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The Hubble Constant and the Cosmic Microwave Background

Lloyd Knox UC Davis

https://arxiv.org/abs/1811.00537 and ApJ Sounds Discordant: Classical Distance Ladder and ACDMbased Determinations of the Cosmological Sound Horizon





Kevin Aylor Mackenzie Joy Marius Millea Srini Raghunathan Kimmy Wu LK

The Hubble Hunter's Guide in preparation LK and Marius Millea

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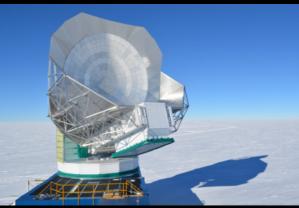
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Aylor + SPT, (2017), Hou + SPT (2018)

Planck PIP LI (2018)

Main Messages

- 1. Systematic errors in CMB data are not a possible route out of our current discord.
- 2. Model changes away from LCDM are very tightly constrained by CMB measurements.
- 3. There are some (weak) inconsistencies internal to CMB data, interpreted with LCDM. Speculation: One in particular is due to the presence of additional components that lower the sound horizon.

Outline

- Why have we learned so much from the CMB?
- CMB Measurements are consistent
- LCDM predictions for CMB measurements
- A related tension: the sound horizon
 - Distance Ladder vs. LCDM sound horizon inferences
- How LCDM + CMB ==> H_0
 - Including how LCDM + CMB ==> $\,\omega_{
 m m}\equiv\Omega_{
 m m}h^{2}$
- Cosmological Solutions
- The value of CMB observations to come

Why has CMB been so valuable?

- Statistical properties of CMB maps are calculable given a model (perturbation theory is highly accurate)
- **Rich** phenomena (TT, TE, EE, BB power spectra with rich features, and non-Gaussianity induced by lensing)
- **Measurable** (demonstrated levels of sensitivity, systematic error control, foreground contamination control)

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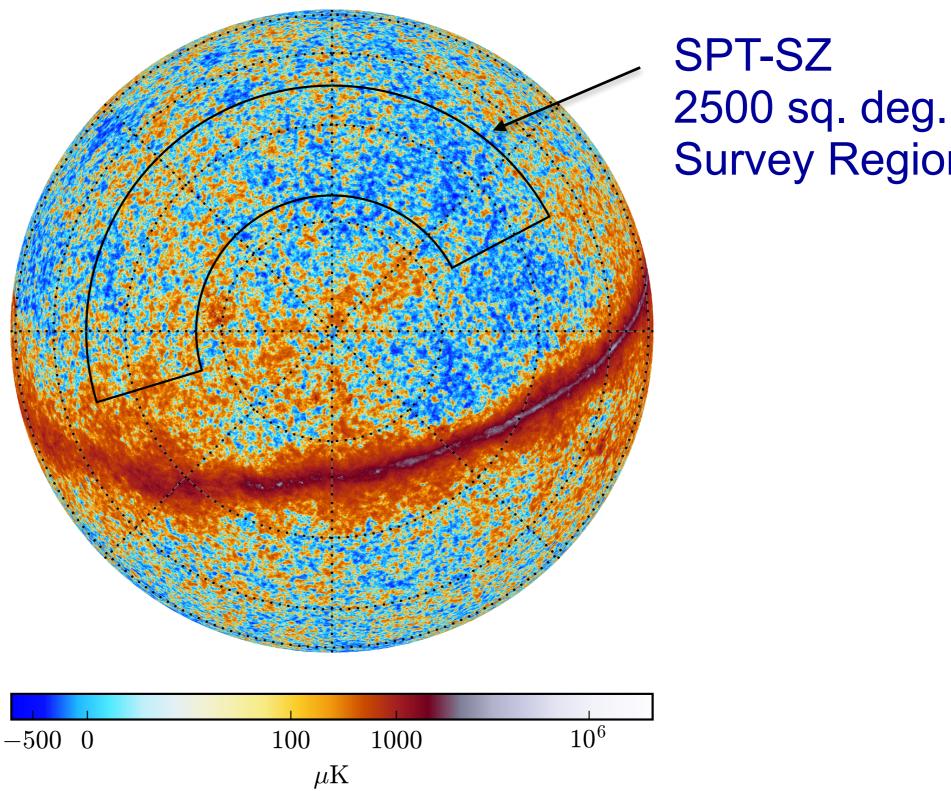
Planck and SPT

Hou et al. 2018 Aylor et al. 2017

More in Kimmy Wu's talk this p.m.

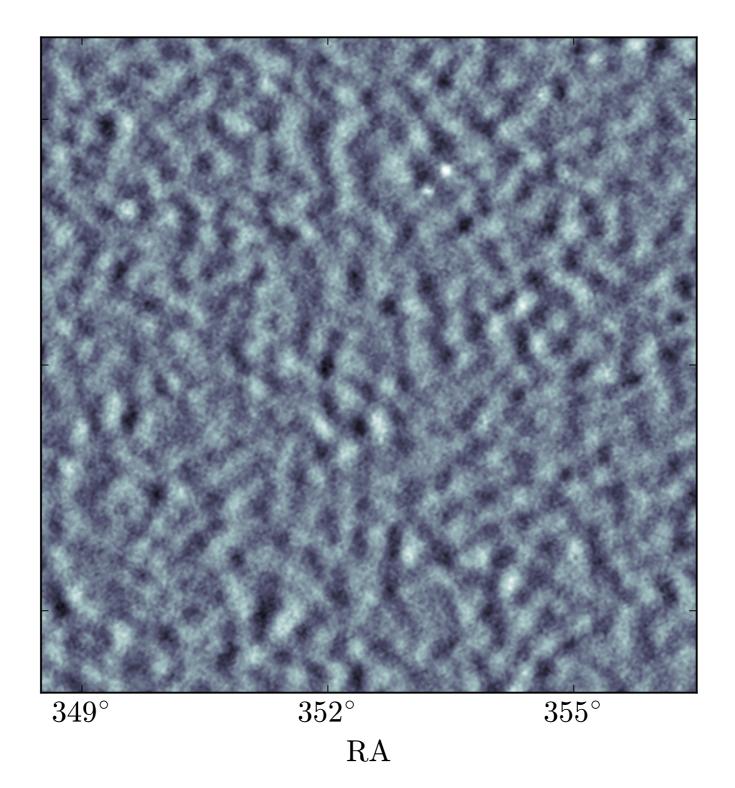
SPT-SZ

Survey Region



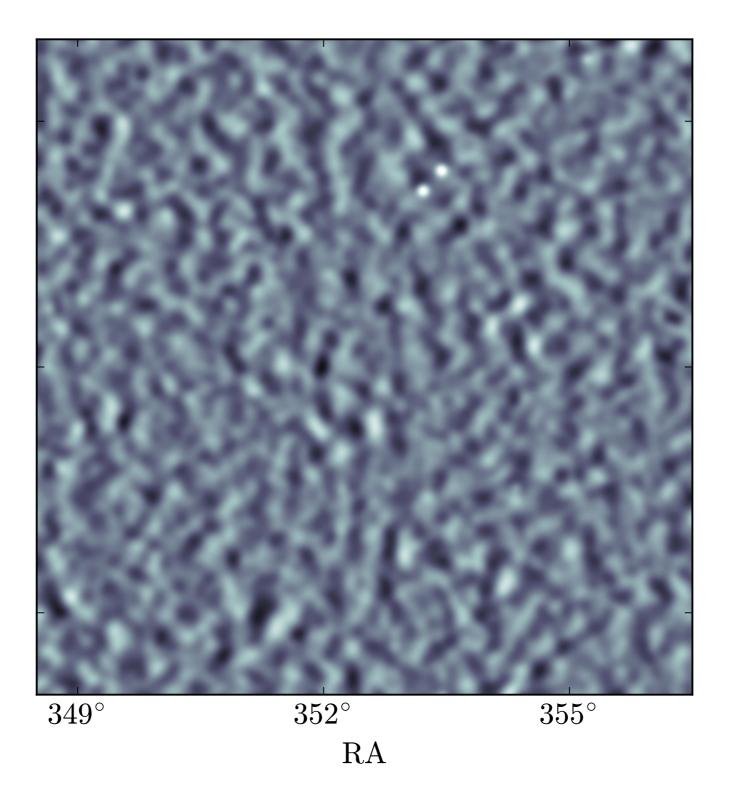
Planck 143 GHz map centered on South Celestial Pole

Planck 143 GHZ Filtered

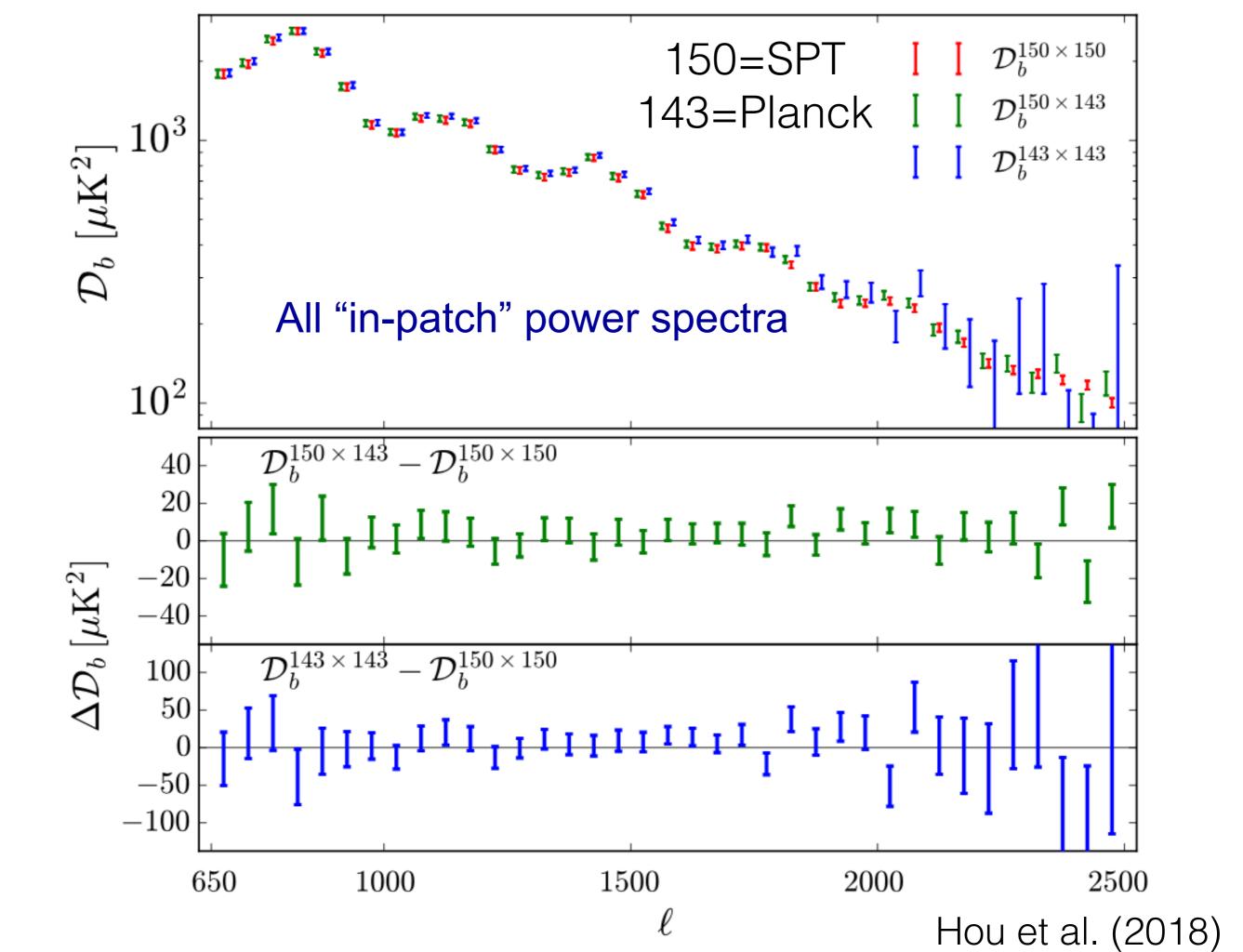


Hou et al. (2018)

SPT 150 GHZ Smoothed



Hou et al. (2018)

