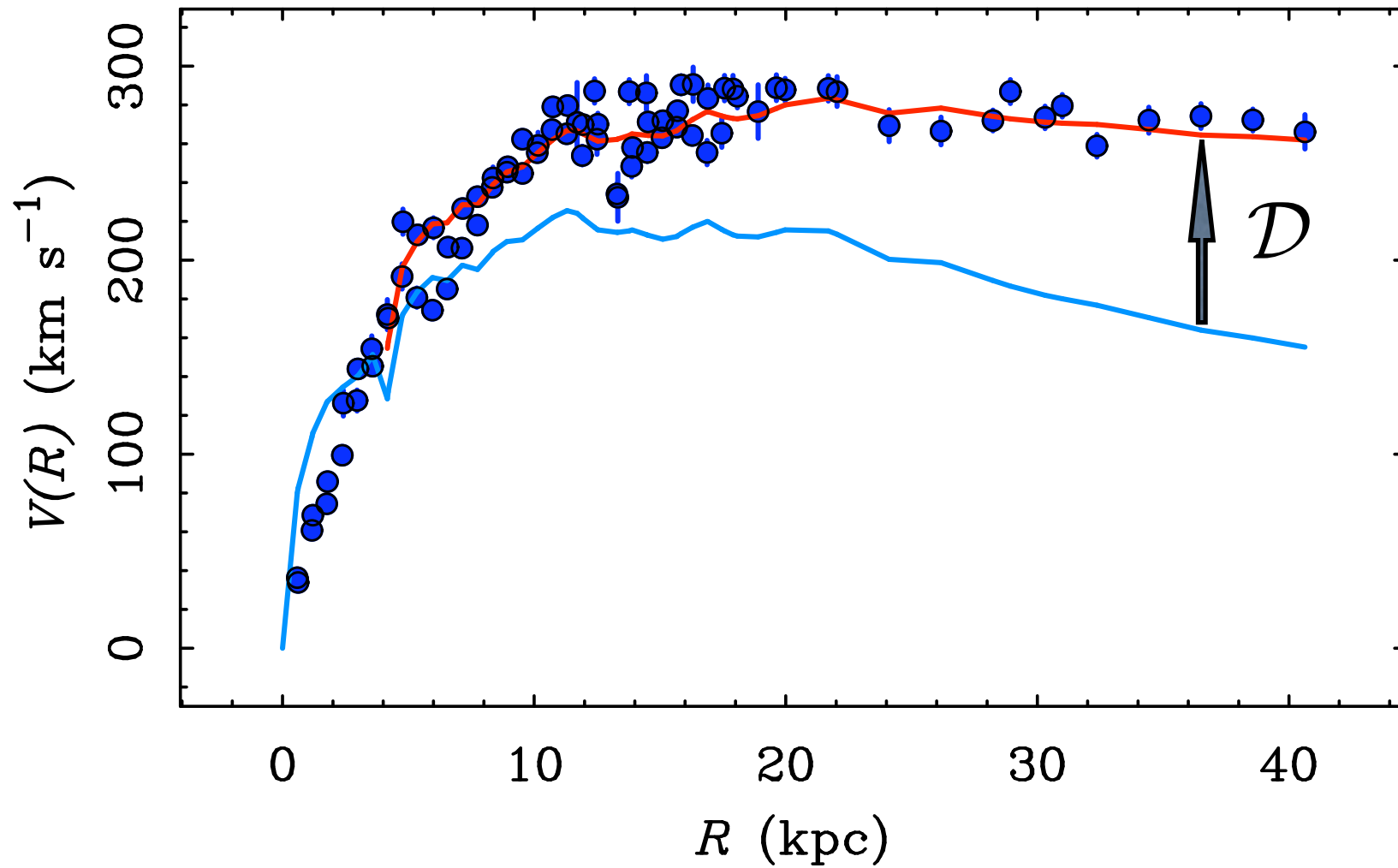




$$V = \mathcal{D}^{1/2} V_b$$

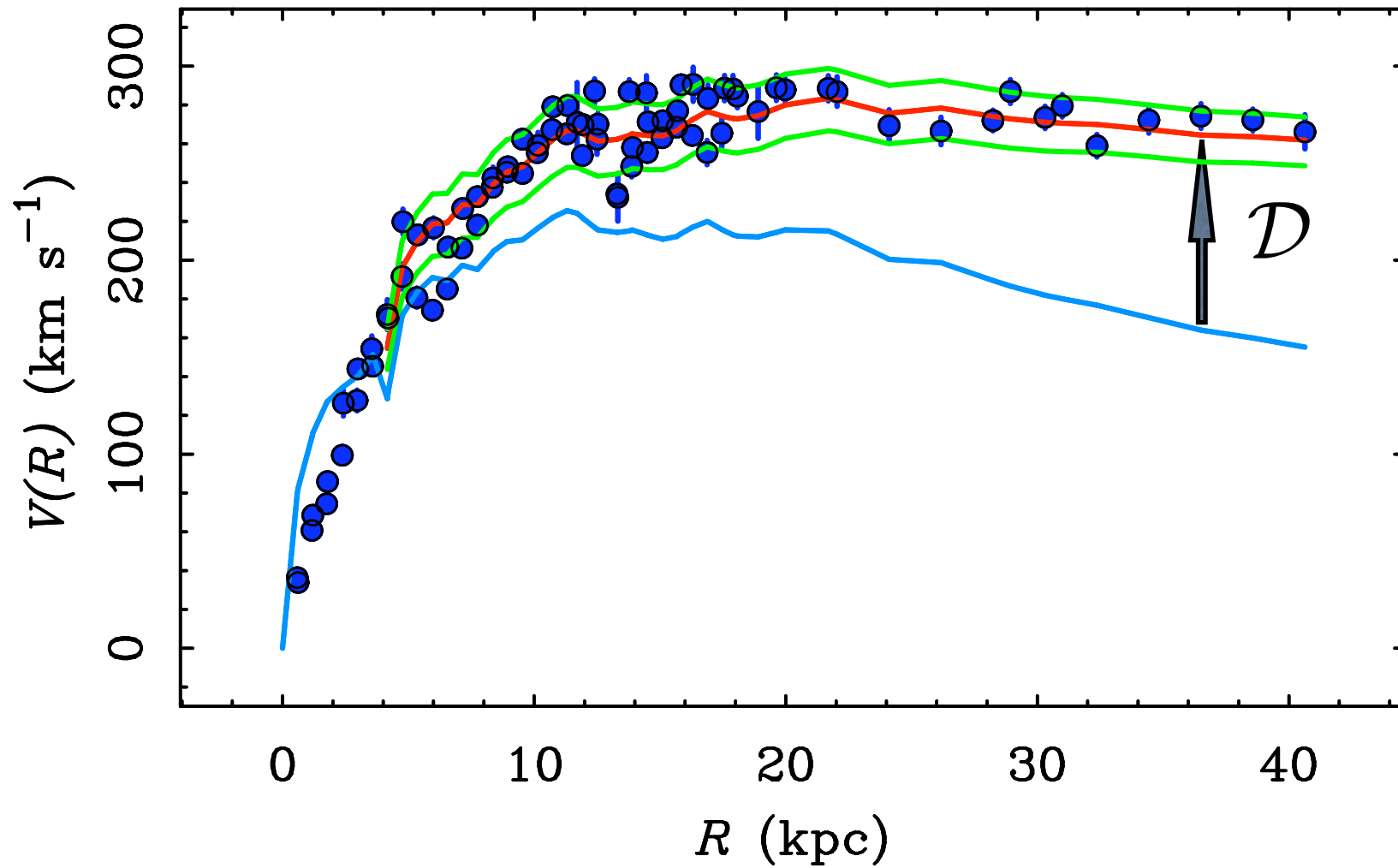


UGC 11455: Spekkens & Giovanelli (2006): HI + H $\alpha$  data  
Independent from calibrating data



