

Experiments on Granular Gases in Zero Gravity

P. Evesque

Lab MSSMat, ECP - CNRS

Accurate comparisons lead to a series of puzzling questions for theorists of hydrodynamics and of disordered systems

However it requires to look to what does not work

Poudres & grains: <http://www.mssmat.ecp.fr/sols/Poudres&Grains/poudres-index.htm> ;

KITP - June 8 2005

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Recall: classic gas : thermodynamics behaviour

Classic gas of molecules and atoms:

$pV = Nk_B T$ applies always, i.e. $\forall L$

because the gas is homogeneous

good variables: statistics: T, N, p, \dots

Role of collisions and interaction: continuum mech.

+ (liquid-gas transition (phase Transition))

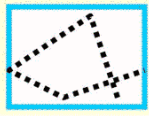
Role of mean free path l_c :

$L > l_c$: continuous mechanics

$L \leq l_c$: Knudsen gas \Rightarrow no $C_{ont} M_{ed} M_{ech}$ description

$L \ll l_c$: billiard, chaos but ergodicity

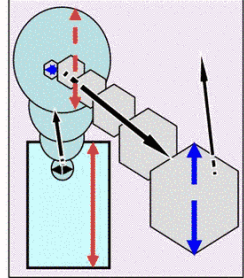
$\Rightarrow pv = nRT$



Important Remark :

When $L < l_c \Rightarrow$ no sound propagation

Role of scale change



Scale invariance ?



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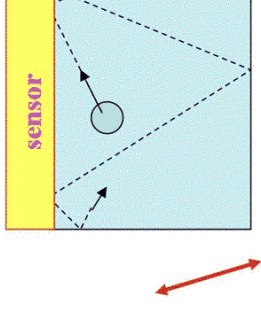


Experimental Physics on dissipative granular gases.

Goals:

- Test ergodicity assumption
- Test extensivity
- Test of the extension of statistical concepts (temperature, pressure,...)
- Test of the validity of simulations (most of them do not take care of rotation)
Do simulations predict, with which accuracy
- Test of the hydrodynamics approach

Dissipative granular gases, Dissipative Billiard



But who wants to test ask what is not working.

Outline

Question 1: Maxwell Demon on earth

- 1.1 Obvious that $f \neq n^2$ (predicted by Eggers)
- 1.2 Importance: of the shape of the flow $f(n)$ on the nature of the transition

Question 2: Granular gas in 0g ($l_c < L/5$)

- 2.1 is the temperature a good measure of the pressure on a wall
- 2.2 Why getting an $\exp(-v/v_0)$ distribution of impacts $\Rightarrow f(v) \propto 1/v \exp(-v/v_0) \Rightarrow ???$
Airbus A300-Og Maxus 5

Question 3: limit of non interacting particles (1 or 2 particles)

- 3.1 is the dynamics ergodic?

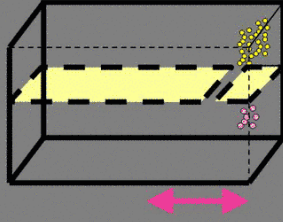
Models : $f(v) \propto 1/v \exp(-v/v_0)$ what is T

- m1: boundary is a velostat or an impact generator
- m2: gas with large internal dissipation

Have these behaviours been predicted by theory and/or simulations

Why not ? (1, 10, 50 balls, 500 balls)

Maxwell Demon on earth



Model : with $T(z)$, $n(z)$ and continuous diff. eqs.

Model: J. Eggers, "Sand as a Maxwell demon", *Phys. Rev. Lett.* **83**, 5322-25, (1999)
 J. Brey et al. (2001), $g=0, \dots$ *PRL* **65**, 011305 (2001)

Disc sur Phys. Stat : J. Maddox, "Slamming the door", *Nature* **247**, 903, (2002)

the Literature: Experiments look the same as prediction



P. Evesque - ESA TT « Non-Equilibrium complex matter » ; Alpe d'Huez, April 4-6, 2005

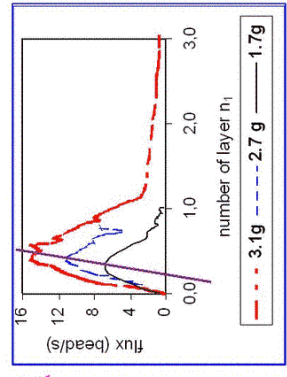
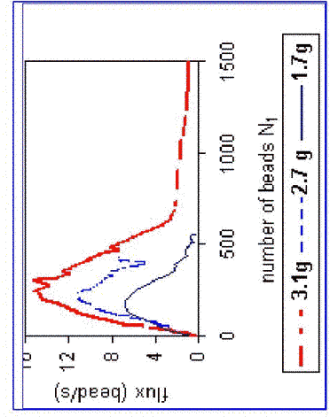
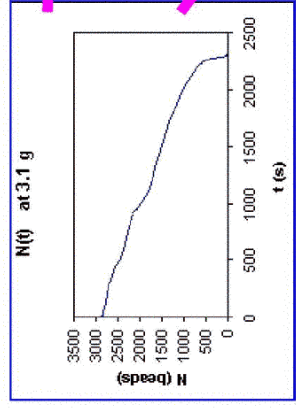
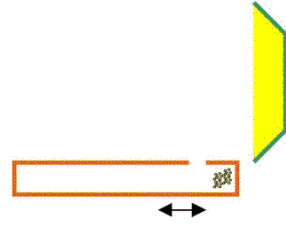


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Maxwell's Demon in granular gases :

Prediction: Flow from box : $F = S n(z=h) T^{1/2}$ $F_{l \rightarrow r} = F_0 N_l^2 \exp(-a|N_l^2|)$ with $a = 4\pi g h r^2 (1-e^2)/v_b^2$
 (From Eggers)

From P. Jean, et al. : *Powders&Grains* **13** (2002), 27



- F starts linearly and not as n^2 **WHY?**
- Is the shape of the ball important?
- Is the maximum varying as Γ (or as v) ?