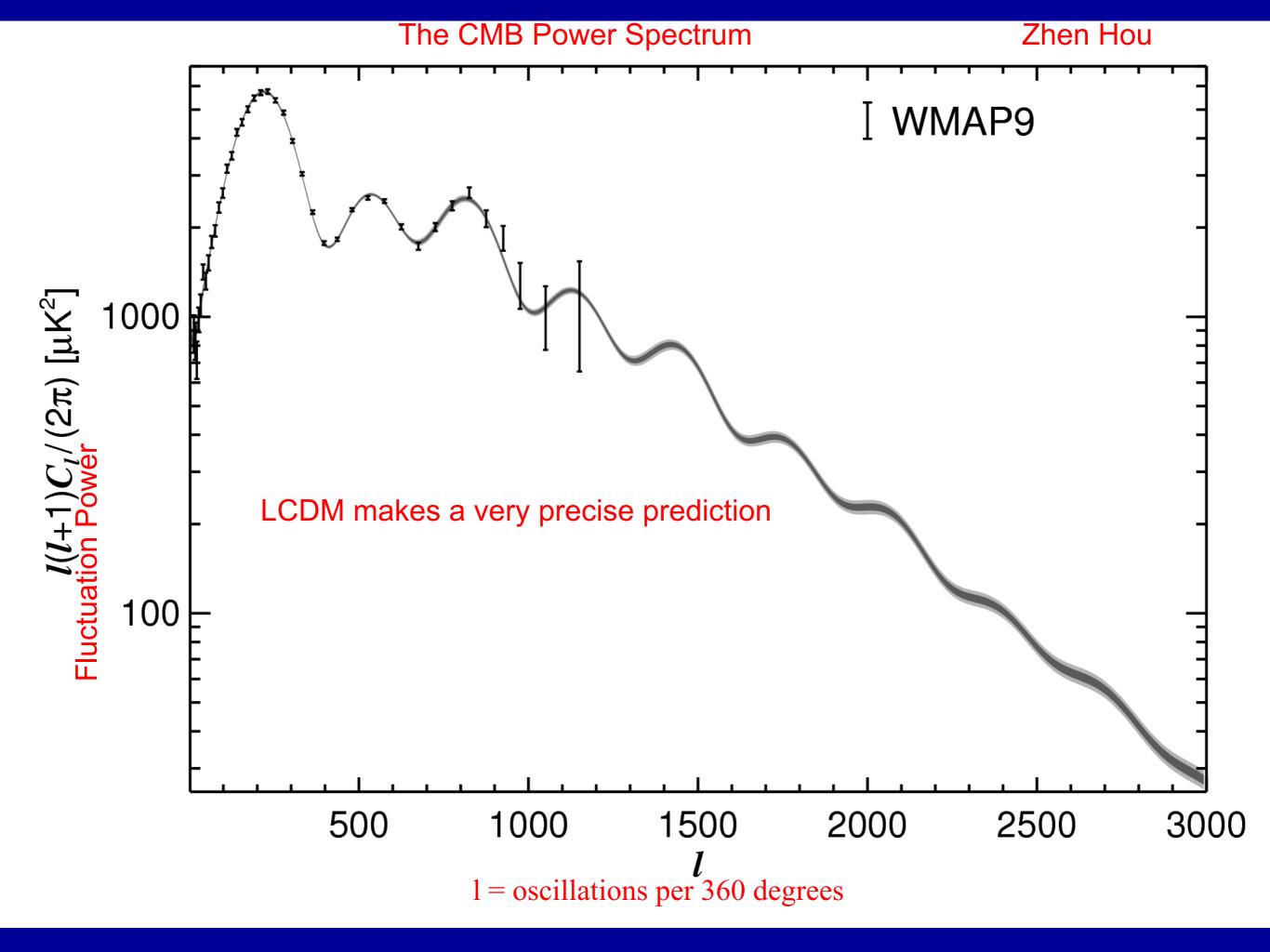


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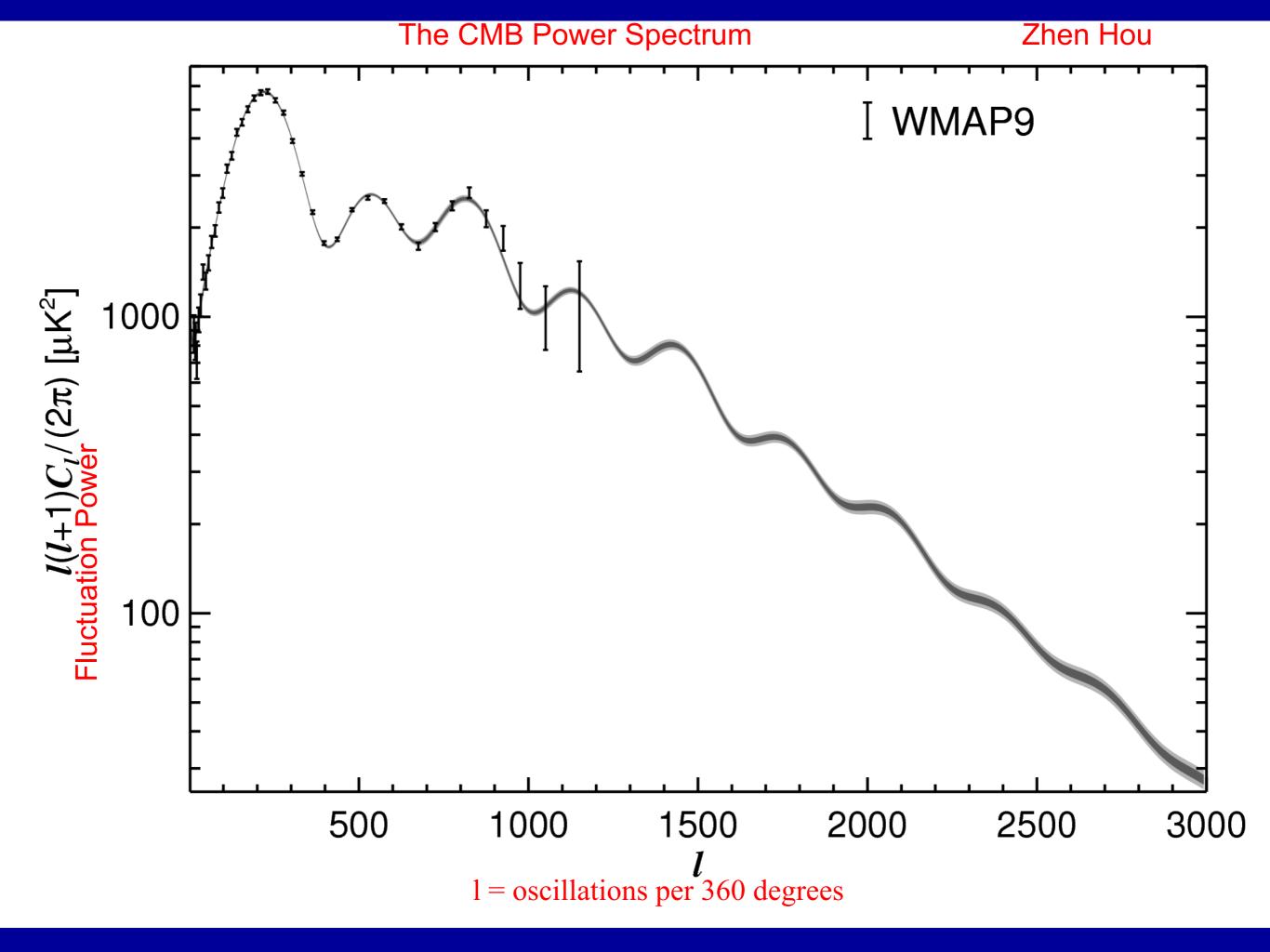
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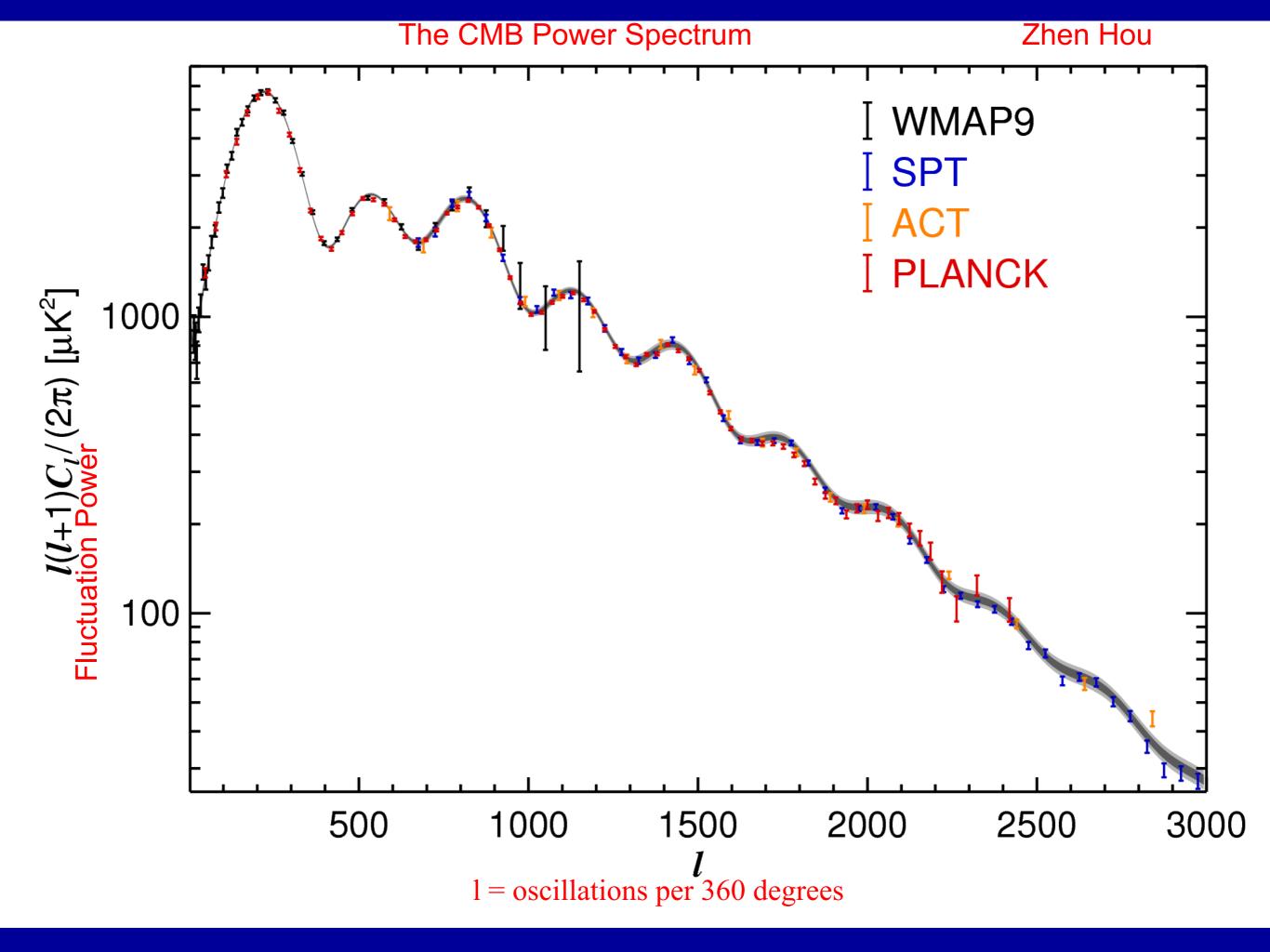
The LCDM Model is a Highly Predictive and Empirically Successful Model

Low ell TT ==predicts==> High ell TT



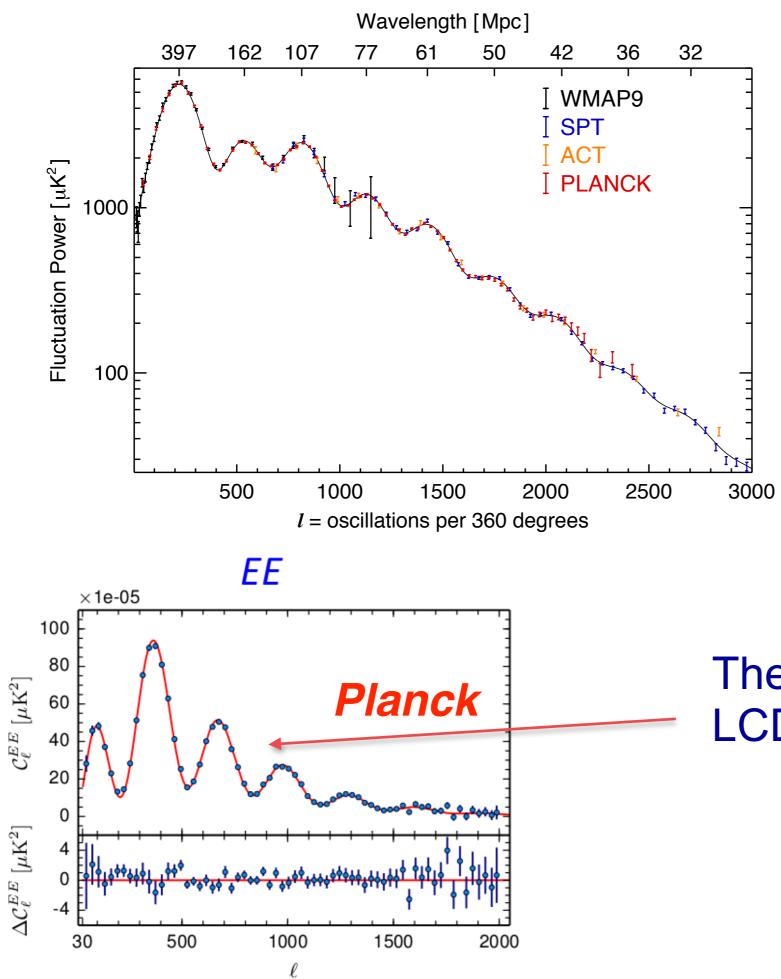
 $\Omega_b h^2, \Omega_m h^2, \Omega_\Lambda(H_0)$ A_S, n_S Prediction of the standard cosmological model (68% and 95% confidence regions) 2500 1000 500300 50





The LCDM Model is a Highly Predictive and Empirically Successful Model

Low ell TT ==predicts==> High ell TT



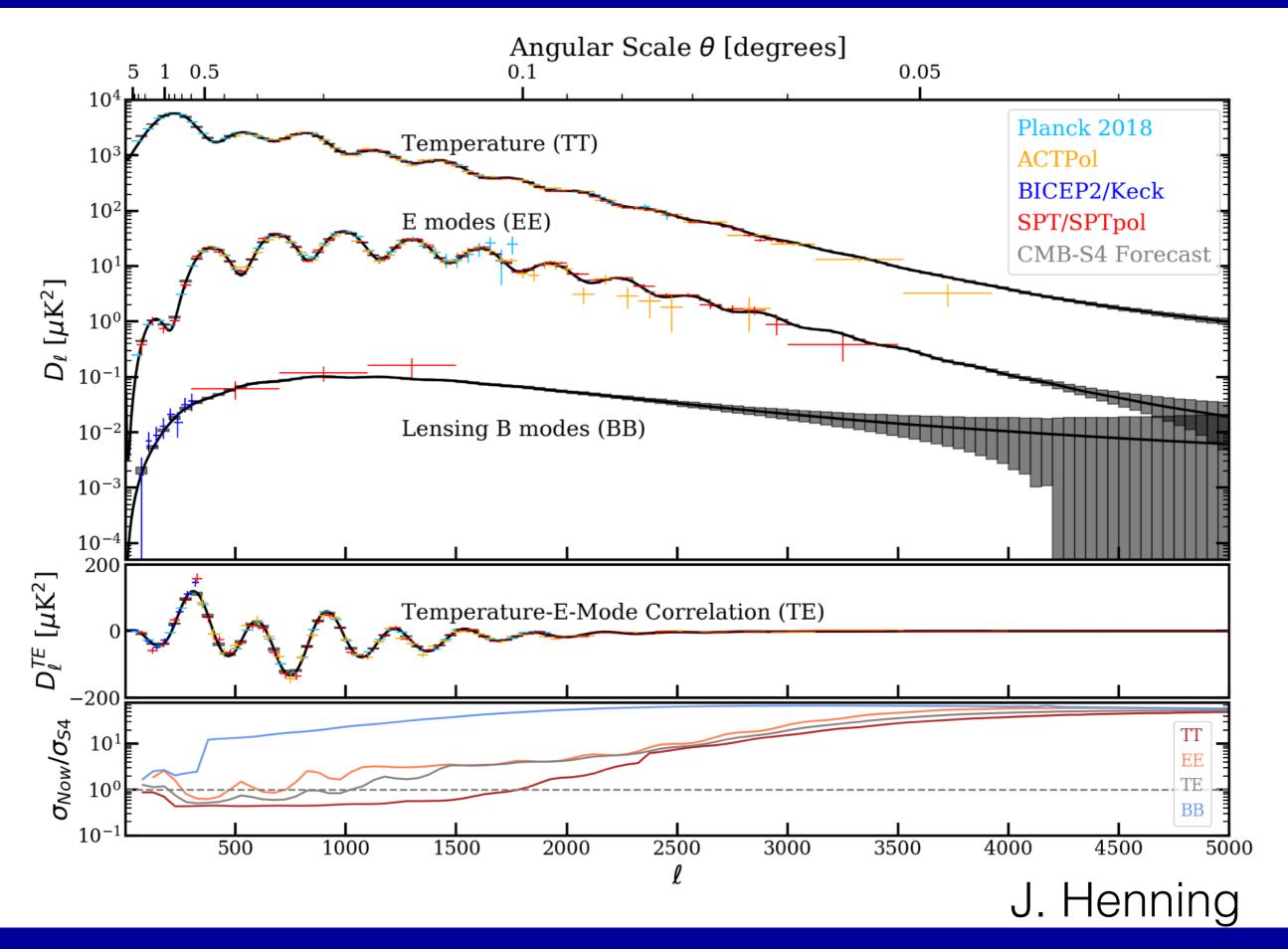
Theory curve is best-fit LCDM model to Planck TT.

The LCDM Model is a Highly Predictive Model

Low ell TT ==predicts==> High ell TT TT ==predicts==> EE (and TE, not shown)

TT ==predicts==> BB

Summary of Current Measurements (+CMB-S4 Forecasts)

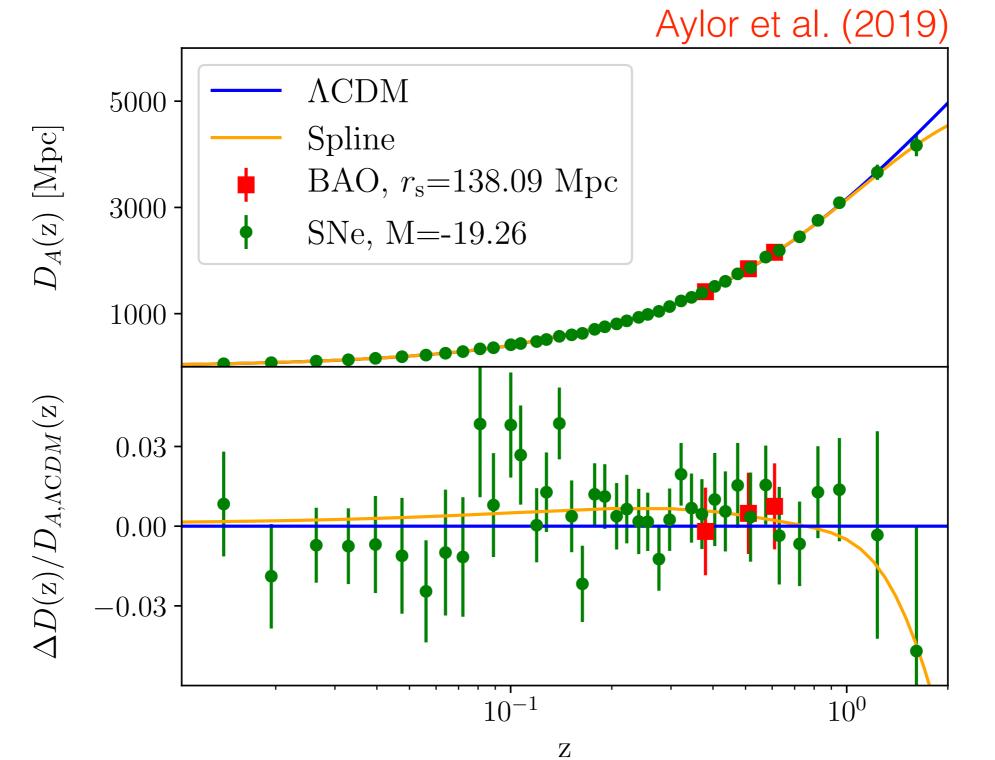


Outline

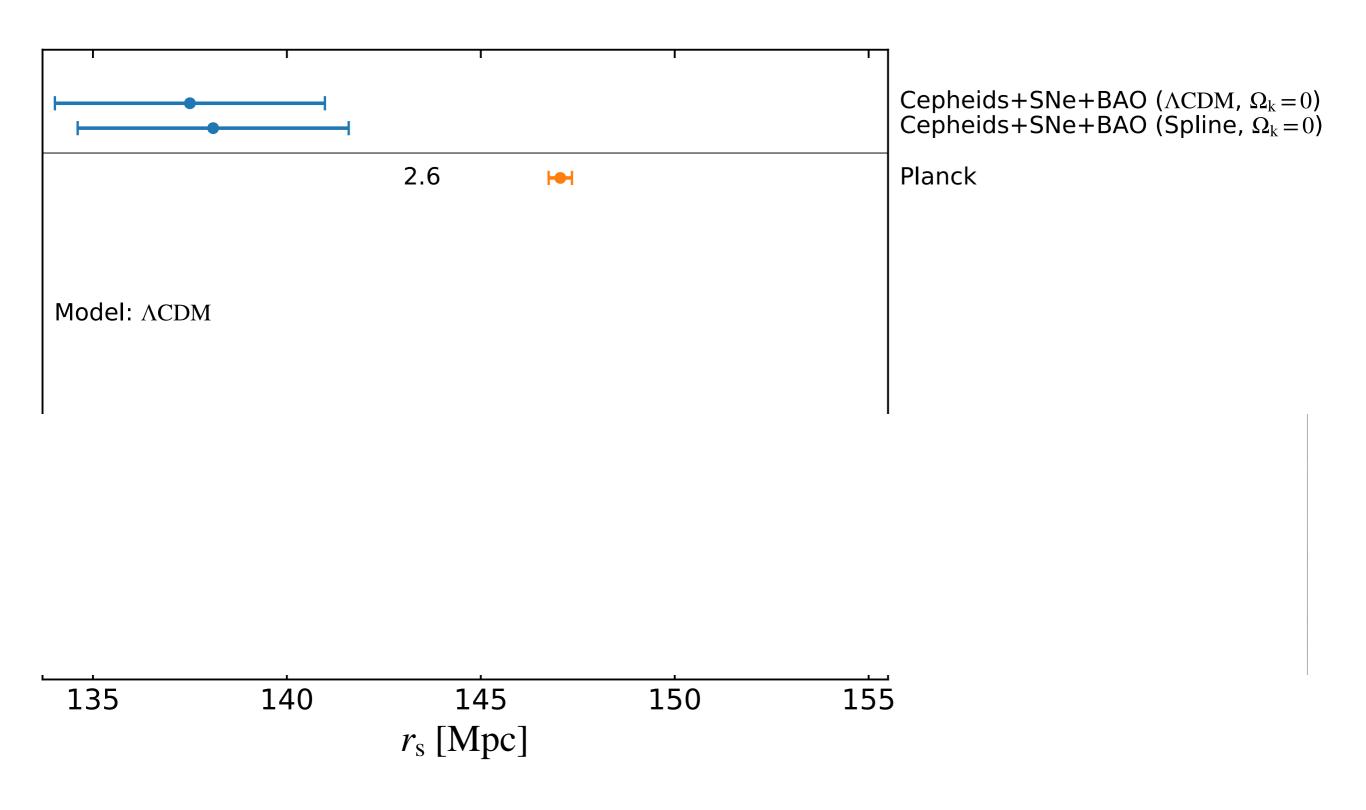
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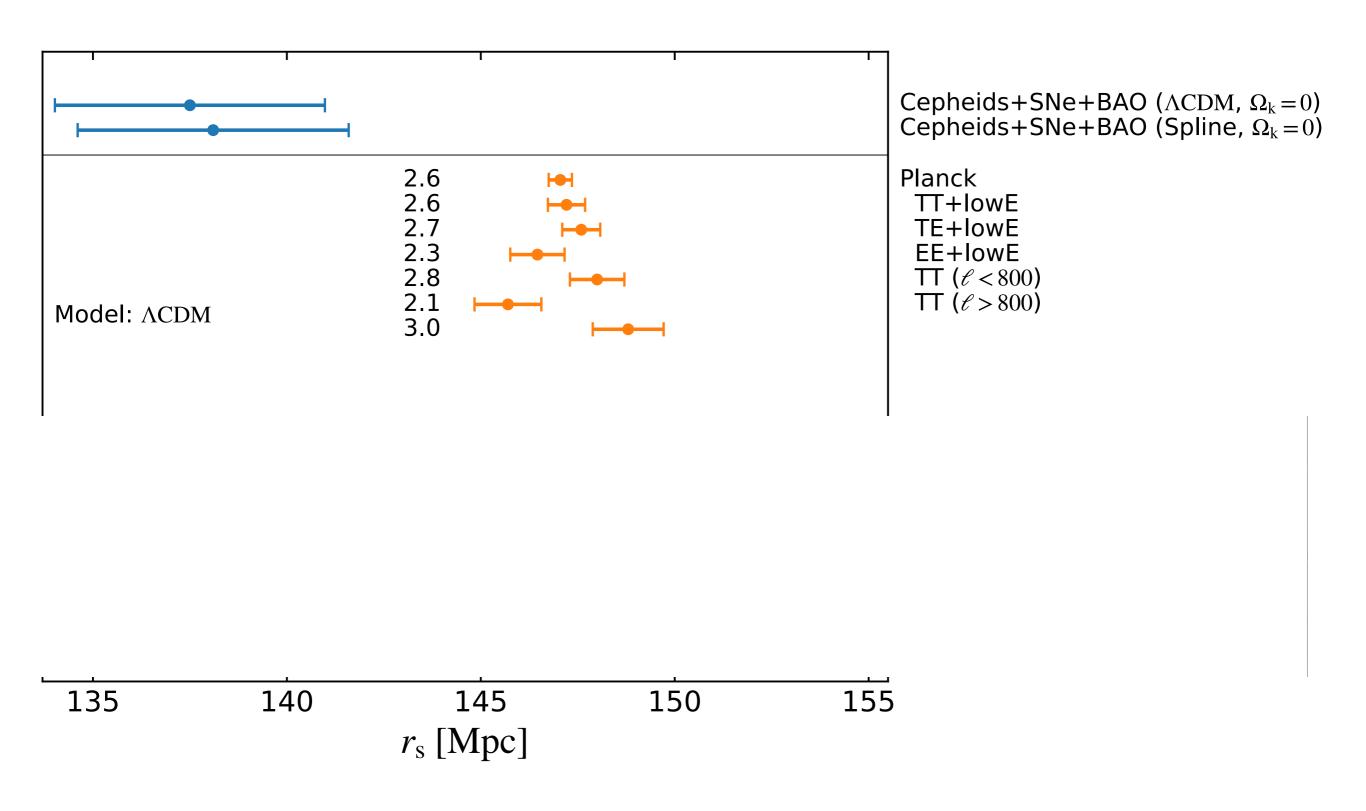
Using Cepheid-calibrated supernovae to determine the sound horizon