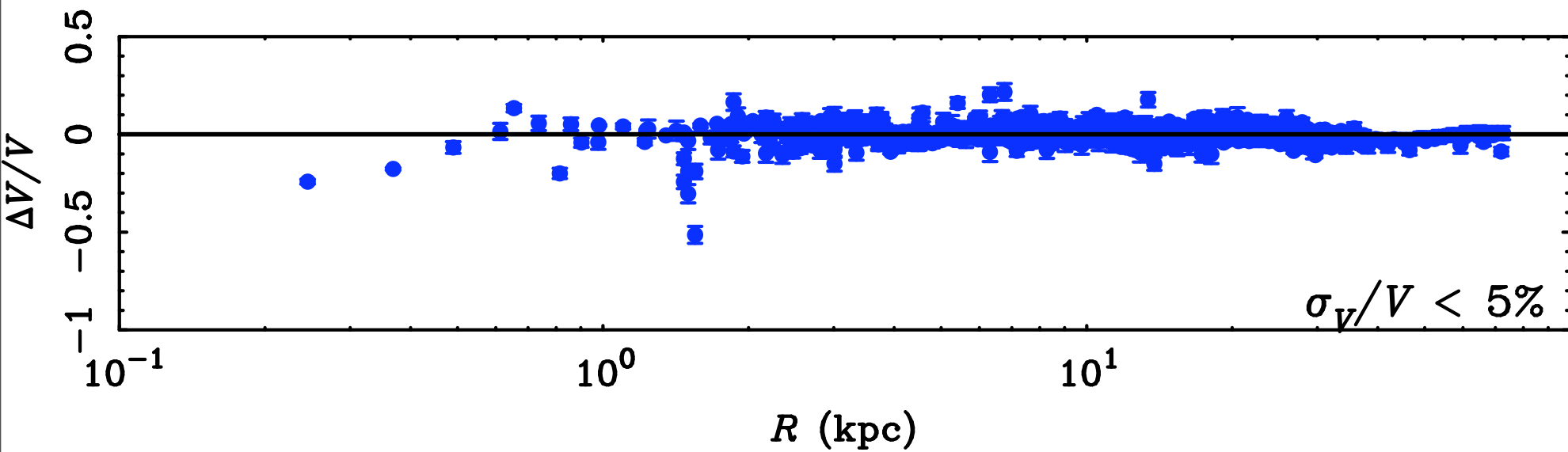
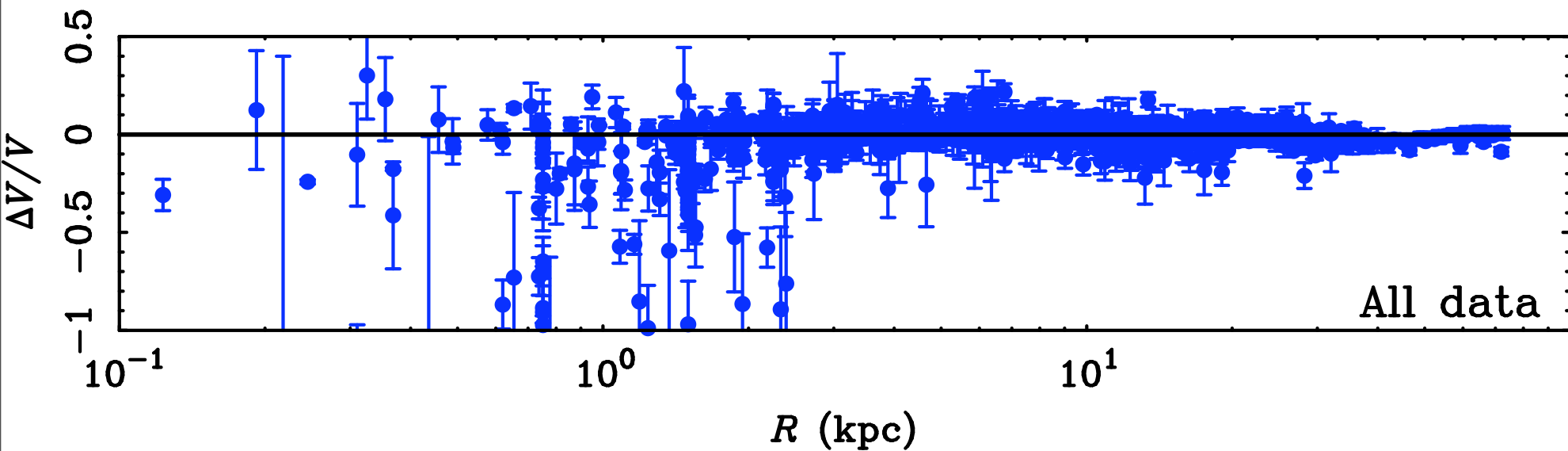
$$\Upsilon_{\star}^I = 1.1 M_{\odot} / L_{\odot}$$

