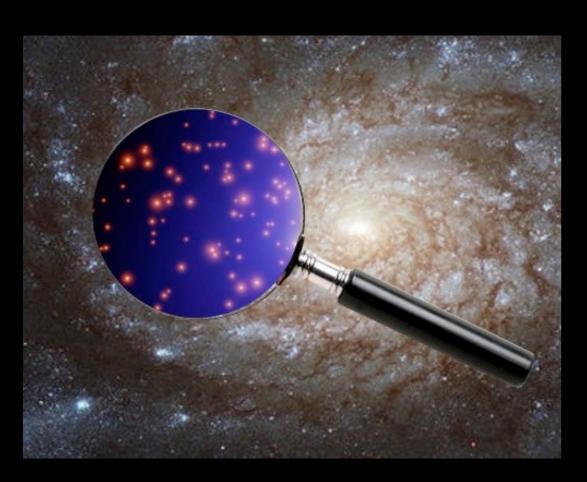
The Early Universe's Imprint on Dark Matter





Inflationary Reheating Meets Particle Physics Frontier KITP, UCSB
February 5, 2020

What happened before BBN?

The (mostly) successful predictions of the primordial abundances of light elements tell us that the Universe was radiation dominated when neutrinos decoupled prior to BBN.

| Chikawa, Kawasaki, Takahashi 2005; 2007 de Bernardis, Pagano, Melchiorri 2008

But we have good reasons to think that the Universe was not radiation dominated before BBN.

- Primordial density fluctuations point to inflation.
- Other scalar fields or massive particles may dominate the Universe after the inflaton decays.
- The string moduli problem: scalars with gravitational couplings come to dominate the Universe before BBN.

Carlos, Casas, Quevedo, Roulet 1993 Banks, Kaplan, Nelson 1994 Acharya, Kumar, Bobkov, Kane, Shao, Watson 2008 Summary: Kane, Sinha, Watson 1502.07746

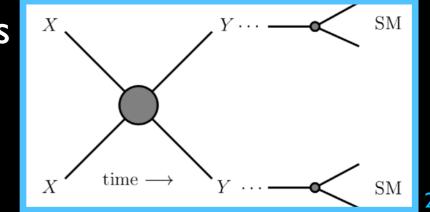
 Dark matter in a hidden sector: massive mediators dominate the Universe before BBN

Zhang 2015 Dror, Kuflik, Ng 2016

Berlin, Hooper, Krnjaic 2016 Dror, Kuflik, Melcher, Watson 2018

ALE, Ralegankar, Shelton (coming soon)

KITP: February 5, 2020



Cosmic Timeline

Big Bang Nucleosynthesis

CMB

Now

$$0.07\,\mathrm{MeV} \lesssim T \lesssim 3\,\mathrm{MeV}$$

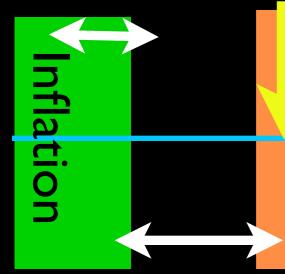
$$T=0.25\,\mathrm{eV}$$

$$T = 2.3 \times 10^{-4} \,\mathrm{eV}$$

$$0.08 \sec \lesssim t \lesssim 4 \min$$
 $t = 380,000 \,\mathrm{yr}$

$$t = 380,000 \, \text{yr}$$

$$t = 13.8 \,\mathrm{Gyr}$$



Radiation **Domination**

Matter **Domination**

Matter-Radiation Equality

$$T = 0.74 \,\mathrm{eV}$$

$$t = 57,000 \,\mathrm{yr}$$

Matter-A Equality

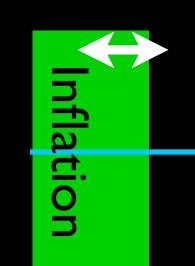
$$T = 3.2 \times 10^{-4} \,\text{eV}$$
$$t = 9.5 \,\text{Gyr}$$

Talk Timeline

Part I: Probing inflation with dark matter minihalos

Part 2: Probing the pre-BBN thermal history and the origins of dark matter with small-scale and micro-scale structure

Part I Probing Inflation with Minihalos



Radiation Domination

Matter Domination

 $a \propto e^{Ht}$

$$a \propto t^{1/2}$$

$$\rho_{\rm rad} \propto a^{-4}$$

$$a \propto t^{2/3}$$

$$\rho_{\rm mat} \propto a^{-3}$$

$$\rho_{\Lambda} = \text{const}$$

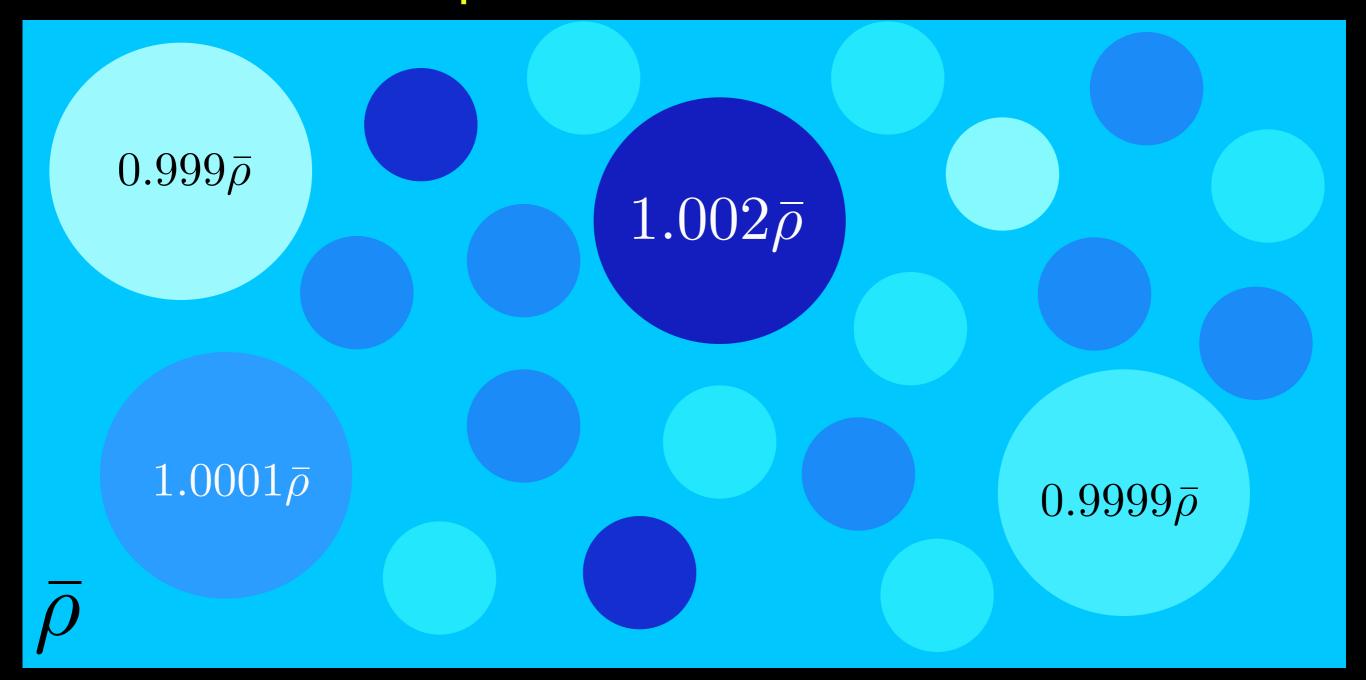


M. Sten Delos, ALE, Avery Bailey, Marcelo Alvarez PRD Rapid Communications 97, 041303 (1712.05421) PRD 98, 063527 (1806.07389)

M. Sten Delos, Margie Bruff, ALE PRD 100, 023523 (1905.05766)

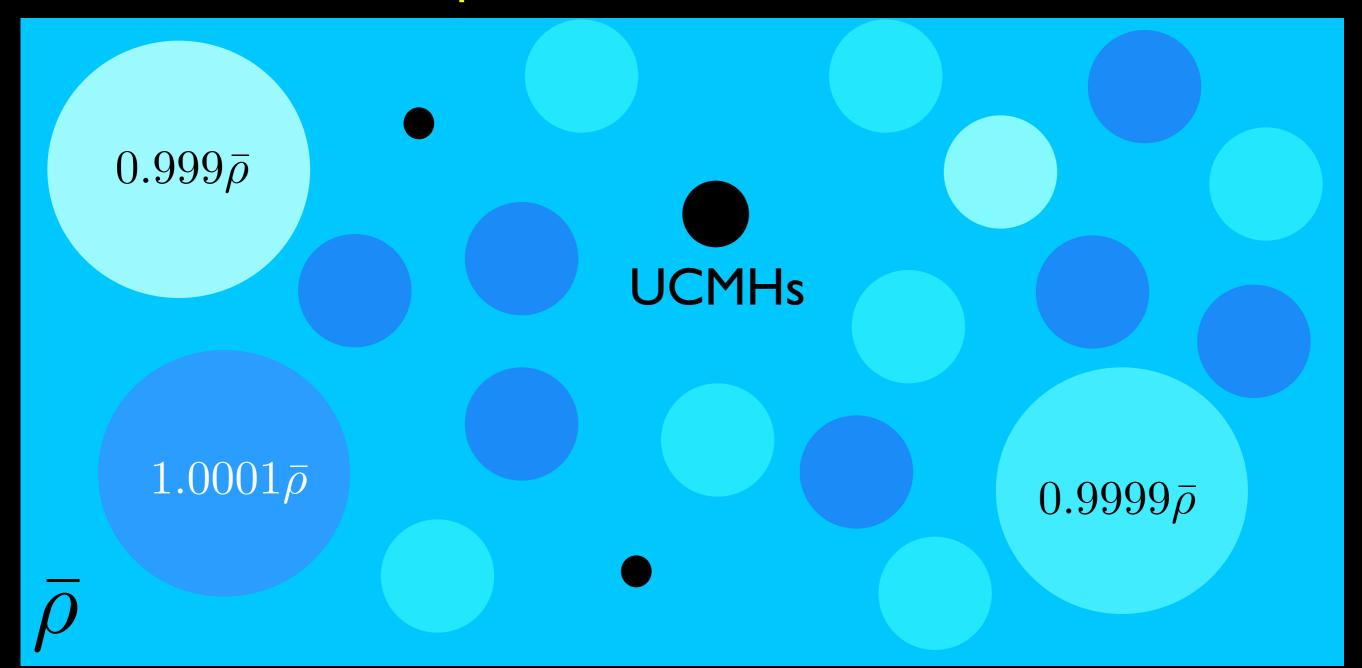
UCMH Formation

If a region has an initial density $\rho > 1.001\bar{\rho}$, then all the dark matter in that region collapses at early times ($z \gtrsim 1000$) and forms an Ultra-Compact Minihalo.



