

Status of the SM and Beyond

G. Altarelli
CERN

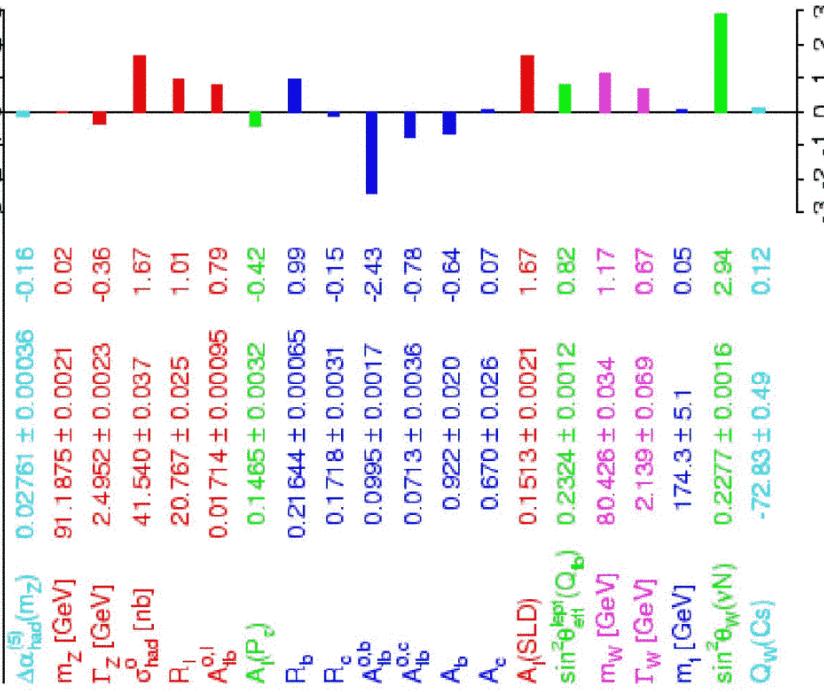
Overall the EW precision tests support the SM and a light Higgs.

The χ^2 is not great:

$\chi^2/\text{ndof}=25.5/15$ (4.4%)

Winter 2003

Measurement Pull $(C^{\text{meas}} - O^{\text{th}})/\sigma^{\text{meas}}$



Note: includes NuTeV and APV [not (g-2) $_\mu$]

Without NuTeV:
(th. error questionable)

$\chi^2/\text{ndof}=16.7/14$ (27.3%)

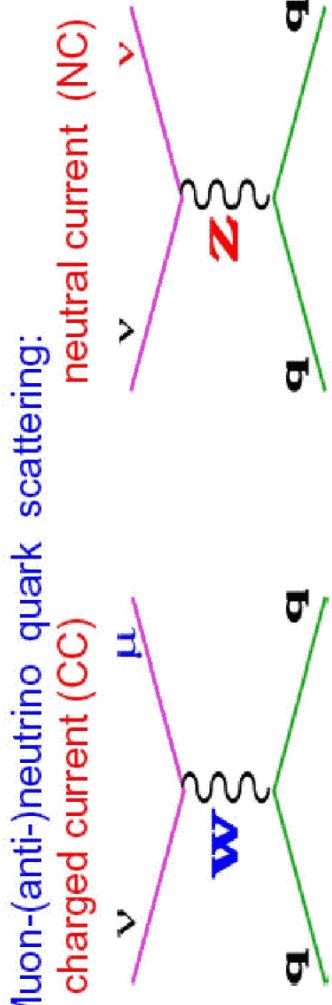
Much better!



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-3 -2 -1 0 1 2 3

NuTeV Neutrino-Nucleon Scattering



Paschos-Wolfenstein relation (iso-scalar target):

$$R_- = \frac{\sigma_{NC}(\nu) - \sigma_{NC}(\bar{\nu})}{\sigma_{CC}(\nu) - \sigma_{CC}(\bar{\nu})} = 4g_{L\nu}^2 \sum_{q_V} [g_{Lq}^2 - g_{Rq}^2] = \rho_\nu \rho_{ud} \left[\frac{1}{2} - \sin^2 \theta_W^{(on-shell)} \right]$$

+ electroweak radiative corrections

Inensitive to sea quarks

Charm effects only through dV quarks (CKM suppressed)

Need neutrino and anti-neutrino beam!

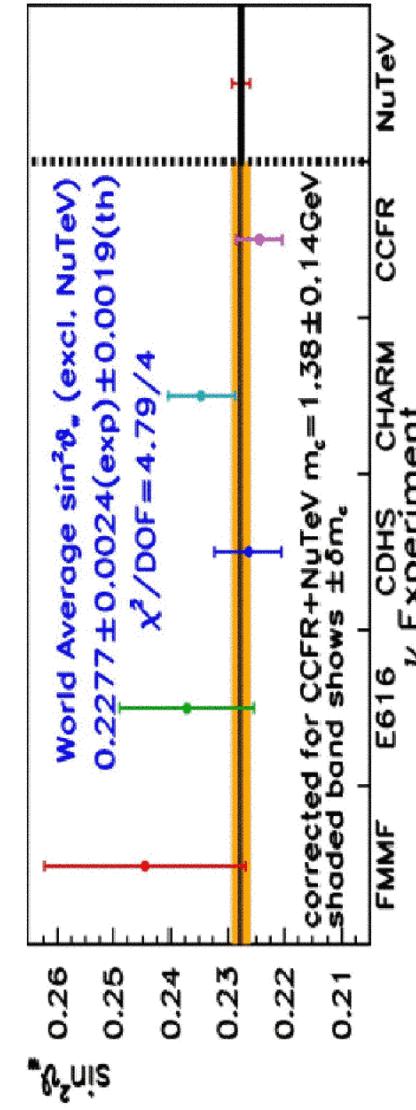
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[copied from Grunewald, Amsterdam '02 talk]

NuTeV's Result

$$\begin{aligned} \sin^2 \theta_W^{(on-shell)} &= 1 - \frac{M_W^2}{M_Z^2} = 0.2277 \pm 0.0013 \text{ (stat.)} \pm 0.0009 \text{ (syst.)} \\ &- 0.00022 \frac{M_{top}^2 - (175 \text{ GeV})^2}{(50 \text{ GeV})^2} + 0.00032 \ln \frac{M_{Higgs}}{150 \text{ GeV}} \quad [\rho = \rho_{SM}] \end{aligned}$$

Factor two more precise than previous νN world average



Global SM analysis predicts: 0.2227(4) Difference of 3.0 σ!

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[copied from Grunewald, Amsterdam '02 talk]

- The NuTeV anomaly probably simply arises from a large underestimation of the theoretical error
- The QCD LO parton analysis is too crude to match the required accuracy
- A small asymmetry in the momentum carried by $s\bar{s}$ could have a large effect

They claim to have measured this asymmetry from dimuons. But a LO analysis of $s\bar{s}$ makes no sense and cannot be directly transplanted here (α_s^* valence corrections are large and process dependent)

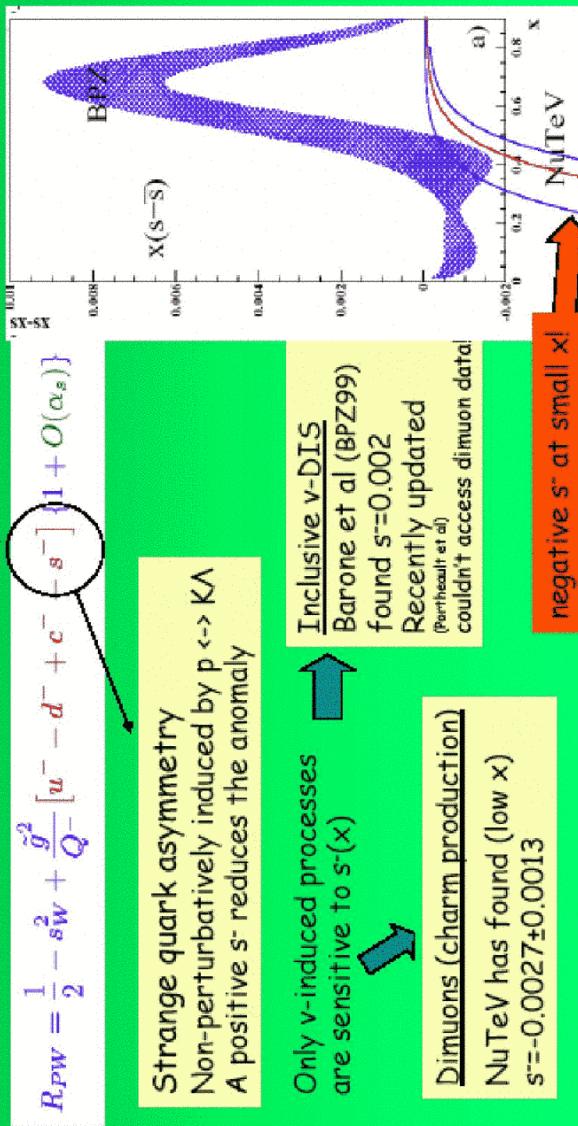
- A tiny violation of isospin symmetry in parton distrib's can also be important.

S. Davidson, S. Forte, P. Gambino, N. Rius, A. Strumia

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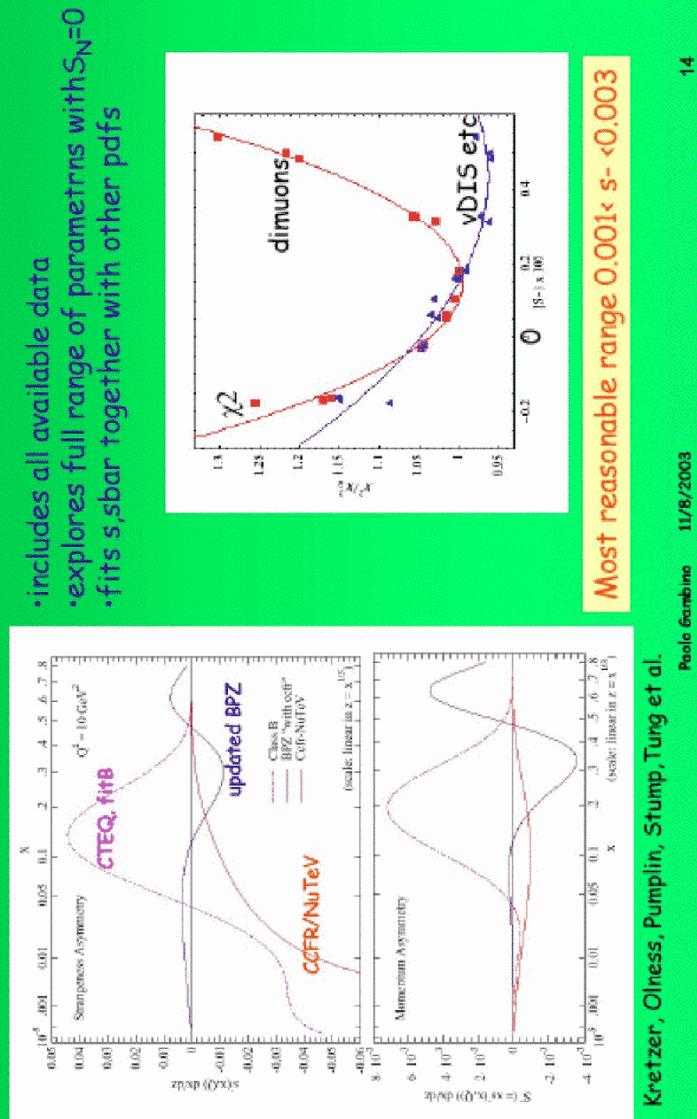
Gambino, LP'03

Such a strange asymmetry...(I)

$$s^- = -dx \cdot x [s(x)-sbar(x)]$$


- BUT NuTeV fit to s^-
- relies on inconsistent parameterization (strangeness not conserved)
 - does not fit s^- in the context of global fit

The new CTEQ fit



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Kretzer, Olness, Pumpin, Stump, Tung et al.