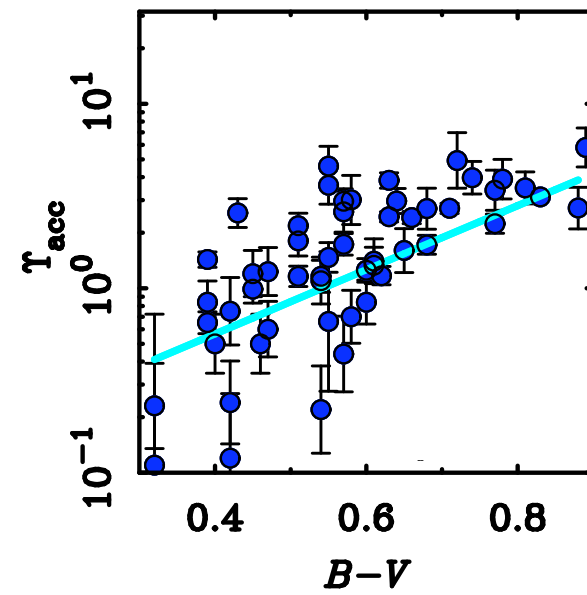
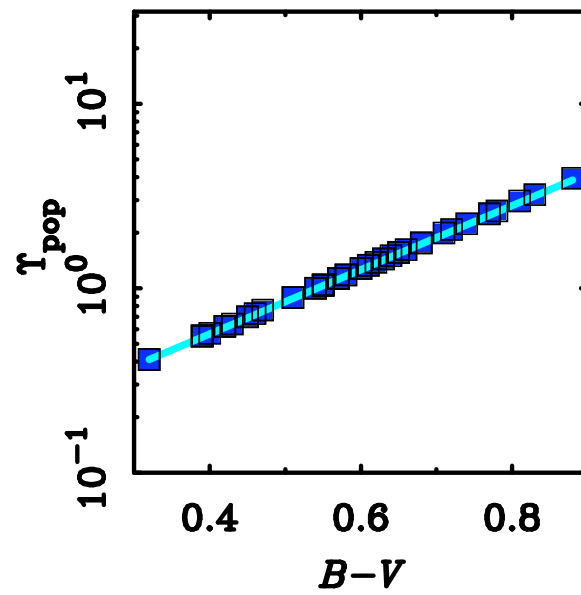
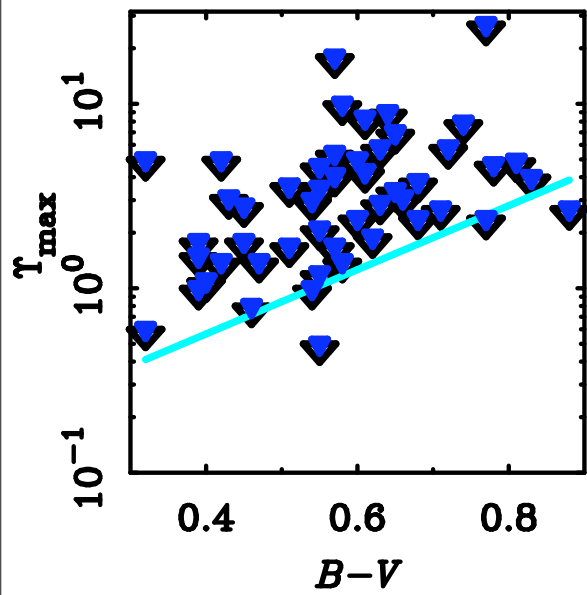
UGC 11455: Spekkens & Giovanelli (2006): HI + H $\alpha$  data  
Independent from calibrating data