P. Evesque / KITP - UCSB, (June 8 2005)

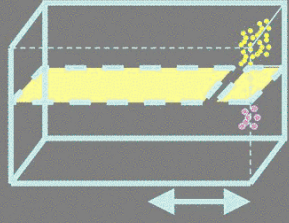


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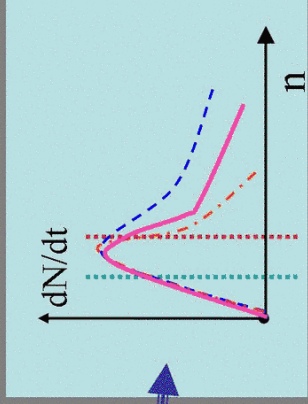


Maxwell's Demon in granular gases :

Case of 2 boxes



$$n = N/N_0$$



Interpretation in term of bifurcation:

Bifurcation when flow is max

Equilibrium : $j_1 = j_2$ & $N_1 + N_2 = N_{tot}$

But Kind of bifurcation is fonction of the shape of $j = -dN/dt$ vs n :

$$\varepsilon = (N_2 - N_1)/2 \quad N_1 + N_2 = N_{tot}$$

super-critical \leftrightarrow critical \leftrightarrow sub critical \leftrightarrow transcritical



P. Evesque / quelques effets spécifiques liés à la dissipation, LPTMS, Orsay, 14 septembre 2004

Dem-Maxw. explanation

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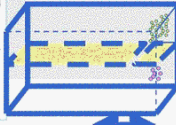


Maxwell's Demon in granular gases :

$$j = j_{max} + b_2(N_1 - N_m)^2 + b_3(N_1 - N_m)^3 + b_4(N_1 - N_m)^4 + \dots$$

$$u = N_1 - N_2$$

$$v = N_1 + N_2 - 2N_m = 2N - 2N_m = c^{ste}$$



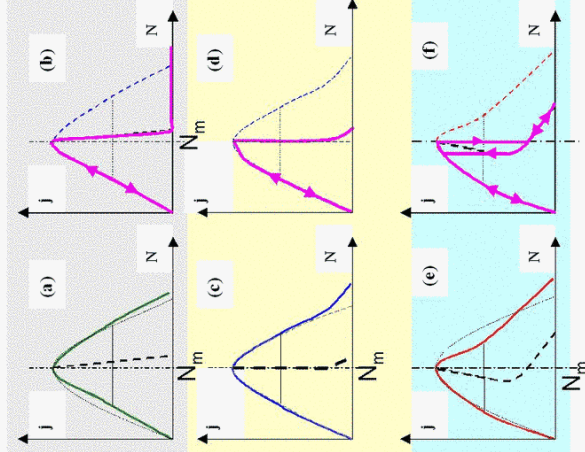
$$du/dt = -u [2b_2v + b_3(3v^2 + u^2)/2 + b_4v(u^2 + v^2) + \dots]$$

Critical bifurcation with $\delta N \propto (N - N_m)^{1/2}$

SuperCritical bifurcation with any ΔN possible at

$N = N_m$ => diffusion in between these states

Then jump or no solution



Hysteresis and bistability



P. Evesque / KITP - UCSB, (June 8 2005)

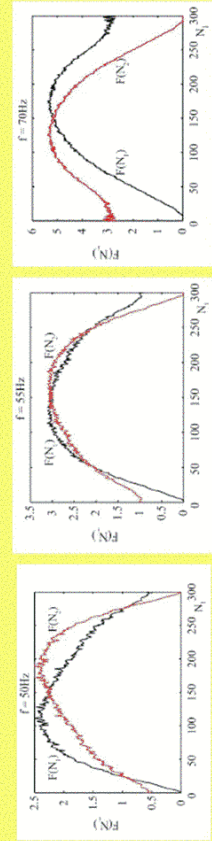
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MD : Bifurcation nature:

Experiments of *Mikkelsen et al.* show large fluctuations, but they show also the following flow:



Flow from a compartment

From fig.5 of R. Mikkelsen, K. vd Weele, D. vd Meer, M. v. Hecke, and D. Lohse: *PHYS. REV. E* 71, 041302 (2005)

- 1) Change of shape => change of bifurcation nature
- 2) When completely symmetric => enhancement of fluctuations due to a series of stable states
- 3) Interpretation proposed in the paper due to fluctuations is probably erroneous (discussion with vdMeer in progress)

But, are these variations of shapes described by theories? **No? => work**

Granular Gas in 0g

MiniTexus 5 (recalls) (1998)

Airbus A300-0g (2000-2004)

Maxus 5 (2003)

Thanks to ESA and CNES

The flights:

Start	Mini Texus 5	Airbus A300 0g	Maxus 5	Maxus 7	VIP-Crit VIP-Gran
1992	1998	2000-2005	2003	2006	ISS?

The team :

P. Evesque, ECP-CNRS

Y. Garrabos, F. Palencia & C. Lecoutre ICM-Bordeaux-CNRS

D. Beysens, ESPCI-CEA

S. Fauve, ENS Paris

E. Falcon, ENS Lyon- CNRS

**A good experiment starts with a good
complementary team**

Introduction:

**Some results from The
MiniTexus 5 experiment**

miniTexus 5 : Granular Gas and clustering in micro-g

Dissipative gas of real spheres or particles:

« Cluster » forms as soon as $L \approx l_c$

A good photo is better than a pressure measurement

$n > 1 \Rightarrow L > l_c$

- **Supersonic** excitation, i.e. $V_{bead} < a\omega$
- **Hyperbolic** equation for classic gas
- **Cluster** forms as soon as $L > l_c$
- System becomes **inhomogeneous** as soon as local **p** could have been defined

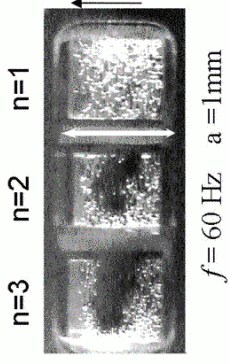
$n < 1 \Rightarrow L < l_c$

- **Supersonic** Excitation $\Rightarrow V_{bead} < a\omega$
- Granular gas in Knudsen regime
- no sound

$n \ll 1$?