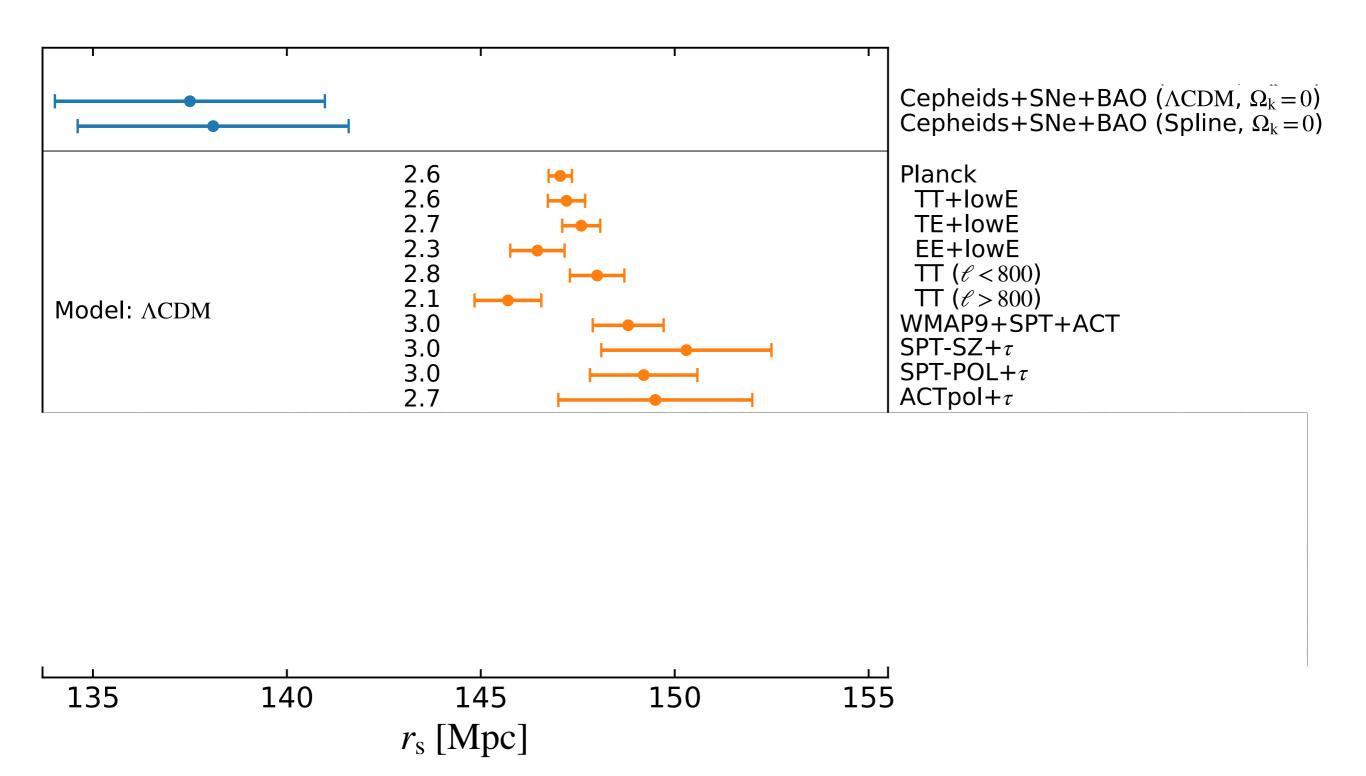
SNe=Pantheon (Scolnic et al. 2018), cal. by R18: $H_0 = 73.52 \pm 1.62 \text{ km/sec/Mpc}$ BAO = BOSS galaxy BAO (Alam et al. 2017)

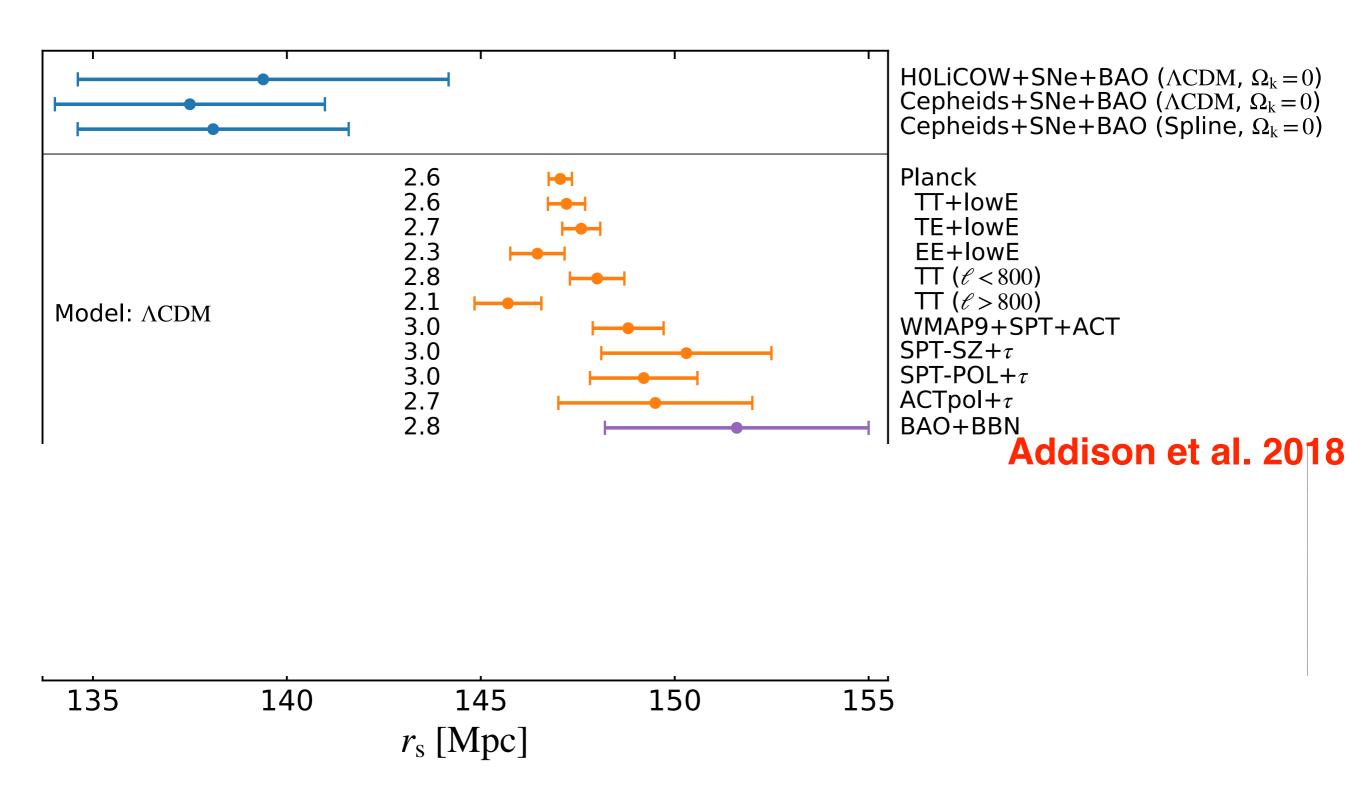


See also Bernal, Verde, and Riess 2016, Verde et al. 2017









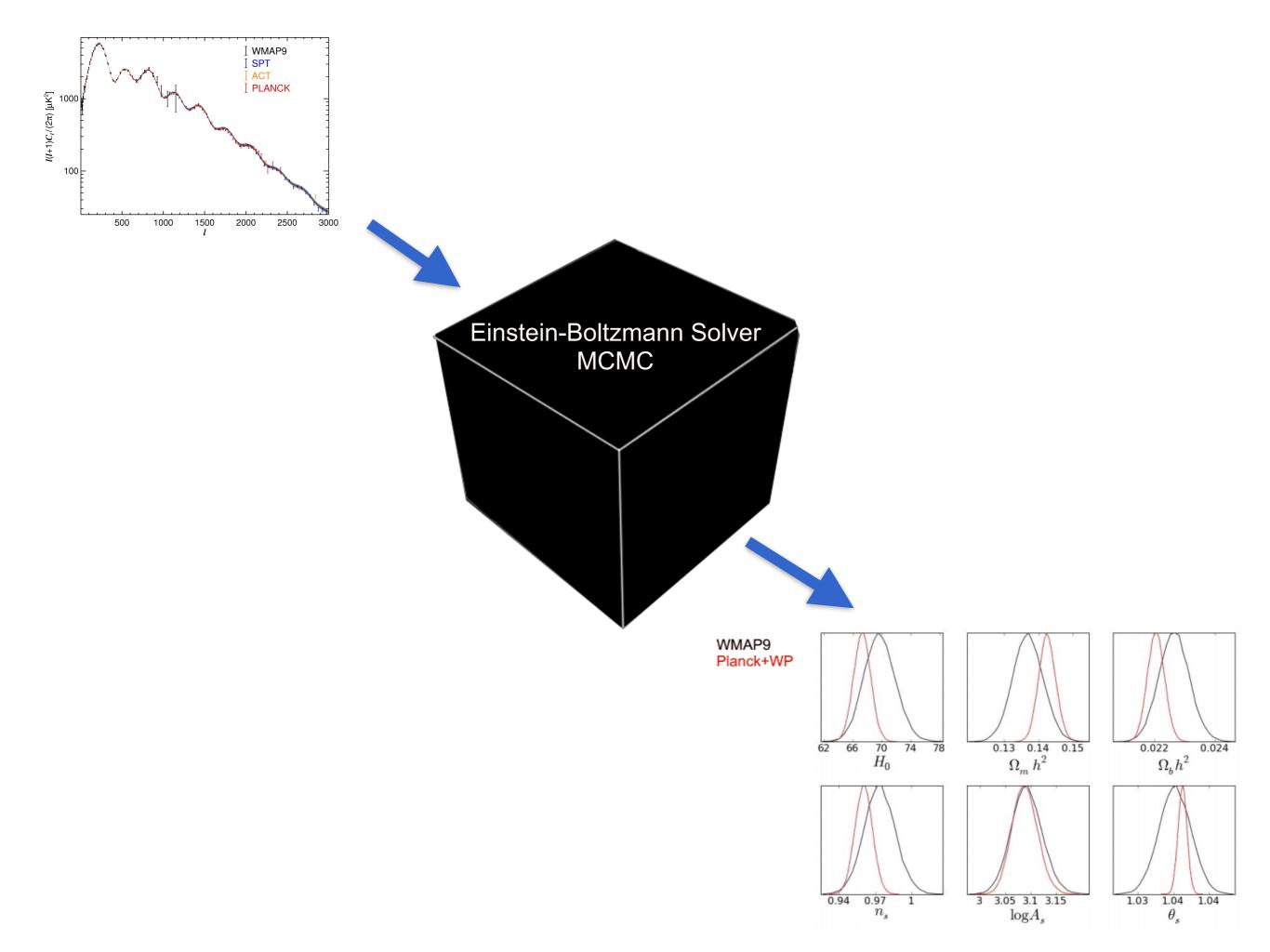
Hubble Hunter's Guide (M. Millea + LK, in prep) 0.40 3.5 left axis right axis sound horizon (r_s) $N_{\rm eff}\,{=}\,3.7$ 0.35 damping scale (r_d) Agrawal et al. 2019 3.0 0.30 $-\delta ln r_x/\delta ln H(lnz)$ 0.25 📎 0.20 0.15 1.0 0.10 0.5 0.05 0.0 0.00 10² 10³ 10⁴ \mathcal{Z} Additional components must be important in this, interval if they are to reduce the sound horizon (Aylor et al. 2019)

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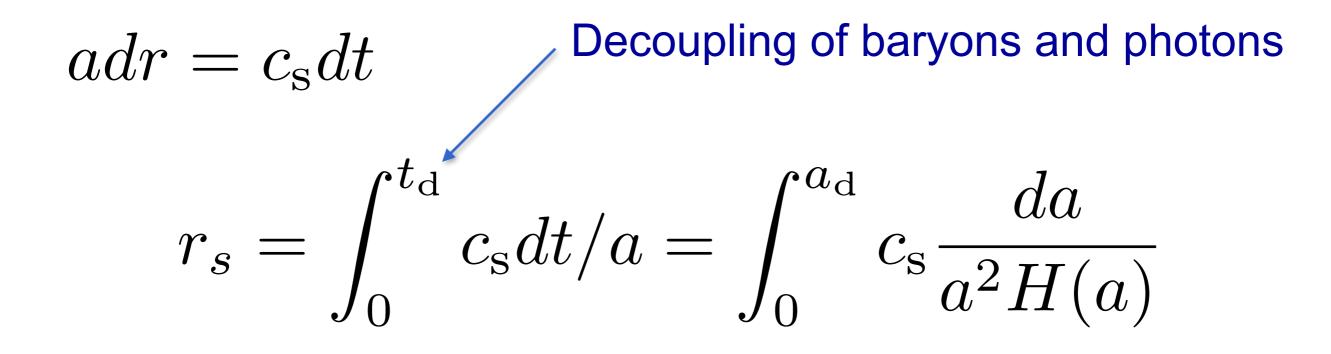
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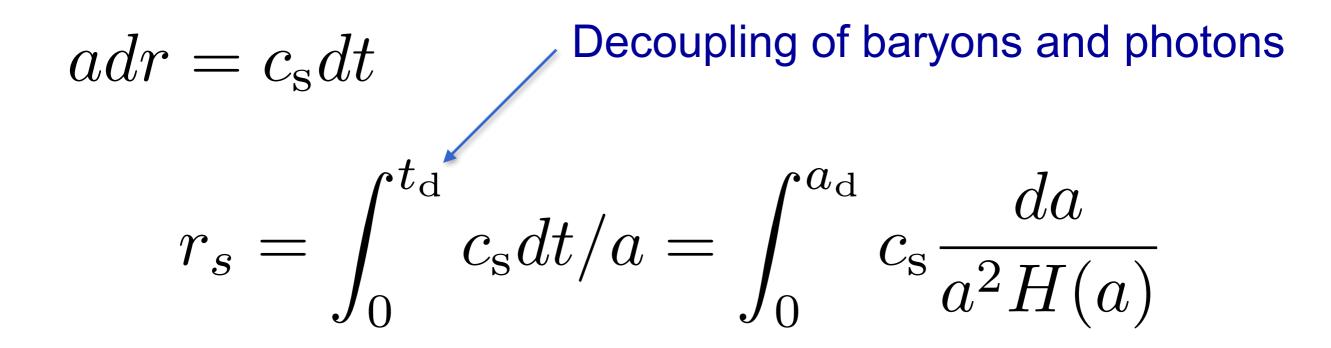
Determining H₀ from CMB Data in 3 steps Step 1: Calibrating a Standard Ruler

$$adr = c_{\rm s}dt$$

Determining H₀ from CMB Data in 3 steps Step 1: Calibrating a Standard Ruler



Determining H₀ from CMB Data in 3 steps Step 1: Calibrating a Standard Ruler

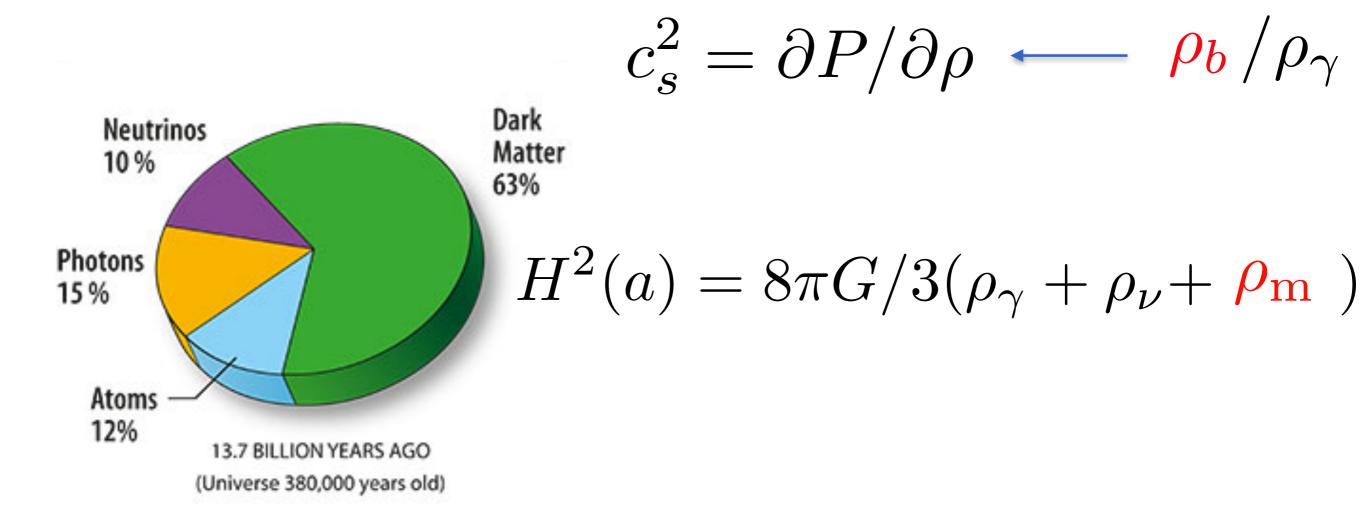


Need to know $c_s(a)$ and H(a) to calibrate the ruler.

