

ICREA & ICC-UB BARCELONA



http://icc.ub.edu/~liciaverde







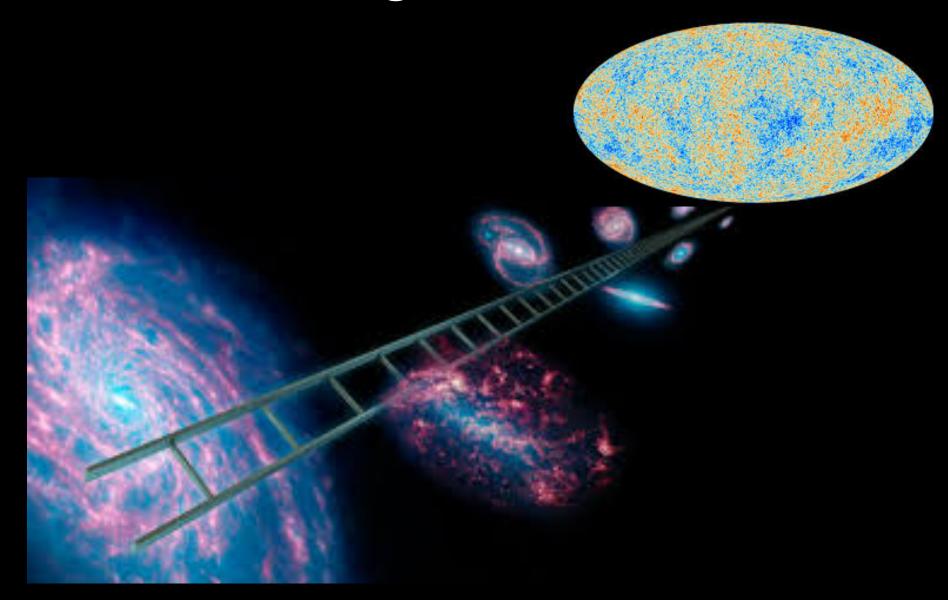




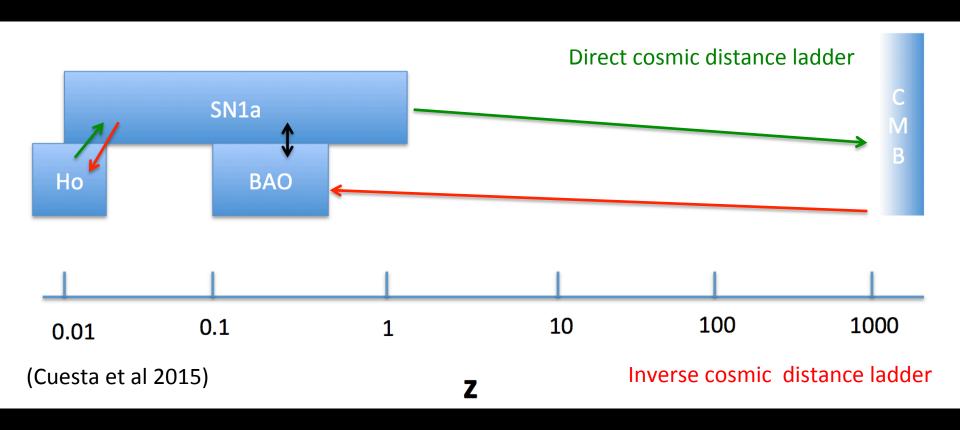


# What is early and what is late?

# The H0 game: E2E test



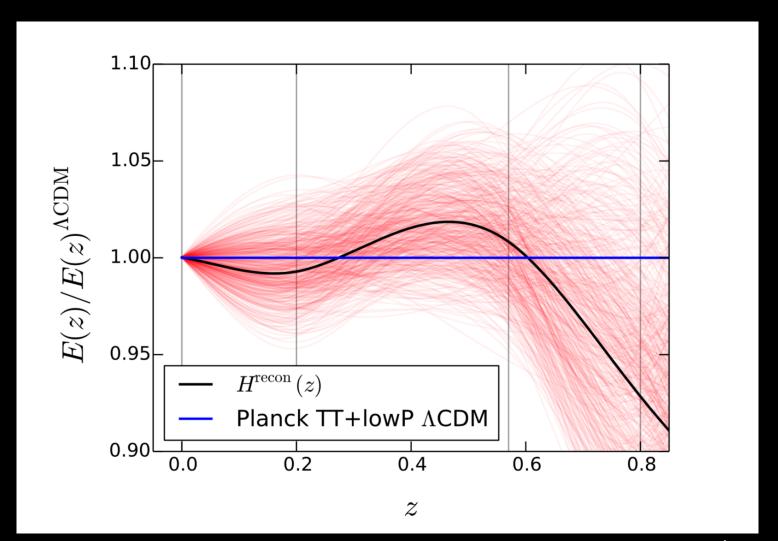
## At glance: direct and inverse distance ladder



H0: Direct measurement Low z anchor

rd, high z anchor

# The SHAPE of expansion history is well constrained



# Good ladders need 2 good anchor points



# What is early and what is late?

Early: CMB and pre-recombination physics

Late:  $z^0$  but can use z<1 if you are careful (e.g., BAO only relative distances, model-independent etc.)

