# Star formation in AGN \#1 in the past and the present day wind accretion 

## Sergei Nayakshin

Jorge Cuadra

Volker Springel, Tiziana Di Matteo
Walter Dehnen (Leicester, UK)

## Outline

- Testing the models for recent star formation via stellar orbits:
- Star formation inside accretion disk
- Infalling massive star cluster
- AGN unification schemes
- Using close stars to constrain accretion rate on Sgr A*
- Sgr A* feeding SPH simulations (see J. Cuadra's poster)
- Conclusions


## Young massive stars



- Young ( t < few Myr) "He I stars": how did they get within $\sim 0.2$ parsec of a SMBH? Need n_H > $10^{\wedge} 10$ particles/cm^3.
- Young S0-x stars (Ghez et al. 2003) need n_H > $10^{\wedge} 14 \mathrm{~cm} \wedge\{-3\}$

1. Assume that stars stars were formed via one of the two processes.



Gadget-2 run with M_d $=6 \times 10^{\wedge} 4$ Msun
Kim, Figer \& Morris 2004

## 2. Astro-paleontology with stellar orbits: What would these orbits look like today?



## 'Outer' young stars: two stellar rings.




- Levin \& Beloborodov 03, Genzel et al. 2003: The young stars belong to one of the two rings, not alligned with Galactic plane


## Geometry of the young stellar rings



View of the rings on the plane of the sky (Genzel et al. 03)

## Method: orbital precession in axisymmetric potential

1. We have two stellar disks (I don't know why!)
2. Orbits at different R precess at different rates. A planar disk will be warped.
3. Models yielding too strong a warping rejected.

# Warping by a stellar ring 

## example: N -body simulations with code gyrfalcON (written by W. Dehnen)

## Analytical estimates (circlar orbits)

$$
\begin{gathered}
\frac{\omega_{p}}{\Omega_{K}} \approx-\frac{3 M_{\text {ring }}}{4 M_{\mathrm{BH}}} \cos \beta \frac{R^{3} R_{\text {ring }}^{2}}{\left[R^{2}+R_{\text {ring }}^{2}\right]^{5 / 2}} \\
\Delta \phi=\omega_{p} t \propto \frac{M_{\text {ring }}}{M_{\mathrm{BH}}} \cos \beta \frac{t}{T} F\left(R / R_{\text {ring }}\right)
\end{gathered}
$$

Since $\cos \beta F\left(R / R_{\text {ring }}\right)<1$,

$$
\Delta \phi \sim \frac{M_{\text {ring }}}{M_{\mathrm{BH}}} N_{\mathrm{orb}} \sim 10^{3} \frac{M_{\mathrm{ring}}}{M_{\mathrm{BH}}}
$$

## N-body simulations: the accretion disk case

> populate clockwise system (disk) by stars from 2 to 5"
> populate counter-cw system (ring) 5-7" (also tested 4-5")
> angle of 113 degrees between two orbital planes
> Initial velocities: circular Keplerian
> run models for 3 million vears


## Higher disks masses



## Higher disks masses


poor

## Higher disks masses


horrible!

## Reduced chi^2 map

> Extrapolate between models on a grid to get a 2-D map of chi^2
$>$ Reject models that have QF >~ 1.5


$$
\begin{aligned}
Q F & =\max \left[1, \frac{\chi^{2}}{\chi_{\mathrm{obs}}^{2}}\right] \\
Q F & =\sqrt{Q F_{1} Q F_{2}} \\
M_{\mathrm{cw}} & \approx 2 \times 10^{4} \mathrm{M}_{\odot} \\
M_{\mathrm{cc}} & \approx 10^{4} \mathrm{M}_{\odot}
\end{aligned}
$$

## Infall of a massive cluster



Initial orbits are eccentric even for circular inspiral

## Iinitial conditions for cluster case




## Reduced chi^2 map


$M_{\mathrm{cw}} \lesssim 8 \times 10^{3} \mathrm{M}_{\odot}$
$M_{\mathrm{cc}} \lesssim 6 \times 10^{3} \mathrm{M}_{\odot}$