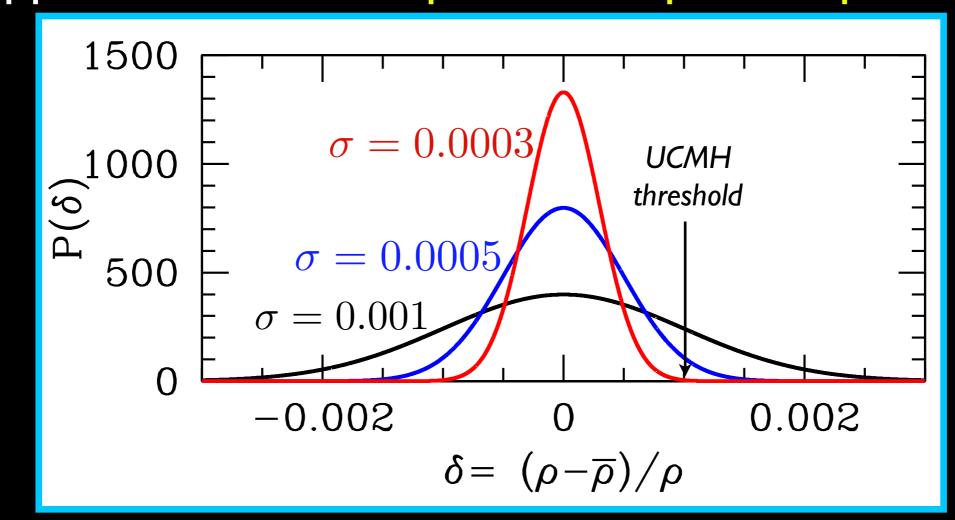
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UCMHs Probe Power Spectrum

An upper bound on the UCMH number density leads to an upper bound on the primordial power spectrum:



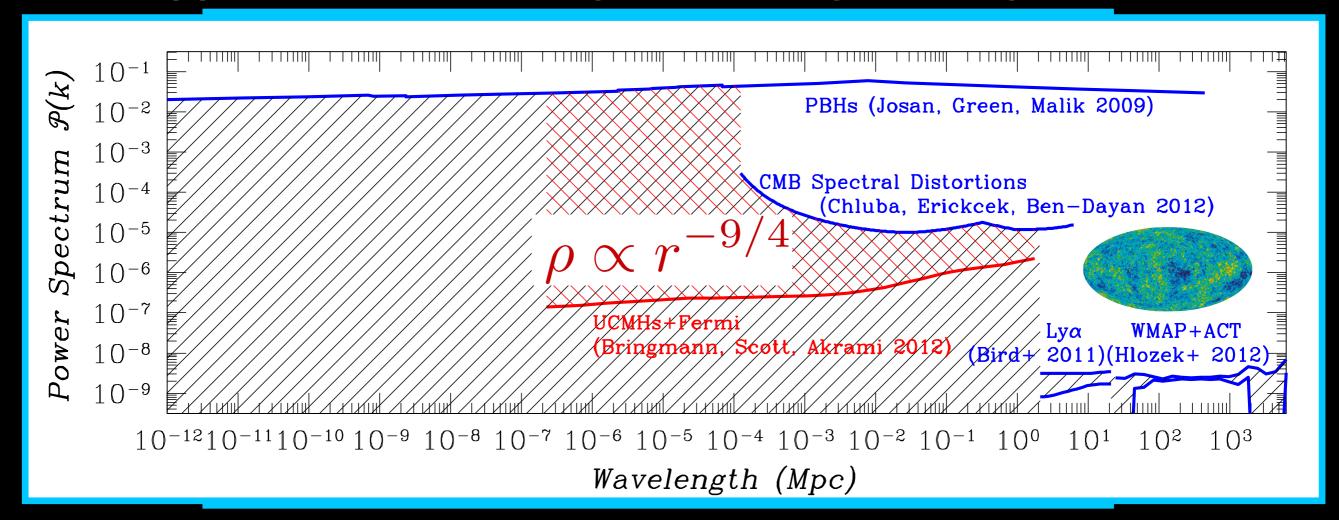
$$\sigma^2(R) = \text{variance of } \delta(R)$$

directly related to primordial power spectrum

$$\mathcal{P}_{\mathcal{R}}(k) = 1.1\sigma_{\mathrm{hor}}^2(R=k^{-1})$$
 Josan & Green 2010; Bringmann, Scott, Akrami 2012

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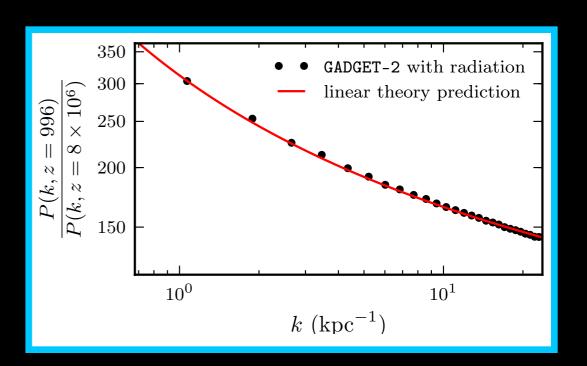
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Simulations of UCMHs

Delos, ALE, Bailey, Alvarez 1712.05421 See also Gosenca+ 2017

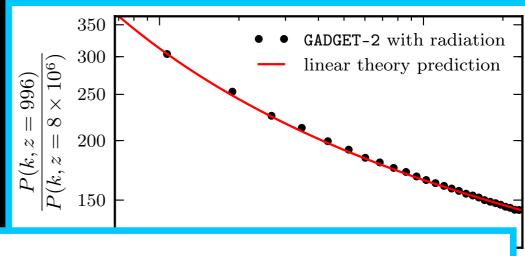
1. Modify GadgetV2 to include smooth radiation component.

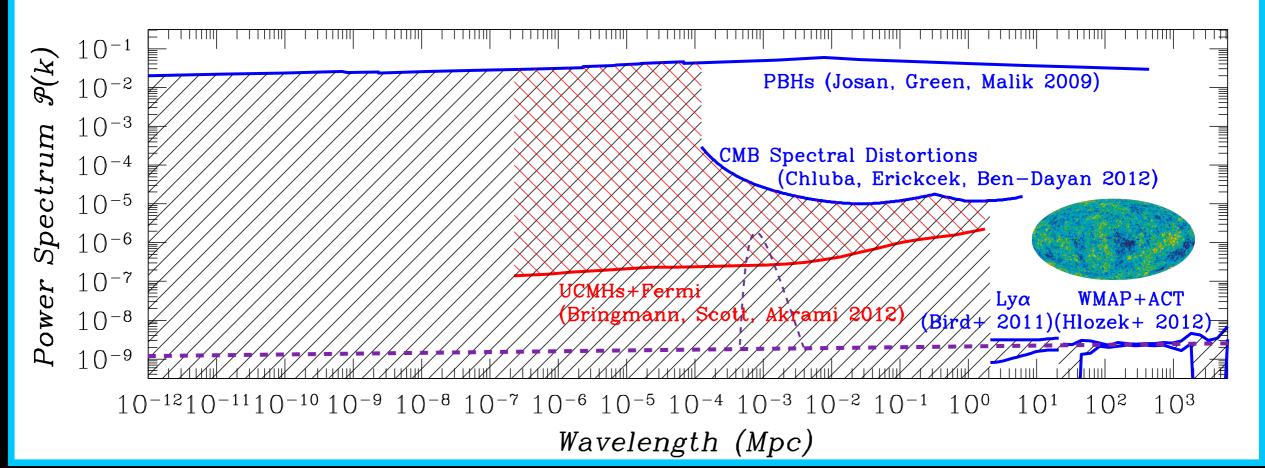


Simulations of UCMHs

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- 1. Modify GadgetV2 to include smooth radiation component.
- 2. Generate initial conditions from a power spectrum with a spike.



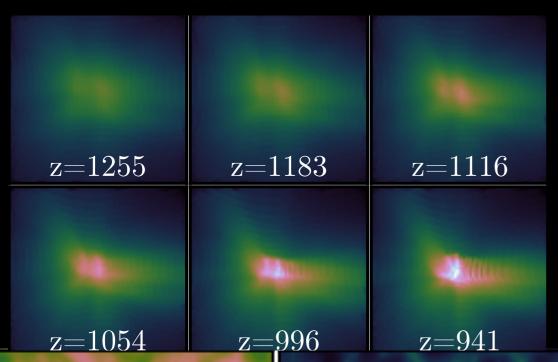


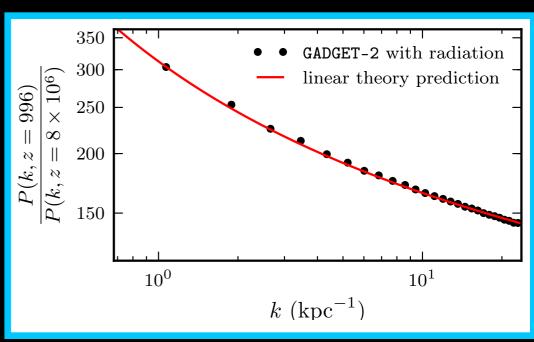
Simulations of UCMHs

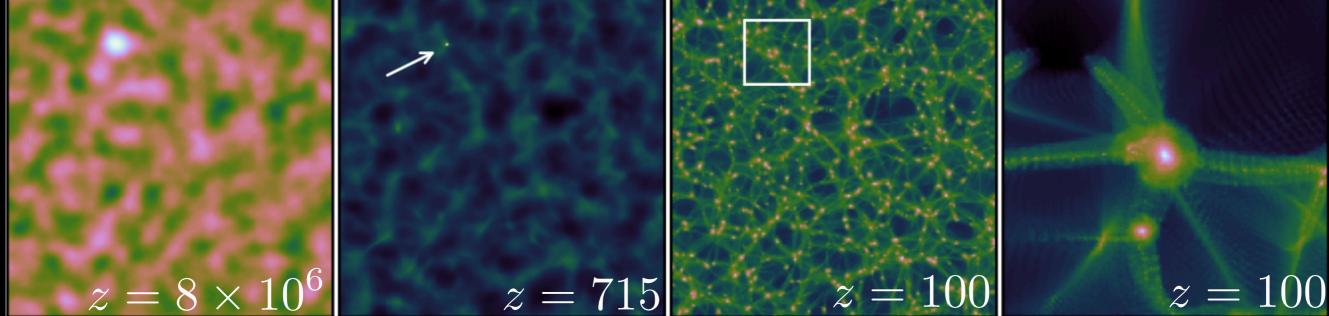
Delos, ALE, Bailey, Alvarez 1712.05421 See also Gosenca+ 2017