And can use higher z if you spell out your assumtions

See philosophers of physics

What about other "things" that are not HO?

# Stellar ages: a tool to measure the expansion rate

 Absolute stellar ages (clocks) at z=0 provide an estimate of the current expansion rate.

$$H_0 = \frac{A}{t} \int_0^{z_t} \frac{1}{1+z} \left[ \Omega_{m,0} (1+z)^3 + (1-\Omega_{m,0}) (1+z)^{3(1+w)} \right]^{-1/2} dz$$

Relies on knowing other background cosmological parameters (or the expansion history "shape")

"The local and distant Universe, stellar ages and H0"

JCAP 2019 ,Jimenez, Cimatti, Verde, Moresco, Wandelt

# Stellar ages: a tool to measure the expansion rate

relative stellar ages (Chronometers) at z
 provide an estimate of the expansion rate at z

$$\delta t(z) \simeq \frac{\delta z}{H(z)(1+z)}$$

Relies on being able to estimate dt

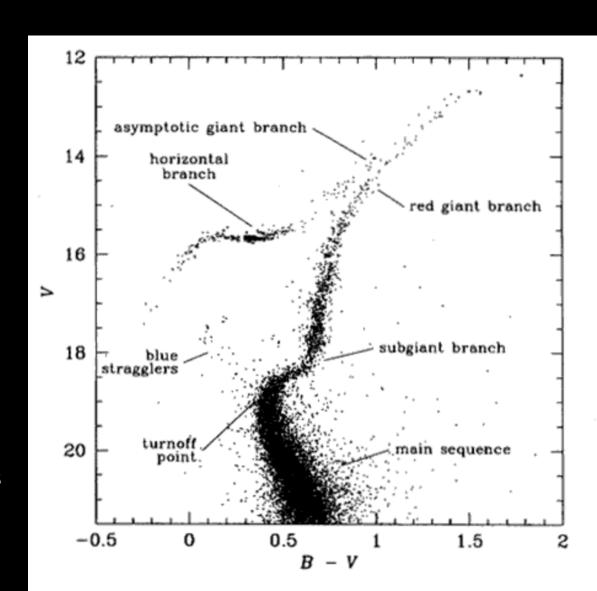
suite of papers on "Chronometers" since 2003 Jimenez, Moresco,, Cimatti, Verde



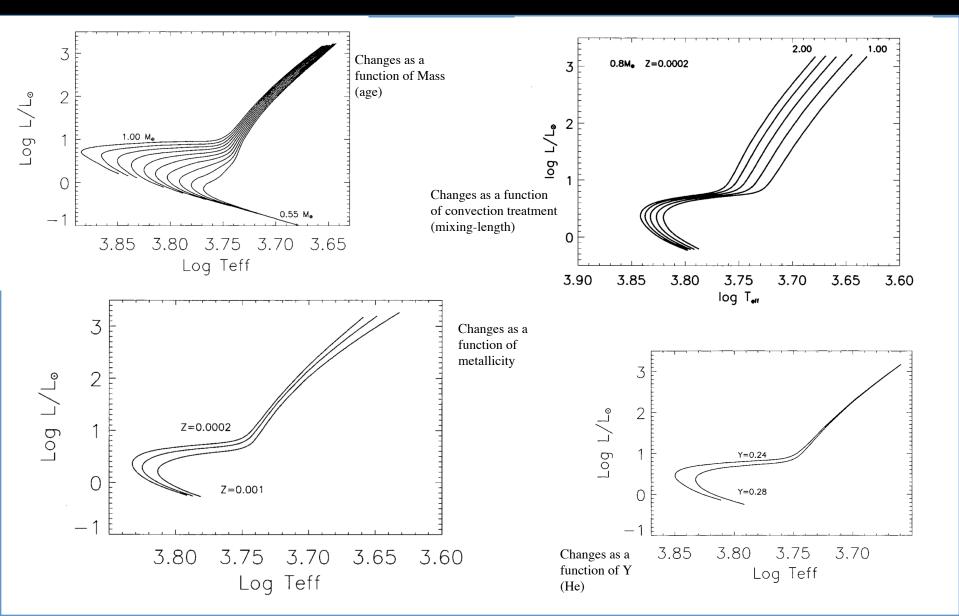
Globular Clusters have been for decades obvious places to estimate the age of the oldest stars



GC were very old (13.5 Gyr), even when common wisdom was H0~55 and CDM Universe (no Lambda)



However, the morphology of the HR diagram depends on a few physical parameters besides age: metallicity, Helium content, convection, alpha-enhancement elements and DISTANCE



# Include model uncertainties and vary all parameters at the same time Bayesian approach: standard MCMC (pioneered by Chaboyer and collab.)