## Reduced chi^2 map



$$
\begin{aligned}
& Q F=\max \left[1, \frac{\chi^{2}}{\chi_{\mathrm{obs}}^{2}}\right] \\
& Q F=\sqrt{Q F_{1} Q F_{2}} \\
& M_{\mathrm{cw}} \approx 2 \times 10^{4} \mathrm{M} \odot \\
& M_{\mathrm{cc}}
\end{aligned}
$$

## How much mass is there now?

> If we start with disks as thick as observed, and
> wait 10^6 years
> how much would the disk be warped?

$$
\begin{aligned}
& M_{\mathrm{cW}} \lesssim 6 \times 10^{3} \mathrm{M}_{\odot} \\
& M_{\mathrm{cc}} \lesssim 3 \times 10^{3} \mathrm{M}_{\odot}
\end{aligned}
$$

Total mass of low mass stars is

$$
\begin{aligned}
& M_{\text {lowmass* }} \lesssim M_{\text {disk }}-M_{\text {highmass } *} \sim 4 \times 10^{3} \mathrm{M}_{\odot} \\
& \text { Thus, }
\end{aligned}
$$

$$
M_{\text {lowmass } *} \sim M_{\text {highmass } *}
$$

For both models the IMF of the stars in the inner 5" should be very top heavy.

## Infalling cluster: comparison with models



Low mass stars are deposited at large R , while high mass stars at low R:

Consistent with both the maximum stellar disk mass and top-heavy IMF constraints, but only for nearly circular inspiral.|

## Star formation in a disk



Minimum M_disk ~ 5 x 10^3 M_sun:

Consistent with warping constraint of $\sim 2 \times 10^{\wedge} 4$ M_sun

## Top-heavy IMF in the disk?



- Gas accretion on embedded stars is very rapid.
- High gas densities favor high mass star formation (Bonell, Bate)
- Stellar feedback cannot expell gas and stop star formation in the disk.


## Comptonization of stellar radiation


$>$ Sgr A* X-luminosity has not varied much in 2002 (Baganoff, priv. comm), thus

Mdot ~ < 3 x 10^-7 Msun/year

(Nayakshin 2005b)

## AGN obscuration

$\pm$ Nayakshin





## Nayakshin 2005a

$$
\theta=45^{\circ}
$$

Side comment:
Such warped disks could be responsible for AGN obscuration (type I / type II division)

## Sgr A* feeding (previous work)

Melia 92, 94 used Bondi model to describe Sgr A* properties.
Coker \& Melia 97 used Zeus-3D with fixed stars; no radiative cooling.
Rokefeller et al. 04: same approach but SPH and more stars
Quataert 2004: sperically symmetric model.



## Sgr A* feeding (see Jorge Cuadra's poster)

there are also narrow line winds: cooling may be important
> Stars are locked into two rings
(thus angular momentum!!)


## Stars in two perpendicular rings

> Use Gadget-2 with BH modeled as a sink particle
$>$ Set $\sim 20$ stars on realistic circular orbits around BH
> Stars emit SPH particles to model winds
> Include radiative cooling


## Stars in two perpendicular rings

> Slow winds cool radiatively and form clumps, filaments and a disk
$>$ Inner arcsecond contains both hot and cold gas
> Accretion rate is highly variable in time.


## Stars in an isotropic cluster

> Results strongly depend on stellar orbits, mass outflow rates:
$>$ Need better observational constraints on the stellar winds.


Same stars but in an isotropic cluster

## Conclusions

$>$ Disk warping require initial stellar masses of $\sim 10^{\wedge} 4$ Msun
IMF of young stars should be dominated by high mass stars.
$>$ Both models pass the mass constraints, but the infalling cluster model is fine tuned (circular infall; very massive initial cluster)
$>\operatorname{Sgr} \mathrm{A}^{*}$ wind-fed accretion is two-phase and is highly variable on hundreds to a thousand years time scale.