Does the transition exist always? even on Earth?

- No, because gravity forces the cluster to collide with the bottom.
 - Problem of g-jitter in micro-gravity of Airbus explosion of the cluster.
- \Rightarrow pure micro-g result



Does one see shock waves ?

Falcon et al. PRL (1999)



P. Evesque / Dissipative granular gases, USA, May 2004

Poudres & grains 12, 60-82 (2001); <http://www.mssmat.ecp.fr/sols/Poudres&Grains/poudres-index.htm>;

miniT5

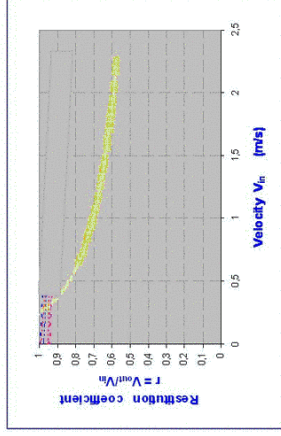
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Granular Gas and clustering in micro-g : Case n=1: $\delta p \propto \exp\{-\{v/(a\omega)\}^{3/2}\}$ Why?

Rest coef used in simulations to Mimic MiniTexus5

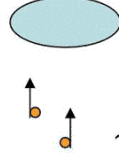
Falcon-Mac Namara



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Other possible explanations:

- gauge used does not work correctly (limit of sensitivity)
- crossover due to response time τ of gauge vs time between 2 collisions



Poudres & grains 12, 60-82 (2001); http://www.mssmat.ecp.fr/rubrique.php3?id_rubrique=402;



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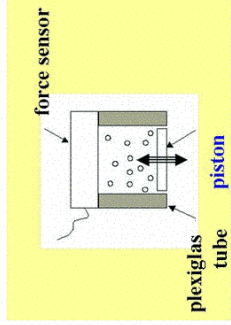
P. Evesque / PMMH – ESPCI, Paris, (13 Mai 2004)

Pressure-MiniT

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Airbus A300-0g (& Maxus 5) experiments with n balls



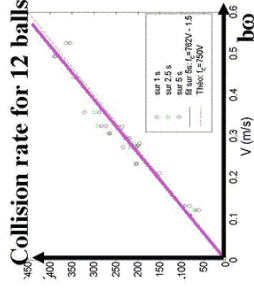
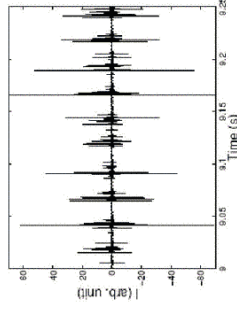
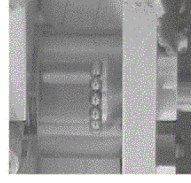
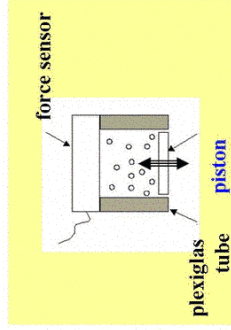
Experimental condition: cylindrical cell with a piston
 $D=12.7\text{mm}$, $H=10\text{mm}$, $d_{\text{ball}}=2\text{mm}$, $N=\{12, 24, 36, 48\}$;

$$\Rightarrow l_c = HD^2 / (4Nd^2) \text{ or}$$

$$H/l_c = N(2d/D)^2 = \{1.2 ; 2.4 ; 3.6 ; 4.75\}$$

Few balls dynamics $N=12-48$ Airbus A300 mg

Pouidres & grains 14, 8-53 (2004);



Statistics on :

- Waiting times
- Amplitude of impacts
- Nb of collisions with $(b\omega)$, N

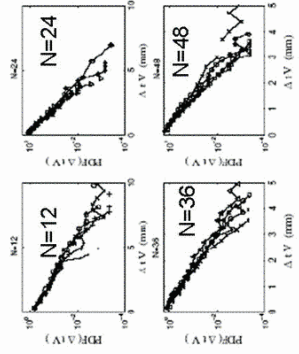
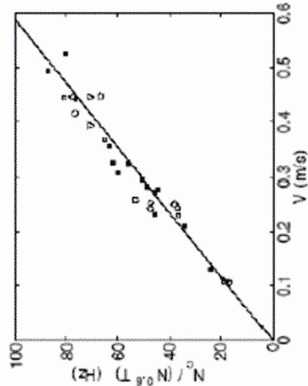
results:

- $\langle V_{\text{bead}} \rangle \approx b\omega$. For $N=12$
- 3d chaotic motion => looks ergodic

$$N_c(T) \propto T (b\omega) N^{0.6}$$

Few balls dynamics N=12-48 Airbus A300 mg

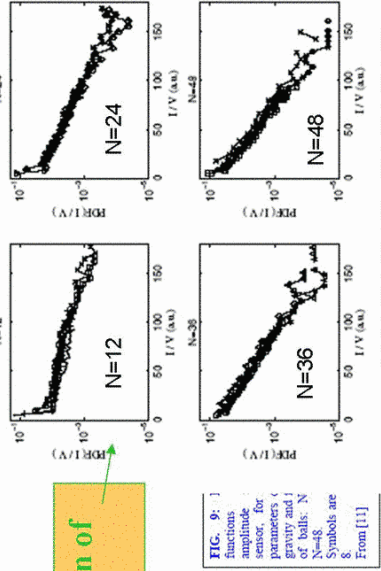
Pouidres & grains 14, 8-53 (2004);



Waiting time distribution
If Randomness :
 $\exp(-\Delta t/\tau_c)$

Rescaling of $N_{coll}/(N^{0.6} T b\omega)$
 $N_{beads} = 12, 24, 36, 48$

distribution : $p(v) \propto e^{-v/v_0}$ (when $N > 12$)
with $v_0 \propto N_b^{0.8} (b\omega)$
 $f(v) \propto (1/v) \exp[-v/(Nb\omega)]$
Is it a Boltzmann's distribution?