Determining H₀ from CMB Data Step 1: Calibrating a Standard Ruler

$$r_{s} = \int_{0}^{t_{\rm d}} c_{\rm s} dt / a = \int_{0}^{a_{\rm d}} c_{\rm s} \frac{da}{a^{2} H(a)}$$

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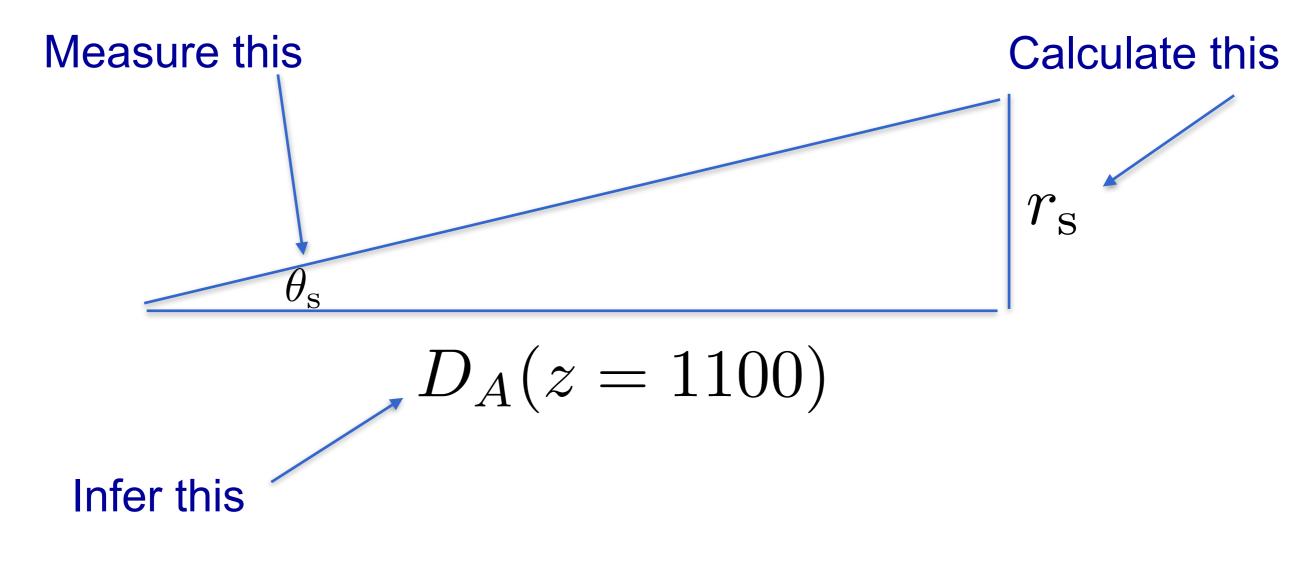
Need to know c_s(a) and H(a) to calibrate the ruler.

 $c_s^2 = \partial P / \partial \rho$ Pressure of plasma impacts peak morphology (odd/even height modulation)

$$H^{2}(a) = 8\pi G/3(\rho_{\gamma} + \rho_{\nu} + \rho_{m})$$

"Radiation Driving" effect (Hu & White 1997)

Determining H₀ from CMB Data Step 2: Use the Ruler to Infer Distance



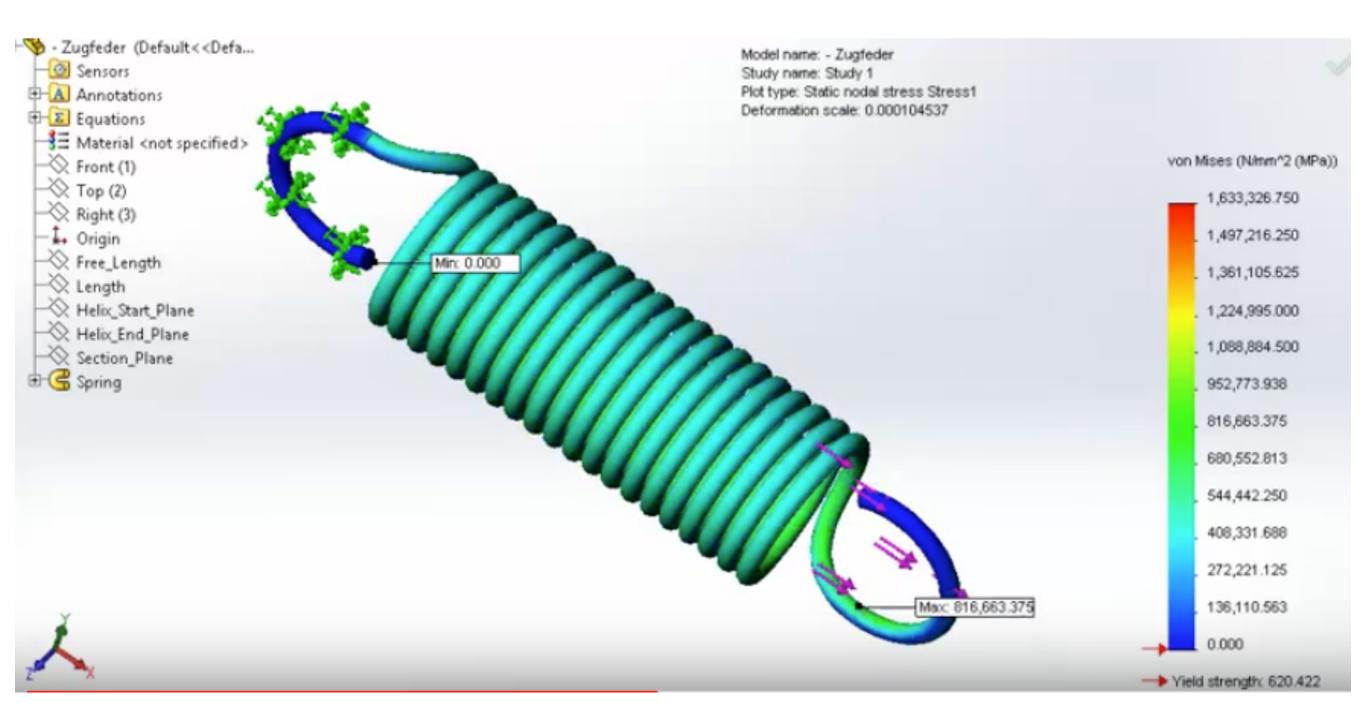
Step 3:
$$D_A(z) = \int_0^z dz' / H(z')$$

To get the right D_A , only thing left in the model to adjust is the cosmological constant. With that done, we have H(z).

Outline

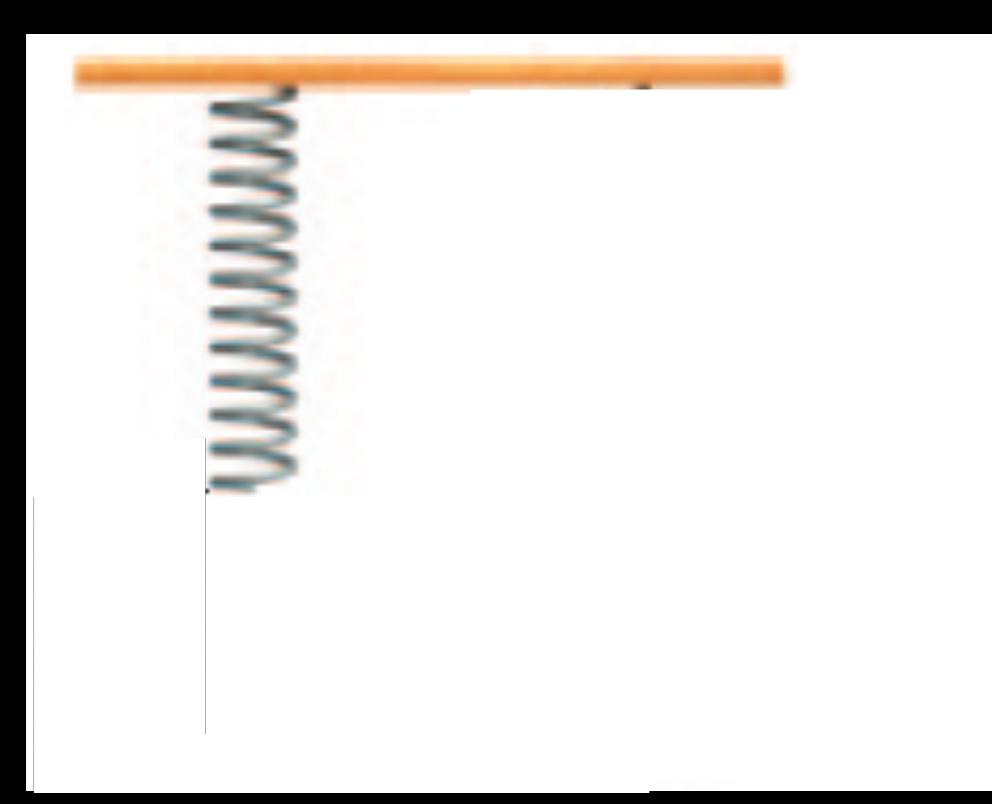
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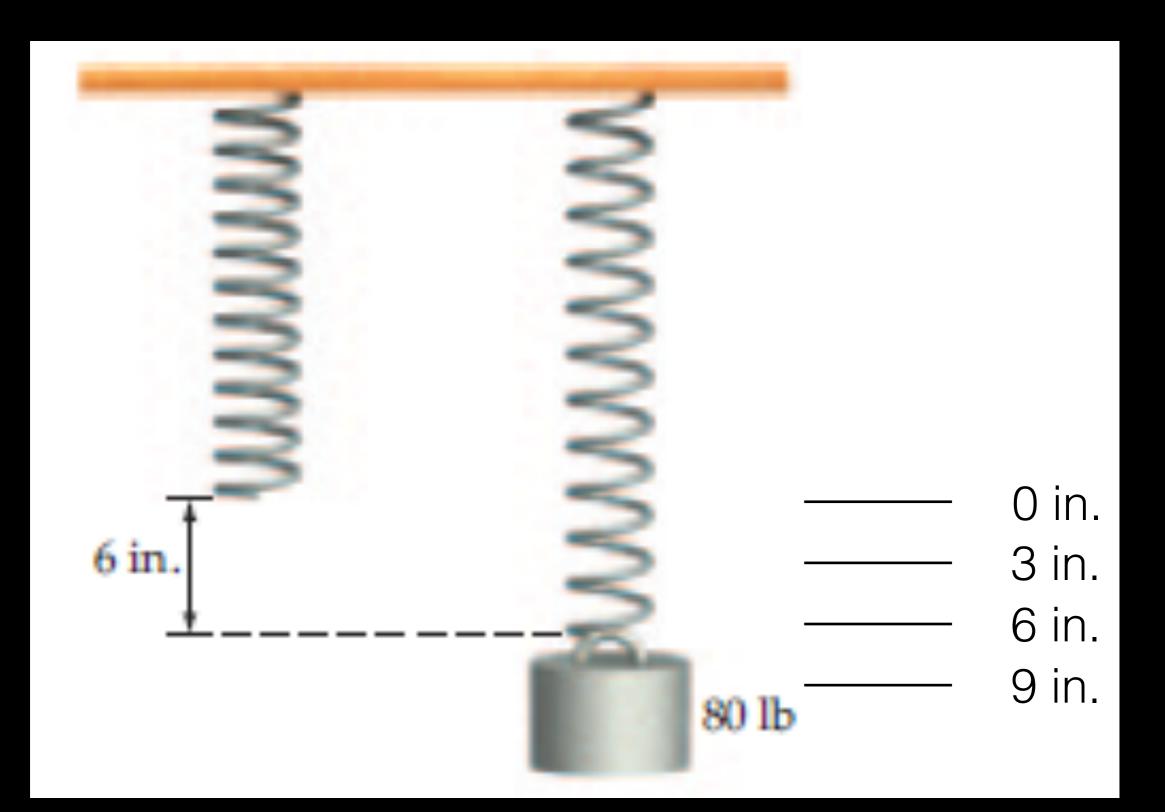
Determining the Matter Density