Paolo Guarino

11/8/2003

A strange end?

- Negative s^- strongly disfavoured, acceptable fits have $0.001 < s^- < 0.0031$, depending on low- x behavior

Possible new info from W+charmed jet, lattice

- Impact on R_{pw} in NuTeV setup estimated wrt to CTEQ $s^-s_{\bar{s}b}$ fit: $0.0012 < \delta s_w^2 < 0.0037$ very likely to carry on to NuTeV analysis

- NuTeV : a few minor issues open. In my opinion, large sea uncertainties and shift from s^- reduce discrepancy below 2σ

Given present understanding of hadron structure,
 R_{pw} is no good place for high precision physics

fit	$[S^-] \times 1000$	χ^2_{dftion}	$\chi^2_{\text{lattice fit}}$	δR^-
B+	0.540	1.30	0.98	-0.0045
A	0.312	1.02	0.97	-0.0037
B	0.160	1.00	1.00	-0.0019
C	0.103	1.01	1.03	0.0012
B^-	0.077	1.26	1.00	0.0023

Kretzer et al

0.0012 < $\delta s_w^2 < 0.0037$ 

NuTeV error

 ± 0.0016

Atomic Parity Violation (APV)

- Q_W is an idealised pseudo-observable corresponding to the naïve value for a N neutron-Z proton nucleus

- The theoretical "best fit" value from ZFITTER is

$$(Q_W)_{\text{th}} = -72.880 \pm 0.003$$

- The “experimental” value contains a variety of QED and nuclear effects that keep changing all the time:

Since the 2002 LEP EWWG fit (showing a 1.52σ deviation) a new evaluation of the QED corrections led to

$$(Q_W)_{\text{exp}} = -72.83 \pm 0.49$$

So in this very moment (winter '04) APV is OK!

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($g-2$) _{μ} $\sim 3\sigma$ discrepancy shown by the BNL'02 data

In 2002:

		(Numbers in units 10^{-10})	
LO hadr.	688.8 ± 6.2	HMNT, 'excl.'	Jegerlehner (02)
	$683.1 \pm 5.9 \pm 2.0_{\text{had}}$	HMNT, 'incl.'	
full a_μ	11659172.6 ± 7.7	'excl.'	Davier et al. (02) (τ)
	11659166.9 ± 7.4	'incl.'	
BNL E821	11659203 ± 8	new world av. (0.7 ppm)	Davier et al. (02) (e^+e^-)
EXP-TH	30.4 ± 11.1	$\sim 2.7\sigma$, 'excl.'	Hagiwara et al. (this work) (excl.)
	36.1 ± 10.9	$\sim 3.3\sigma$, 'incl.'	Hagiwara et al. (this work) (incl.)

Th. and Exp. accuracy comparable!

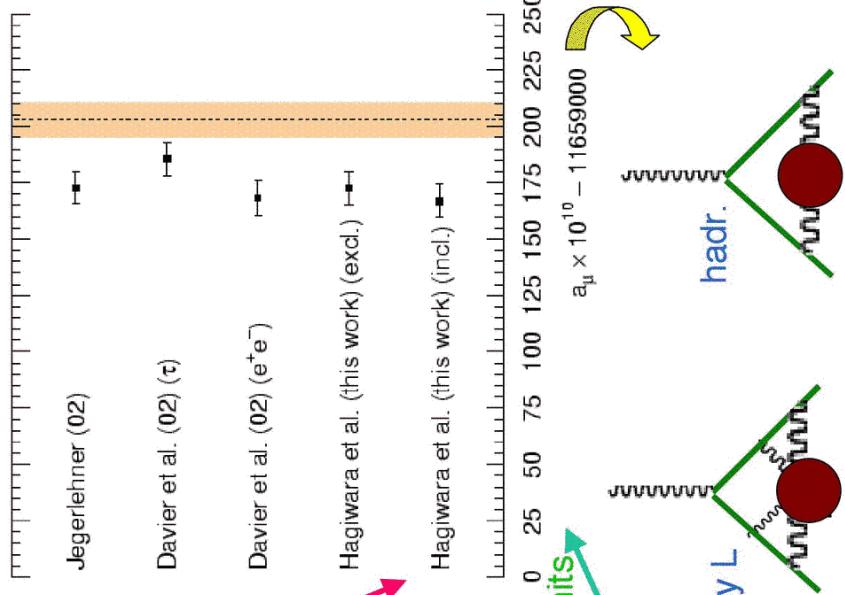
$EW \sim 15.2 \pm 0.4$

$LO \text{ hadr} \sim 683.1 \pm 6.2$

$NLO \text{ hadr} \sim -10 \pm 0.6$

Light-by-Light $\sim 8 \pm 4$
(was $\sim -8.5 \pm 2.5$)

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Gambino-LP'03

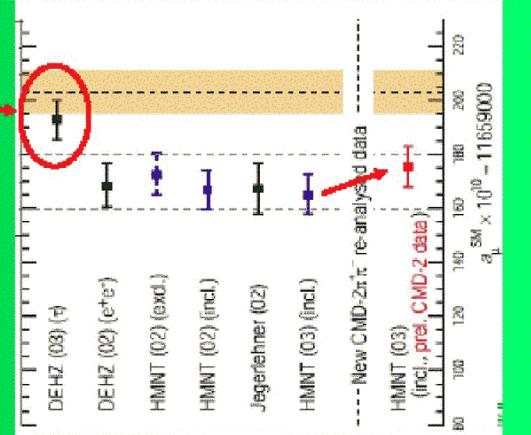
Now the discrepancy is less: 2-2.5 σ

2003

(new measurements of σ had)

The spectral function from e^+e^-

Tau data below 1.8 GeV



Final CMD-2 π data (2002) 0.6% syst error!
CMD-2 have recently reanalyzed their data

Hagiwara et al (HMNT) NEW result:
 $q_{\text{hadLO}} = 691.7 \pm 5.8_{\text{exp}}^{\pm 2.0_{\text{rc}}}$

This translates in a $\sim 2\text{--}2.5\sigma$ discrepancy depending on which e^+e^- analysis

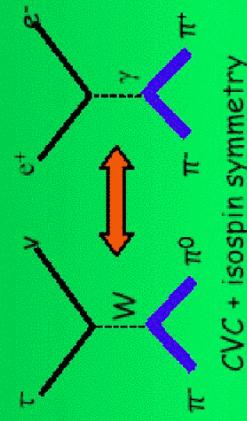
Using τ data below 1.8 GeV Davier et al (DEHZ)
 $a_u^{\text{had},1,0} = 709.0 \pm 5.1_{\text{exp}} \pm 1.2_{\text{r.c}} \pm 2.8_{\text{SU}(2)}$

Good agreement between Aleph, CLEO, Opal τ data

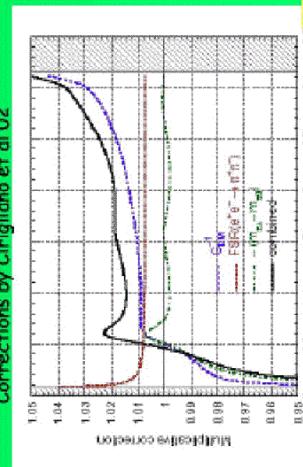
The T data indicate no discrepancy!

molecular search 11/8/2003

The spectral function from τ decays



CVC + isospin symmetry
Corrections by Giriglano et al 02



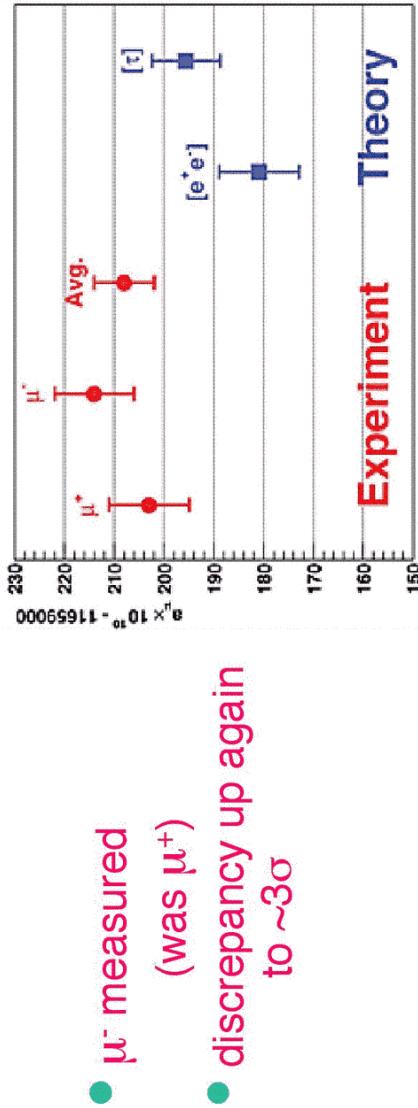
Connections applied to τ data

>5% difference! cannot be isospin breaking. Needs further study. Data? After new CMAD-2 for $\Delta_{\text{nm}} = (11.13 \pm 7) \cdot 10^{-10}$ (was 21)

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ALLENVIEW CIVIC

2004  New results from BNL



It looks to me peculiar that one cannot find $\sim 5M\$$ to continue this experiment

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Question Marks on EW Precision Tests