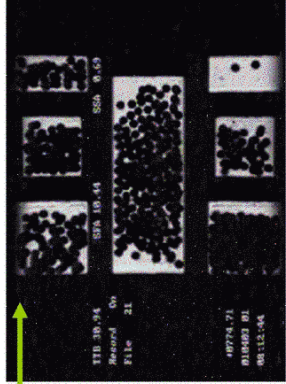


Distribution of impacts

FIG. 9: (1) fraction amplitude sensor, for parameters (gravity and) of balls: N=12, 24, 36, 48. Symbols are 8. From [11]

P. Evesque / Gaz Granulaires en Micro-g, GDR-MAF, Carry-le-Ronnet, 18 novembre 2004 17

Confirmation by Maxus 5 exper. of the $1/v \exp(-v/v_0)$ distribution



N=50 balls

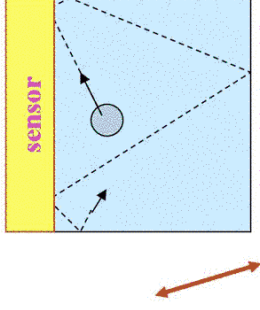
$P(l) \propto \exp[-v/(b\omega)]$

$f(v) \propto (1/v) \exp[-v/(b\omega)]$

- Is this trend explained by classic approach? No
 - It contradicts the hydrodynamics model of Brey et al => in discussion;
 - \exists few attractors? (no motion, ..., hydrodynamics?)
 - This attractor indicates a condensation at $v=0$ => ???
- I will give a possible explanation later....
- Pouidres & grains 14, 8-53 (2004); ib. 15, 1-34 (2005)

1 ball experiment in 0g

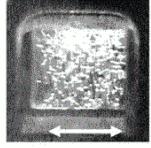
Test of extensivity
 Limit of infinitely dilute gas
 Limit of non interacting particles
 Billiard
 In 1d: → Fermi problem



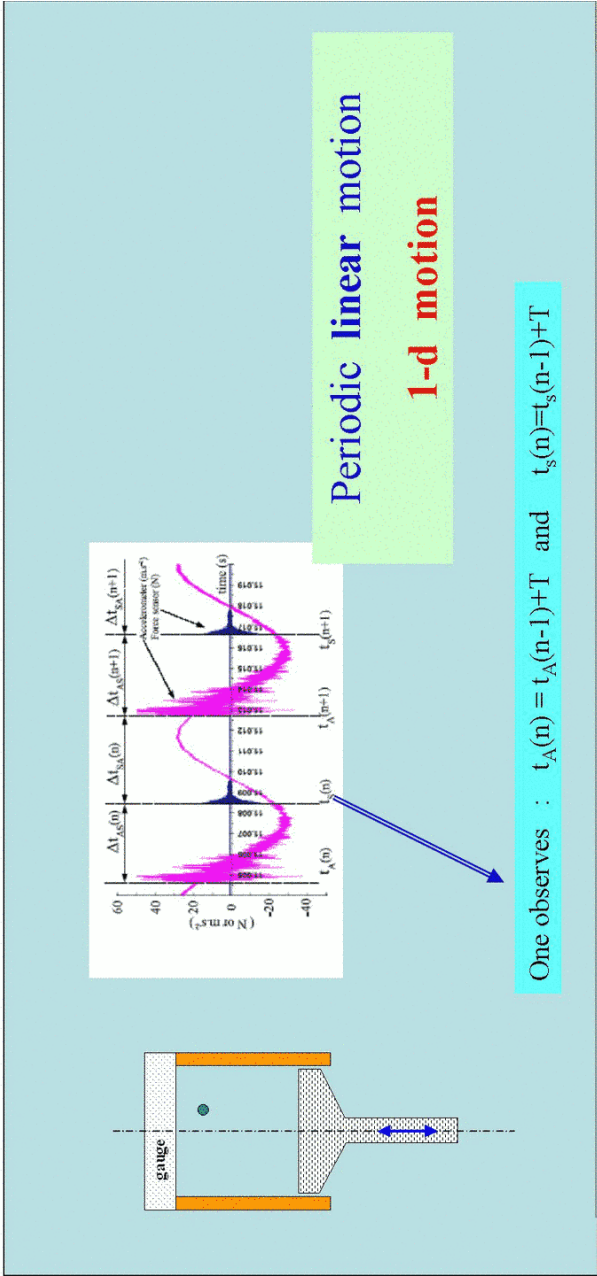
In fact this experiment has been performed to calibrate the gauge !!

1-ball experiment

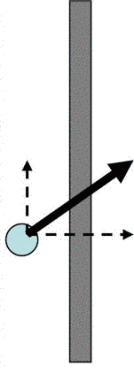
When few grains are vibrated one get a « granular gas »



$f = 60 \text{ Hz}$; $a = 1 \text{ mm}$



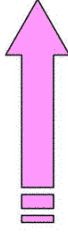
Collision rules



Restitution coefficient :

$$V_n^+ = -\epsilon V_n^-$$

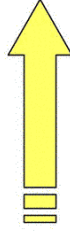
periodic



During contact: Solid friction :

$$F_t = k F_n$$

1-d



1 sphere in a vibrated box in 1d Periodic motion vs. Erratic motion

Collision rules in 1d:

$$V_{n+1} - b_p \omega \sin(\omega t_n) = -\epsilon_p [V_n - b_p \omega \sin(\omega t_n)]$$

$$V_{n+2} = -\epsilon_g V_{n+1}$$

Periodic conditions:

$$V_{n+2} = \epsilon_p \epsilon_g V_n + (1 + \epsilon_p) b_p \omega \sin(\omega t_{n+1}) = V_n$$

$$L(\epsilon_g + 1) + b_p \epsilon_g \cos(\omega t_n) + b_p \cos(\omega t_{n+1}) = \epsilon_g V_n (t_{n+1} - t_n)$$