TABLE 2
Monte Carlo Stellar Evolution Parameter Density Distributions

Parameter	Distribution	Standard	Type
He mass fraction $(Y)$ .	0.24725 - 0.24757	PLANCK Collaboration XVI (2014)	Uniform
Mixing length	1.00 - 1.70  ([Fe/H] < -1.00)	N/A	Uniform
	$1.20 - 1.90 \text{ ([Fe/H]} \ge -1.00)$	N/A	Uniform
Convective overshoot .	$0.0H_p$ - $0.2H_p$	N/A	Uniform
Atmospheric $T(\tau)$	33.3/33.3/33.3	Eddington (1926, p. 322) or	Trinary
		Krishna Swamy (1966) or	
		Hauschildt et al. (1999)	
Low- $T$ opacities	0.7 - 1.3	Ferguson et al. (2005)	Uniform
High-T opacities	$1.00\% \pm 3\% \ (T \ge 10^7 \ \text{K})$	Iglesias & Rogers (1996)	Gaussian
Diffusion coefficients	0.5 - 1.3	Thoul et al. (1994)	Uniform
$p + p \to H + e^+ + \nu_e^2$ .	$1\%\pm1\%$	Adelberger et al. (2011)	Gaussian
$^{3}\mathrm{He} + ^{3}\mathrm{He} \rightarrow ^{4}\mathrm{He} + 2p$	$1\% \pm 5\%$	Adelberger et al. (2011)	Gaussian
$^{3}\mathrm{He} + ^{4}\mathrm{He} \rightarrow ^{7}\mathrm{Be} + \gamma$ .	$1\%\pm2\%$	deBoer et al. (2014)	Gaussian
$^{12}C + p \rightarrow ^{13}N + \gamma \dots$	$1\%\pm36\%$	Xu et al. (2013)	Gaussian
$^{13}C + p \rightarrow ^{14}N + \gamma \dots$	$1\%\pm15\%$	Chakraborty et al. (2015)	Gaussian
$^{14}N + p \to ^{15}O + \gamma \dots$	$1\%\pm7\%$	Adelberger et al. (2011)	Gaussian
$^{16}O + p \to ^{17}F + \gamma \dots$	$1\%\pm16\%$	Adelberger et al. (1998)	Gaussian
Triple- $\alpha$ reaction rate.	$1\%\pm15\%$	Angulo et al. (1999)	Gaussian
Neutrino cooling rate.	$1\%\pm5\%$	Haft et al. (1994)	Gaussian
Conductive opacities	$1\%\pm20\%$	Hubbard & Lampe (1969) plus	Gaussian
		Canuto (1970)	

NOTE - As in Bjork & Chaboyer (2006), parameters below atmospheric  $T(\tau)$  are treated as multiplicative factors applied to standard tables and formulas.

#### Sanity check: relative ages (w/o distance uncertainties)

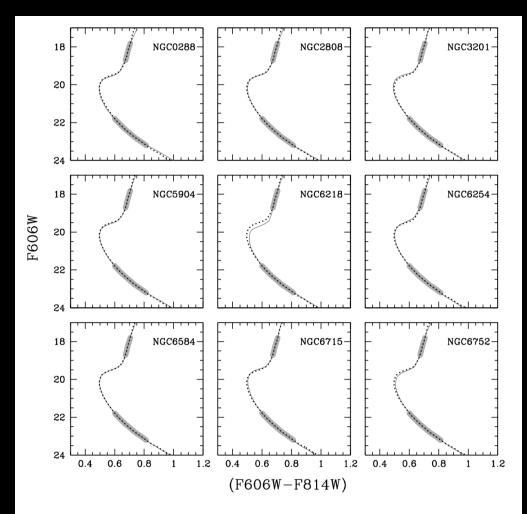


Fig. 3.— Examples of MS–fitting for the  $-1.3 \leq [Fe/H]_{\rm CG} < -1.1$  metallicity group. The reference cluster is NGC 6981 (dashed line). Each cluster MRL (solid line) has been fitted to the reference cluster in the magnitude intervals  $[(M_{\rm F606W}^{\rm TO}-2.5) < M_{\rm F606W} < (M_{\rm F606W}^{\rm TO}-1.5)]$  and  $[(M_{\rm F606W}^{\rm TO}+1.5) < M_{\rm F606W} < (M_{\rm F606W}^{\rm TO}+3.0)]$  (shaded regions).

This method provides relative ages to a formal precision of 2-7%.

We demonstrate that the calculated

We demonstrate that the calculated relative ages are independent of the choice of theoretical model.

Absolute stellar ages at z=0 provide an estimate of the current expansion rate.