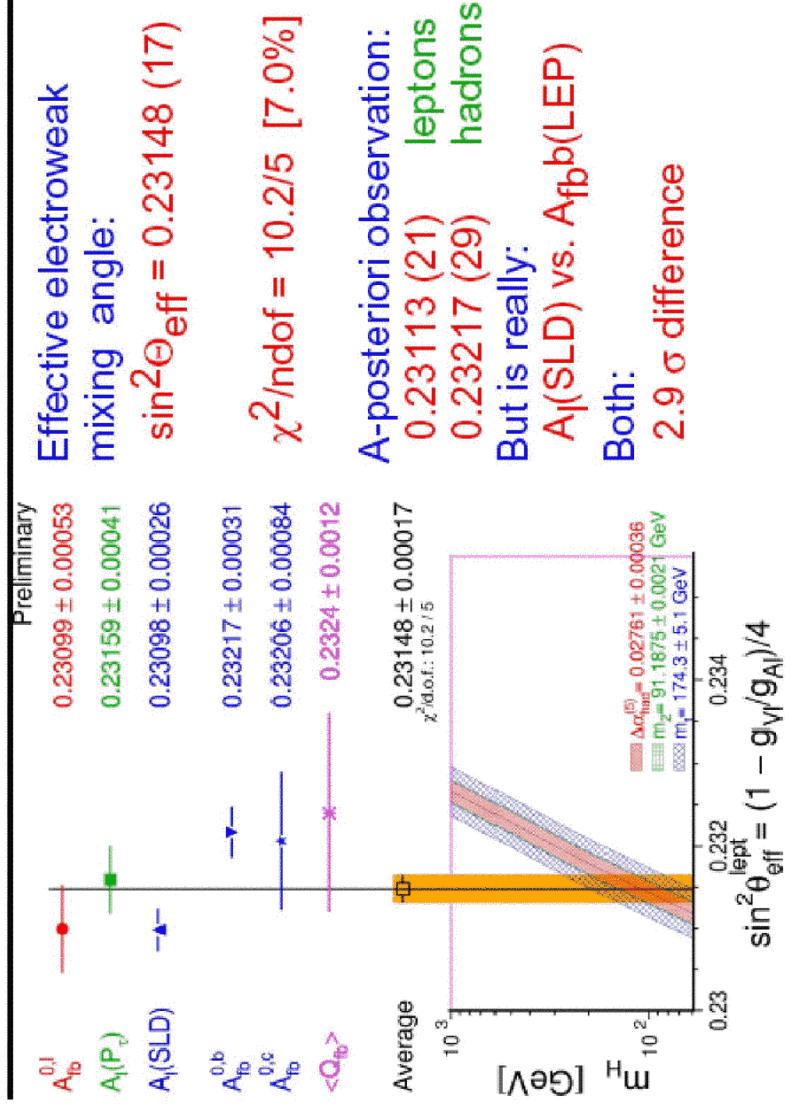
- The measured values of $\sin^2\theta_{\text{eff}}$ from leptonic (A_{LR}) and from hadronic (A_{FB}^b) asymmetries are $\sim 3\sigma$ away
- The measured value of m_W is somewhat high
- The central value of m_H ($m_H=83+50-33$ GeV) from the fit is below the direct lower limit ($m_H \geq 114.4$ GeV at 95%) [more so if $\sin^2\theta_{\text{eff}}$ is close to that from leptonic (A_{LR}) asymm. $m_H < \sim 110$ GeV]

Chanowitz;
GA, F. Caravaglios, G. Giudice, P. Gambino, G. Ridolfi

Hints of new physics effects??

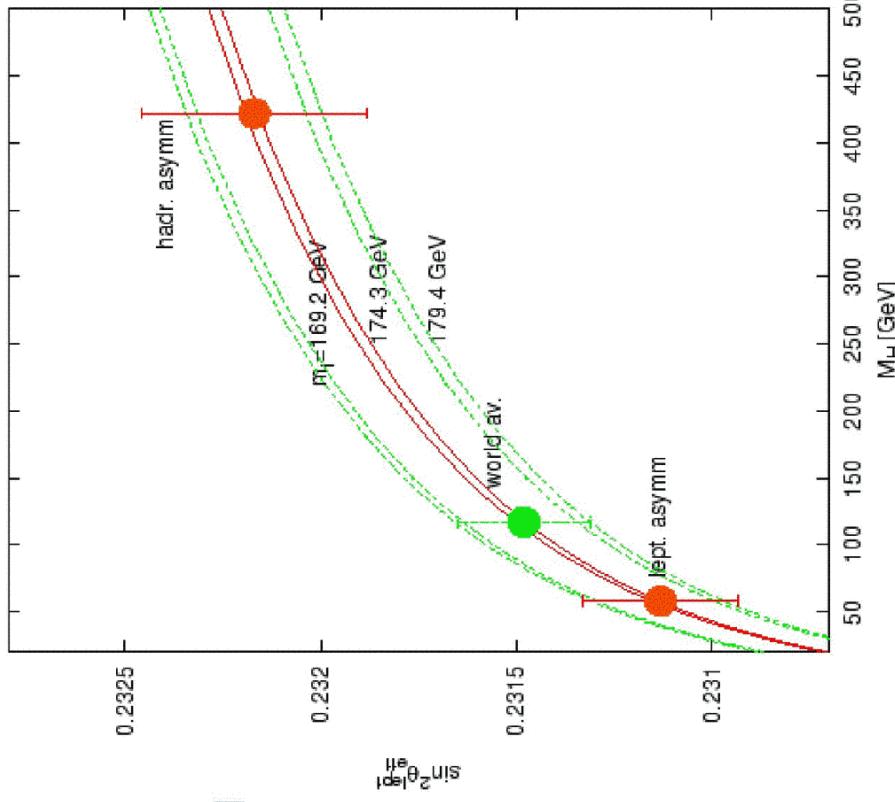
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Comparison of all Z-Pole Asymmetries



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[copied from Grunewald, Amsterdam '02 talk]



Exp. values are plotted
at the m_H point that
better fits given m_t^{exp}

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Question Marks on EW Precision Tests

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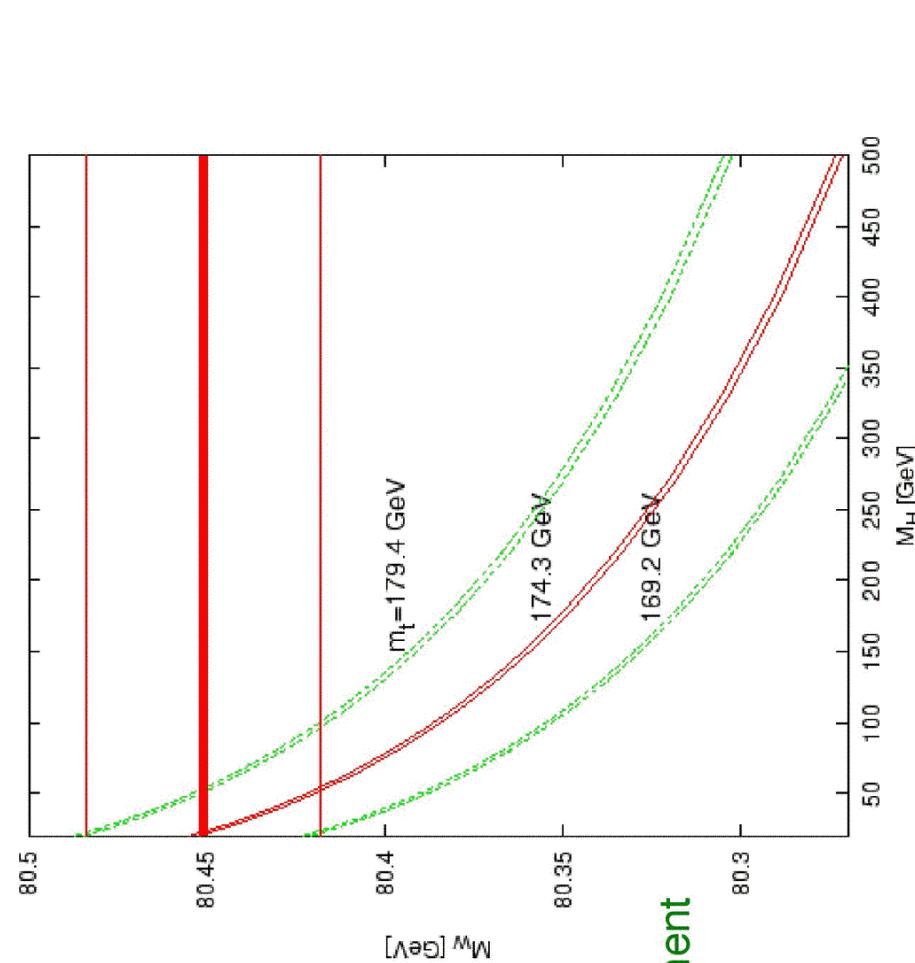
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 GA, F. Caravaglios, G. Giudice, P. Gambino, G. Ridolfi

Hints of new physics effects??

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Plot m_W vs m_H



m_W points to a
light Higgs

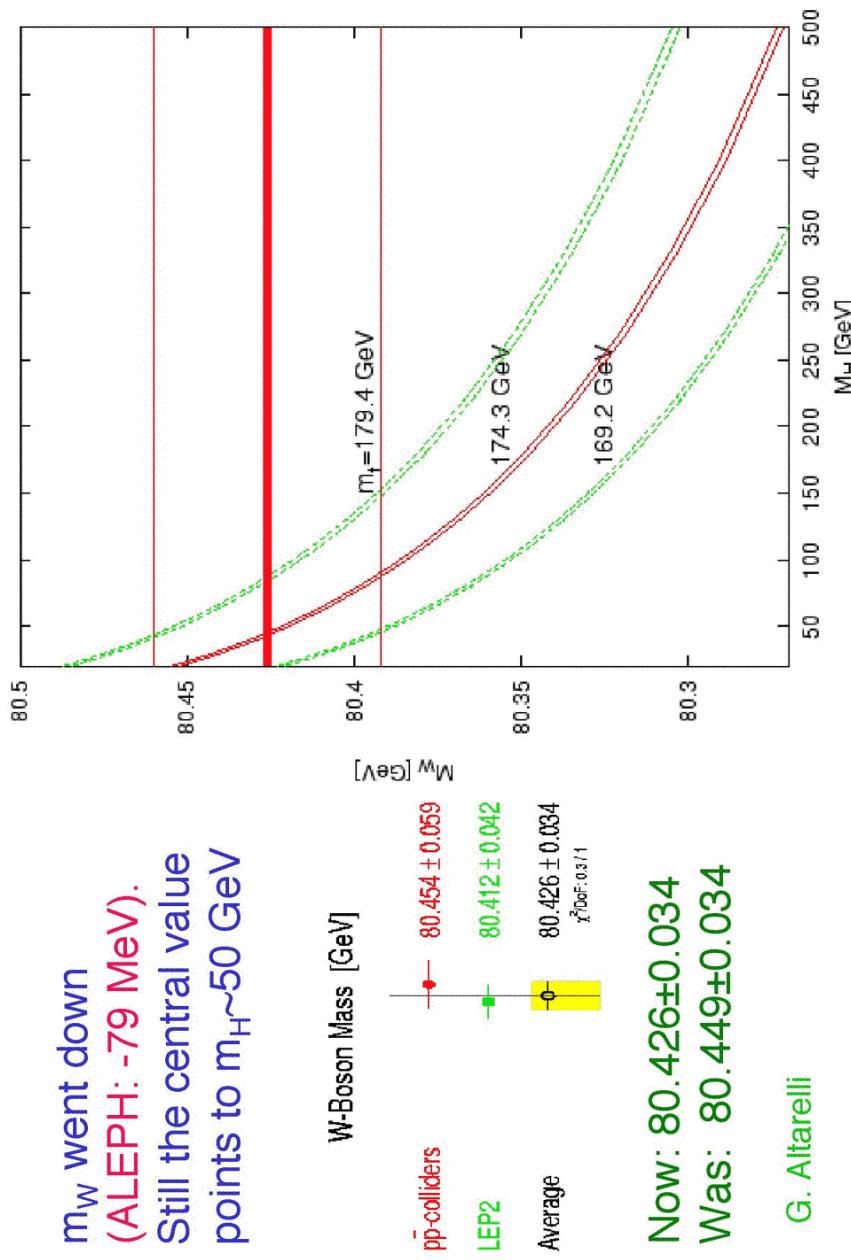
Like $[\sin^2\theta_{\text{eff}}]_I$

Note that if m_t is
larger m_H increases
→ better agreement
with bound
 $m_H > 114 \text{ GeV}$

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New developments (winter '03)



Question Marks on EW Precision Tests

- The measured values of $\sin^2\theta_{\text{eff}}$ from leptonic (A_{LR}) and from hadronic (A_{FB}^b) asymmetries are $\sim 3\sigma$ away from the central value of m_H ($m_H = 83+50-33$ GeV) from the fit is below the direct lower limit ($m_H \geq 114.4$ GeV at 95%) [more so if $\sin^2\theta_{\text{eff}}$ is close to that from leptonic (A_{LR}) asymm. $m_H < \sim 110$ GeV]
- The measured value of m_W is somewhat high

Chanowitz;
GA, F. Caravaglios, G. Giudice, P. Gambino, G. Ridolfi

Hints of new physics effects??