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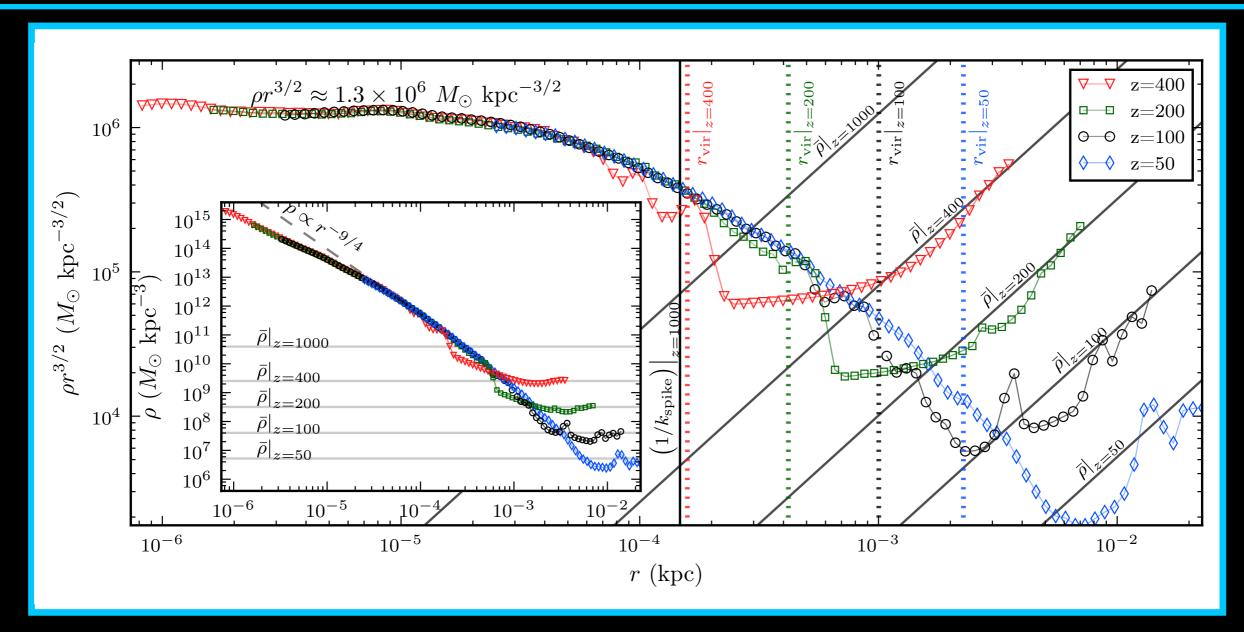
3. Make an UCMH!





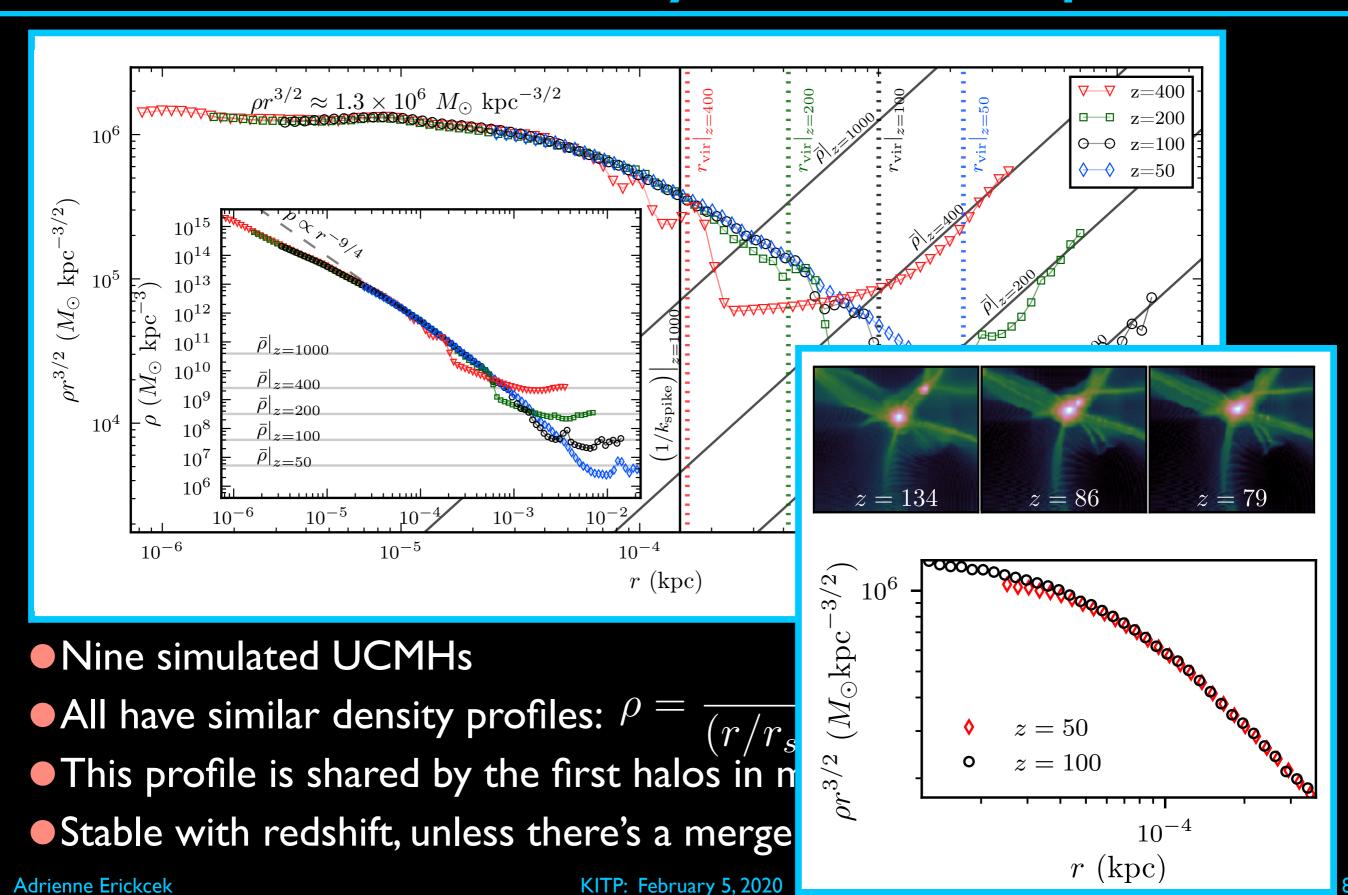


UCMH Density Profiles: Spike



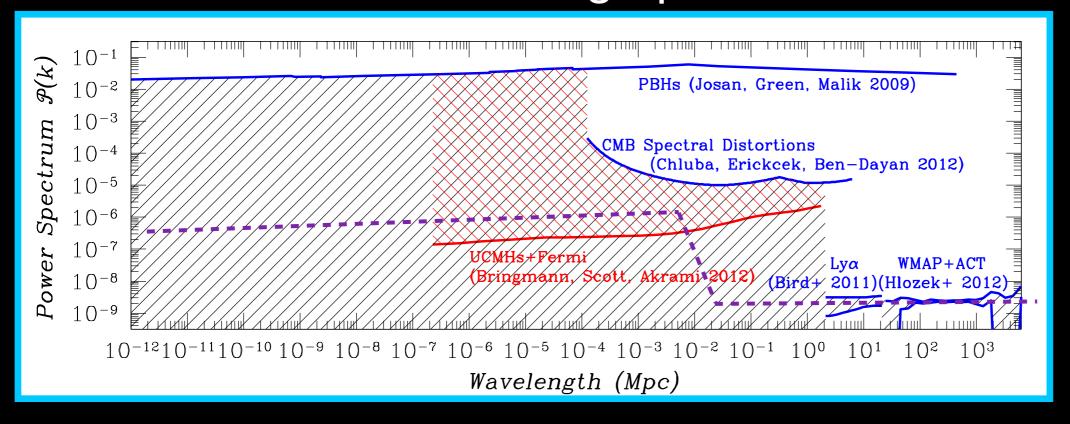
- Nine simulated UCMHs
- All have similar density profiles: $\rho = \frac{r^s}{(r/r_s)^{1.5}(1+r/r_s)^{1.5}}$
- This profile is shared by the first halos in many different scenarios
- Stable with redshift, unless there's a merger....

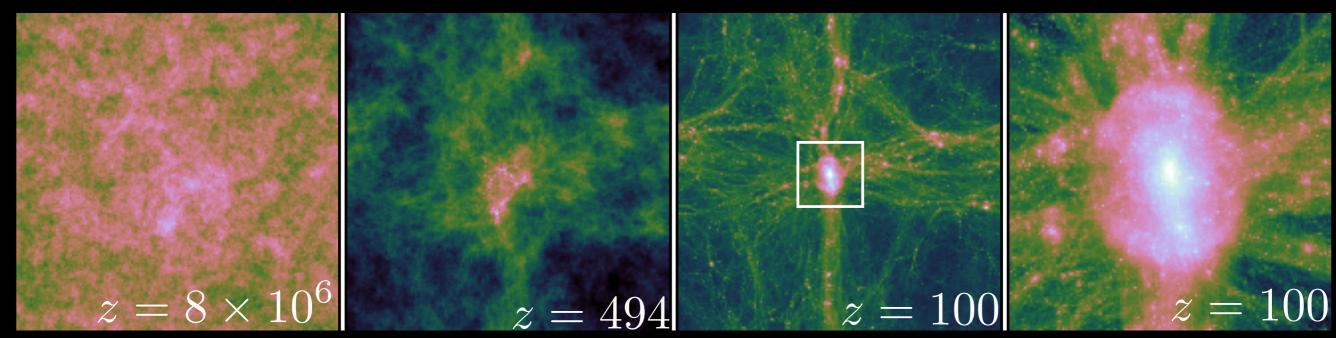
UCMH Density Profiles: Spike



UCMH Density Profiles: Plateau

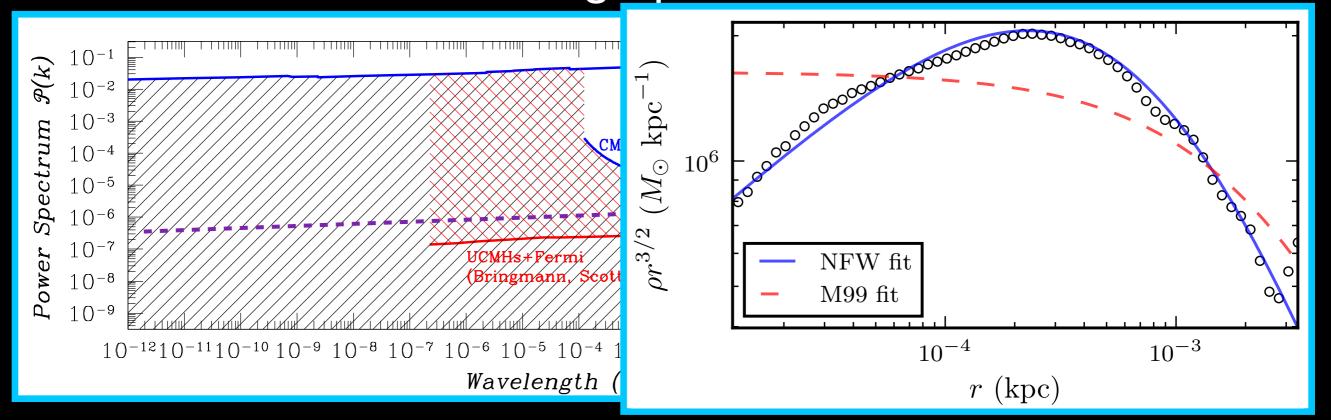
We also formed UCMHs using a plateau feature