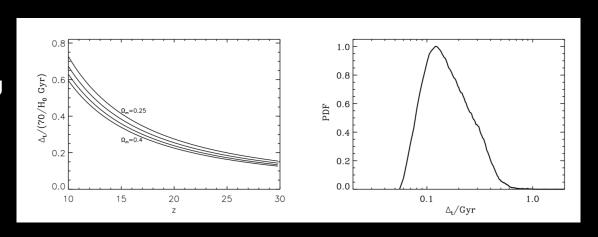
$$H_0 = \frac{A}{t} \int_0^{z_t} \frac{1}{1+z} \left[ \Omega_{m,0} (1+z)^3 + (1-\Omega_{m,0}) (1+z)^{3(1+w)} \right]^{-1/2} dz$$

Relies on knowing other background cosmological parameters (or the expansion history "shape")

Use zf=11 but using zf=8 does not change the results

Need also a way to connect t to tU

(the second step is not needed for H0 but for comparing with tU from CMB)



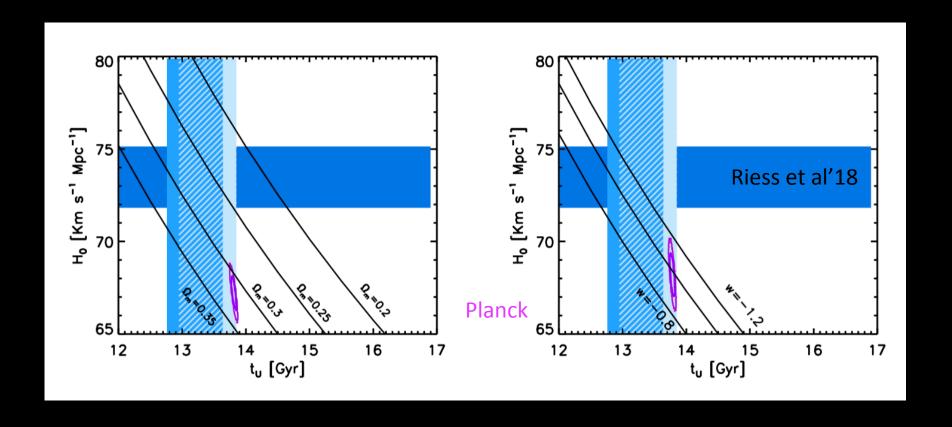
"The local and distant Universe, stellar ages and H0"

JCAP 2019 ,Jimenez, Cimatti, Verde, Moresco, Wandelt

# Two different things

- H0 (do not need tU, but need t<sub>\*</sub>)
- t<sub>∗</sub>→tU (then argument independent on H0)

#### Age of Oldest stars observed locally --> age of the Universe



very-low-metallicity stars

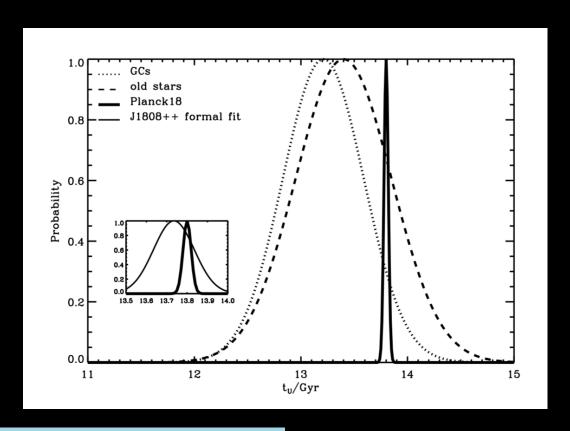
HD140283 (Bond et al 2013)

J18082002-5104378 A (Schlaufman et al 2018)

O'Malley et al '18 22 GC

Jimenez et al 2019

#### Age of Oldest stars observed locally --> age of the Universe



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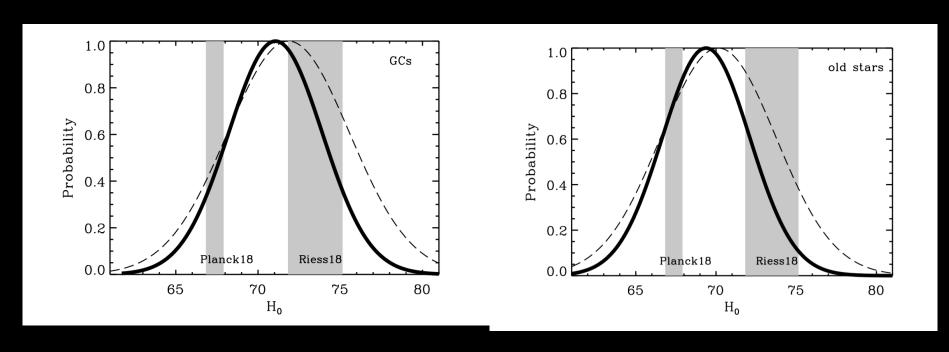
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O'Malley et al '18 22 GC

Jimenez et al 2019

### PROOF OF PRINCIPLE

With a late-time estimate of matter density...