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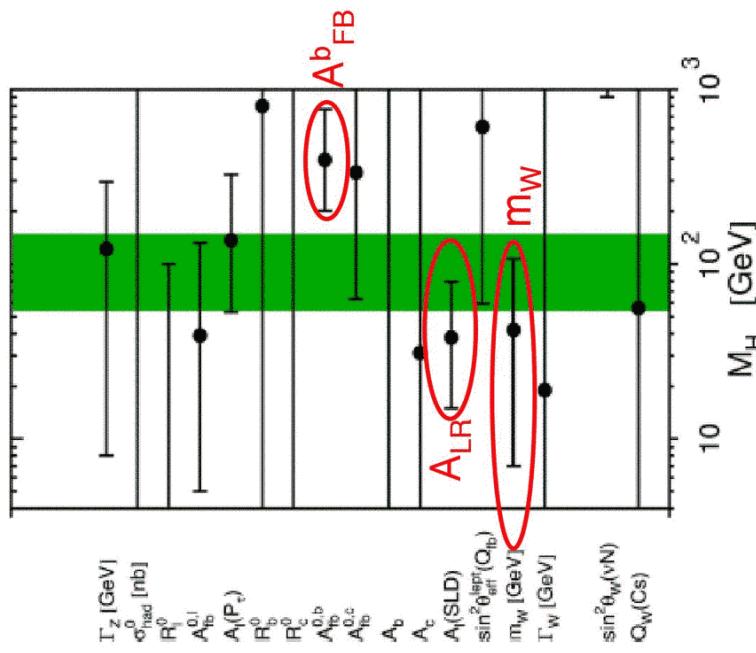
Sensitivities to m_H

The central value of m_H would be even lower if not for A_{FB}^b

One problem helps the other:
 A_{FB}^b vs A_{LR} confusion is somewhat hiding the problem of A_{LR} , m_W clashing with $m_H > 14.4$ GeV

A_{FB}^b vs A_{LR} confusion is somewhat hiding the problem of A_{LR} , m_W clashing with $m_H > 14.4$ GeV

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Some indicative fits

Note: here 2001 data

Taking $\sin^2 \theta_{\text{eff}}$ from leptonic or hadronic asymmetries as separate inputs, $[\sin^2 \theta_{\text{eff}}]_l$ and $[\sin^2 \theta_{\text{eff}}]_h$, with $\alpha^{-1}_{\text{QED}} = 128.936 \pm 0.049$ (BP'01) we obtain:

$\chi^2/\text{ndof} = 18.4/4$, CL=0.001; $m_H^{\text{central}} = 100$ GeV,
 $m_H < 212$ GeV at 95%

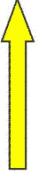
Taking $\sin^2 \theta_{\text{eff}}$ from only hadronic asymm. $[\sin^2 \theta_{\text{eff}}]_h$

$\chi^2/\text{ndof} = 15.3/3$, CL=0.0016;

Taking $\sin^2 \theta_{\text{eff}}$ from only leptonic asymm. $[\sin^2 \theta_{\text{eff}}]_l$

$\chi^2/\text{ndof} = 2.5/3$, CL=0.33; $m_H^{\text{central}} = 42$ GeV,
 $m_H < 109$ GeV at 95%

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 Much better χ^2 but clash with direct limit!

- It is not simple to explain the difference $[\sin^2\theta]_l$ vs $[\sin^2\theta]_h$ in terms of new physics.
A modification of the Z \rightarrow bb vertex (but R_b and A_b (SLD) look \sim normal)? 

- Probably it arises from an experimental problem
- Then it is very unfortunate because $[\sin^2\theta]_l$ vs $[\sin^2\theta]_h$ makes the interpretation of precision tests ambiguous

Choose $[\sin^2\theta]_h$: bad χ^2 (clashes with m_W, \dots)

Choose $[\sin^2\theta]_l$: good χ^2 , but m_H clashes with direct limit

- In the last case, SUSY effects from light s-leptons, charginos and neutralinos, with moderately large $\tan\beta$ can solve the m_H problem and lead to a better fit of the data

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A_{FB}^b vs $[\sin^2\theta]_{lept}$: New physics in Zbb vertex?

Unlikely!! (but not impossible->)

$$A_{FB}^b = \frac{3}{4} A_e A_b \quad A_f = \frac{s_L^2 - s_R^2}{s_L^2 + s_R^2}$$

For b: $s_L = g_V - g_A = -1 + \frac{2}{3}s^2 = -0.846$

$$s_R = g_V + g_A = \frac{2}{3}s^2 = 0.154$$

$$\hookrightarrow s_L^2 \approx 0.72 \Rightarrow s_R^2 \approx 0.02$$

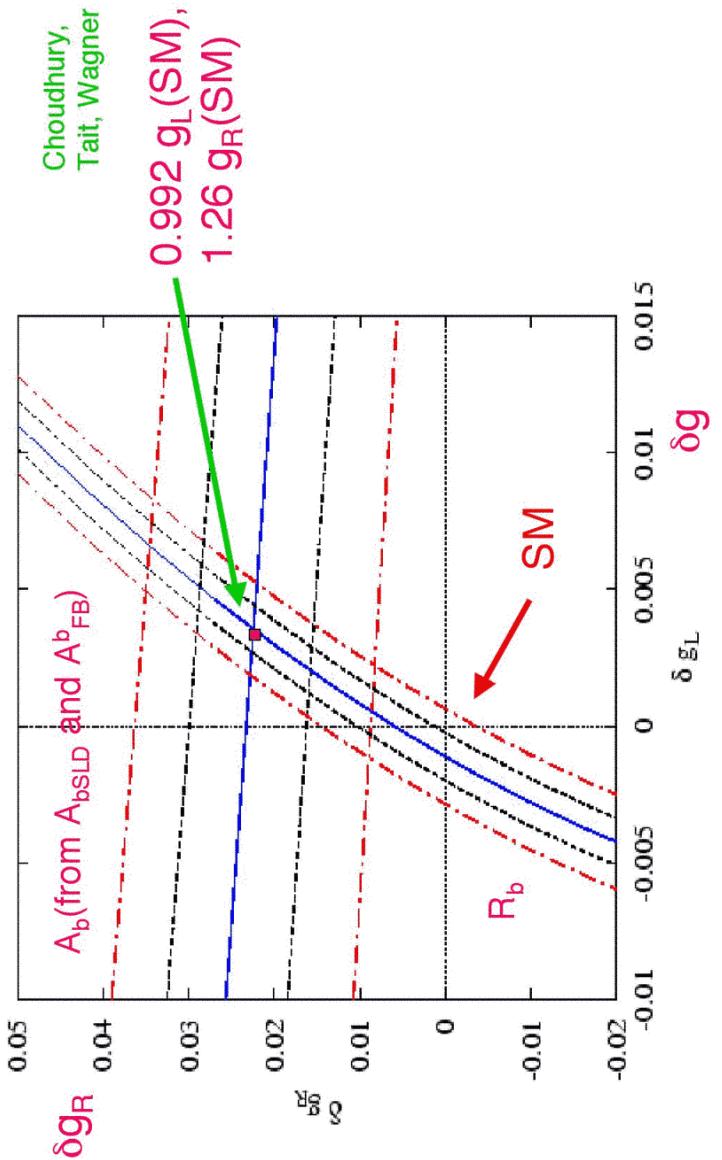
$$(A_b)_{SM} \approx 0.936$$

From $A_{FB}^b = 0.0995 \pm 0.0017$, using $[\sin^2\theta]_{lept} = 0.23113 \pm 0.00020$ or
 $A_e = 0.1501 \pm 0.0016$,
one obtains $A_b = 0.884 \pm 0.018$

$$(A_b)_{SM} - A_b = 0.052 \pm 0.018 \rightarrow 2.9 \sigma$$

A large δg_R needed (by about 30%!) 

But note: $(A_b)_{SLD} = 0.922 \pm 0.020$,
 $R_b = 0.21644 \pm 0.00065$ ($R_b^{SM} \sim 0.2157$)



A possible model involves mixing of the b quark with a vectorlike doublet (ω, χ) with charges (-1/3, -4/3)

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GA, F. Caravaglios, G. Giudice, P. Gambino, G. Ridolfi

For an analysis of the data beyond the SM we use the ϵ formalism GA, R.Barbieri, F.Caravaglios, S.Jadach

One introduces $\epsilon_1, \epsilon_2, \epsilon_3, \epsilon_b$ such that:

- Focus on pure weak rad. correct's, i.e. vanish in limit of tree level SM + pure QED and/or QCD correct's
[a good first approximation to the data]

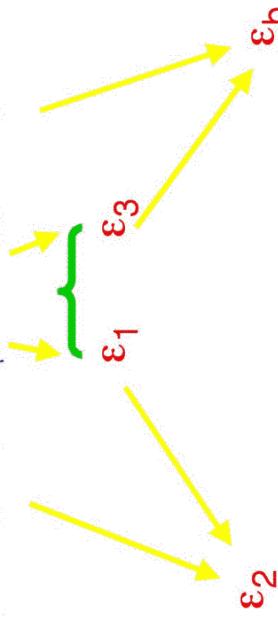


- Are sensitive to vacuum pol. and $Z \rightarrow b\bar{b}$ vertex corr.s (but also include non oblique terms)
- Can be measured from the data with no reference to m_t and m_H (as opposed to $S, T, U \rightarrow \epsilon_3, \epsilon_1, \epsilon_2$)

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One starts from a set of defining observables:

$$O_i = m_\omega/m_Z, \Gamma_\mu, A_{FB}^\mu, R_b$$

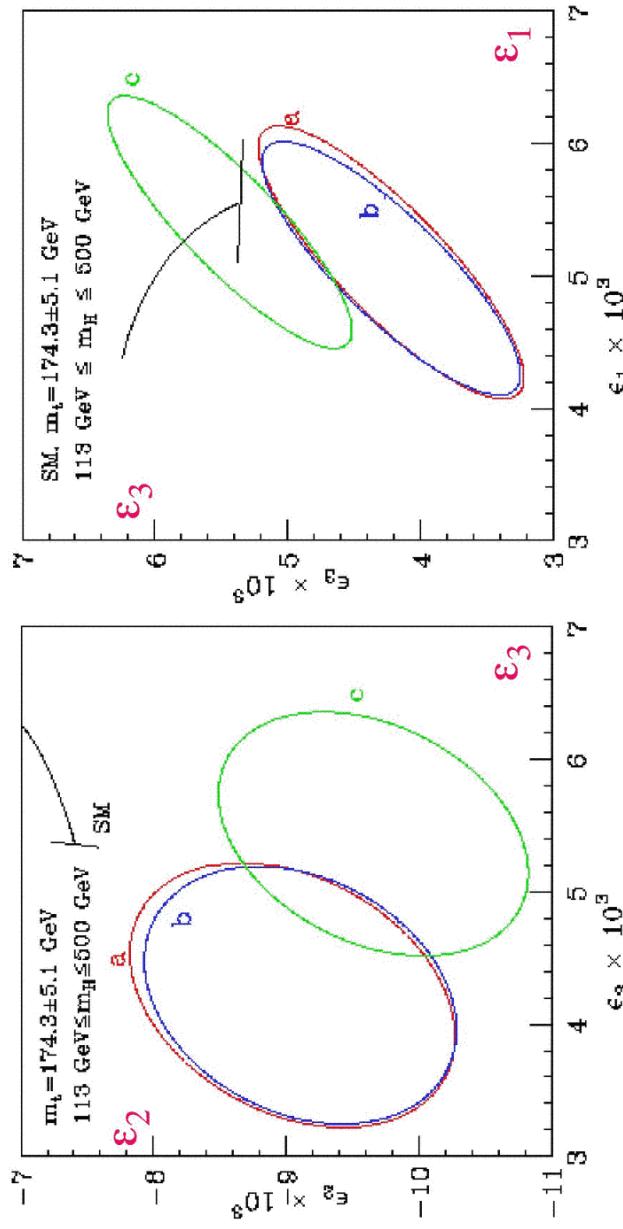


$$O_i[\epsilon_k] = O_i^{''Born''}[1 + A_{ik} \epsilon_k + \dots]$$

$O_i^{''Born''}$ includes pure QED and/or QCD corr's.
 A_{ik} is independent of m_t and m_H