Solution:

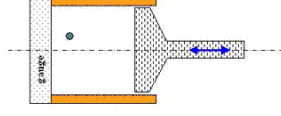
$$V = L\omega/\pi = b_p \omega (1 + \epsilon_p) \sin(\gamma) / [1 - \epsilon_p \epsilon_g]$$

Periodic motion :

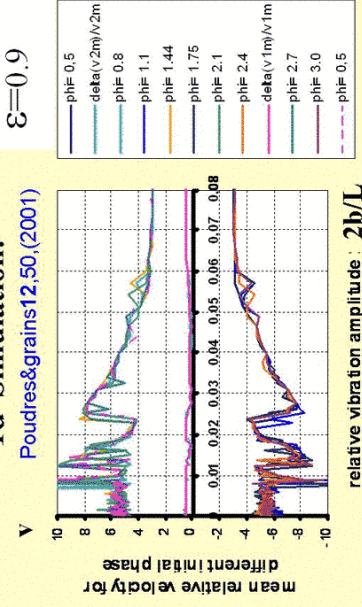
$$b/L > [1 - \epsilon_p \epsilon_g] / [\pi (1 + \epsilon_p)]$$

Erratic motion :

$$b/L < [1 - \epsilon_p \epsilon_g] / [\pi (1 + \epsilon_p)]$$

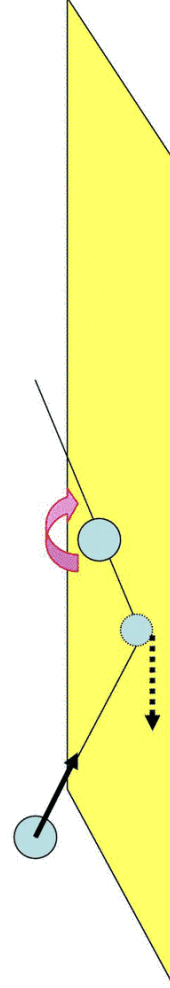


1d Simulation:
Poudres&grains 12.50.(2001)



$\epsilon = 0.9$

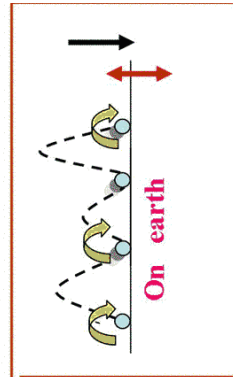
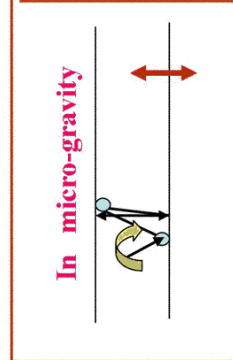
Why 1-d linear dynamics ?



After the collision the ball rotates
Speed of contact

One single sphere in a vibrated box

Why the 1d motion is stabilised:
Rotation is inhibited, because it dissipates due to alternate condition on rotation rules at top and bottom during a round trip.



Simulation : « attractors »

Computer simulation
(J.J. Moreau code)

Question : Stability of this « eigen » mode ?

⇒ **Surface density n < 3%**

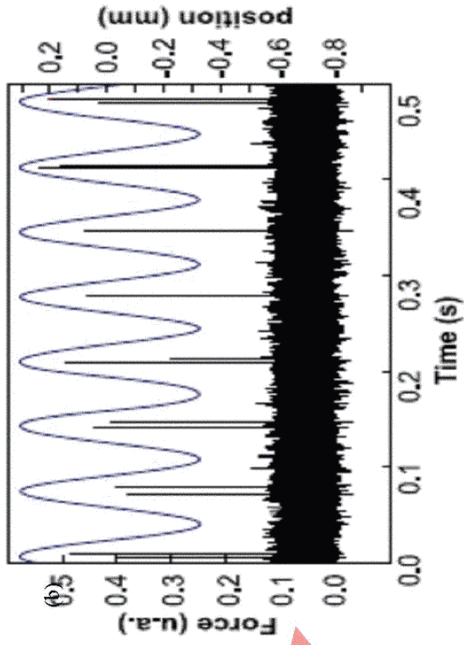
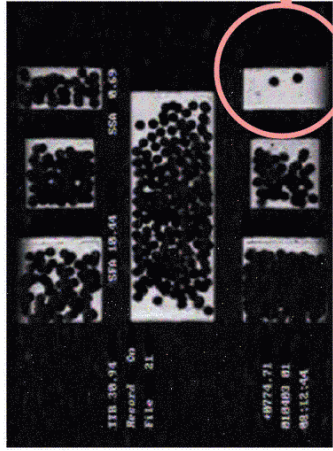
⇒ **reduction of the space dimensionality** of the degrees of freedom from **13-d → 1-d + random noise**
 [(3+3 (for rotation) + 3+3 (translation) + 1 (time excitation)] to (x,y) + **random noise.**

Conclusion: Non ergodicity; regular rule in dissipative systems.
 Parallel with: Classic billiard, quantum well electronics
 ⇒ Here: also **usefull to calibrate a gauge**

- **The largest path is stabilised**

2-ball synchronisation in a vibrated box

From Maxus 5 (1st April 2003)



Better synchronised than the 1-ball case

Partial synchronisation in a vibrated box

From Airbus milli-g and ground-based experiments

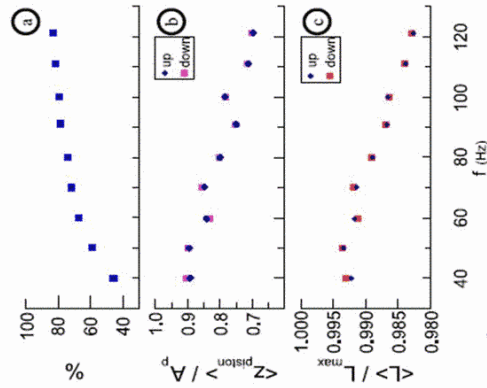
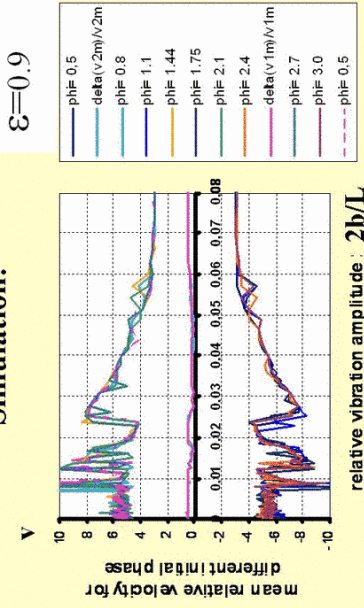