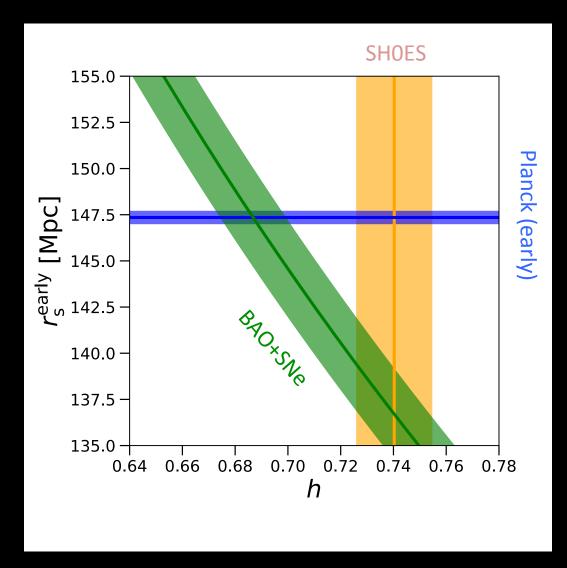


Standard analysis must be improved

"The local and distant Universe, stellar ages and H0"

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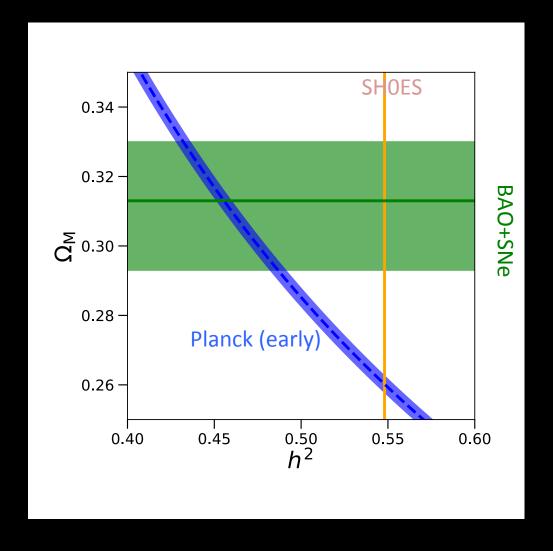
## In a $\Lambda$ CDM model



Verde Bellini et al 2017

## Moreover in a LCDM model....

Early: high Late: low  $\Omega_{
m m}$ 

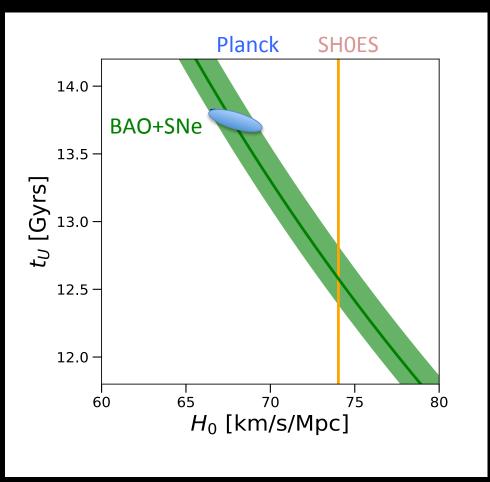


## **PRELIMINARY**

Age of the Universe from re-analysis of Globular clusters ages. Marginalize over: metalicity, absorption, He fraction distance, AND models (MIST, Dartmouth, Padova)

Early: high t<sub>0</sub> Late: low t<sub>0</sub>

?

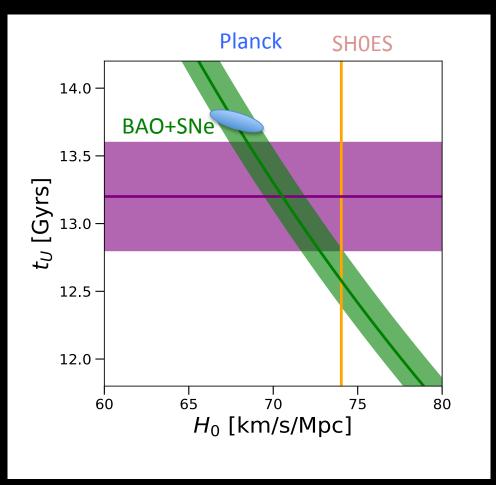


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Early: high t<sub>0</sub> Late: low t<sub>0</sub>

?