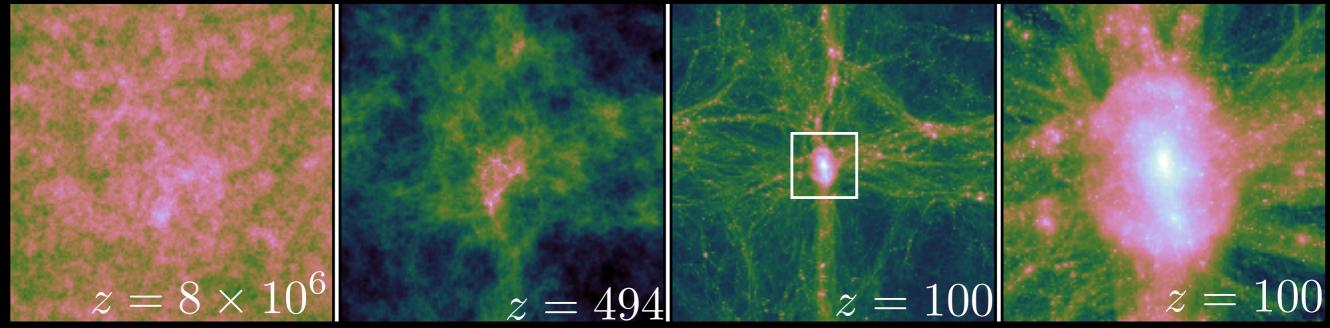


UCMH Density Profiles: Plateau

We also formed UCMHs using a plateau feature



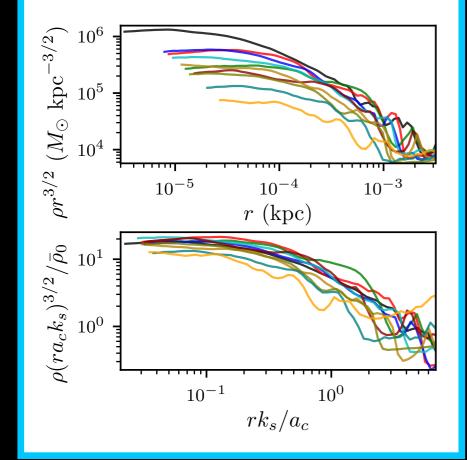
and these UCMHs have NFW proflies!

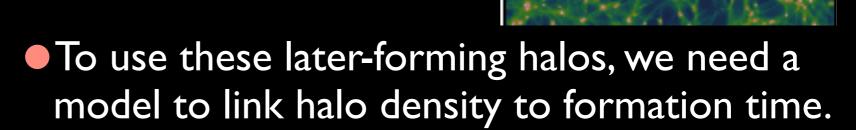


Implications for P(k) bounds

- •UCMHs that form from spikes in the primordial power spectrum have Moore profiles ($\rho \propto r^{-1.5}$), while plateaus in the primordial power spectrum generate UCMHs with NFW profiles ($\rho \propto r^{-1}$).
- The dark matter annihilation rate within the UCMHs is reduced by a factor of 200, which reduces upper bound on UCMH abundance by a factor of 3000.

But we have so many more halos to consider...





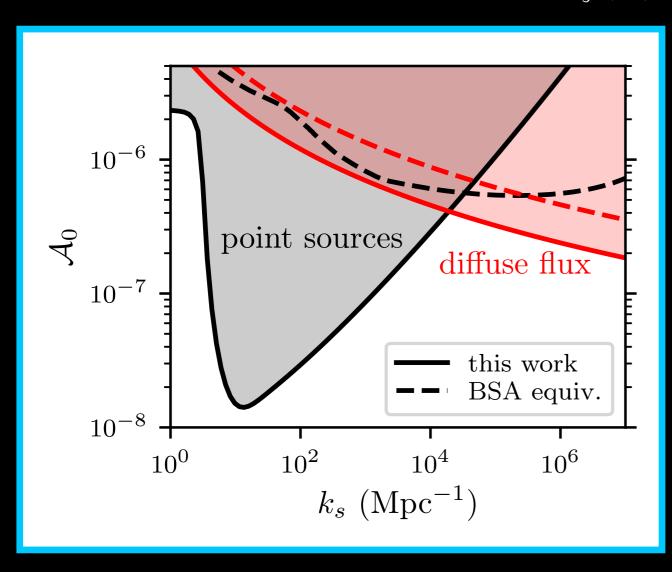
$$r_s \propto a_c/k_s$$
 $\rho_s \propto \bar{\rho}_0 a_c^{-3}$

 We then use statistics of peaks to get the number density of halos as a function of formation time.

New Constraints on P(k)

As a proof of concept, we apply this method to a delta-function spike in the primordial curvature power spectrum:

$$\mathcal{P}_{\zeta}(k) = \mathcal{A}_0 k_s \delta(k - k_s)$$



- For comparison, we also use the BSA 2012 UCMH abundance constraints to obtain a bound on this power spectrum.
- Including all minihalos more than compensates for the reduction in minihalo luminosity due to the shallower density profiles.
- Our P(k) bounds are more sensitive to changes in minihalo abundance limits.

Summary: Minihalos probe inflation

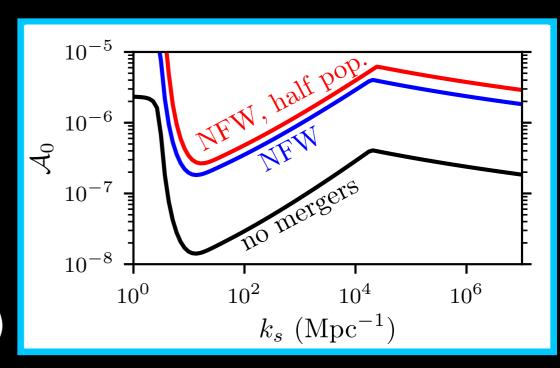
- •UCMHs that form from spikes in the primordial power spectrum have Moore profiles ($\rho \propto r^{-1.5}$), while plateaus in the primordial power spectrum generate UCMHs with NFW profiles ($\rho \propto r^{-1}$).
- But if we include all the minihalos that form from an enhanced power spectrum, we can obtain stronger constraints on P(k), in spite of the shallower density profiles.

M. Sten Delos, ALE, Avery Bailey, Marcelo Alvarez PRD Rapid Communications 97, 041303 (1712.05421) PRD 98, 063527 (1806.07389)

Looking forward:

- An improved and generic model for minihalo density profiles: Delos et al. 1905.05766
- Include the effects of minihalo mergers
- Look beyond a delta-function spike in P(k)

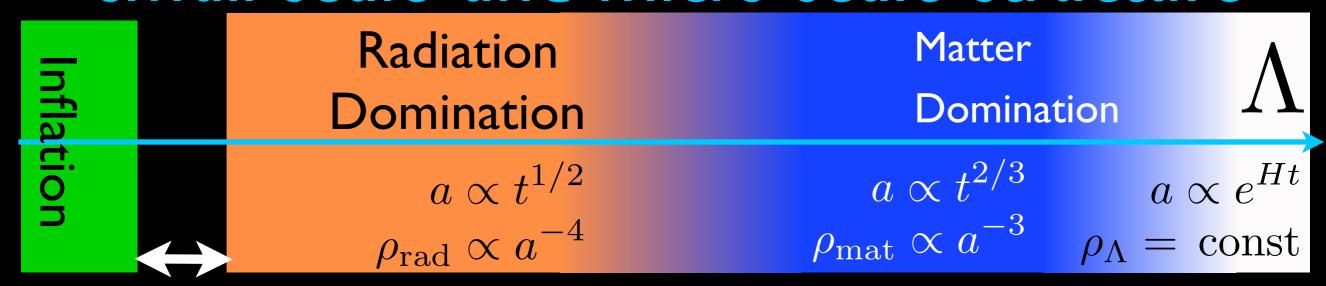




STAY TUNED

Part 2:

Probing the pre-BBN universe with small-scale and micro-scale structure



ALE & Kris Sigurdson; PRD 84, 083503 (2011)

ALE; PRD 92, 103505 (2015)

ALE, Kuver Sinha, Scott Watson; PRD 94, 063502 (2016)

Isaac Raj Waldstein, ALE, Cosmin Ilie; PRD 95, 123531 (2017)

Carlos Blanco, M. Sten Delos, ALE, Dan Hooper; PRD 100, 103010 (2019)

Carisa Miller, ALE, Riccardo Murgia; PRD 100, 123520 (2019)

M. Sten Delos, Tim Linden, ALE; PRD 100, 123546 (2019)

Work in progress with Sheridan Green, Charlie Mace, Himanish

Ganjoo

Cosmic Timeline

BBN

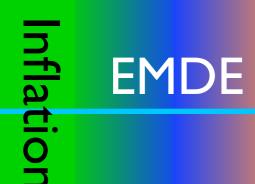
 $0.07\,\mathrm{MeV} \lesssim T \lesssim 3\,\mathrm{MeV}$ $0.08 \sec \lesssim t \lesssim 4 \min$

CMB

 $T = 0.25 \, \text{eV}$ $t = 380,000 \,\mathrm{yr}$

Now

 $T = 2.3 \times 10^{-4} \,\mathrm{eV}$ $t = 13.8 \,\mathrm{Gyr}$



Radiation

Domination

$$a \propto t^{1/2}$$

$$\rho_{\rm rad} \propto a^{-4}$$

Matter **Domination**

$$a \propto t^{2/3}$$
 $a \propto e^{Ht}$
 $\rho_{\rm mat} \propto a^{-3}$ $\rho_{\Lambda} = {\rm const}$

Reheating

T=?