Figure : (a) Resonant rate (%); (b) Relative piston position; and (c) Relative cavity length, as a function of frequency, where $L_{max} = L_0 + A_p$, $A_p = b$ is the amplitude of vibration. In part b and c, the up and down trajectories of the ball are hardly distinguished at this scale.

Better synchronisation at :

- large Frequency
- large Speed
- when phase is near $\pi/2$

Simulation:



Conclusion of 1-ball exp:

thanks to ESA and CNES

1-ball experiment and 2-ball experiment

- **Role of micro-g** 1g-bouncing/0g-bouncing
- **Role of rotation** (micro-g result)
- **Synchronisation for $b/L > \alpha$** (to be tested) (simulated by M. Leconte)
- **Reduction of the efficient phase space** (dissipation) 1-d simulation
- **Rate of synchronisation** (simulated by M. Leconte)
- **Restitution coefficient depends little on v** (micro-g result)
- **$b\omega$ is subsonic \Rightarrow 1d simul are correct** (micro-g result)

Revisiting

billiard

shape of the container, of the ball,....

parallel with other pb: **microfluidic, electron,....**

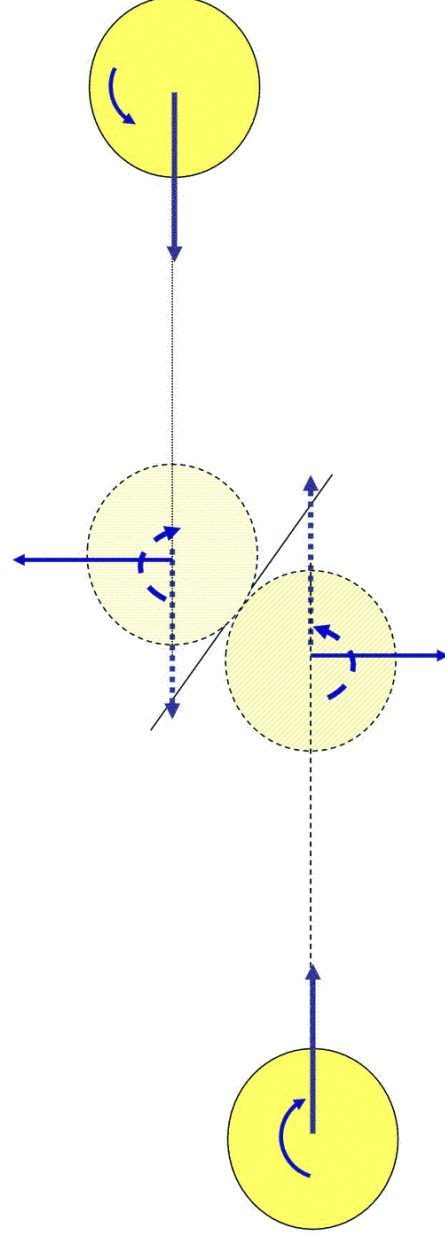
Fermi problem

sensitivity to $\epsilon_{\text{restitution}}$



What are the consequences of dissipation due to rotation for larger density of grains ?

Dissipation in ball-ball collisions due to solid friction



Freezing of 1 or 2 degrees of freedom at each collision



Possible Interpretations

of the distribution

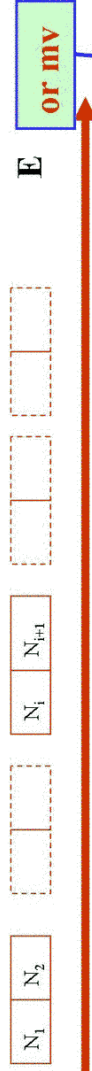
$$f(v) \propto (1/v) \exp(-v/v_0)$$

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2 models:

- Boundary condition: **velostat** instead of thermostat
- **Simple dissipative model**

Another Statistical modelling of speed in granular gas



(1) Number of complexions: $W(N_1, N_2, \dots, N_i, \dots) = N! / [\tau_i(N_i!)]$

Preservation rules:

(2) Energy is given: $\Rightarrow U = \text{cste} = E_1 N_1 + E_2 N_2 + \dots + E_i N_i + \dots$ Or $m(v_1 N_1 + \dots + v_i N_i + \dots) = \text{cste}$

Nb of particles given: $\Rightarrow N = \text{cste} = N_1 + N_2 + \dots + N_i + \dots$

Max of disorder $\Rightarrow W$ is Max $\Rightarrow dW = 0$

Stirling formula: $n! = n \text{Log}(n) \cdot n$

(3) Lagrange multipliers: $\lambda_1, \lambda_2, \lambda_3$

$$\lambda_1 dU + \lambda_2 dN + \lambda_3 dW = 0 = \sum_i [\lambda_1 E_i + \lambda_2 + \lambda_3 \text{Log}(N_i)] dN_i$$

$$N_i = A e^{-\beta E_i} \text{ with } \beta = -\lambda_1 / \lambda_2 = 1 / (kT)$$

thermostat

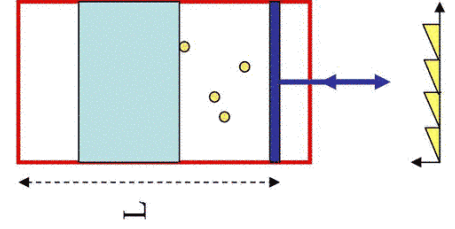
$$\text{or } N_i = A e^{-\beta' v_i}$$

velostat

2nd attempt of a simple granular gas modelling with strong dissipation

At medium concentration $l_c < 2L$
 $n > \approx 0.5$

The model:



Excitation:
 $T ; V_2 \gg V_p ; b \ll L$

ASSUMPTIONS:

- ♦ **ball-ball Collisions :** either interchange speeds **(1-p)** or dissipate completely **(p)**
- ♦ $\epsilon_{\text{wall}} = 1 \Rightarrow v' = v + 2V_p$
- ♦ $l_c = L / (4n)$ with $n = Nd^2 / D^2$

Questions: $P(v)$ = probability of impact at speed v (?)
 $f(v)$ = distribution of speed v (?)