GC ("blinded")

### Probes of the expansion history

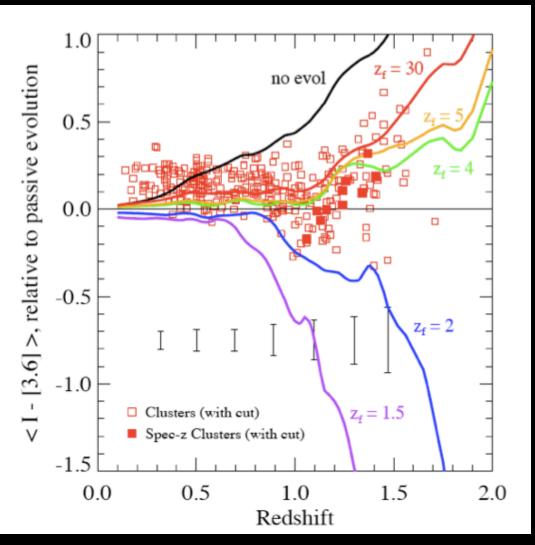
Some old elliptical galaxies have stellar populations well described by a single age

$$\delta t(z) \simeq \frac{\delta z}{H(z)(1+z)}$$

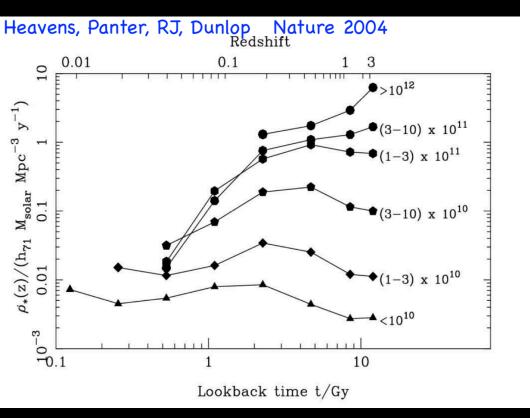
Simon et al. 2005, Stern et al. 2010, Moresco et al. 2012, 2015, 2016

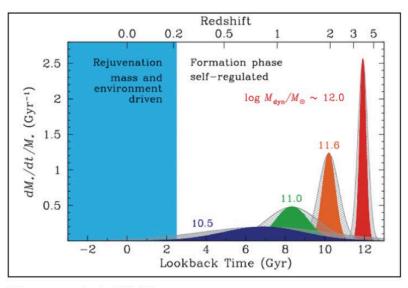
# Passively evolving old systems

- I 5% of local, bright ellipticals show "frosting" of recent (< I Gyr) star formation
- only I-2% by mass
- "downsizing": less frosting in most massive galaxies



These old, massive, red and dead galaxies do not have extended star formation histories. Downsizing.

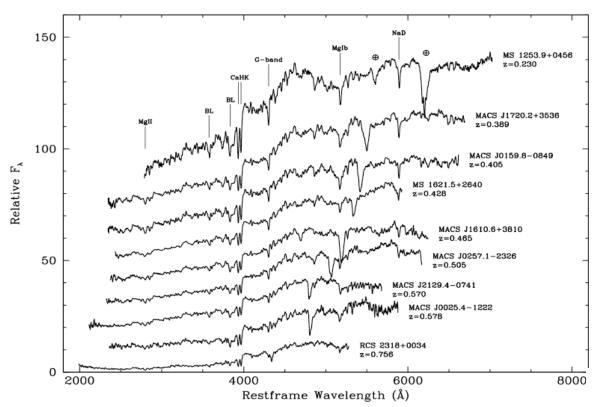


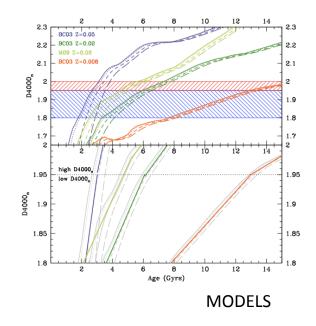


Thomas et al. (2010)

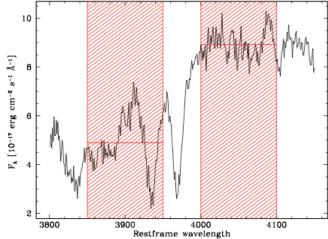
Curves offset vertically for clarity

### Relative aging of galaxies using D4000 break





$$H(z) = -\frac{A}{1+z} \frac{dz}{dD4000_n}$$



Moresco, Jimenez, Cimatti, Pozzetti JCAP (2010)