Assuming lepton universality: $\Gamma_\mu, A_{FB}^\mu \rightarrow \Gamma_l, A_{FB}^l$
To test lepton-hadron universality one can add
G. Altarelli Γ_Z, σ_h, R_l to Γ_l etc.

a: $m_W, \Gamma_b, R_b, [\sin^2\theta]_l$
b: $m_W, \Gamma_b, R_b, \Gamma_Z, \sigma_h, R_l, [\sin^2\theta]_l$
c: $m_W, \Gamma_b, R_b, \Gamma_Z, \sigma_h, R_l, [\sin^2\theta]_l + [\sin^2\theta]_h$



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ε_1 is OK, ε_2 is low (m_W),
 ε_3 depends on $\sin^2\theta$: low for $[\sin^2\theta]_l$ (m_H)

The EWWG gives (summer '03):

$$\begin{aligned}\varepsilon_1 &= 5.4 \pm 1.0 \cdot 10^{-3} \\ \varepsilon_2 &= -9.7 \pm 1.2 \cdot 10^{-3} \\ \varepsilon_3 &= 5.25 \pm 0.95 \cdot 10^{-3} \\ \varepsilon_b &= -4.7 \pm 1.6 \cdot 10^{-3}\end{aligned}$$

Non-degenerate
much larger shift of ε_1

For comparison:
a mass degenerate fermion multiplet gives

$$\Delta \varepsilon_3 = N_C \frac{G_F m_W^2}{8\pi^2 \sqrt{2}} \cdot \frac{4}{3} [T_{3L} - T_{3R}]^2$$

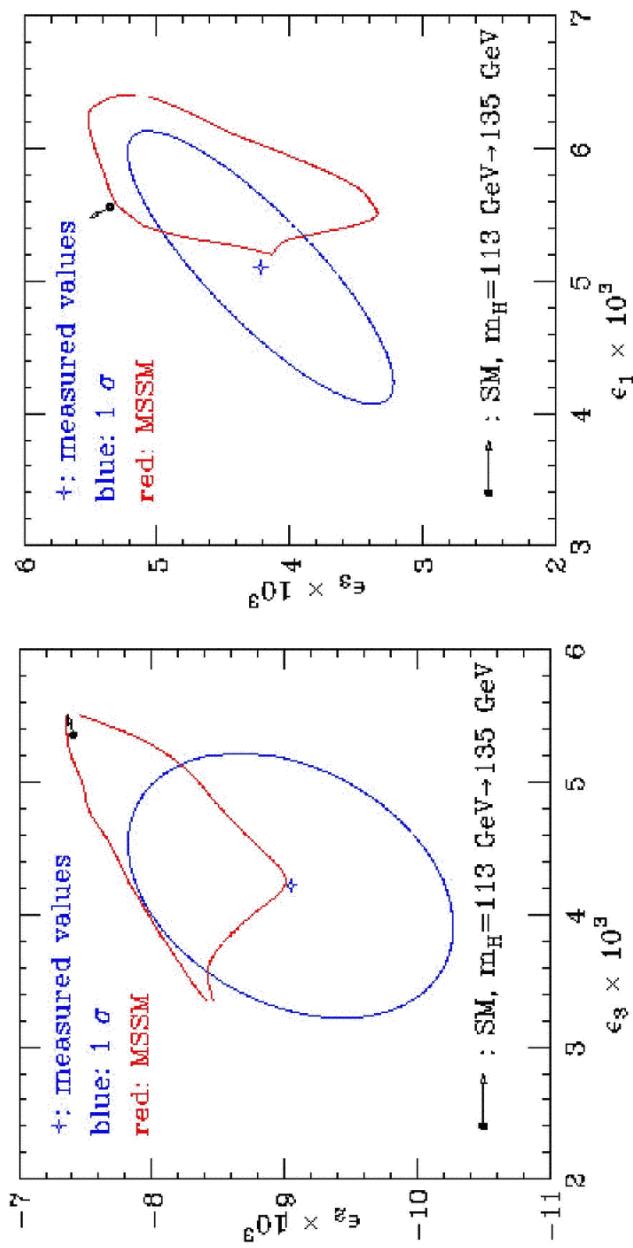
For each member
of the multiplet

$$\Delta \varepsilon_3 = +1.4 \cdot 10^{-3}$$

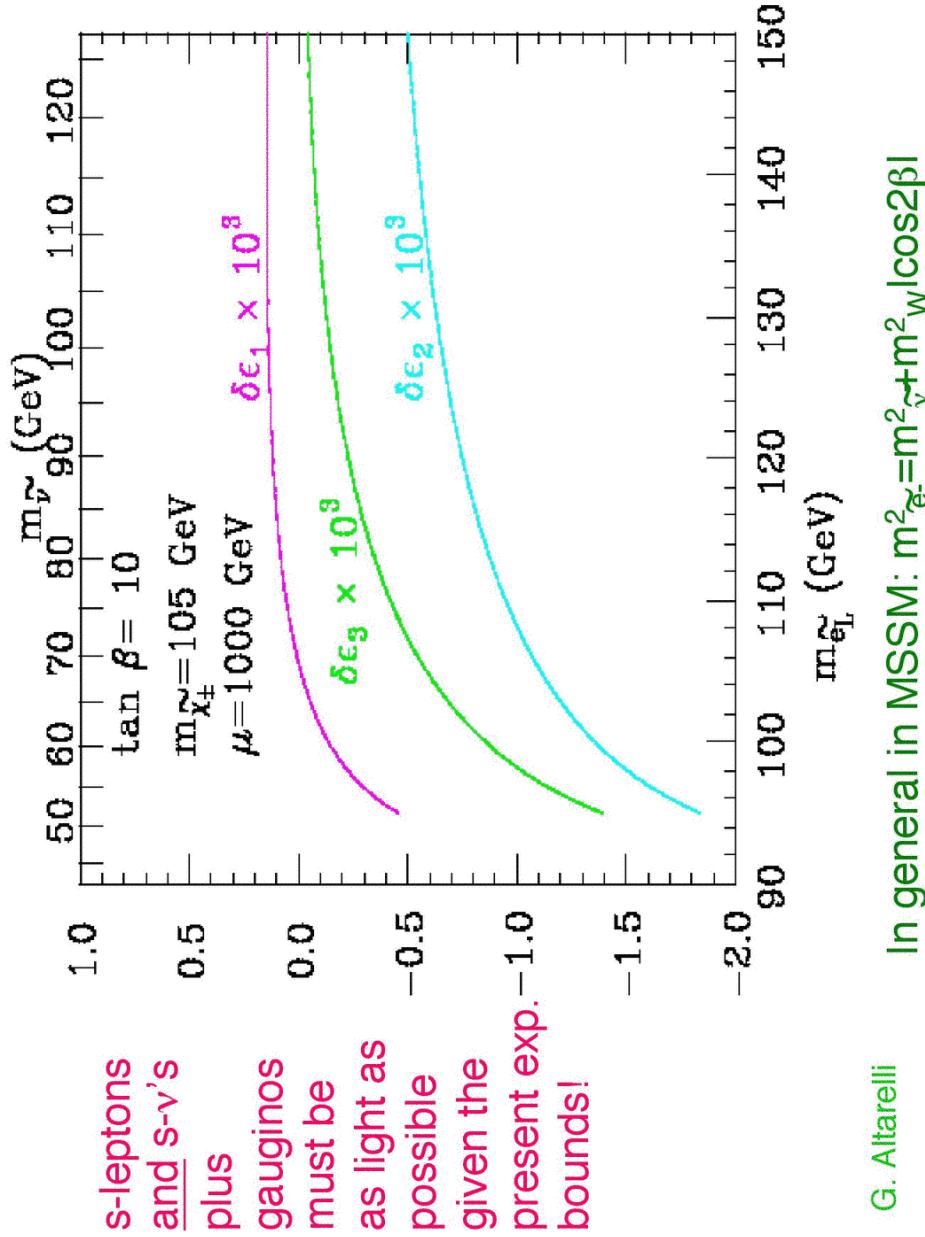
(Note that ε_3 if anything is low!)

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MSSM: $m_{\tilde{q}_L} = 96\text{-}300 \text{ GeV}$, $m_{\chi_1^-} = 105\text{-}300 \text{ GeV}$,
 $\mu = (-1)\text{-(+1)} \text{ TeV}$, $\tan\beta = 10$, $m_h = 113 \text{ GeV}$,
 $m_A = m_{\tilde{e}_R} = m_{\tilde{q}} = 1 \text{ TeV}$