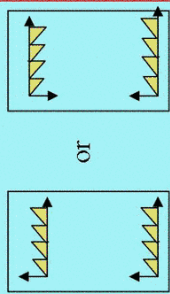
SOLUTION :

- ♦ $P(v_0 + v) = P(v_0) \exp[-(v/(2V_p)) * (2Lp/l_c)]$
 $\Rightarrow P(v) \approx \exp(-4npv/V_p)$
- ♦ As a roundtrip lasts $\tau = 2L/v \Rightarrow$ Time averaging
 $\Rightarrow f(v) \propto (1/v) \exp(-4npv/V_p)$

Prediction

The result: $P(v) \approx \exp(-4npv/V_p) \Rightarrow \langle v \rangle = V_p/(4np)$

- 1) **Supersonic excitation** or $\langle v \rangle = v_0 < V_p \Rightarrow 4np > 1 \Rightarrow n > 1/4$ (observed)
- 2) **Difference between 1g vs. 0g** $\Rightarrow \tau = v/g$ vs. $\tau = L/v$ (observed?)
Normal scaling; $f(v) \propto v \exp(-v/v_0)$ vs. Anomalous scaling $f(v) \propto (1/v) \exp(-v/v_0)$
- 3) **Vibrating box vs. 2 pistons working in opposite direction**
No net gain after a roundtrip vs. A gain
- 4) **In 3d : p=1**
- 5) **Link with Boltzmann equation formalism**
Diffusive \leftrightarrow propagative (non local)

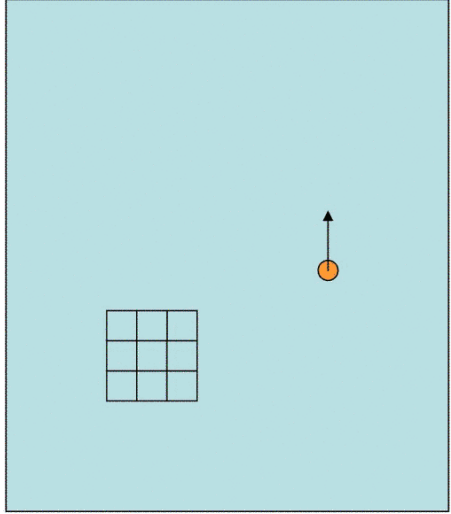


powders & grains 14 (2) pp 8-53 (Mai 2004); *ibid* 15 (1) pp 1-16 (février 2005). ; *ibid* 15 (2) pp 18-34 (mars 2005).
<http://www.mssmat.ecp.fr/sols/Poudres&Grains/poudres-index.htm>
 And to appear in *Powders & Grains 05*

Propagative vs. diffusive Boltzmann Equation

$$\frac{\partial f_{\text{coll}}}{\partial t} = - \int \sigma(p_1, p_2) + \int \sigma(p'_1, p'_2) \quad f \text{ enters in } \sigma$$

In general
 When \exists good local means $\Rightarrow T(f), P(f) \dots$
 \Rightarrow Diffusion of $f(T, P)$:
 $\partial f / \partial x =$ interchange of particles from adjacent volumes



Here:

$f(v, x + vdt; t + dt) = f(v, x, t) \Rightarrow f$ propagates far,
 then ball collides and dissipates, even for $L/l_c = 4$

Conclusion

Are these results described in literature ? (no)

Are these results obtained with simulations ? (no)

Maxwell Demon:

- effect of shape of flow curve with $n \Rightarrow$ **fluctuations**, (in discussion with vdMeer)

1 ball case:

- related to other important problems: dissipative Billiard, Fermi problem, particle dynamics in a quantum well...
- strong effect of rotation + friction: **improve the dissipation**
- large reduction of the number of freedom degrees ($13 \rightarrow 1$)
- Has it been studied numerically ?

Granular gas in 0g : Experiments concern $N < 50$ balls

- ♦ Anomalous distribution of speed $f(v) \propto (1/v) \exp(-v/v_0)$ **where is T_{empera}**
- Are rotations involved and how ? + friction \Rightarrow improve the dissipation
- short range effect (few l_c)
- \exists an uncoupled « immobile » gas ?
- \exists few attractors? (discussion with Brey on conditions to observe hydrodynamics gas)

Thanks to

ESA
&
CNES

Conclusion

Evaluating the relative difficulty between statics and flows

When I started granular physics (1987):

statics: single configuration with no mixing \Rightarrow large memory effect,

flows: good mixing of configurations \Rightarrow good averaging

\Rightarrow **I thought statics is more complicated than flows**

Now: due to rotations

statics: lot of internal degrees of freedom \Rightarrow good averaging,

flows: large dissipation controlled by uncontrolled degrees of freedoms

\Rightarrow **I think flows are more complicated than statics**

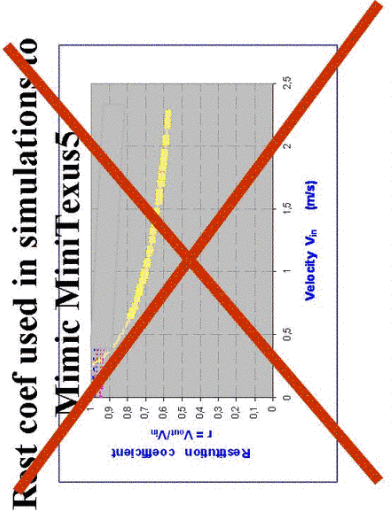
Thanks to ESA and CNES

The flights:		VIP-Crit		VIP-Gran	
Start	Mini Texus 5	Airbus A300 0g	Maxus 5	Maxus 7	ISS
1992	1998	2000-2005	2003	2006	ISS