## Relative aging of galaxies

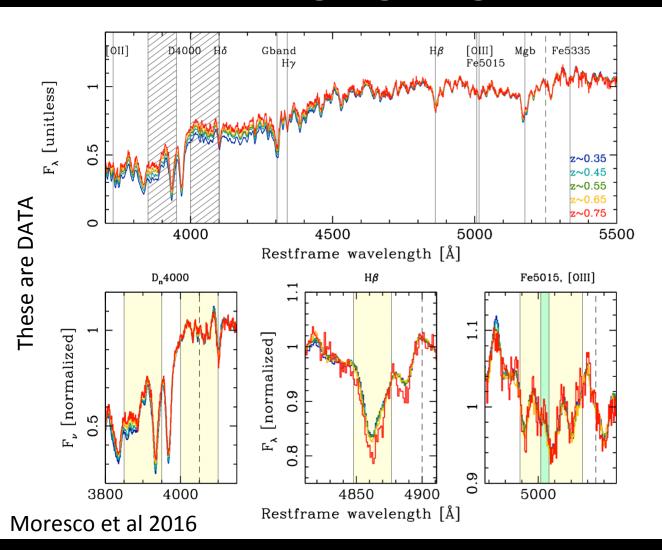


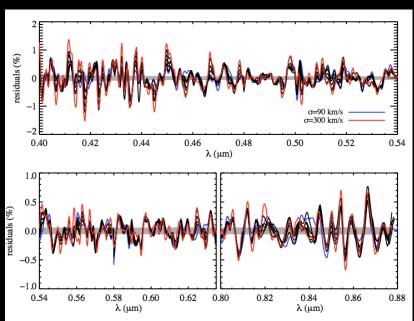
TABLE 6					
METALLICITY SENSITIVITIES					
Index	$\left(\frac{\Delta \text{age/age}}{\Delta Z/Z}\right)_{t}$				
Index  U - V B - V V - R <sub>C</sub> V - I <sub>C</sub> V - J V - K J - H J - K J - L J - L J - L J - M 01 CN <sub>1</sub> 02 CN <sub>2</sub> 03 Ca4227 04 G4300 05 Fe4383 06 Ca44455 07 Fe4531 08 Fe4668 09 Hβ 10 Fe5015 11 Mg <sub>1</sub> 12 Mg <sub>2</sub> 13 Mg b 14 Fe5270 15 Fe5335 16 Fe5406 17 Fe5709 18 Fe5782 19 Na D 20 TiO <sub>1</sub> 21 TiO <sub>2</sub>	1.5 1.4 1.3 1.4 1.9 1.9 1.7 1.9 1.8 1.8 1.7 1.9 2.1 1.5 1.0 1.9 2.0 1.9 2.0 1.9 4.9 0.6 4.0 1.8 1.8 1.7 2.3 2.8 2.5 6.5 5.1 2.1 1.5 2.5				
D(4000)  Worthey 1994; Lick in	1.3 ndices				

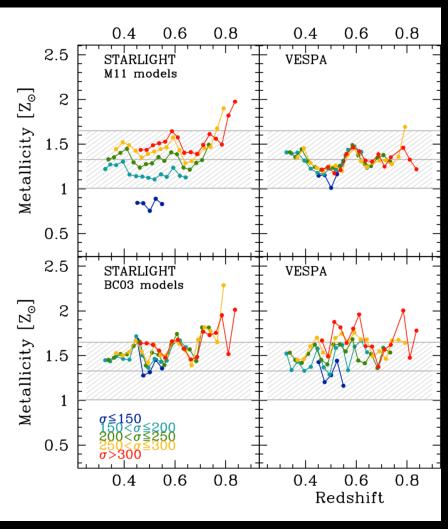
H $\beta$  is the Lick index least sensitive to metallicity: tracks age. While Fe5015 tracks metallicity. High-z galaxies are younger, while all galaxies have same metallicity.

Full Spectral fitting gives an excellent estimate of the metallicity for the selected passively evolving galaxies. Also, formal fits are excellent with current stellar models.

From Moresco et al. 2016

Current models DO provide formal fits to data From Conroy et al. 2013

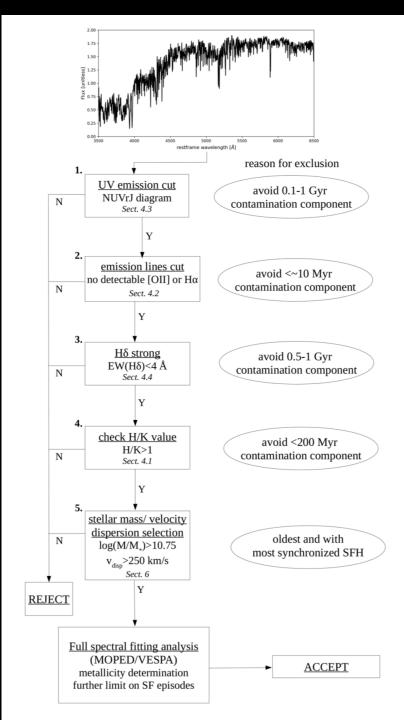




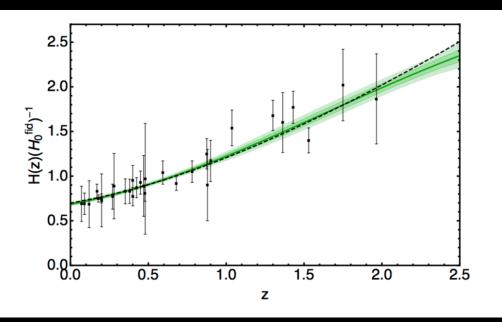
They not only fit for age and metallicity BUT ALSO FOR ALL SINGLE ELEMENT ABUNDANCES! (for stacked SDSS spectra)