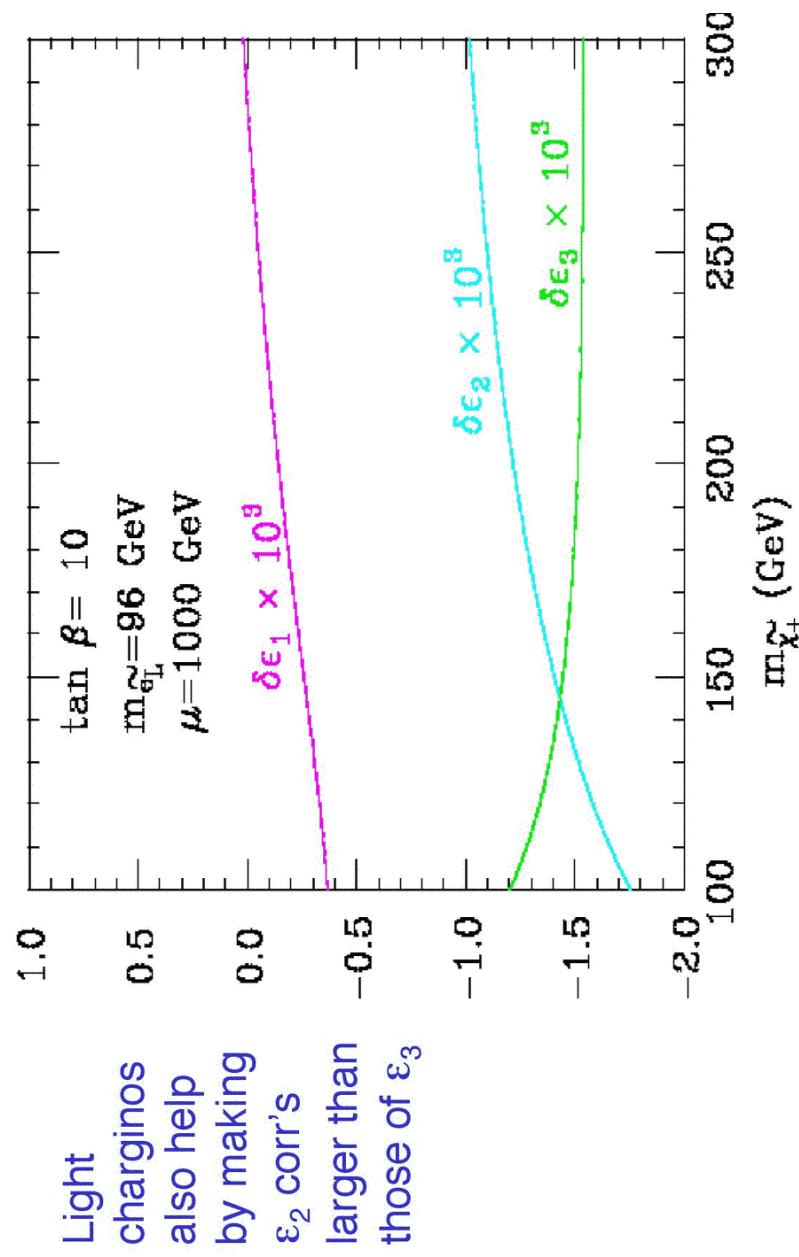


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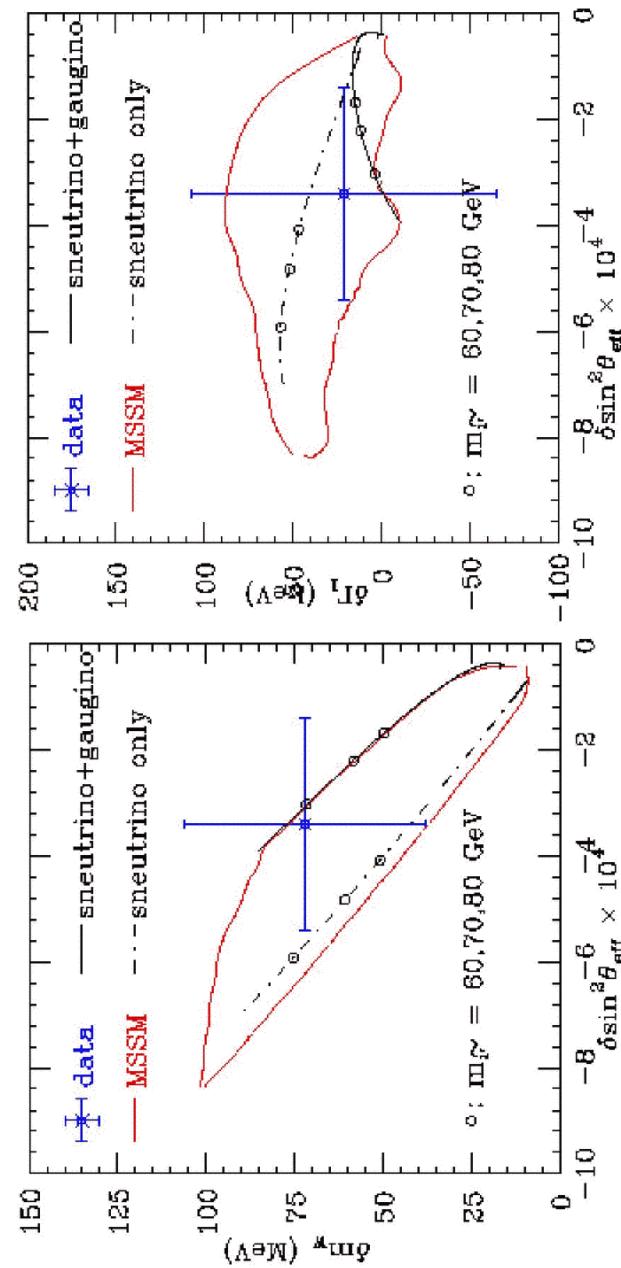


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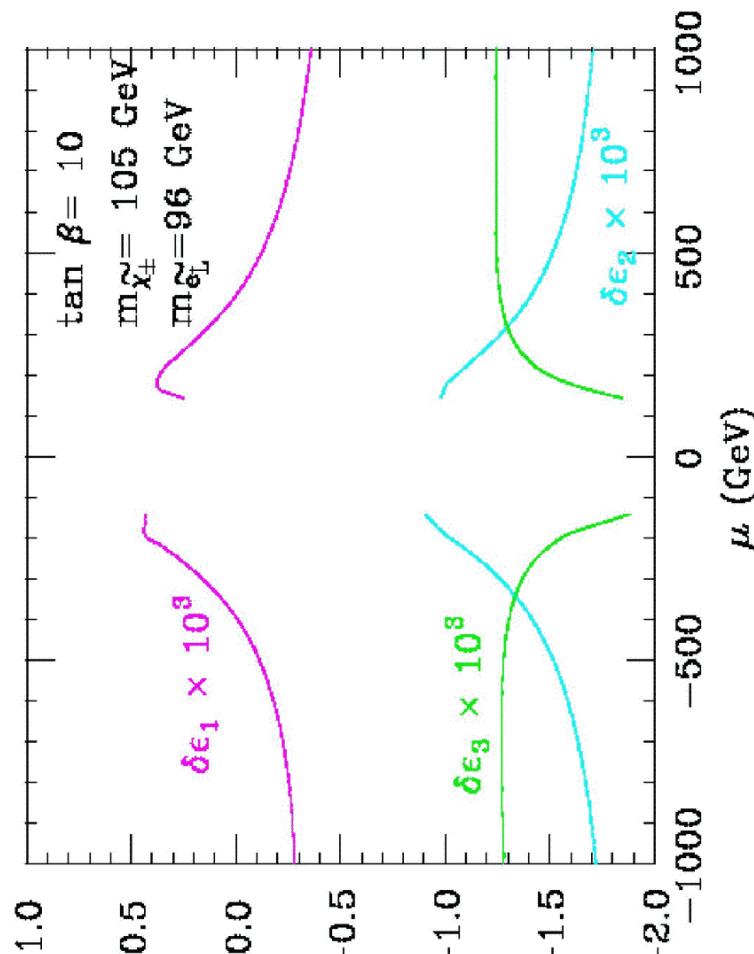
In general in MSSM: $m_{\tilde{e}_R}^2 = m_{\tilde{e}_L}^2 + m_W^2 \cos 2\beta$



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This model is compatible with $(g-2)_\mu$

Typically at large $\tan \beta$:

Exp. ~ 300

$\delta a_\mu \sim 150 \cdot 10^{-11} (100 \text{ GeV}/m)^2 \tan \beta$

OK for e.g. $\tan \beta \sim 4$, $m_{\chi} \sim 140 \text{ GeV}$

The model predicts a deviation!

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The Standard Model works very well

So, why not find the Higgs and declare particle physics solved?

First, you have to find it!

Because of both:



Conceptual problems

- Quantum gravity
- The hierarchy problem
- ...

and experimental clues:

- Coupling unification
- Neutrino masses
- Baryogenesis
- Dark matter
- Vacuum energy
- ...

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Conceptual problems of the SM

Most clearly:

- No quantum gravity ($M_{Pl} \sim 10^{19}$ GeV)
- But a direct extrapolation of the SM leads directly to GUT's ($M_{GUT} \sim 10^{16}$ GeV)



M_{GUT} close to M_{Pl}

- suggests unification with gravity as in superstring theories

- poses the problem of the relation m_w vs M_{GUT} - M_{Pl}

Can the SM be valid up to M_{GUT} - M_{Pl} ??

← The hierarchy problem

Not only it looks very unlikely, but the new physics must be near the weak scale!

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For the low energy theory: the "little hierarchy" problem:

e.g. the top loop (the most pressing):

$$\text{t} \quad \text{h} \quad \longrightarrow \quad m_h^2 = m_{\text{bare}}^2 + \delta m_h^2$$

$$\delta m_h^2 |_{top} = \frac{3 G_F}{\sqrt{2}\pi^2} m_t^2 \Lambda^2 \sim (0.3 \Lambda)^2$$

This hierarchy problem demands new physics near the weak scale

Λ : scale of new physics beyond the SM

- $\Lambda > m_Z$: the SM is so good at LEP
- $\Lambda \sim$ few times $G_F^{-1/2} \sim o(1 \text{TeV})$ for a natural explanation of m_h or m_W

Barbieri, Strumia

The LEP Paradox: m_h light, new physics must be so close but its effects are not directly visible

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$$m_h^2 = m_{\text{bare}}^2 + \delta m_h^2$$

$$\delta m_h^2 |_{top} = \frac{3 G_F}{\sqrt{2}\pi^2} m_t^2 \Lambda^2 \sim (0.3 \Lambda)^2$$

$$\Lambda \sim o(1 \text{TeV})$$

Examples:



SUSY

- Supersymmetry: boson-fermion symm.
- exact (**unrealistic**): cancellation of $\delta \mu^2$
- approximate (**possible**): $\Lambda \sim m_{\text{susy}} - m_{\text{ord}}$

The most widely accepted

- The Higgs is a $\bar{\psi}\psi$ condensate. No fund. scalars. But needs new very strong binding force: $\Lambda_{\text{new}} \sim 10^3 \Lambda_{\text{QCD}}$ (technicolor).

Strongly disfavoured by LEP

- Large extra spacetime dimensions that bring M_P down to $o(1 \text{TeV})$

Elegant and exciting. Rich potentiality. Does it work?

- Models where extra symmetries allow m_h only at 2 loops and non pert. regime starts at $\Lambda \sim 10 \text{ TeV}$

"Little Higgs" models. Does it work?

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SUSY at the Fermi scale

- Many theorists consider SUSY as established at M_{Pl} (superstring theory).

- Why not try to use it also at low energy to fix some important SM problems.

- Possible viable models exists:
 - MSSM softly broken with gravity mediation
 - Or with gauge messengers
 - or with anomaly mediation
 - ...

- Maximally rewarding for theorists

Degrees of freedom identified

Hamiltonian specified

Theory formulated, finite and computable up to M_{Pl}

Unique!