The team : **A good experiment starts with a good complementary team**

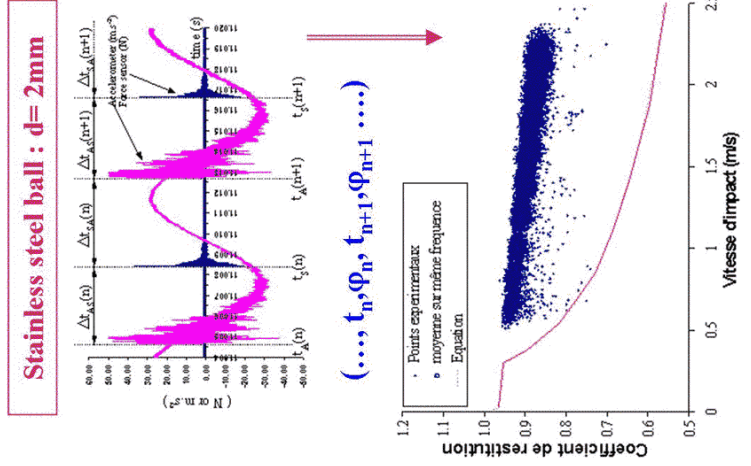
P. Evesque, ECP-CNRS
Y. Garrabos, F. Palencia & C. Lecoutre ICM-Bordeaux-CNRS
D. Beysens, ESPCI-CEA
S. Fauve, ENS Paris
E. Falcon, ENS Lyon- CNRS

Measure of the restitution coefficient



The modelling with ϵ which depends on V as V^α is not good.
=> new modelling (Hertz law + viscous damping)

Most simulations do not take into account rotation (micro-g result)

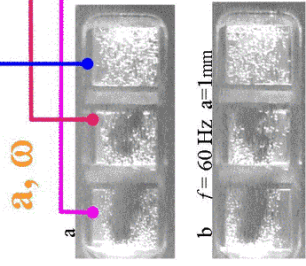


Granular Gas and clustering in micro-g :

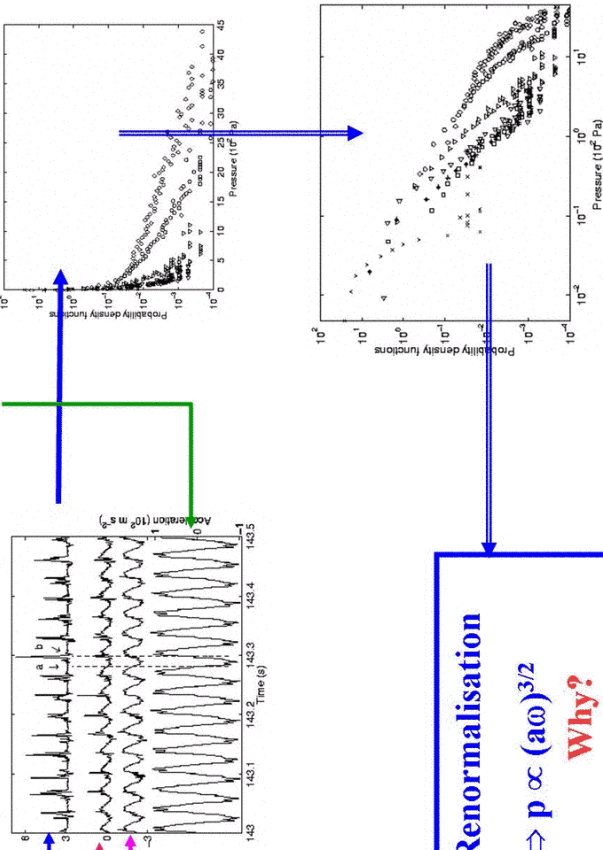
MiniTexus 5, Fév. 1998 :

image recording +

$n=1$, $n=2$, $n=3$



pressure recording + acceleration recording

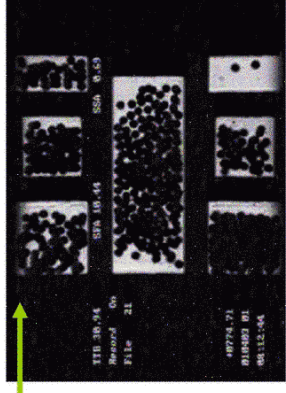


Renormalisation
 $\Rightarrow p \propto (a\omega)^{3/2}$
Why?

Falcon et al. PRL (1999)

P. Evesque / Dissipative granular gases, USA, May 2004

Confirmation by Maxus 5 exp of the $1/v \exp(-v/v_0)$ distribution?



N=50 balls

$P(l) \propto \exp[-v/(b\omega)]$

$f(v) \propto (1/v) \exp[-v/(b\omega)]$

So Airbus exp have found : $p(l) \propto \exp[-l/l_0]$ with $l_0 \propto (b\omega)N^{0.8}$
 Dissipative model predicts : $p(l)$ varies as $p(l=mv) = \exp(-v/v_0)$ with $v_0 = Nb\omega$

2 problems remain:
 (i) total collisions $N_c \propto T(b\omega)N^{0.6}$ (but due likely to a change of normalisation prefactor?)
 (ii) gauge calibration: $l \propto v^{6/5}$ instead of $l \propto v$

Conclusion: Range for Granular gas with e^{-v/v_0} behaviour: $n \approx 0.03$ -to-1-3
 It is not a Boltzmann's distribution? $\Rightarrow \neq 0$ Caravelle exp

\exists An other modelling: vibrator is a velostat or an impact generator

Conclusion

- Are these results described in literature? (no)
- Are these results obtained with simulations? (no)
- **Maxwell Demon:**
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