Implications:

1. Dark matter production

2. Early structure growth

Matter-Radiation Equality

 $T = 0.74 \, \text{eV}$ $t = 57,000 \, \text{yr}$

Matter-A Equality

$$T = 3.2 \times 10^{-4} \,\text{eV}$$
$$t = 9.5 \,\text{Gyr}$$

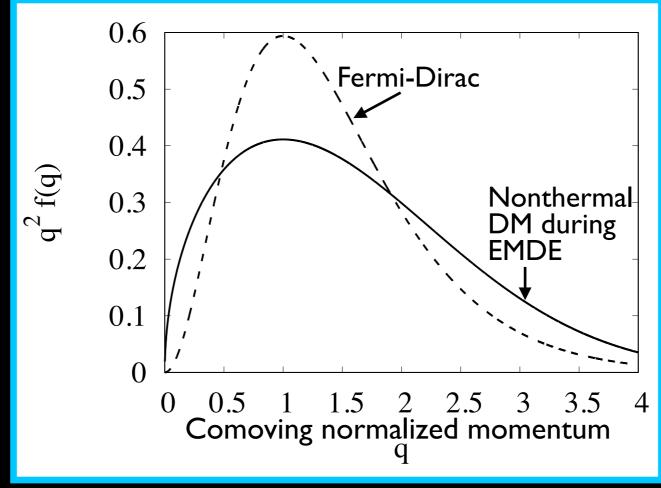
Nonthermal DM during an EMDE

Dark matter may have been created directly from the decay of the heavier particle that dominated the Universe during the early matter-dominated era (EMDE).

- Without fine-tuning, DM will be relativistic when produced.
- Assume decay into two DM particles; unique distribution function from the timing of decays.



Carisa Miller, ALE, Riccardo Murgia, arXiv: 1908.10369

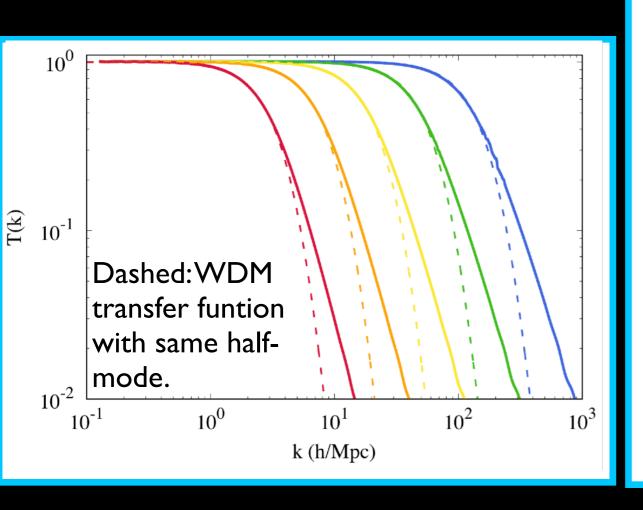


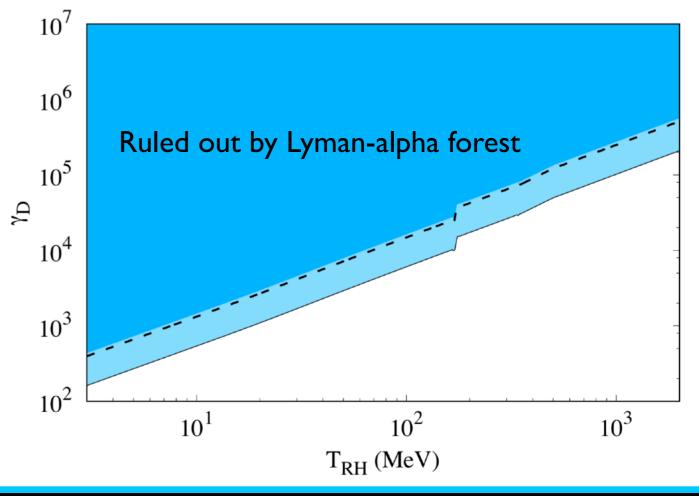
Probing nonthermal DM production

We can use probes of small-scale structure to constrain the nonthermal production of dark matter.

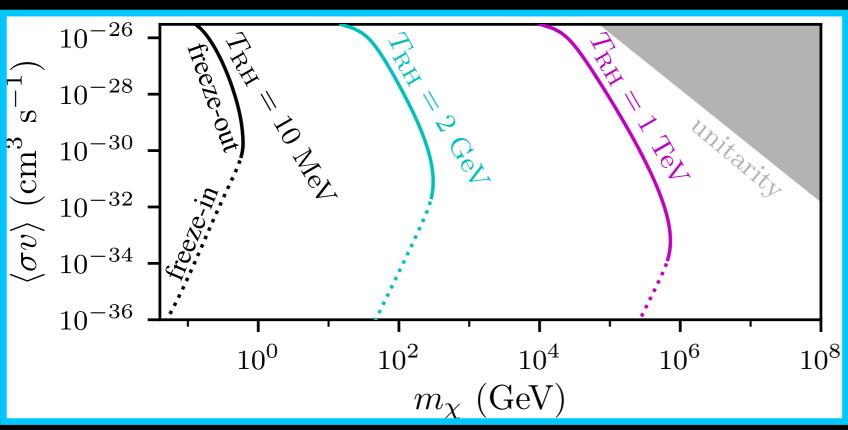
- Use CLASS to determine matter power spectrum.
- Free-streaming length predicts suppression scale.
- Apply bounds from observations of Lyman-alpha forest.

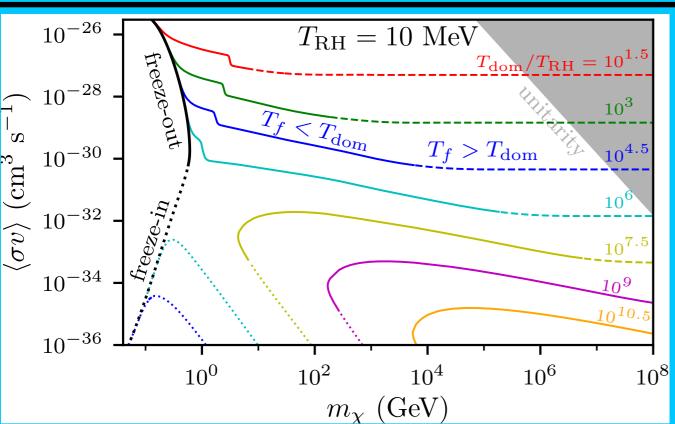






Thermal DM Production with an EMDE





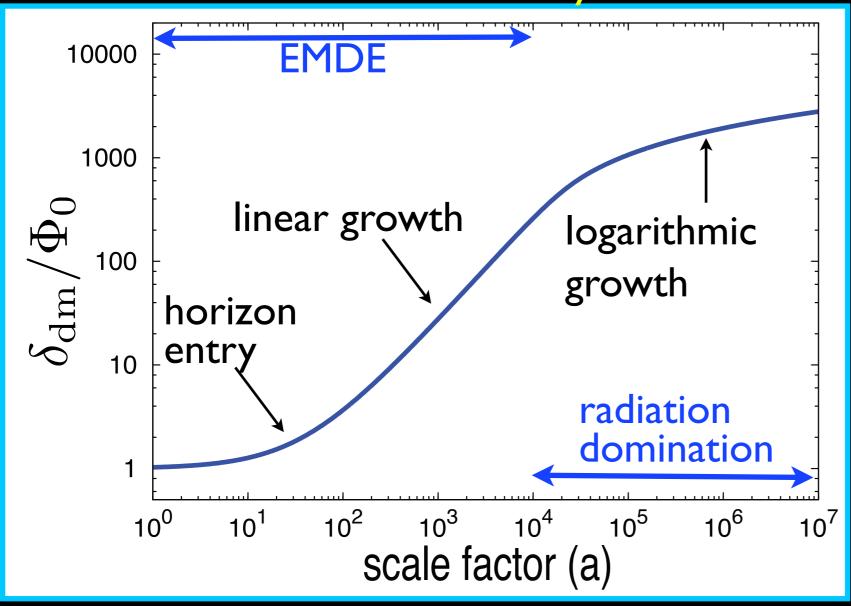
M. Sten Delos, Tim Linden, ALE 2019
The creation of new
SM particles during the
EMDE dilutes the DM
abundance after
freeze-out, so smaller
annihilation cross
sections are needed to
match DM density.

- A radiation-dominated era prior to the EMDE further widens the range of viable parameters.
- of the EMDE.

Another nightmare scenario?

Structure Growth during an EMDE

Evolution of the Matter Density Perturbation



ALE & Sigurdson 2011; Fan, Ozsoy, Watson 2014; ALE 2015

$$M_{\rm RH} \simeq 10^{-5} \, M_{\bigoplus} \left(\frac{1 \, {\rm GeV}}{T_{\rm RH}} \right)^3$$

• Enhanced perturbation growth affects subhorizon scales: $R \lesssim k_{\rm RH}^{-1}$

• Define $M_{\rm RH}$ to be dark matter mass within this comoving radius.

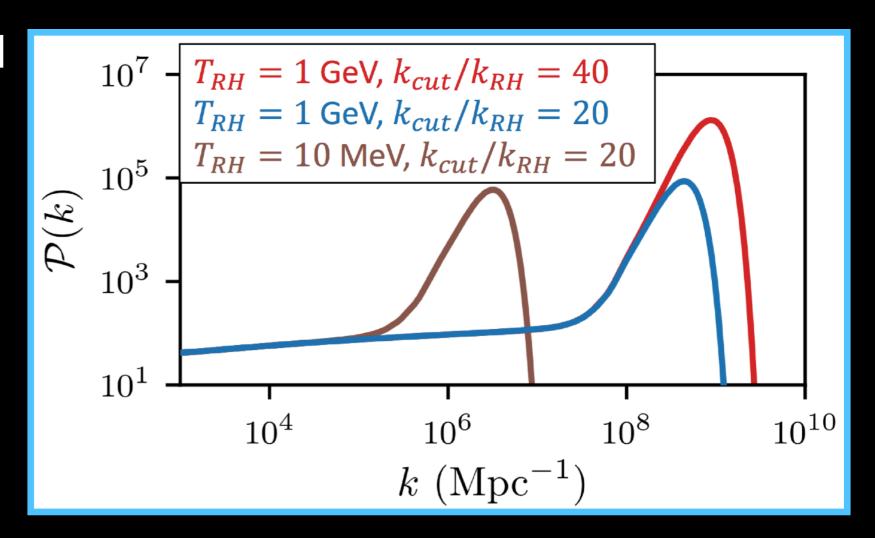
Microhalos!