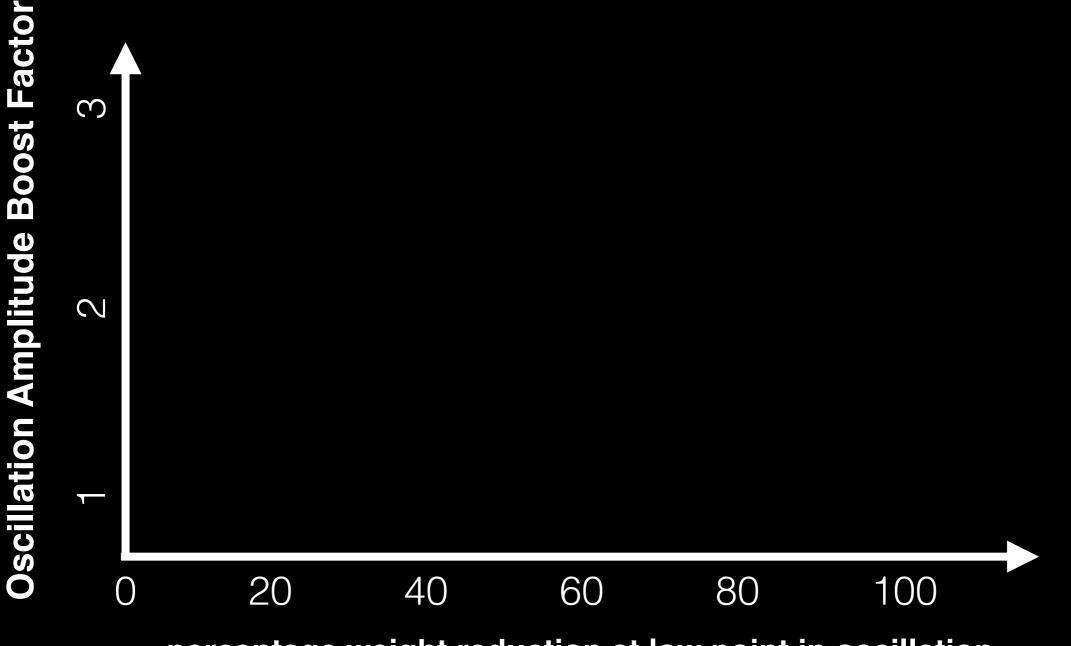


HO Tension

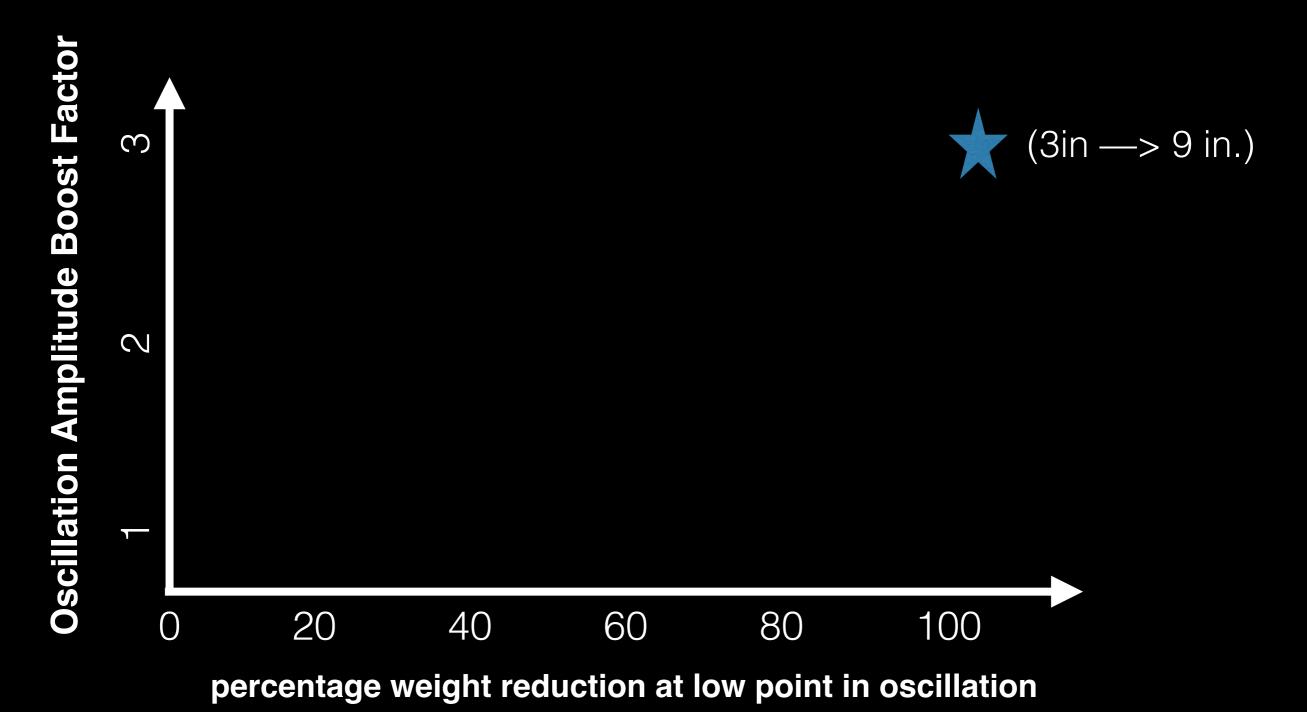
HO

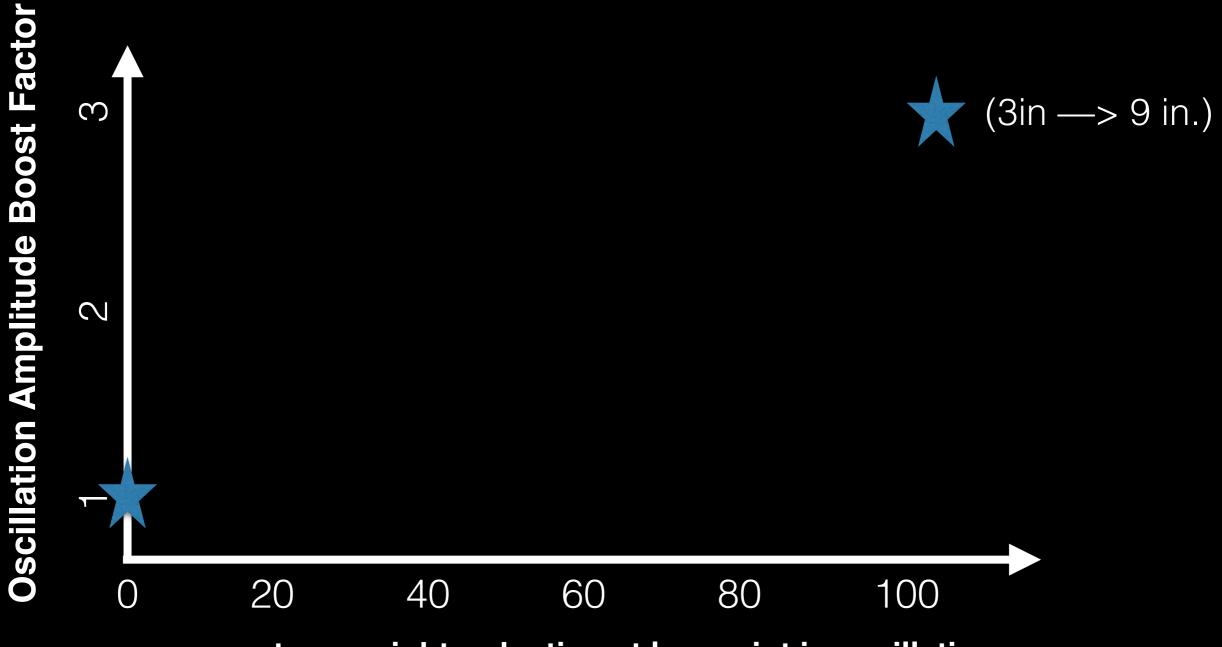




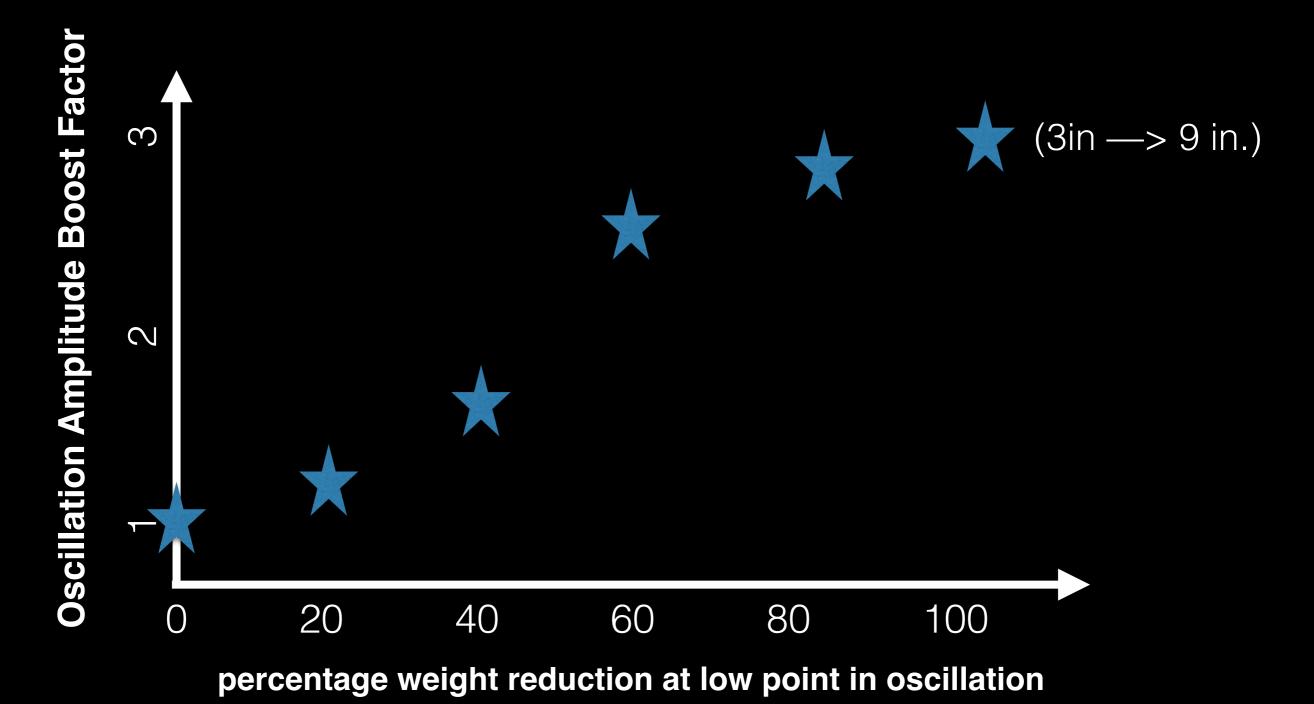


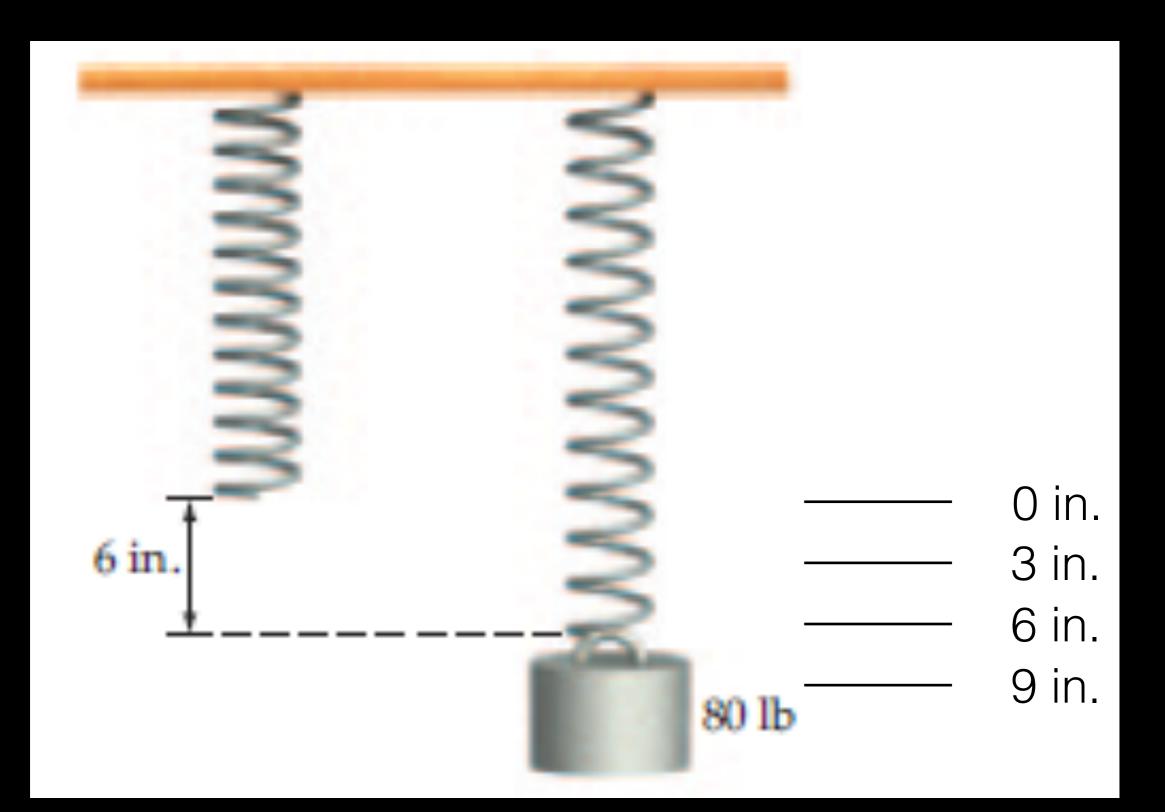
percentage weight reduction at low point in oscillation

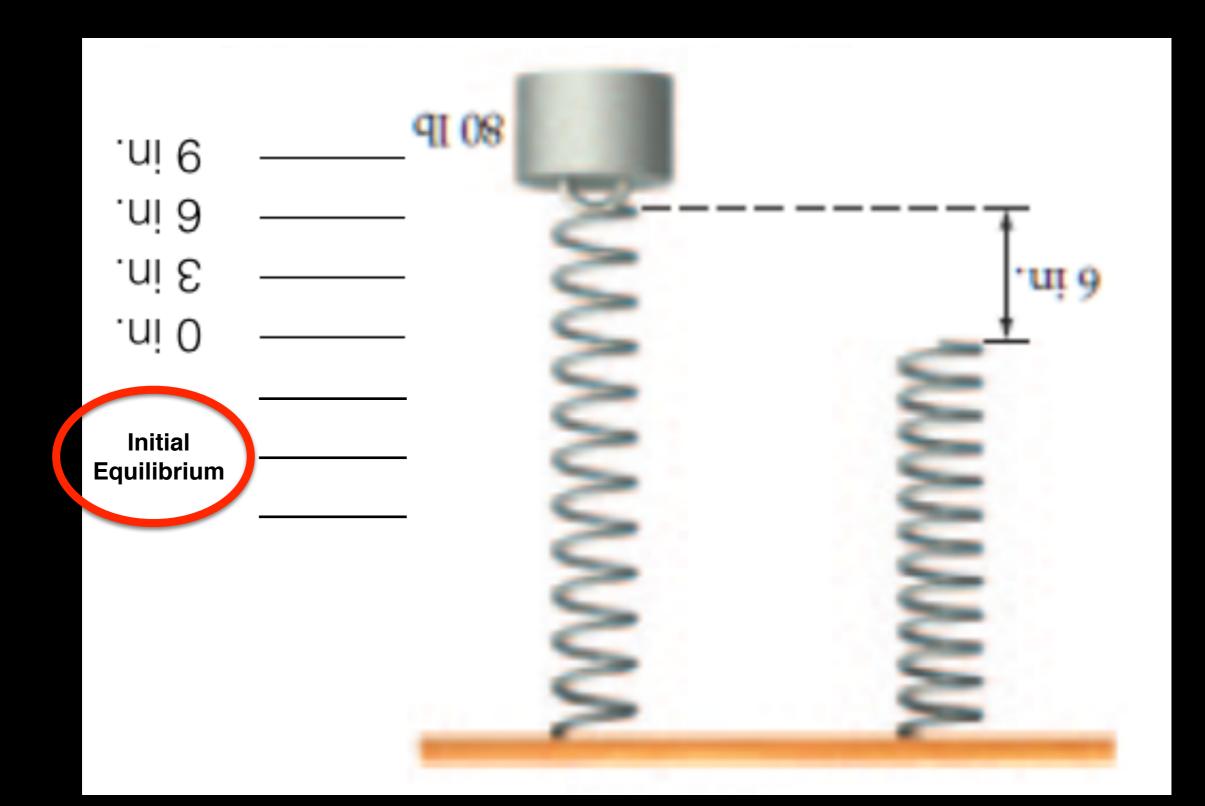




percentage weight reduction at low point in oscillation







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Initial Equilibrium	 	\geq	~	-
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		\leq	5	
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matter domination

range of oscillation —>

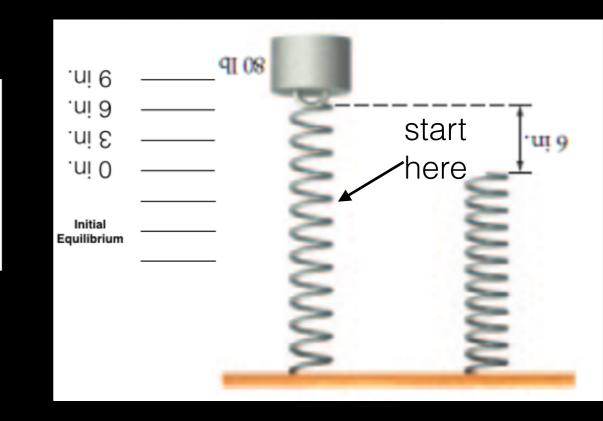
·ui o S here	- ui 9
Initial Equilibrium	WWWWWW

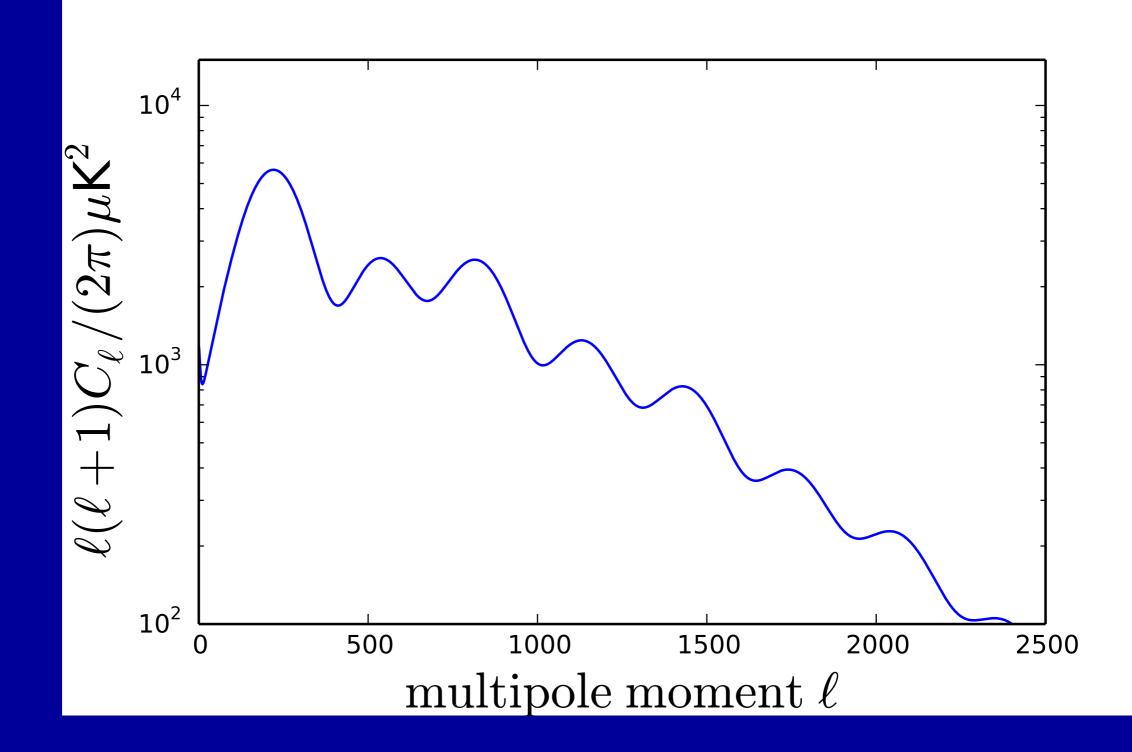
(because grav potential is constant during matter domination)

radiation domination

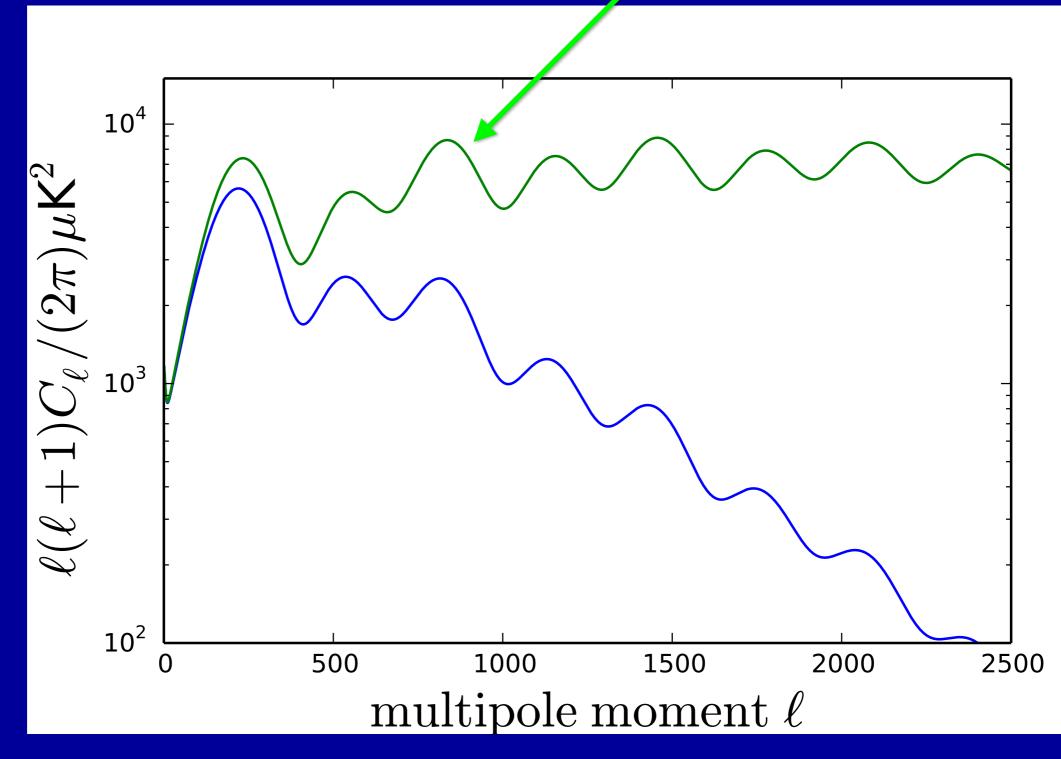
range of oscillation —>

(because grav potential nearly all gone after 1st compression)