- G. Altarelli Fully compatible with, actually supported by GUT's

SUSY fits with GUT's

- Coupling unification: Precise matching of gauge couplings at M_{GUT} fails in SM and is well compatible in SUSY

Non SUSY GUT's

$$\alpha_s(m_Z) = 0.073 \pm 0.002$$

SUSY GUT's

$$\alpha_s(m_Z) = 0.130 \pm 0.010$$

Langacker, Polonski

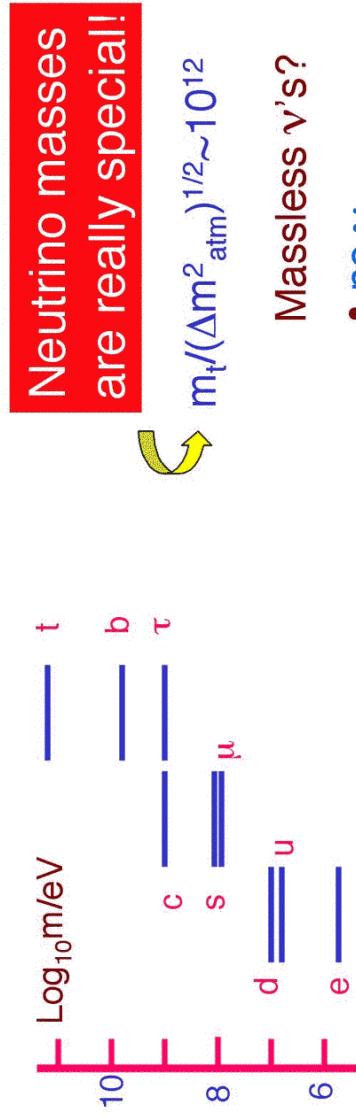
Dominant error:
thresholds near M_{GUT}

- Proton decay: Far too fast without SUSY

$$M_{\text{GUT}} \sim 10^{15} \text{ GeV}$$

- non SUSY $\rightarrow 10^{16} \text{ GeV}$ SUSY
- Dominant decay: Higgsino exchange

While GUT's and SUSY very well match,
(best phenomenological hint for SUSY!)
 in technicolor , large extra dimensions,
 little higgs etc., there is no ground for GUT's



Massless ν's?

- no ν_R
- L conserved

Small ν masses?

- ν_R very heavy
- L not conserved



v's are nearly massless because they are Majorana particles and get masses through L non conserving interactions suppressed by a large scale M ~ M_{GUT}

$$m_\nu \sim \frac{m^2}{M}$$

$m \leq m_t \sim v \sim 200 \text{ GeV}$
 $M: \text{scale of } L \text{ non cons.}$

Note:

$$m_\nu \sim (\Delta m^2_{atm})^{1/2} \sim 0.05 \text{ eV}$$

$$m \sim v \sim 200 \text{ GeV}$$

$M \sim 10^{15} \text{ GeV}$

Neutrino masses are a probe of physics at M_{GUT} !

Baryogenesis

A most attractive possibility:

BG via Leptogenesis near the GUT scale

$T \sim 10^{12\pm3}$ GeV (after inflation)
 Only survives if $\Delta(B-L) \neq 0$
 (otherwise is washed out at T_{ew} by instantons)

Main candidate: decay of lightest ν_R ($M \sim 10^{12}$ GeV)

L non conserv. in ν_R out-of-equilibrium decay:
 $B-L$ excess survives at T_{ew} and gives the obs. B asymmetry.

Quantitative studies confirm that the range of m_i from
 ν oscill's is compatible with BG via (thermal) LG

In particular the bound
 was derived

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$m_i < 10^{-1}$ eV Close to WMAP

Buchmuller, Di Bari, Plumacher

Dark Matter

Most of the Universe is not made up of
 atoms: $\Omega_{tot} \sim 1$, $\Omega_b \sim 0.04$, $\Omega_m \sim 0.3$

Most is non baryonic dark matter and dark energy

Cold

Non relativistic
 at freeze out



Good clustering at small distances
 (galaxies, ...)

SUSY:



Neutralino:
 Good candidate

Axions not excluded

Hot

Relativistic
 at freeze out

Could be ν 's

But:
 $\Omega_\nu < 0.015$ (WMAP)

Relevant for large scale mass distrib'n's

Conclusion:

Most Dark Matter is Cold (Neutralinos, Axions...)
 Significant Hot Dark matter is disfavoured
 Neutrinos are not much cosmo-relevant.

The scale of the cosmological constant is a big mystery.

$\Omega_\Lambda \sim 0.65$ → $\rho_\Lambda \sim (2 \cdot 10^{-3} \text{ eV})^4 \sim (0.1 \text{ mm})^{-4}$

In Quantum Field Theory: $\rho_\Lambda \sim (\Lambda_{\text{cutoff}})^4$

Similar to m_ν !?

In Quantum Field Theory: $\rho_A \sim (\Lambda_{\text{cutoff}})^4$

$\rightarrow \beta_A \sim 10^{123} \rho_{\text{obs}}$

Exact SUSY would solve the problem: $\rho_\Lambda = 0$

But SUSY is broken: $\rho_\Lambda \sim (\Lambda_{\text{SUSY}})^4 < 10^{59} \rho_{\text{obs}}$

It is interesting that the correct order is $(\rho_N)^{1/4} \sim (\Lambda_{EW})^2/M_P$

On four conditions

- So far no solution.
 - A modification of gravity at 0.1 mm? (large extra dim.)
 - Leak of vac. energy to other universes (wormholes)?

...

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Other problem:
Why now?

Why now?

Quintessence? \uparrow

A 1

Now

But: Lack of SUSY signals at LEP + lower limit on m_H → problems for minimal SUSY

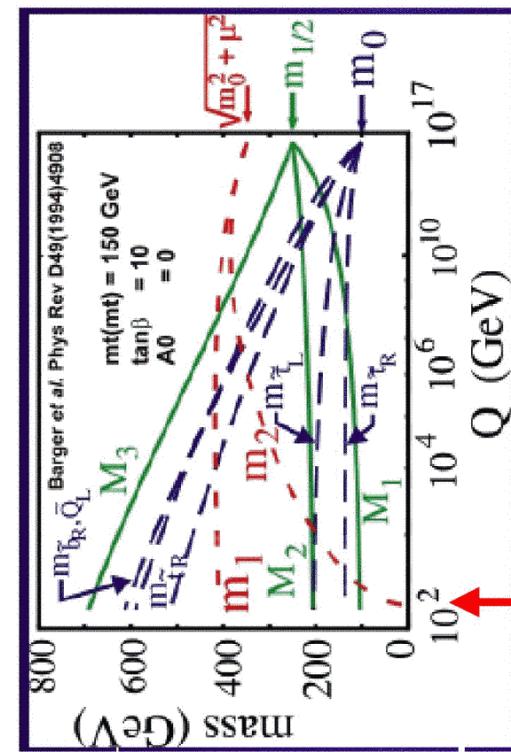
- $\ln \frac{m_h^2}{m_Z^2 \cos^2 2\beta} + \frac{3 \alpha_w m_t^4}{4\pi m_W^2 \sin^2 \beta} \ln \frac{\tilde{m}_t^4}{m_t^4} < 130 \text{ GeV}$

So $m_H > 114$ GeV considerably reduces available parameter space.

- In SUSY EW symm. breaking is induced by H_u running

Exact
location
implies

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m_Z can be expressed in terms of SUSY parameters

For example, assuming universal masses at M_{GUT} for scalars and for gauginos

$$m_Z^2 \approx c_{1/2} m_{1/2}^2 + c_0 m_0^2 + c_f A_f^2 + c_{\mu\mu}^2 \quad c_a = c_a(m_t, \alpha_i, \dots)$$

Clearly if $m_{1/2}, m_0, \dots \gg m_Z$: Fine tuning!

LEP results (e.g. $m_{\chi^+} > \sim 100$ GeV) exclude gaugino universality if no FT by $> \sim 20$ times is allowed

Without gaugino univ. the constraint only remains on m_{gluino} and is not incompatible

[Exp. : $m_{\text{gluino}} > \sim 200$ GeV]

Barbieri, Giudice; de Carlos, Casas; Barbieri, Strumia; Kane, King;
Kane, Lykken, Nelson, Wang.....

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Large Extra Dimensions

Solve the hierarchy problem by bringing gravity down from M_{Pl} to $\text{o}(1 \text{TeV})$

Arkani-Hamed, Dimopoulos/ Dvali+Antoniadis/ Randall, Sundrum.....

Inspired by string theory, one assumes:

- Large compactified extra dimensions
- SM fields are on a brane
- Gravity propagates in the whole bulk



The idea is that gravity appears weak as a lot of lines of force escape in extra dimensions

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$r \gg R$: ordinary Newton law

$$F \sim \frac{G_N}{r^2} \sim \frac{1}{M_{Pl}^2 r^2}$$

$r \ll R$: lines in all dimensions

Gauss in d dim:
 $r^{d-2} \rho \sim m$

$$F \sim \frac{1}{m^2 (mr)^{d-4} \cdot r^2}$$

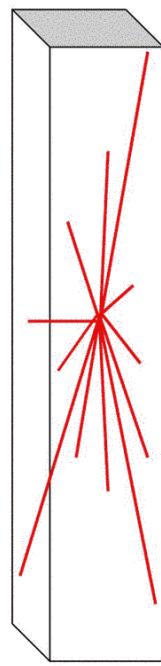
By matching at $r=R$

$$\left(\frac{M_{Pl}}{m}\right)^2 = (Rm)^{d-4}$$



For $m \sim 1 \text{ TeV}$, ($d=4 = n$)

- $n = 1 \quad R \sim 10^{15} \text{ cm (excluded)}$
- $n = 2 \quad R \sim 1 \text{ mm (close to limits)}$
- $n = 4 \quad R \sim 10^{-9} \text{ cm}$
- ...



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Limits on deviations from Newton law

$$V(r) = -G \frac{m_1 m_2}{r} (1 + \alpha e^{-r/\lambda})$$

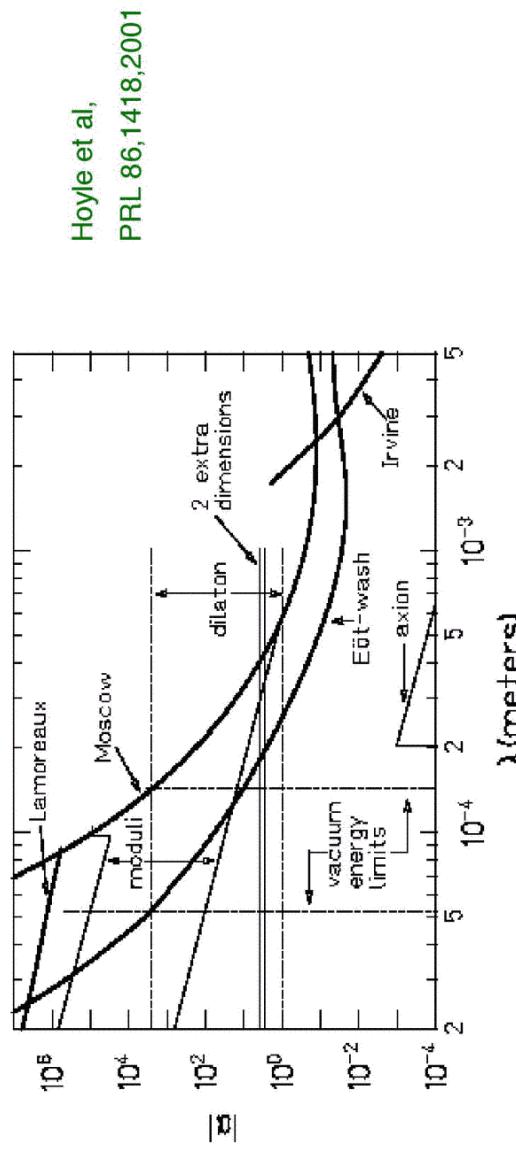


FIG. 4. 95% confidence upper limits on $1/r^2$ -law violating interactions of the form given by Eq. (2). The region excluded by previous work [2,3,20] lies above the heavy lines labeled Irvine, Moscow and Lamoreaux, respectively. The data in Fig. 3 imply the constraint shown by the heavy line labeled Eöt-wash. Constraints from previous experiments and the theoretical predictions are adapted from Ref. [8], except for the dilaton prediction which is from Ref. [14].