The Small-Scale Cut-off

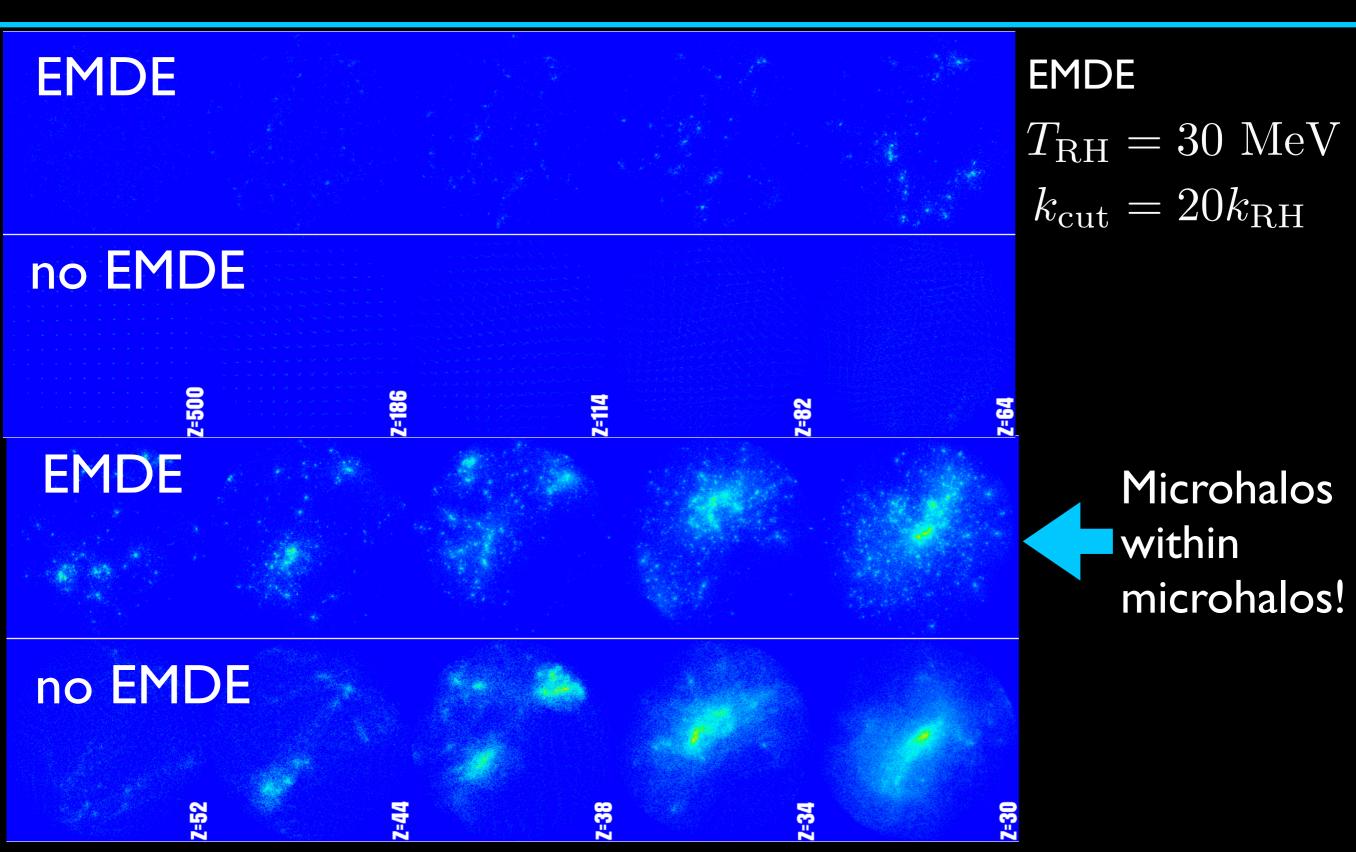
Free-streaming will exponentially suppress power on scales smaller than the free-streaming horizon: $\lambda_{\text{fsh}}(t) = \int_{t_{\text{DII}}}^{t} \frac{\langle v \rangle}{a} dt$

The small-scale cut-off determines the mass and formation time of the first halos.

- For WIMP dark matter thermally produced during an EMDE, $k_{\rm fsh} \lesssim 80 k_{\rm RH}$ ALE, Sinha, Watson 2016
- Dark matter in a hidden sector can be much colder; cut-off set by interactions within the hidden sector.



EMDE Microhalo Simulations

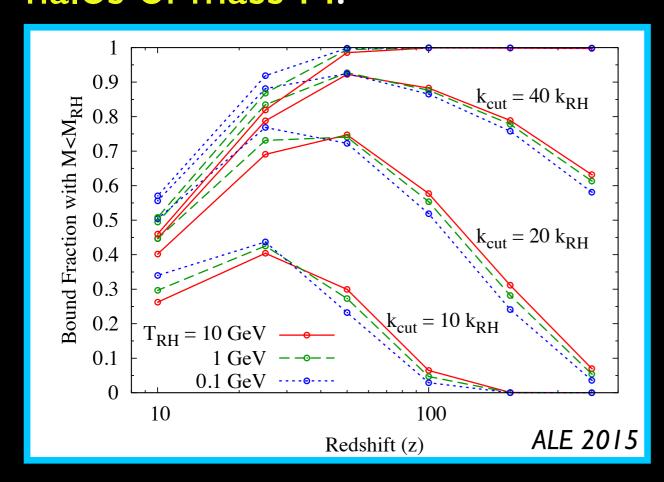


Simulations by **Sheridan Green**Adrienne Erickcek

KITP: February 5, 2020 20

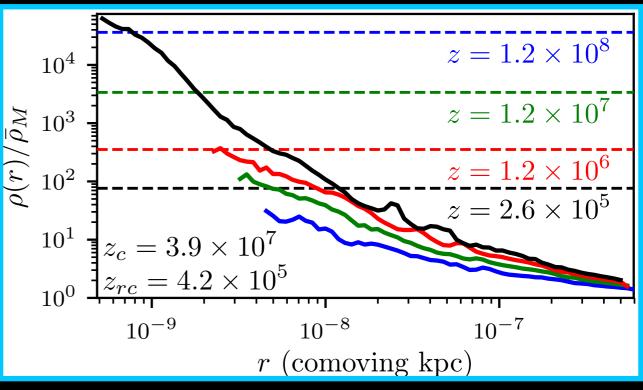
The Microhalo Abundance

To estimate the abundance of halos, we use the Press-Schechter mass function to calculate the fraction of dark matter contained in halos of mass M.

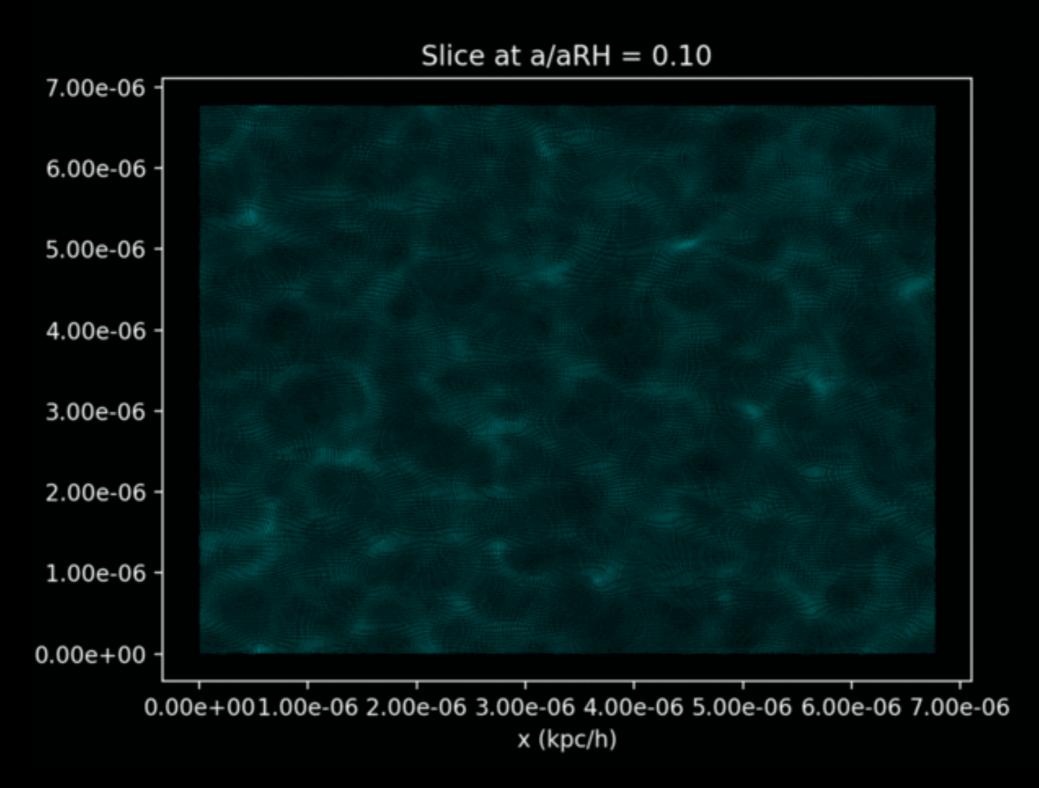


• Beware halo formation during the EMDE; it heats your dark matter!

- For WIMP dark matter thermally produced during an EMDE, microhalos form during matter domination.
- With HS dark matter, we can form halos earlier, during radiation domination! Blanco, Delos, ALE, Hooper 2019



Gravitational Heating



Simulations by **Himanish Ganjoo and M. Sten Delos**

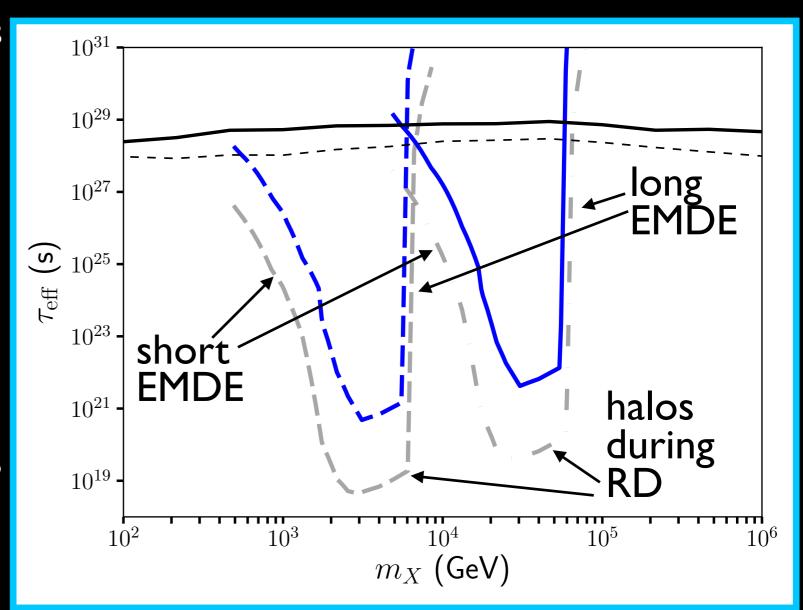
DM Annihilation within Microhalos

Dark matter annihilation within early-forming microhalos dominates all other emission, mimicking the signal of decaying dark matter.