$$\Upsilon_{\star}^I = 1.1 M_{\odot}/L_{\odot} \pm 0.2$$

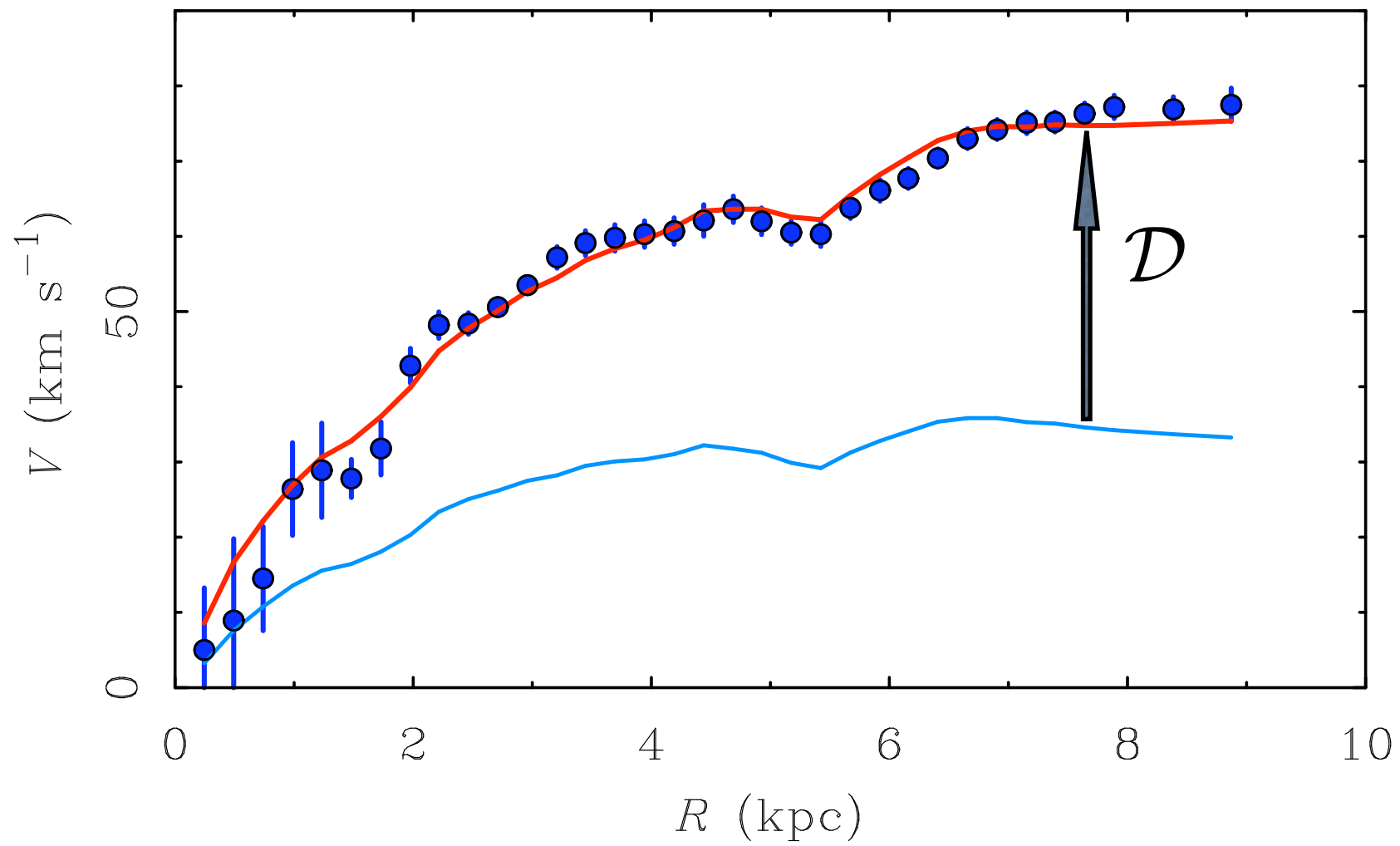
# Residuals

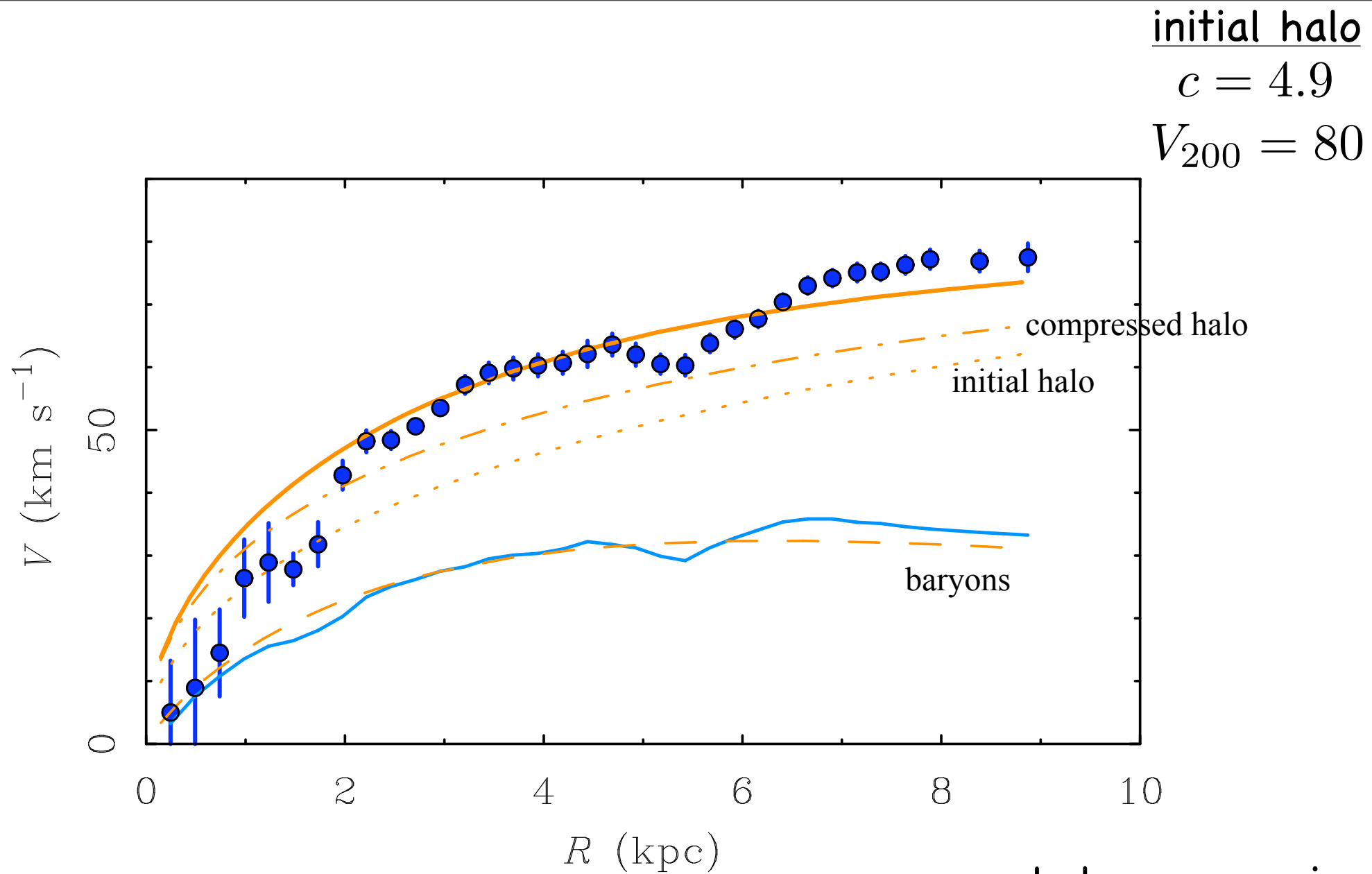




Line: Bell et al. (2003)

Renzo's rule works even for LSBs! - e.g., NGC 1560:





Sellwood & McGaugh 2005, ApJ, 634, 70

halo compression

$$m_d = 0.01$$

$$\frac{R_d}{R_s} = 0.12$$



# Conclusions

It's all about the baryons!

One universal fcn + one free parameter per galaxy ( $M^*/L$ )  
is more efficacious than multi-parameter disk-halo fits.

i.e., there is a single effective force law in disk galaxies.

What does this?

CDM: doesn't fall out naturally. Feedback? Scatter?  
Why does the baryonic tail wag the dark matter dog?

MOND: most natural interpretation of rotation curves.

TeV<sub>S</sub>, BSTV: can test with gravitational lensing.

Other forms of DM?

SIDM, WDM... ignore baryons!

(Just making a core is not good enough.)

Other ideas...

Piazza & Marinoni (2003) PRL

Blanchet (2006) gr-qc/0609121