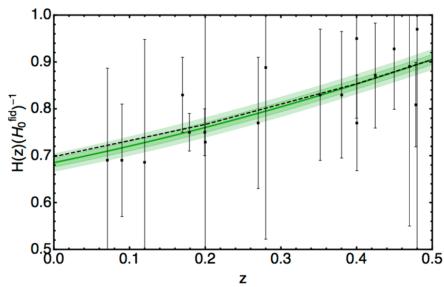
#### Selection is key

Workflow to select cosmic chronometers



### Reconstructed expansion history with chronometers





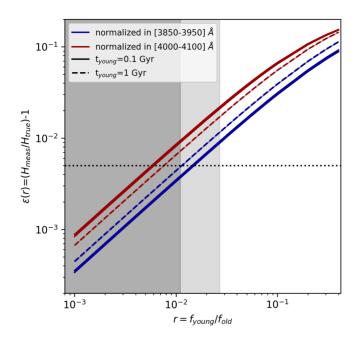
#### Haridasu et al. 2018

tion of expansion rate data. We also utilised our method to account for systematics in CC data and find an estimate of  $H_0 = 68.52^{+0.94+2.51(sys)}_{-0.94}$  km/s Mpc<sup>-1</sup> and a corresponding  $r_d = 145.61^{+2.82}_{-2.82-4.3(sys)}$  Mpc as our primary result. Subsequently, we find constraints on the present deceleration parameter

CHETOT	# of coloring	redshift range	mass rango	Ref.
survey	# of galaxies		mass range	
SDSS-DR6 MGS	7943	0.15 - 0.23	$10^{11}-10^{11.5}\mathcal{M}_{\odot}$	[7]
SDSS-DR7 LRGs	2459	0.3 - 0.4	$10^{11.65}-10^{12.15}\mathcal{M}_{\odot}$	[35]
Stern et al. sample	9*	0.38 - 0.75	-	[12]
zCOSMOS 20 $k$	746	0.43 - 1.2	$10^{10.6}-10^{11.8}\mathcal{M}_{\odot}$	[38]
K20	50	0.26 - 1.16	$10^{10.6}-10^{11.8}\mathcal{M}_{\odot}$	[41]
GOODS-S	46	0.67 - 1.35	$10^{10.6}-10^{11.5}\mathcal{M}_{\odot}$	[43]
Cluster BCG	5	0.83 - 1.24	$10^{11} - 10^{11.3}$	[49-51]
GDDS	16	0.91 - 1.13	$10^{10.6}-10^{11.3}\mathcal{M}_{\odot}$	[53]
UDS	50	1.02 - 1.33	$10^{10.6} - 10^{11.6} \mathcal{M}_{\odot}$	[56]
High-z sample	3	1.8 - 2.2	$10^{11} - 10^{11.4} \mathcal{M}_{\odot}$	[60–62]

#### Next steps

#### Significant effort devoted to constrain and quantify systematic uncertainties for chronometers



#### Computing the Full Cov Matrix

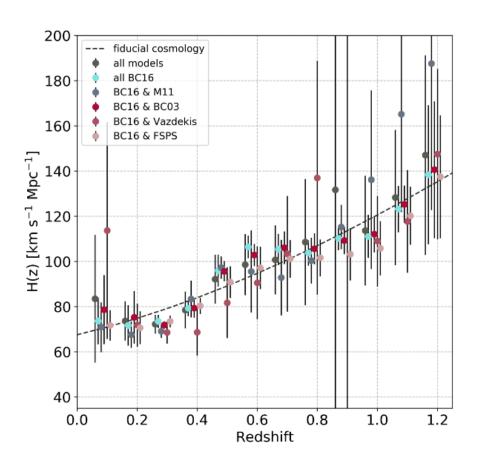
$$Cov_{ij}^{tot} = Cov_{ij}^{stat} + Cov_{ij}^{young} + Cov_{ij}^{model} + Cov_{ij}^{met}$$

$$Cov_{ij}^{young} = H_{true}(z_1)H_{true}(z_2)\epsilon(r(z_1))\epsilon(r(z_2))$$

where  $\epsilon(r)$  is the percentage variation of dDn4000 as a function of the young component fraction r, namely  $(1-\alpha)-1$  where  $\alpha$  is the slope of the relations in Fig. 6. We note that formally r=r(z), since the contamination due to a young component could be different depending on the couple of points used to estimate H(z); the only assumption we make here is that r is constant between the two redshifts considered to provide one H(z) measurement

$$\frac{H(z)_{meas}}{H(z)_{true}} = \frac{dD_n 4000_{true}}{dD_n 4000_{meas}} = 1 + \epsilon(r)$$

Significant effort devoted to constraint systematic uncertainties for chronometers: estimate of the covariance given by systematics of the model.



#### **SUMMARY**

In the early vs late approach we should look at quantities beyond H0

I mentioned tU

 $\Omega \mathsf{m}$ 

 $t^* \rightarrow H0 \text{ via } \Omega m$ 

Chronometers- $\rightarrow$  H(z)