- Annihilation rate per DM mass is set by the density within the first halos and is constant in time and space.
- Can translate into an effective decay rate:

$$au_{\mathrm{eff}} = rac{1}{2m_{\chi}(\Gamma/M_{\chi})}$$

For hidden sector dark matter, the isotropic gamma-ray background provides powerful constraints.



Blanco, Delos, ALE, Hooper 2019

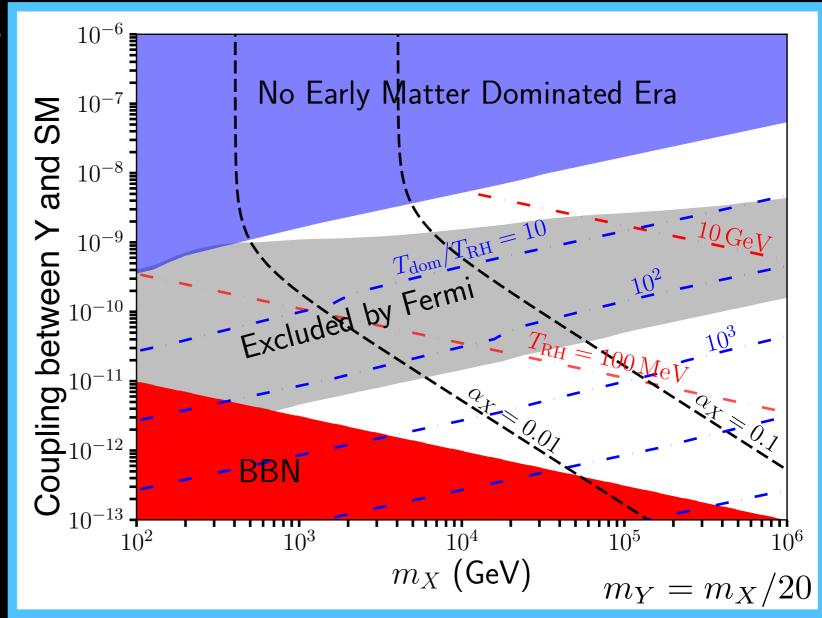
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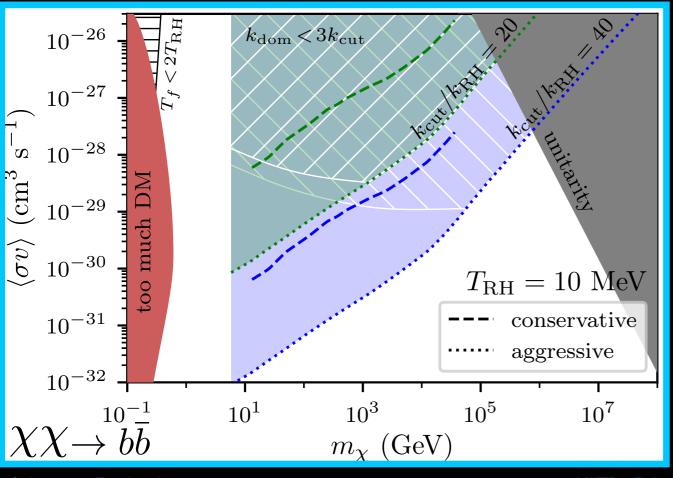
Blanco, Delos, ALE, Hooper 2019

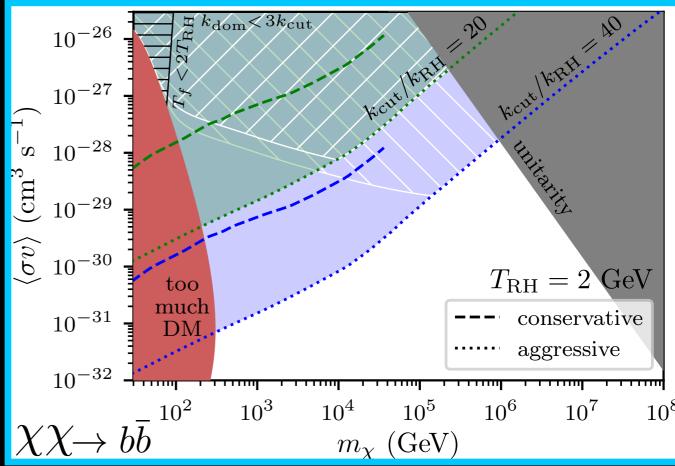
More constraints from the IGRB

Sten Delos, Tim Linden, ALE 2019

More generally, the isotropic gamma-ray background significantly restricts the field of viable thermal relics.

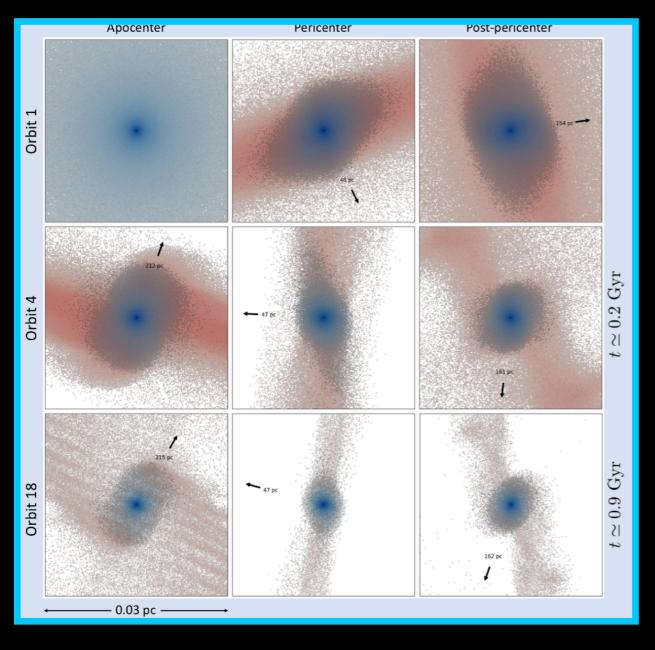
- Constraints use microhalo population predicted by Delos, Bruff, ALE 2019
- ullet Constraints depend on $k_{
 m cut}/k_{
 m RH}$: larger means more dense microhalos
- Constraints are tentative for short EMDEs $(k_{
 m dom} < 3k_{
 m cut})$

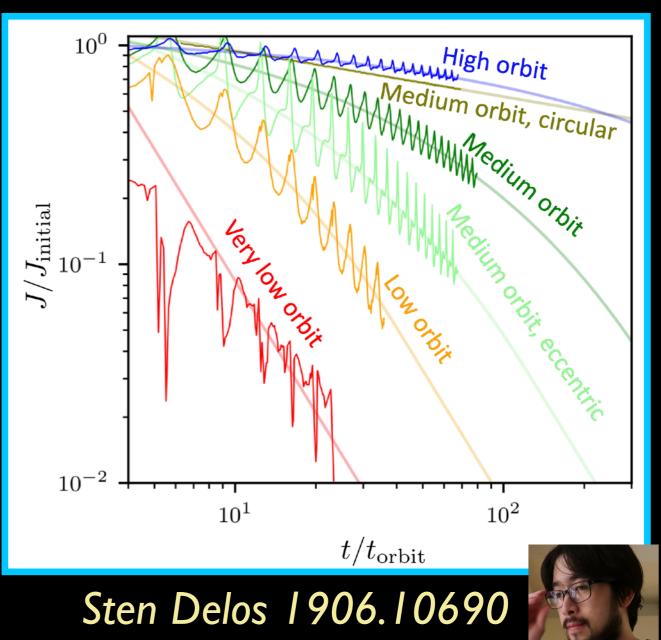




Microhalos within Galaxies

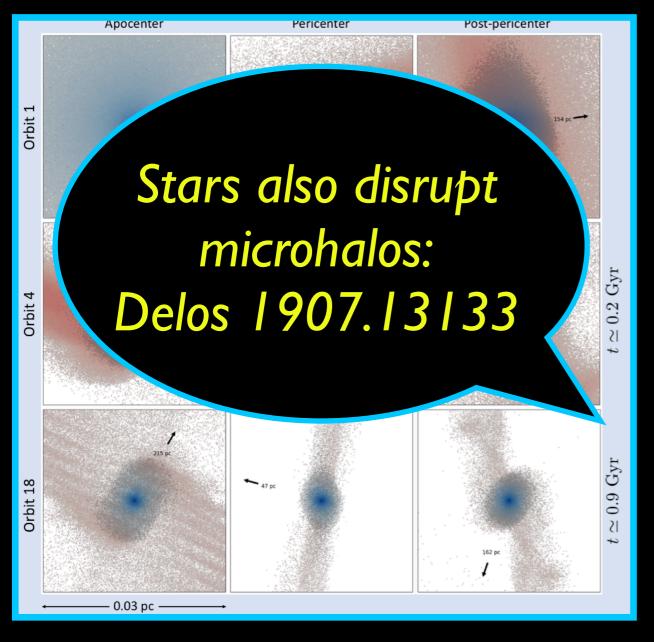
Dwarf spheroidal galaxies also provide constraints (and a potential unique signature). Microhalos within these systems will be stripped by tidal forces, reducing their J-factor.