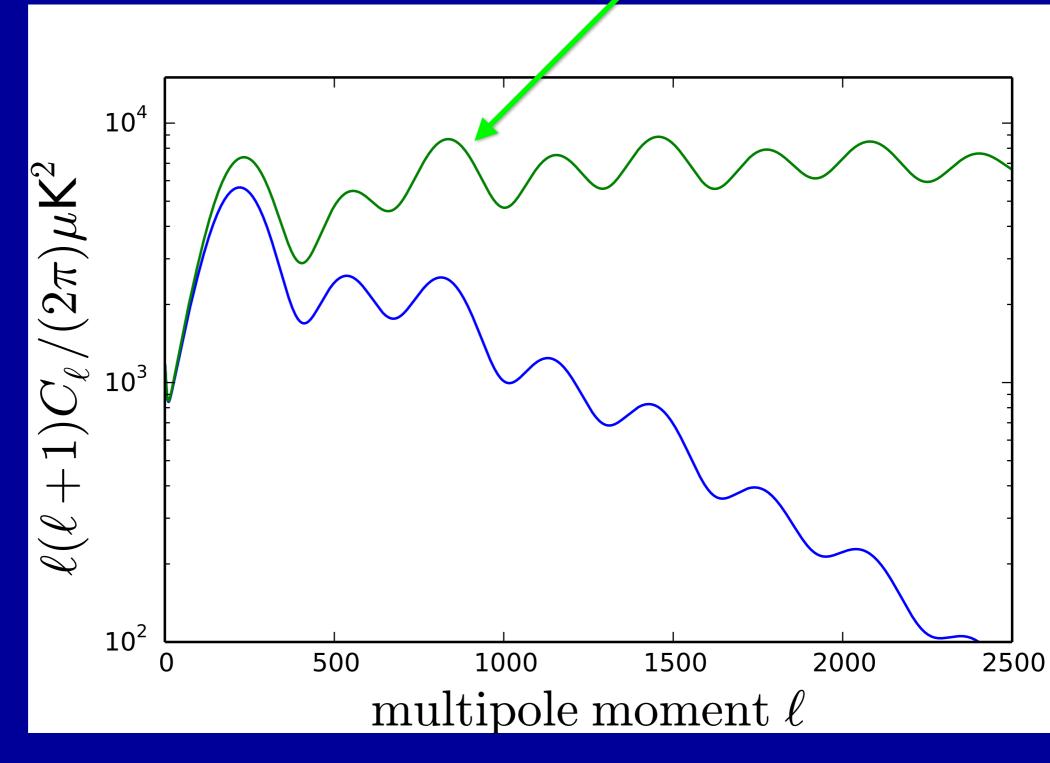




if no photon diffusion

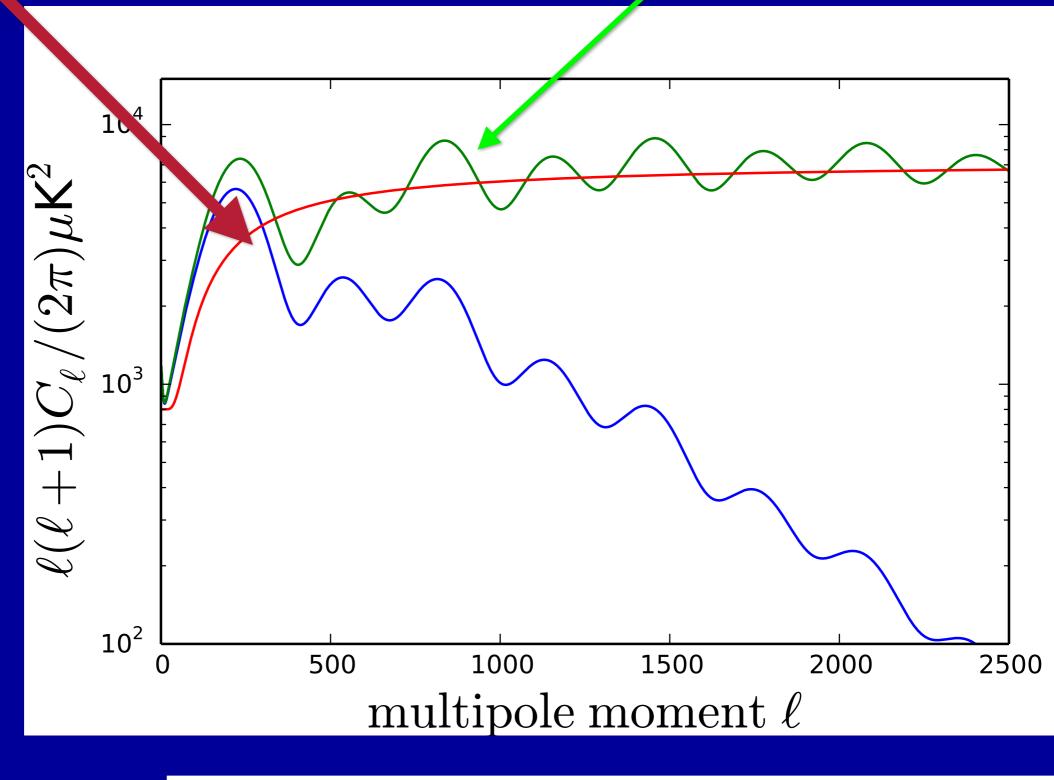


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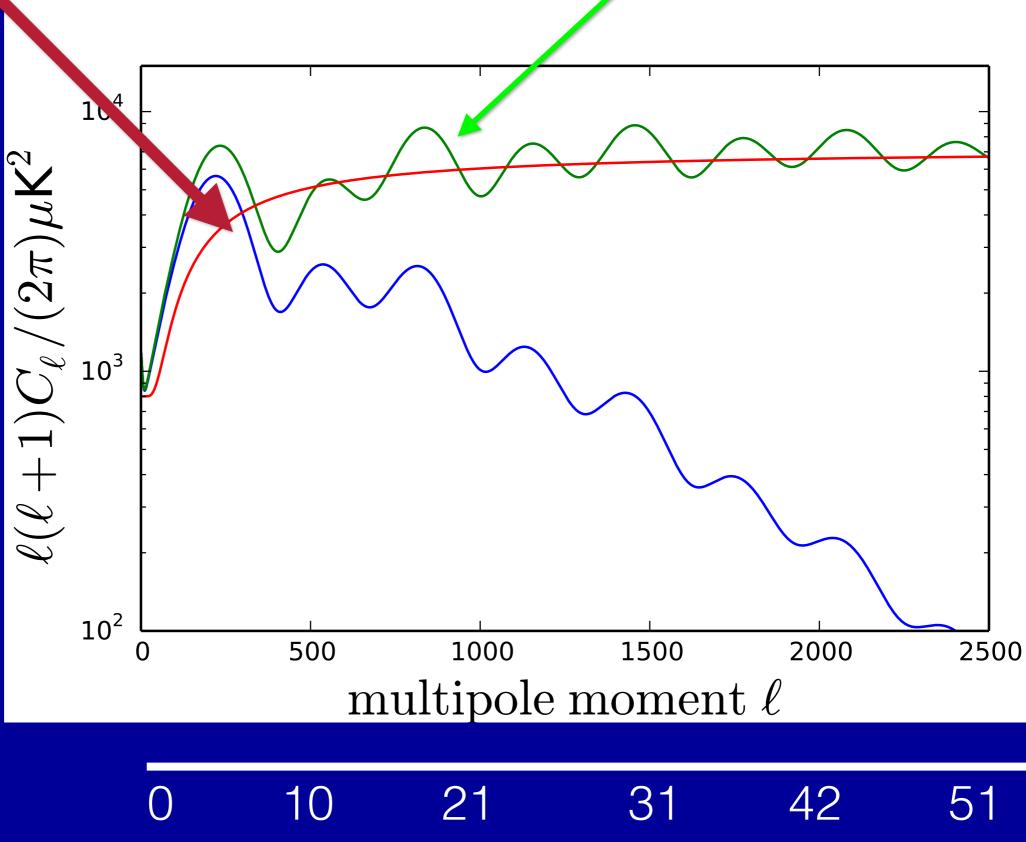
0 78 87 91 93 95 percentage of energy density in relativistic matter when oscillations begin (horizon crossing) The "potential envelope" of Hu & White (1997)

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scale factor at recombination divided by scale factor at horizon crossing

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Cosmological Solutions

with no changes at $z > z_*$

- Wiggles in H(z), D(z) (Raveri 2019)
- New photon interactions that make supernovae appear brighter (opposite of axion dimming)
- Post-recombination evolution of the sound horizon
- Something at low-z has confused our inferences of r_s and omega_m from CMB

Hubble Hunter's Guide (in prep)

with changes at $z > z_*$

- Confusion sowing
- Sound speed reduction
- High-temperature recombination (Chiangand & Slosar 2018)
- Photon cooling/conversion
- Increase H(a)
 - Neff
 - Scalar Field (Poulin et al. 2019, Agrawal et al. 2019)
 - Some other additional component

Cosmological Solutions

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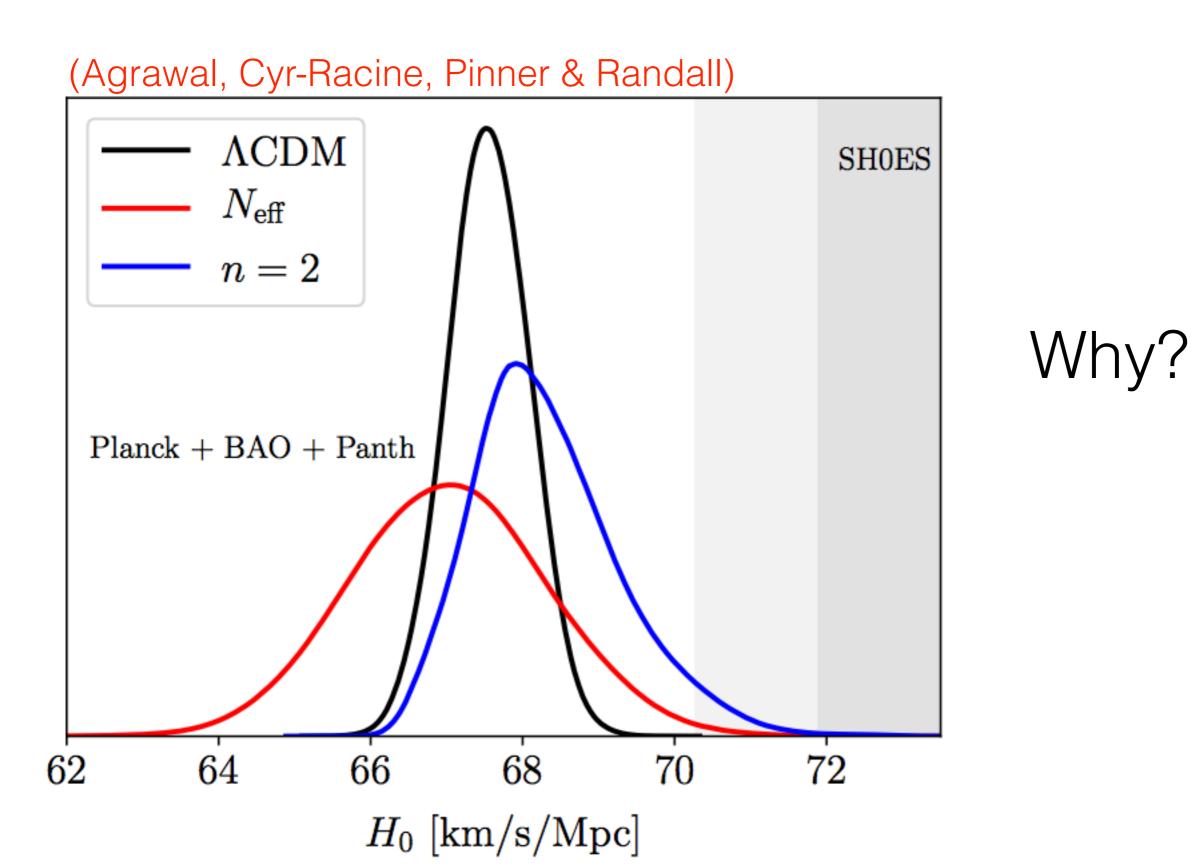
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Adding additional components not a panacea: it's hard to make the data consistent with $H_0 > 70$



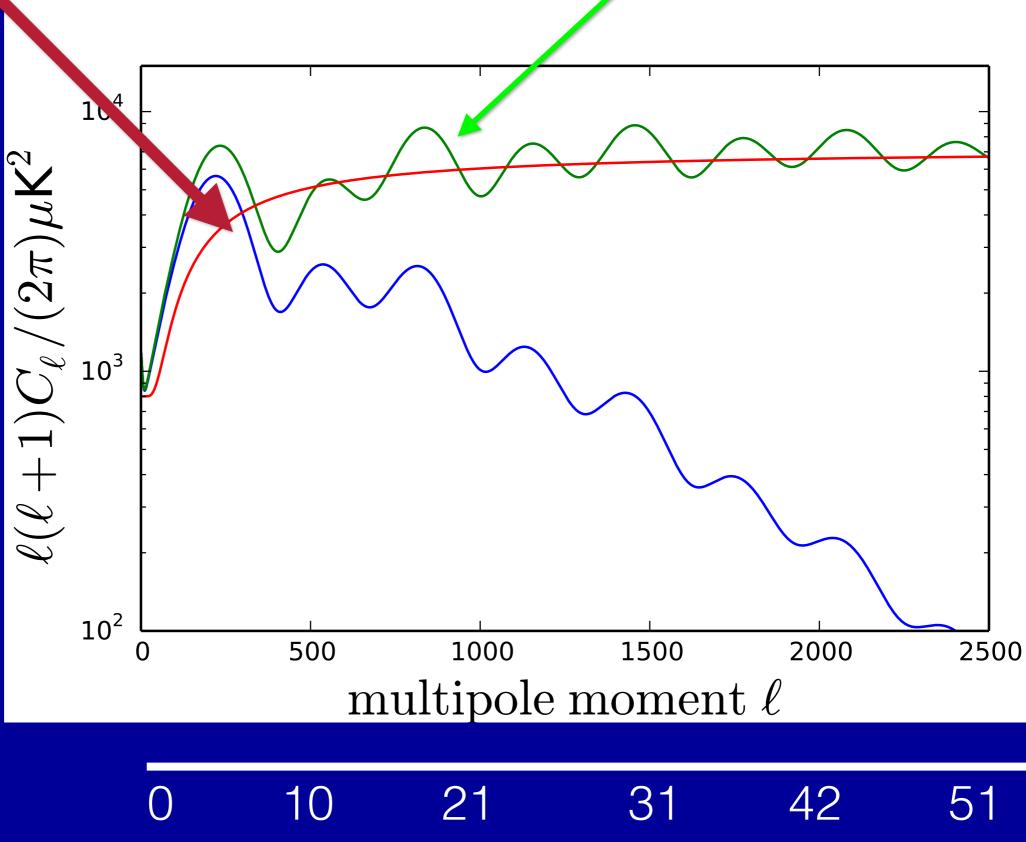
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Hubble Hunter's Guide (M. Millea + LK, in prep) 0.40 3.5 left axis right axis sound horizon (r_s) $N_{\rm eff} = 3.7$ 0.35 damping scale (r_d) Agrawal et al. 2019 3.0 0.30 $-\delta {
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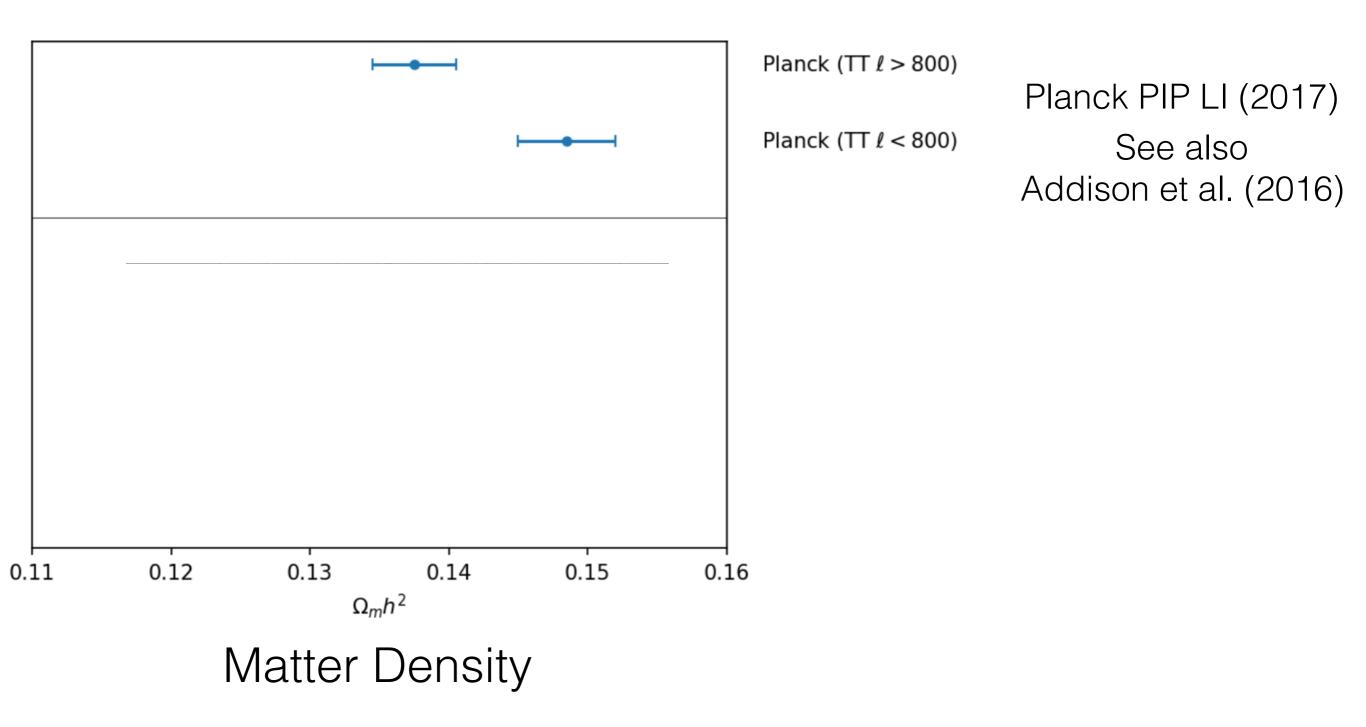
The "potential envelope" of Hu & White (1997)

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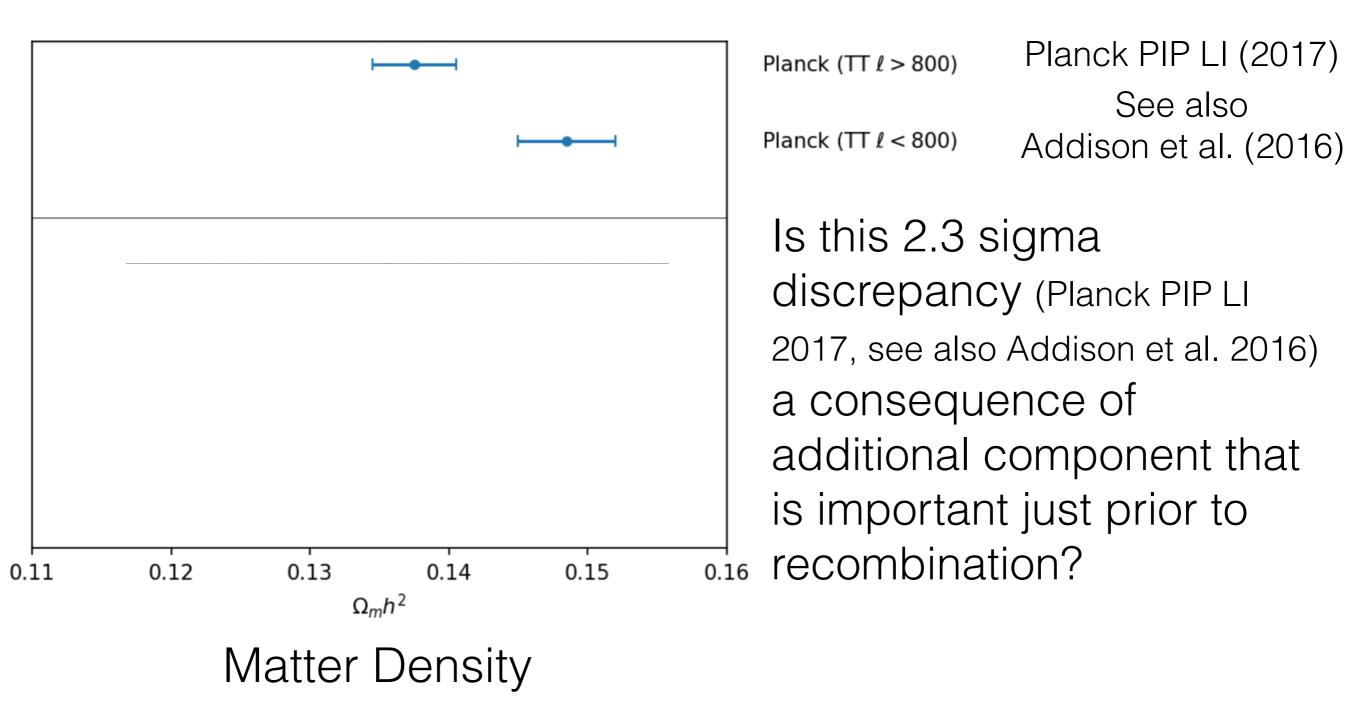
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Radiation-driving envelope altered ==> LCDM-based analyses will find angularscale dependent inferences of matter density