Generic feature: compact dim. $p=n/R$ $m^2=n^2/R^2$

$$p=n/R \quad m^2=n^2/R^2 \quad (\text{quantization in a box})$$

- SM fields on a brane
- The brane can itself have a thickness r : $1/r > \sim 1 \text{ TeV} \rightarrow r < \sim 10^{-17} \text{ cm}$
- KK recurrences of SM fields: W_n, Z_n etc

Many possibilities:
perhaps the most promising

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$$\left\{ \begin{array}{l} \text{cfr: Gravity on bulk} \\ 1/R > \sim 10^{-3} \text{ eV} \end{array} \right. \rightarrow R < \sim 0.1 \text{ mm}$$

- Factorized metric:

$$ds^2 = \eta_{\mu\nu} dx^\mu dx^\nu + h_{ij}(y) dy^i dy^j$$

- Warped metric:

$$\begin{aligned} ds^2 &= e^{-2mR|\phi|} \eta_{\mu\nu} dx^\mu dx^\nu - R^2 \varphi^2 \\ \zeta &= M_P \exp(-2mR\pi) \end{aligned}$$

$$R \sim 10 \text{ mm}$$

- Large Extra Dimensions is a very exciting scenario.

- However, by itself it is difficult to see how it can solve the main problems (hierarchy, the LEP Paradox)

$$\boxed{\left(\frac{M_P \Lambda}{m}\right)^2 = (Rm)^{d-4}}$$

$m = M_P \exp(-2mR\pi)$

* $\Lambda \sim 1/R$ must be small (m_H light)

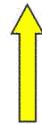
- * But precision tests put **very strong lower limits** on Λ (several TeV)

In fact in typical models of this class there is no mechanism to sufficiently quench the corrections

- But could be part of the truth!

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- Interesting directions explored

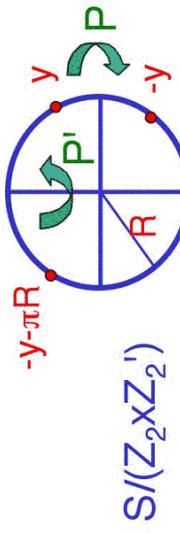


Symmetry breaking by orbifolding

For $1/R \sim M_{\text{GUT}}$
 GUT's in ED: very appealing
 $SU(5), SO(10)$ in 5 or 6 dimensions

Kawamura/GA, Feruglio/ Hall, Nomura;
 Hebecker, March-Russell;
 Hall, March-Russell, Okui, Smith
 Asaka, Buchmuller, Covi
 ...

- No baroque Higgs system $\phi_{++}(x_\mu, y) = \sqrt{\frac{2}{\pi R}} \cdot \sum_n \phi_{++}^{(2n)}(x_\mu) \cos \frac{2ny}{R}$
- Natural doublet-triplet splitting $\phi_{+-}(x_\mu, y) = \sqrt{\frac{2}{\pi R}} \cdot \sum_n \phi_{+-}^{(2n+1)}(x_\mu) \cos \frac{2n+1}{R}y$
- Coupling unification can be maintained
- $\phi_+(x_\mu, y) = \sqrt{\frac{2}{\pi R}} \cdot \sum_n \phi_{+-}^{(2n+1)}(x_\mu) \sin \frac{2n+1}{R}y$
- $\phi_-(x_\mu, y) = \sqrt{\frac{2}{\pi R}} \cdot \sum_n \phi_{--}^{(2n+2)}(x_\mu) \sin \frac{2n+2}{R}y$



$$Z_2 \rightarrow P: y \leftrightarrow -y$$

$$Z'_2 \rightarrow P': y' \leftrightarrow -y'$$

$$y' = y + \pi R/2$$

$$\text{or } y \leftrightarrow -y - \pi R$$

$$\dots$$

Symmetry breaking at the weak scale

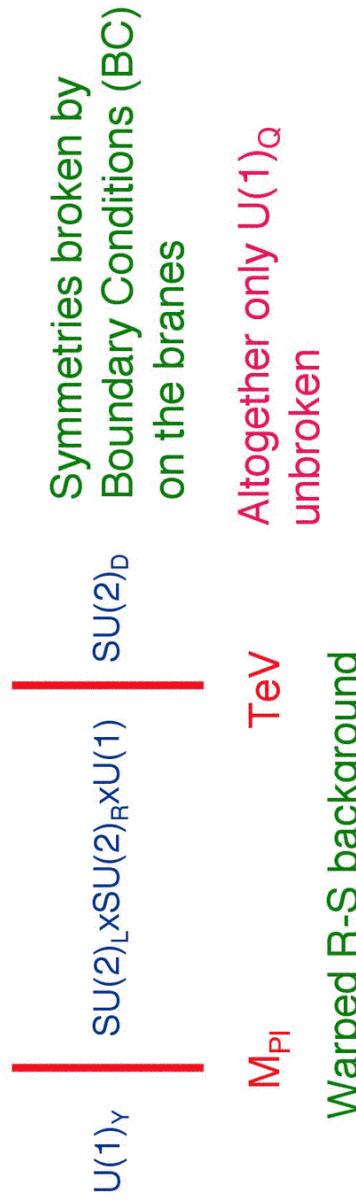
- SUSY Breaking Barbieri, Hall, Nomura...

5D SUSY-SM compactified on $S/(Z_2 \cdot Z_2')$

- Different SUSY breaking at each boundary (Scherk-Schwarz)
 effective theory non-SUSY
 (SUSY recovered at $d < R$)
- Higgs boson mass constrained (rather insensitive to UV)

• Gauge Symmetry Breaking (Higgsless theories)

Csaki et al/Nomura/Davoudiasl et al/Barbieri, Rattazzi, Pomarol....



Unitarity breaking (no Higgs) delayed by KK recurrences
Still problems with EW precision tests

A new way to look at walking technicolor by AdS/CDF correspondence

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Little Higgs Models

Georgi (moose)/Arkani-Hamed et al/Low, Skiba, Smith/Kaplan, Schmaltz/Chang, Wacker/Gregoire et al



H is (pseudo)-Goldstone boson of G: takes mass only at 2-loops (needs breaking of 2 subgroups or 2 couplings)

cut off Λ

Λ^2 divergences canceled by:

- δm_{Htop}^2 new coloured fermion χ
 - $\delta m_{\text{Hgauge}}^2$ W', Z', γ'
 - $\delta m_{\text{HHiggs}}^2$ new scalars
- 2 Higgs doublets

$$\} \sim 1 \text{ TeV}$$

$\sim 0.2 \text{ TeV}$

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E-W Precision Tests? Problems

GUT's? But signatures at LHC clear

e.g.: enlarge $SU(2)_{\text{weak}}$ \rightarrow global $SU(3)$

quark doublet \longrightarrow triplet

$$\begin{bmatrix} t_L \\ b_L \\ \chi_L \end{bmatrix}$$

$$\text{SU}(3) \text{ broken spontaneously} \quad \varphi = \exp i \frac{\begin{bmatrix} - & h \\ h^\dagger & - \end{bmatrix}}{f} \begin{bmatrix} 0 \\ 0 \\ f \end{bmatrix}$$

Yukawa coupling:

$$\lambda [t_L^\dagger b_L^\dagger \chi_L^\dagger] \exp i \frac{\begin{bmatrix} - & h \\ h^\dagger & - \end{bmatrix}}{f} \begin{bmatrix} 0 \\ 0 \\ f \end{bmatrix} t_R + M \chi_L^\dagger L \chi_R$$

$\lambda f \chi_L^\dagger L t_R + i \lambda [t_L^\dagger b_L^\dagger] h t_R - \frac{\lambda}{2f} \chi_L^\dagger L t_R^\dagger h^\dagger h + \dots$

top loop: coeff. Λ^2

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Little Higgs: Big Problems with Precision Tests

Hewett, Petriello, Rizzo/ Csaki et al/Casalbuoni, De Andrea, Oertel/
Kilian, Reuter/

Even with vectorlike new fermions large corrections arise
mainly from W'_i , Z' exchange.
[lack of custodial $SU(2)$ symmetry]

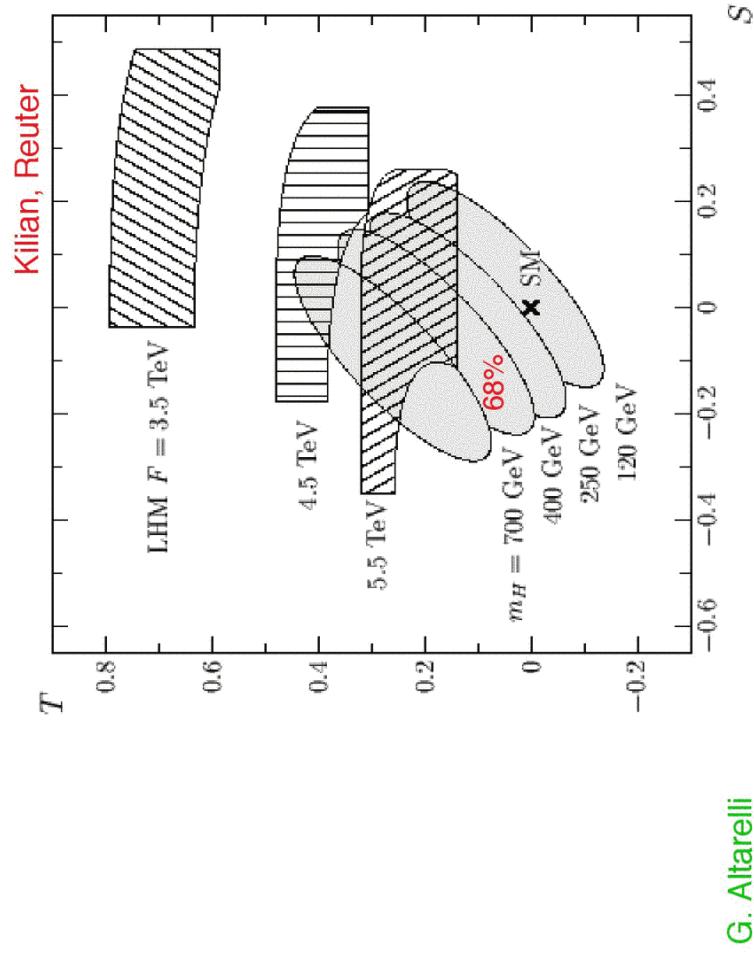
A combination of LEP and Tevatron limits gives:

$$f > 4 \text{ TeV at } 95\% \text{ } (\Lambda = 4\pi f)$$

Fine tuning > 100 needed to get $m_h \sim 200$ GeV
better if m_h heavier

Presumably can be fixed by complicating the model

For a light Higgs F ($=f$) must be large.
Better if m_H increases



Summarizing

- SUSY remains the Standard Way beyond the SM
- What is unique of SUSY is that it works up to GUT's .
GUT's are part of our culture!
Coupling unification, neutrino masses, dark matter, give important support to SUSY
- It is true that the train of SUSY is already a bit late
(this is why there is a revival of alternative model building)
- No complete, realistic alternative so far developed
(not an argument! But...)
- Extra dim.s is a complex, rich, attractive, exciting possibility.
- Little Higgs models look as just a postponement
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(both interesting to pursue)