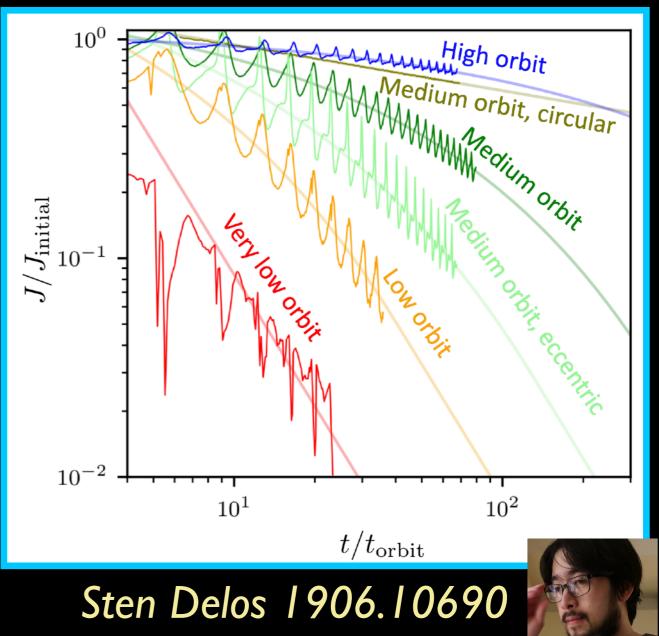




Microhalos within Galaxies

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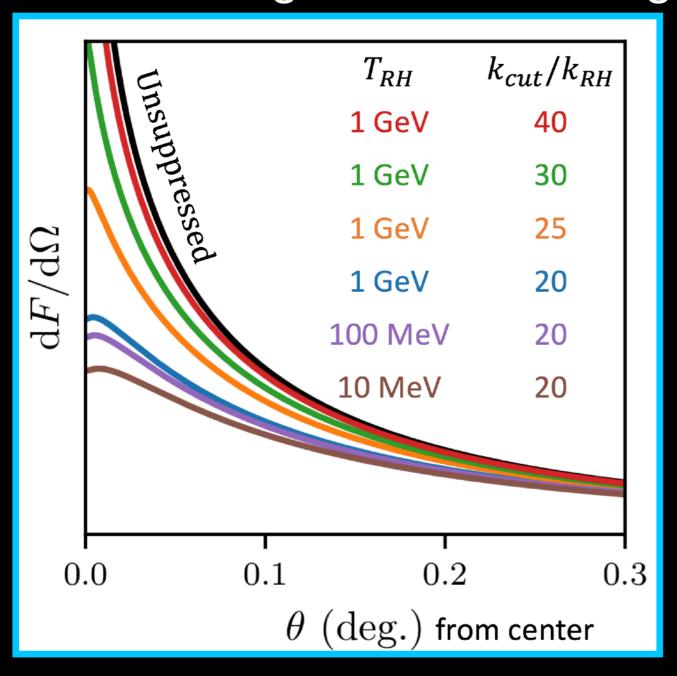
Observational Signatures and Constraints

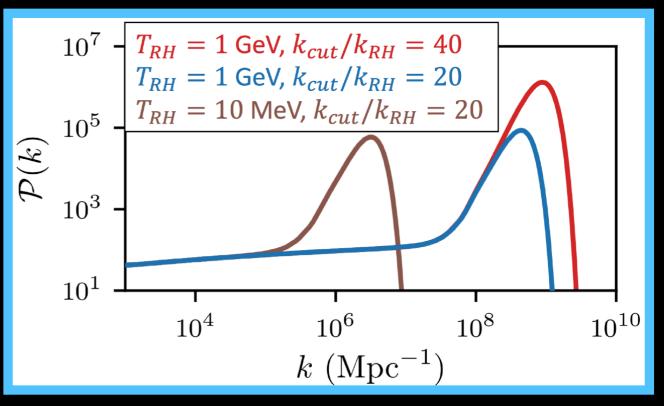
Case study: Draco

Sten Delos, Tim Linden, ALE 2019



Microhalos in the central region are disrupted by stars and tides, reducing the annihilation signature.





Observational Signatures and Constraints

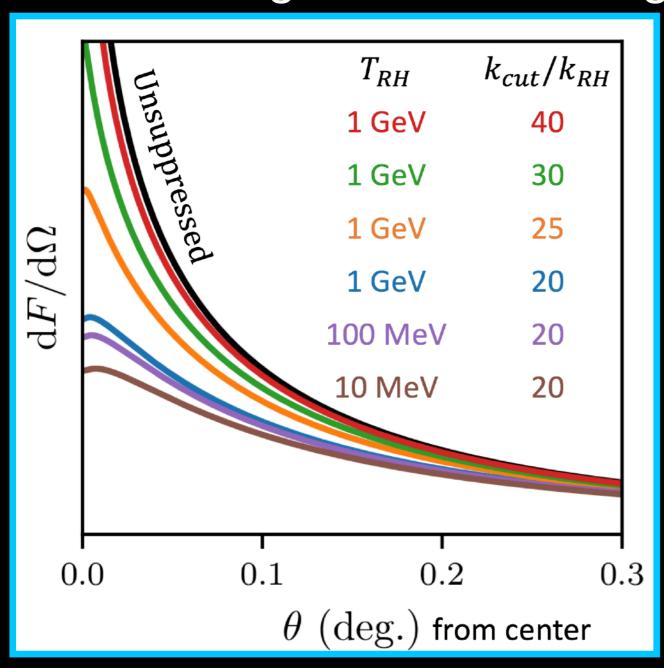
Case study: Draco

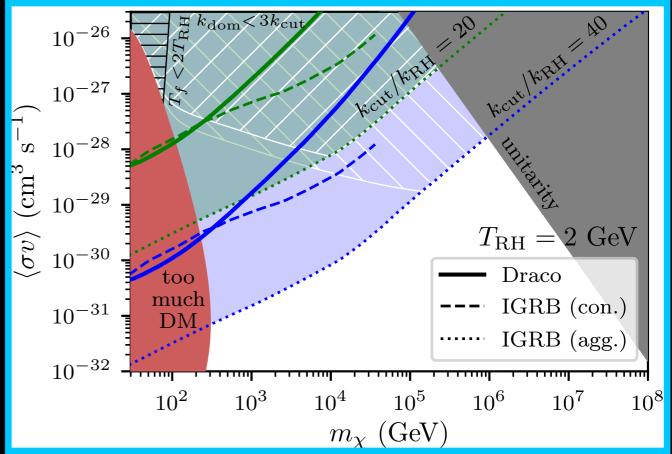
Adrienne Erickcek

Sten Delos, Tim Linden, ALE 2019



Microhalos in the central region are disrupted by stars and tides, reducing the annihilation signature.





Fermi-LAT observations of Draco limit this emission profile, leading to constraints on EMDE cosmologies.

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Observational Signatures and Constraints

Case study: Draco

Sten Delos, Tim Linden, ALE 2019



2 GeV

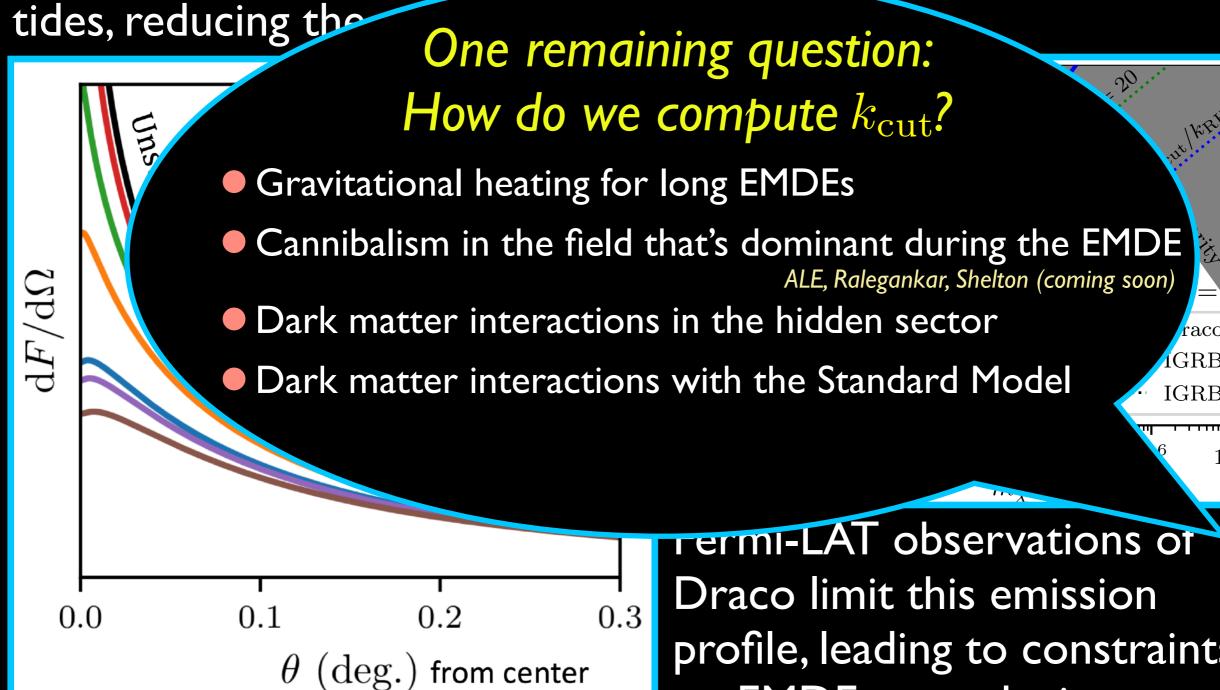
raco

IGRB (con.)

IGRB (agg

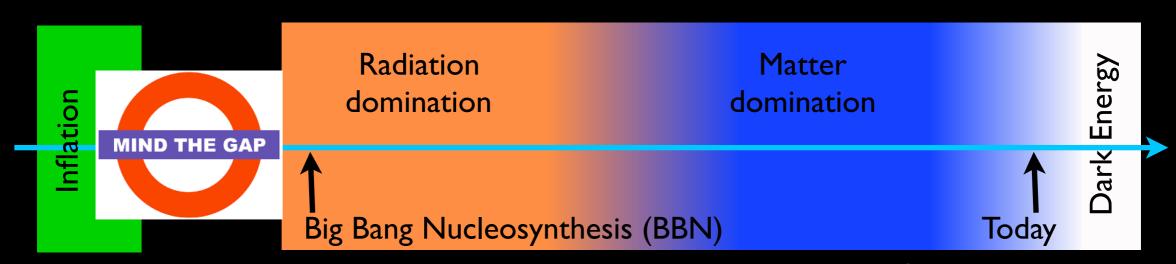
 10^{7}

Microhalos in the central region are disrupted by stars and



Draco limit this emission profile, leading to constraints on EMDE cosmologies.

Summary: Mind the Gap after Inflation



- There is a gap in the cosmological record between inflation and the onset of Big Bang nucleosynthesis: $10^{15}~{\rm GeV}\gtrsim T\gtrsim 10^{-3}~{\rm GeV}$
- Dark matter microhalos offer hope of probing the gap.
- An early matter-dominated era (EMDE) enhances the growth of subhorizon density perturbations.
- The microhalos that form after an EMDE significantly boost the dark matter annihilation rate.
- We can use gamma-ray observations to probe the evolution of the early Universe and narrow the field of thermal relics.
- Nonthermal DM production is constrained by the Lyman-alpha forest.