Hubble Hunter's Guide (M. Millea + LK, in prep)



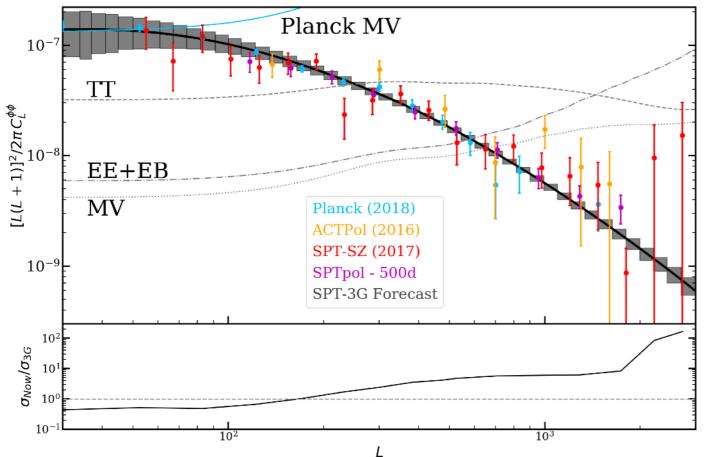
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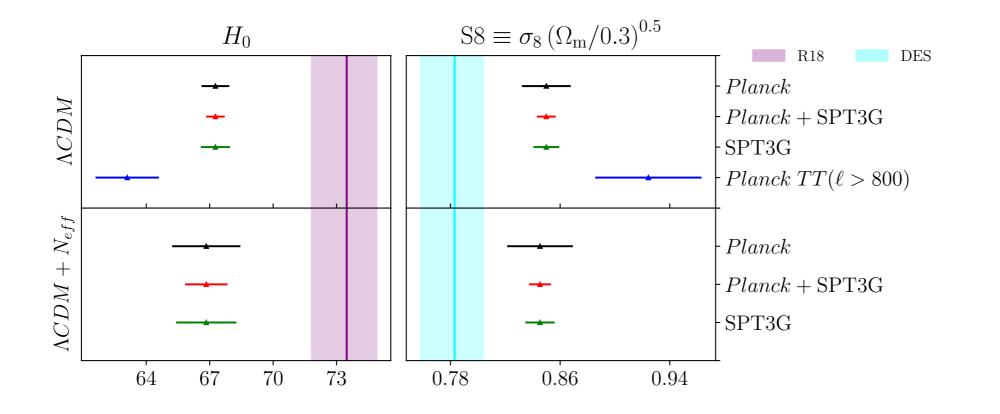
CMB Observations to Come

- Wide coverage data acquired by ACT collaboration: coverage of very large amount of sky to provide even more powerful tests of Planck at ell < 1800 (omega_m tension, A_L) and improve over SPT constraints at ell > 1800 that come from just 6% of sky.
- Very deep coverage from SPT collaboration: Instrument noise with 3G survey is consistent with what we assumed for the basis of our forecasts. Perhaps most valuable thing relevant to H₀ will be the lensing reconstruction and its determination of omega_m. Possible clues in shape of lensing power spectrum.
- Beyond this we working toward having CMB-S4 with better than SPT-3G depths over 70% of the sky.



See Kimmy Wu's talk this p.m.

Forested Reconstructed Lensing Potential Power from SPT-3G



Forecasted H₀ and sigma8 Constraints from SPT-3G

Main Messages

1. Systematic errors in CMB data are not a possible route out of our current discord.

- Sound horizon tension persists regardless of data set.
- 2. Model changes away from LCDM are very tightly constrained by CMB measurements.
 - To reduce sound horizon with increased H(a) alters horizon crossing dynamics for very well-measured modes.
 - Increasing H(a), and other solutions, also change recombination an out-of-equilibrium process with huge impact on the (well-measured) damping tail.
- 3. There are some (weak) inconsistencies internal to CMB data, interpreted with LCDM. Speculation: One in particular is due to the presence of additional components that lower the sound horizon.

• We talked about matter density angular scale dependence. Kimmy Wu will talk about A_L.

STOP

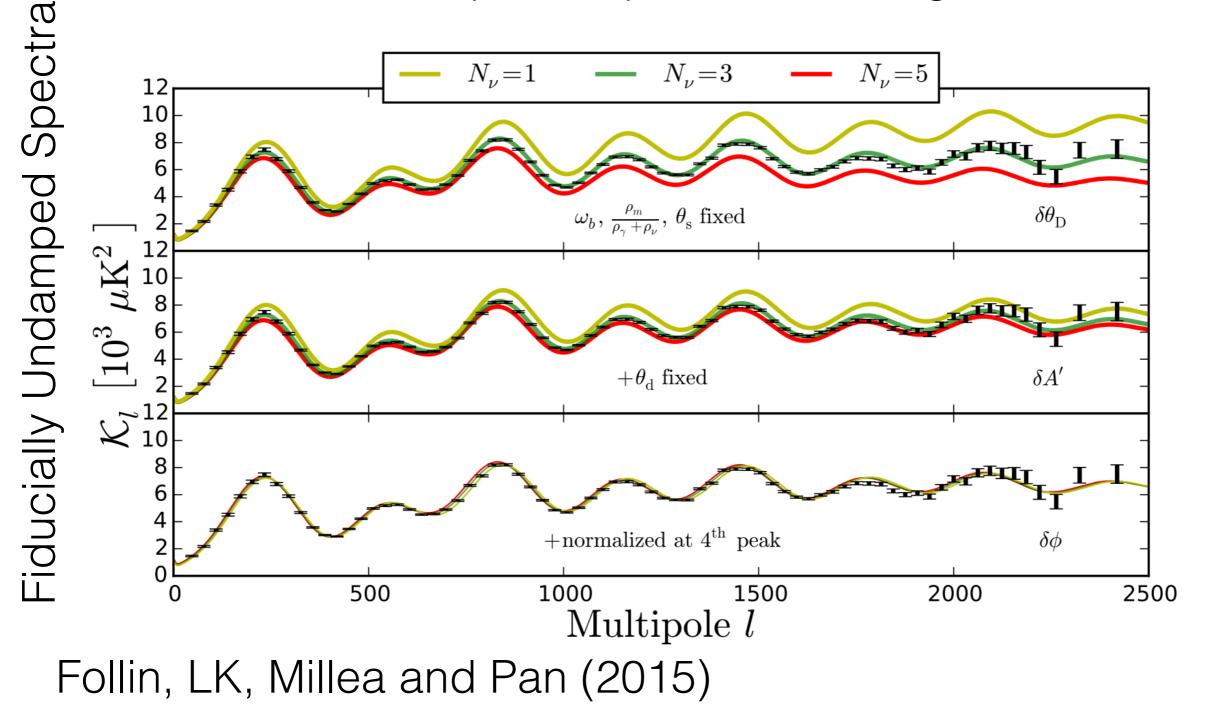
Cosmological Whackamole with Neff

1) To keep rad-driving envelope fixed, change rho matter.

2) To keep theta_s fixed, change cosmological constant.

3) To keep theta_d fixed, change primordial Helium fraction (2nd tooth fairy).

4) To keep delta phi fixed, change... ??

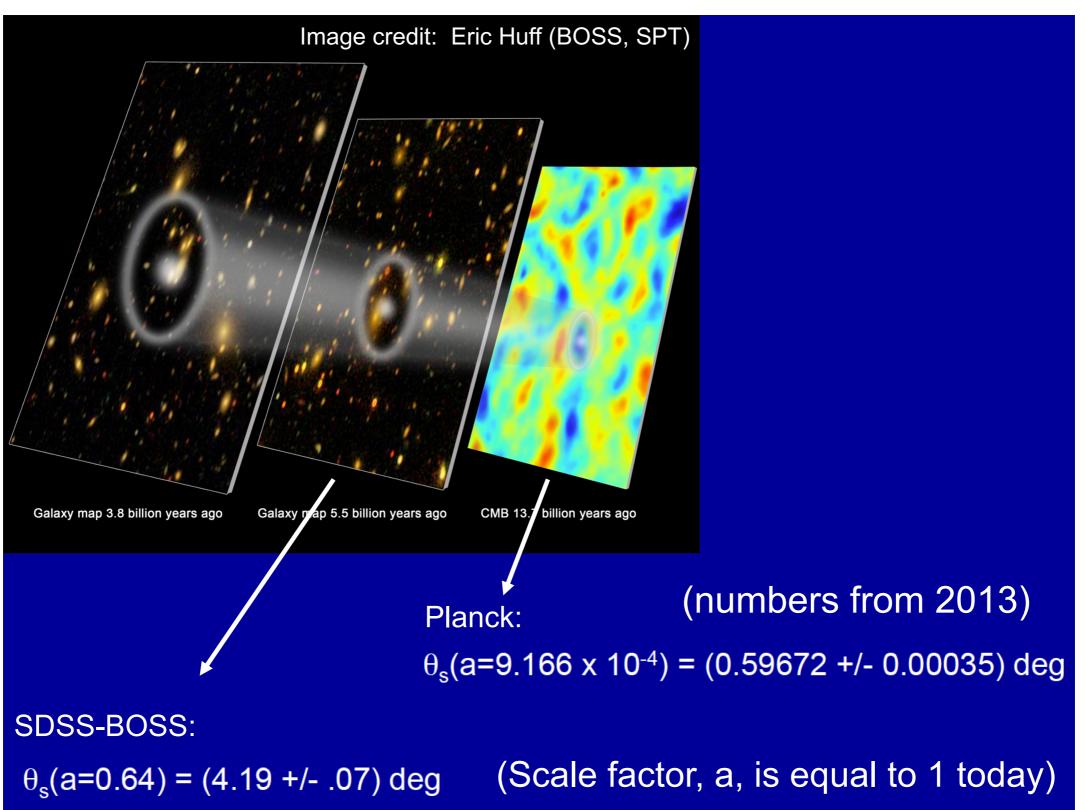


Confusion Sowing

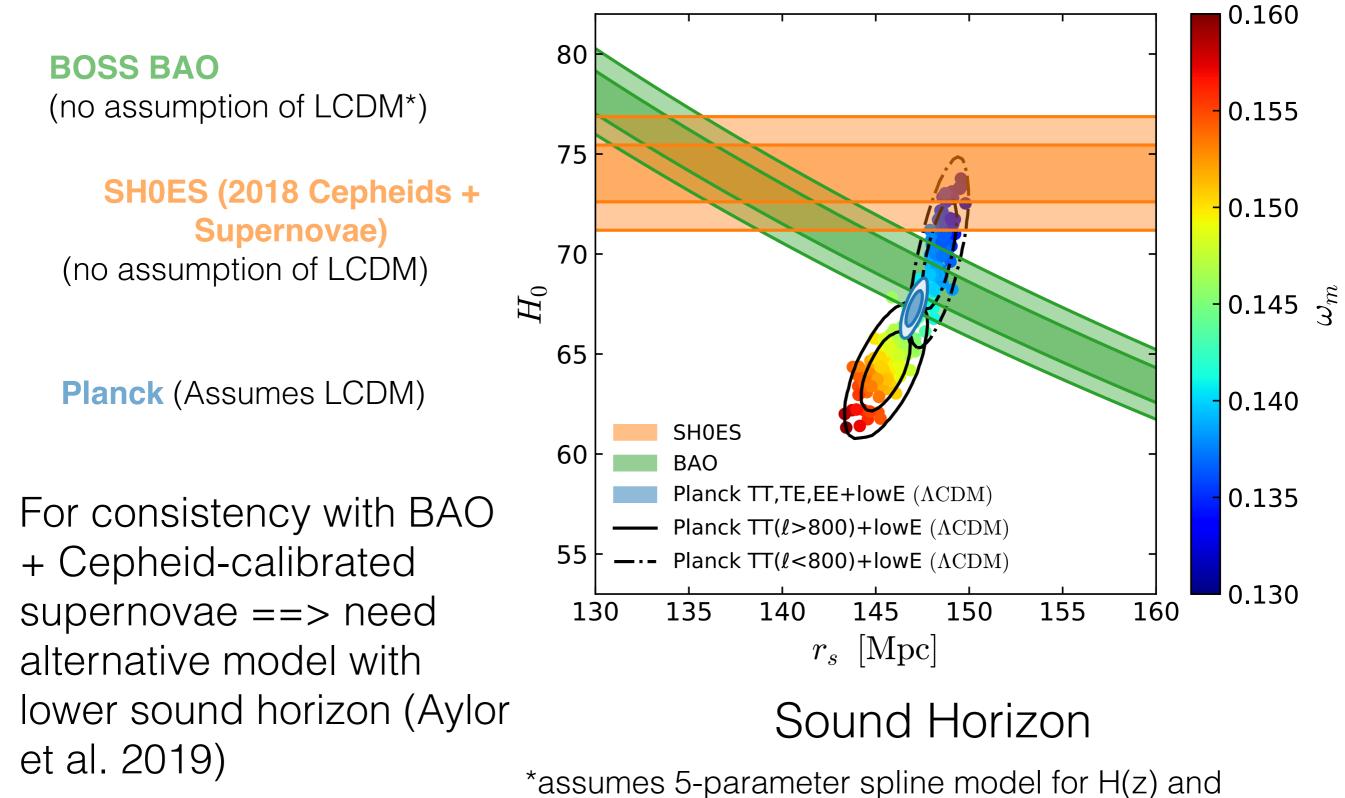
- No new components introduced, but interactions or initial conditions changed somehow to alter inference of matter density and sound horizon.
- Examples:
 - Interacting neutrinos (Cyr-Racine & Sigurdsson 2014, Lancaster et al. 2017)
 - Modified gravity (Lin, Raveri & Hu 2019)
 - Extra freedom in primordial power spectrum
 - Super-sample covariance (Adhikariand & Huterer 2019)

• Problem: can't simultaneously solve sound horizon tension and H₀ tension

The Sound Horizon in Galaxy Surveys Too



Strain on LCDM (Tension) H₀ is statistically most significant tension



zero mean curvature. Also see Raveri et al. (2019).

L. Knox^{\dagger} and M. Millea^{\ddagger}

Categories of Solution:

- Sound Speed Reduction
- Confusion Sowing
- \bullet Post-recombination evolution of $r_{\rm s}$
- Reducing Time to Recombination

L. Knox^{\dagger} and M. Millea^{\ddagger}

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Categories of Solution:

- Sound Speed Reduction
- Confusion Sowing
- Post-recombination evolution of r_s
- Reducing Time to Recombination
 - High-temperature Recombination
 - Photon Cooling
 - Additional Components to Increase H(z)

L. Knox^{\dagger} and M. Millea^{\ddagger}

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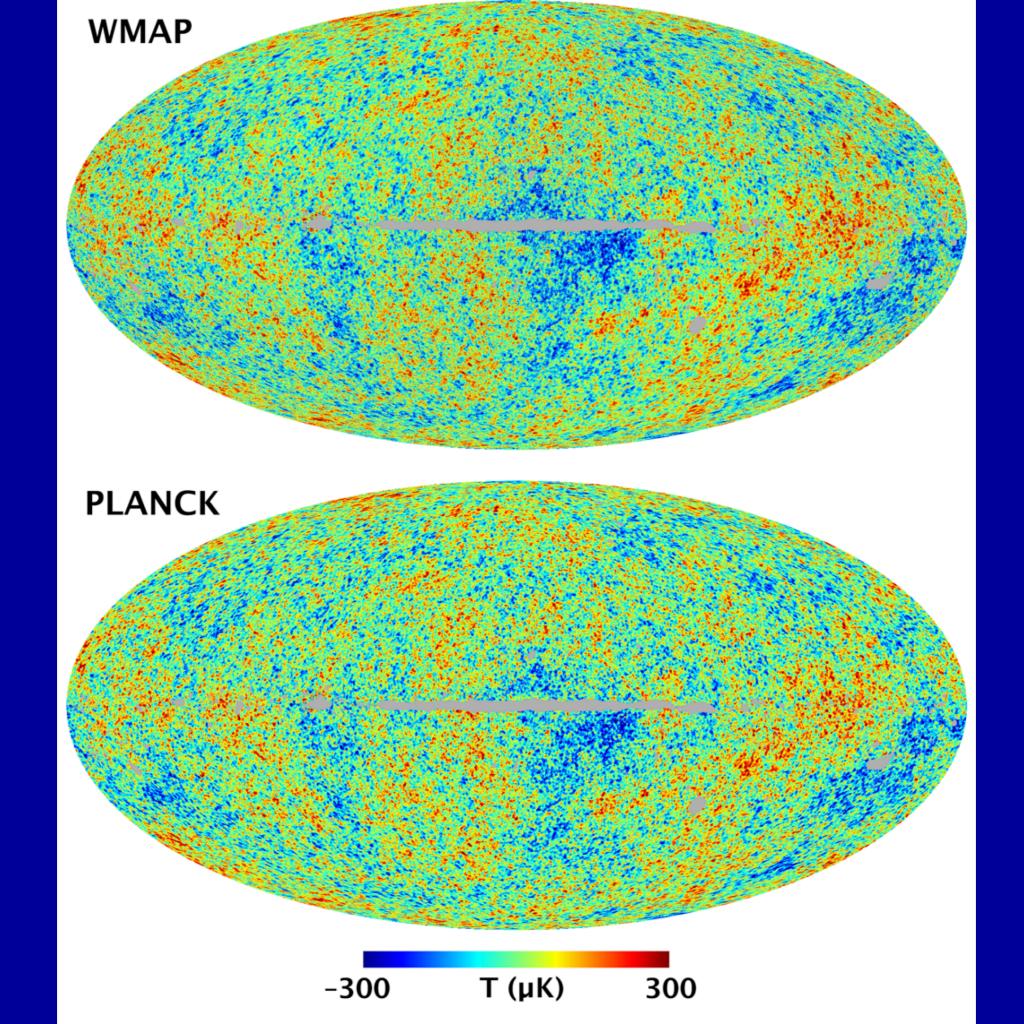
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 - Photon Cooling

Additional Components to Increase H(z)

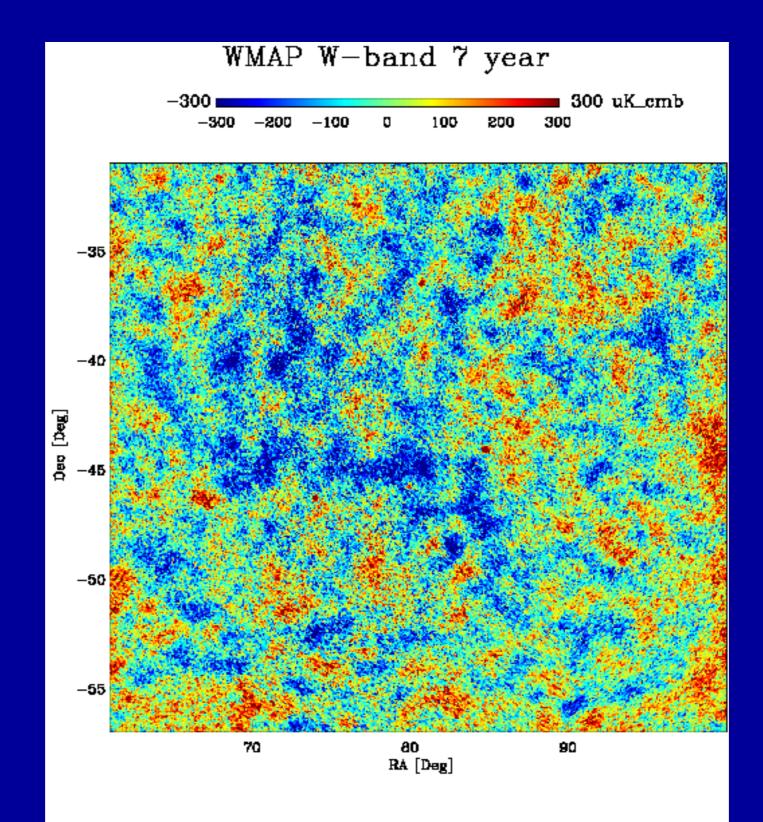
Discussion Questions

Other Questions

- Is tightening up sigma(Neff) of interest? Why?
- Is there interest in the H0 discrepancy? Might it be cosmological?

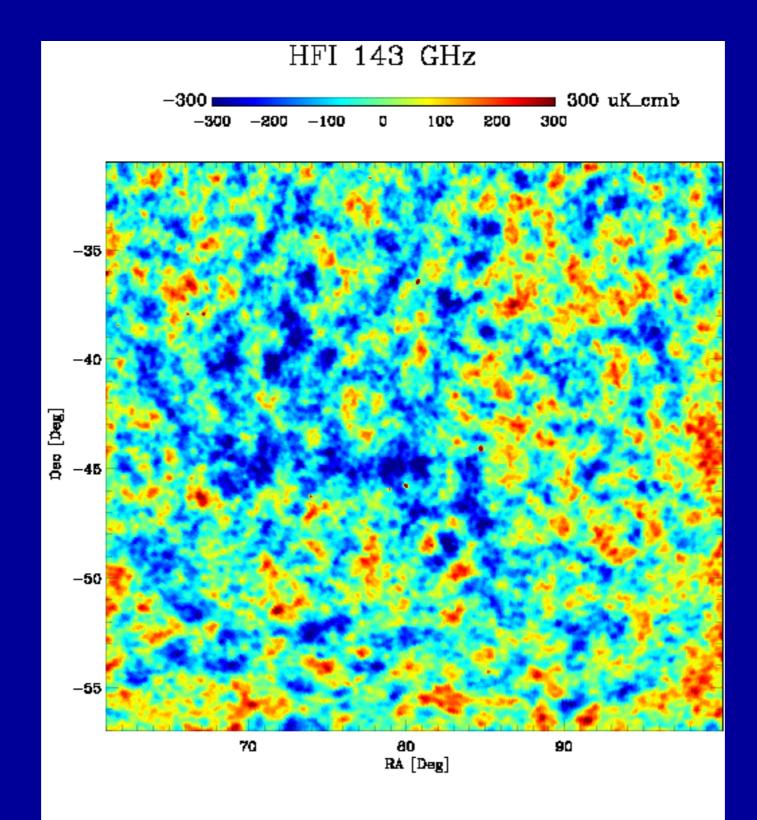


Zoomed-in view of about 800 square degrees



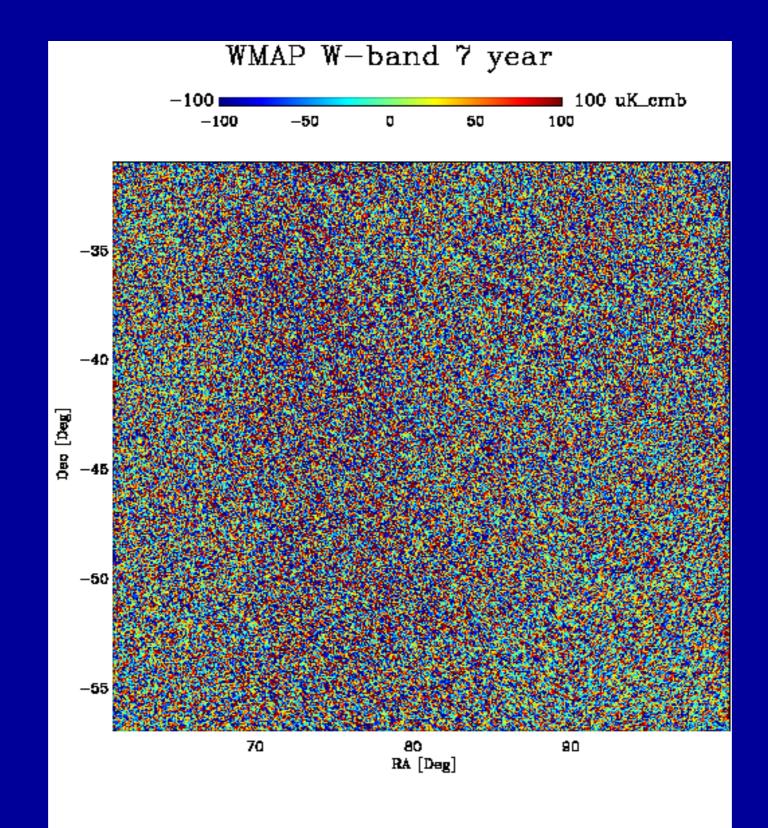
W. Jones

Zoomed-in view of about 800 square degrees



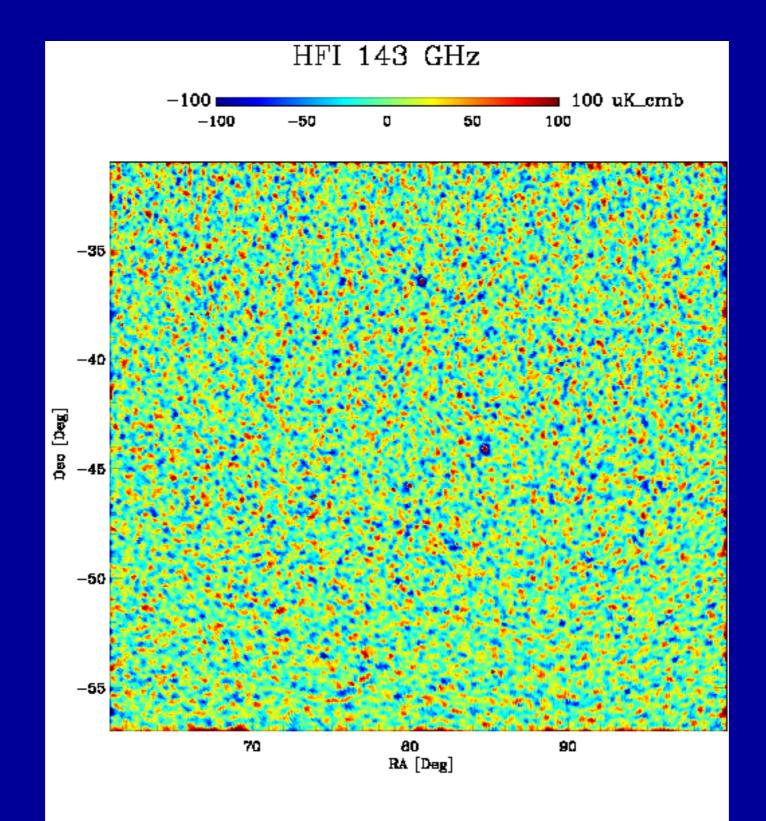


Filtered to remove spatial modes with wavelengths longer than 15'

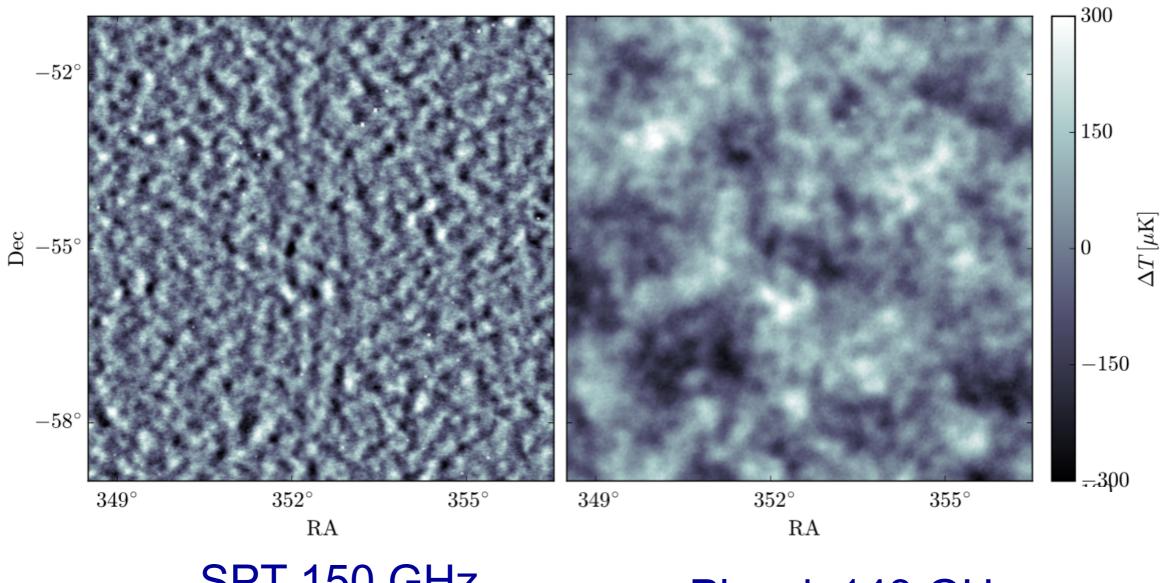


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Filtered to remove spatial modes with wavelengths longer than 15'

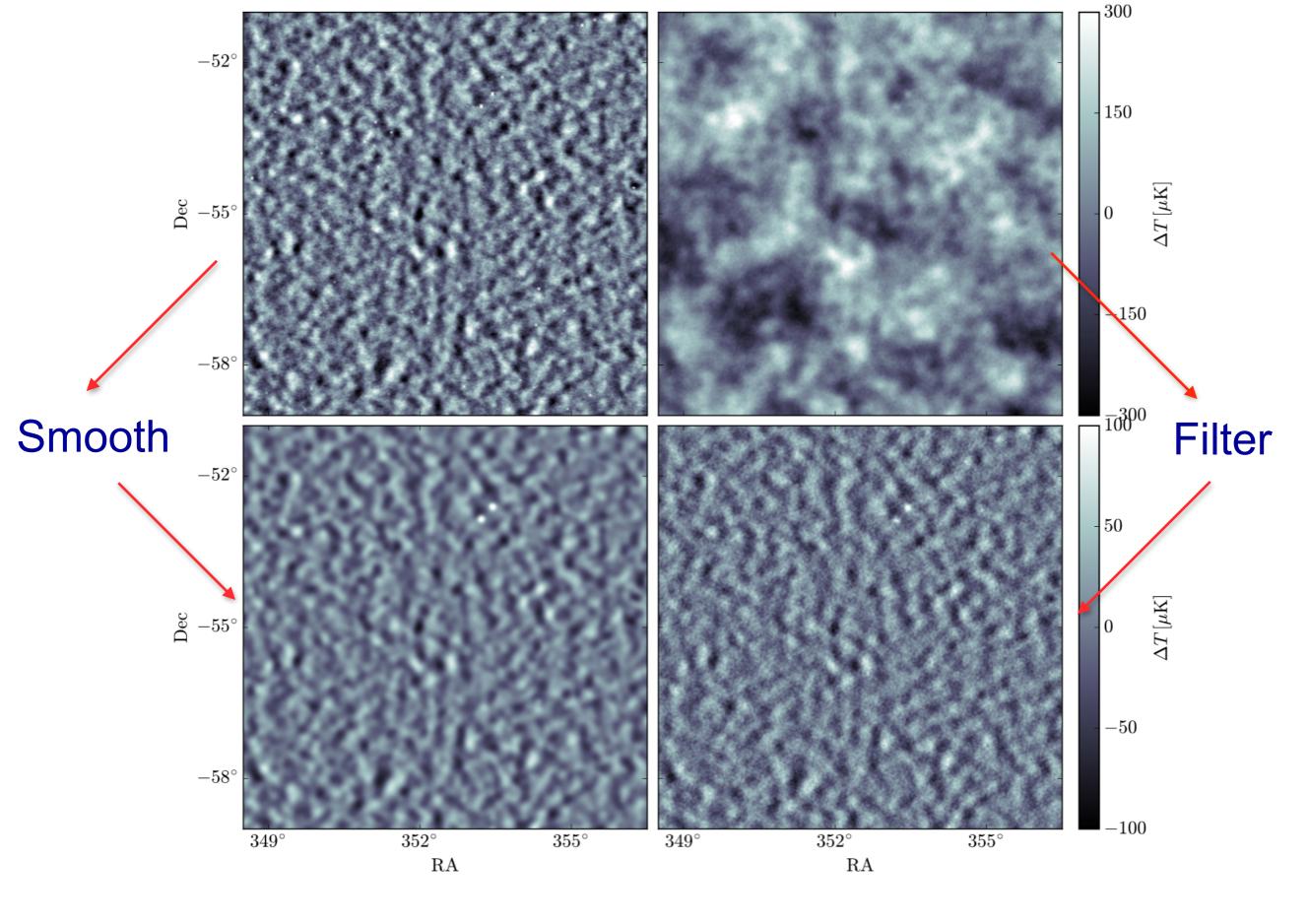


W. Jones



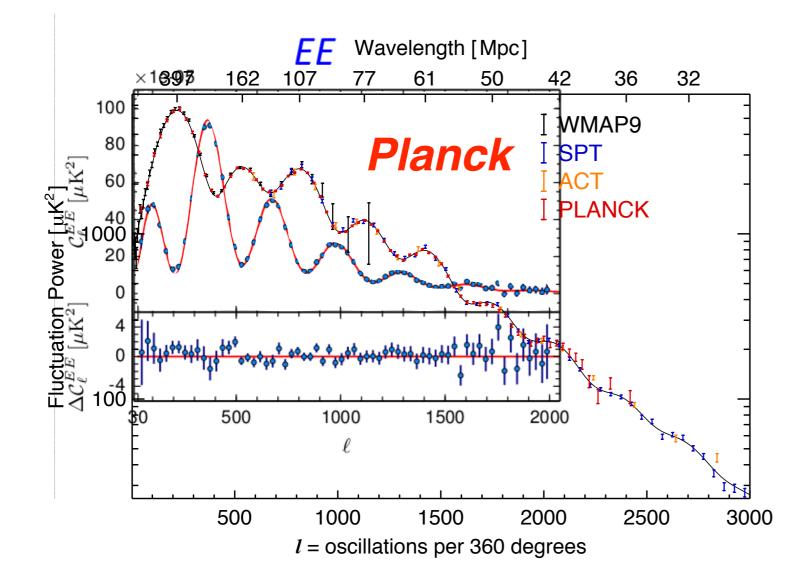
SPT 150 GHz

Planck 143 GHz



SPT 150

Planck 143 Hou et al. (2018)



Polarization peaks in temperature troughs as expected!

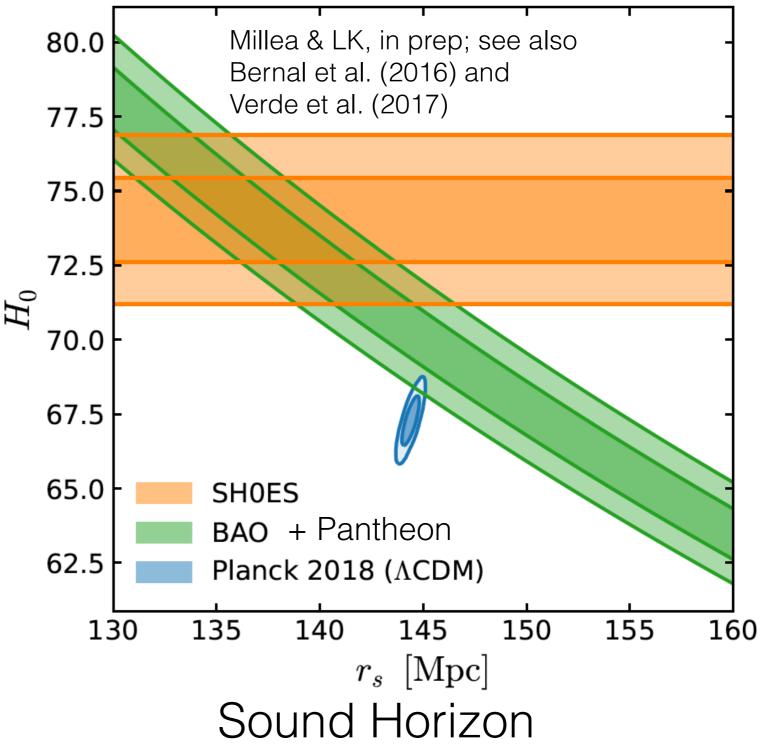
See Pan et al. (2016) for semi-analytic prediction of locations of all the peaks

Strain on LCDM



Planck (Assumes LCDM)

For consistency with **BAO** + **Cepheid-calibrated supernovae** ==> need alternative model with lower sound horizon (Aylor et al. 2019)



*assumes 5-parameter spline model for H(z) and zero mean curvature. Also see Raveri et al. (2019).